



The art of collider physics

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Introduction

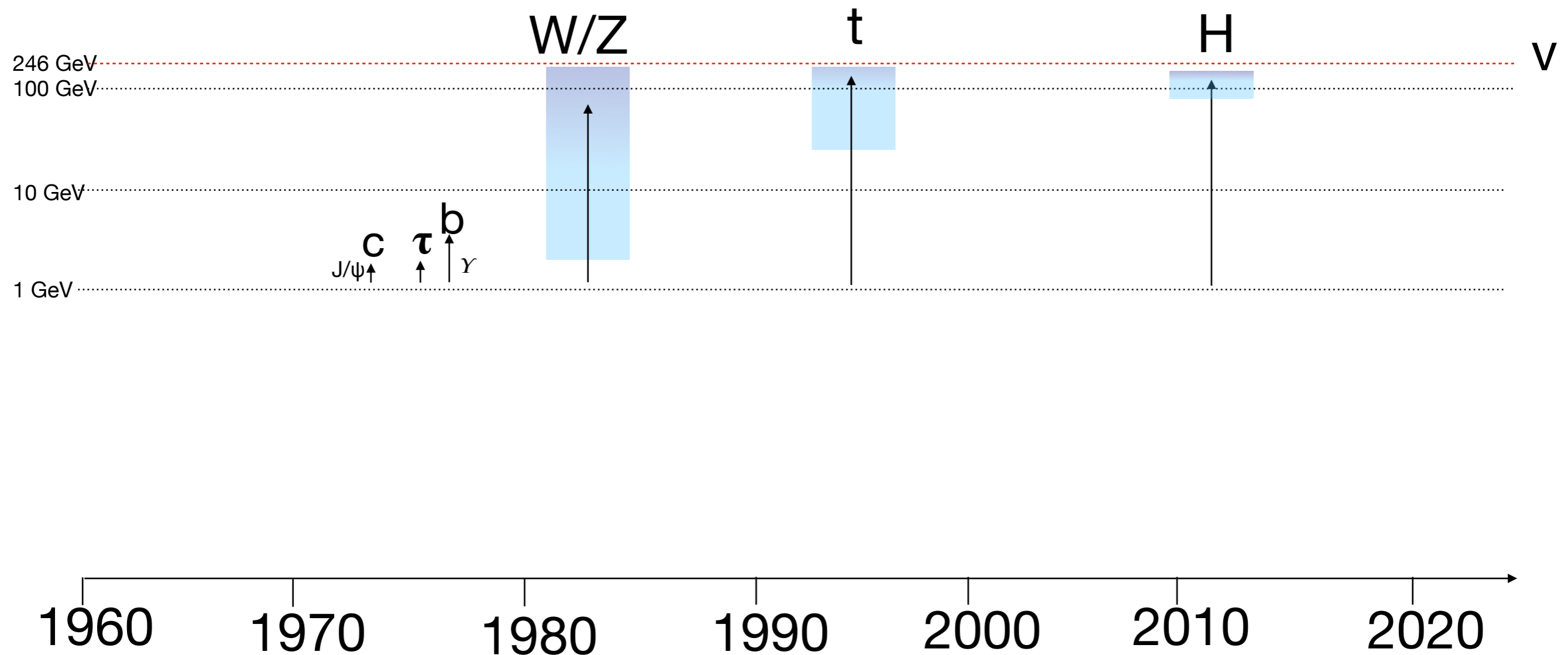
$$\mathcal{L}_{SM}^{(4)} = -\frac{1}{4}F^{\mu\nu}F_{\mu\nu} + \bar{\psi}i\not{D}\psi + (y_{ij}\bar{\psi}_L^i\phi\psi_R^j + \text{h.c.}) + |D_\mu\phi|^2 - V(\phi)$$

	פרמיונים			בוזונים	
	דור-I	דור-II	דור-III		
מסה	2.4 MeV/c ²	1.27 GeV/c ²	171.2 GeV/c ²	0	125 GeV/c ²
מטען	2/3	2/3	2/3	0	0
ספין	1/2	1/2	1/2	1	0
קוארקים	u למעלה	c קסום	t עליון	γ פוטון	H בוזון היגס
	4.8 MeV/c ²	104 MeV/c ²	4.2 GeV/c ²	0	
	-1/3	-1/3	-1/3	0	
	1/2	1/2	1/2	1	
	d למטה	s מוזר	b תחתון	g גלואון	
לפטונים	<2.2 eV/c ²	<0.17 MeV/c ²	<15.5 MeV/c ²	91.2 GeV/c ²	
	0	0	0	0	
	1/2	1/2	1/2	1	
	ν_e נייטרינו אלקטרוני	ν_μ נייטרינו מיואני	ν_τ נייטרינו טאוני	Z⁰ בוזון Z	
	0.511 MeV/c ²	105.7 MeV/c ²	1.777 GeV/c ²	80.4 GeV/c ²	
	-1	-1	-1	±1	
	1/2	1/2	1/2	1	
	e אלקטרון	μ מיואון	τ טאון	W[±] בוזון W	

- SU(3)_c x SU(2)_L x U(1)_Y gauge symmetries.
- Matter is organised in chiral multiplets of the fund. representation.
- The SU(2) x U(1) symmetry is spontaneously broken to U(1)_{EM}.
- Yukawa interactions lead to fermion masses, mixing and CP violation.
- Matter+gauge group => Anomaly free
- Renormalisable = valid to “arbitrary” high scales.
- A number of accidental symmetries seen in Nature.
- Neutrino masses can be accommodated in two distinct ways.

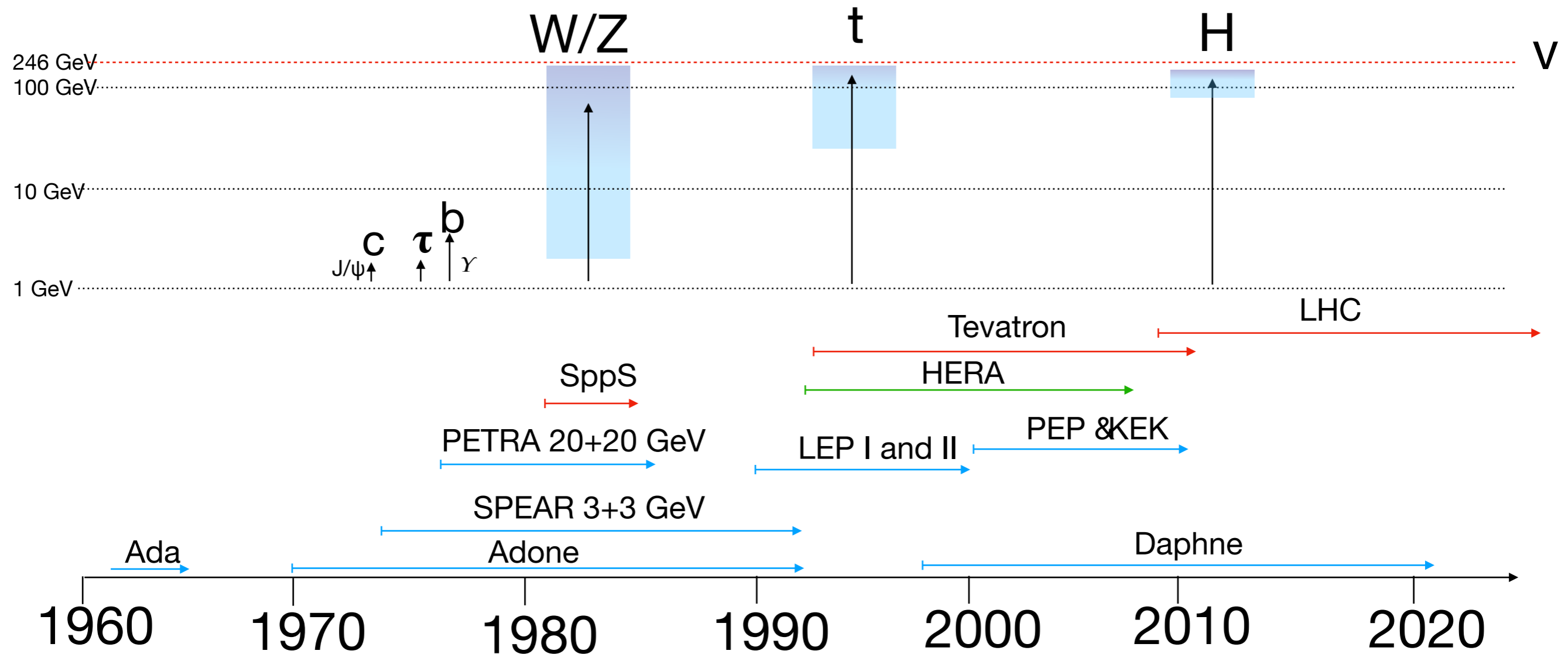
Experimental point of view

The story of collider physics in the last 60 years is marked by the accelerators eras and punctuated by key discoveries



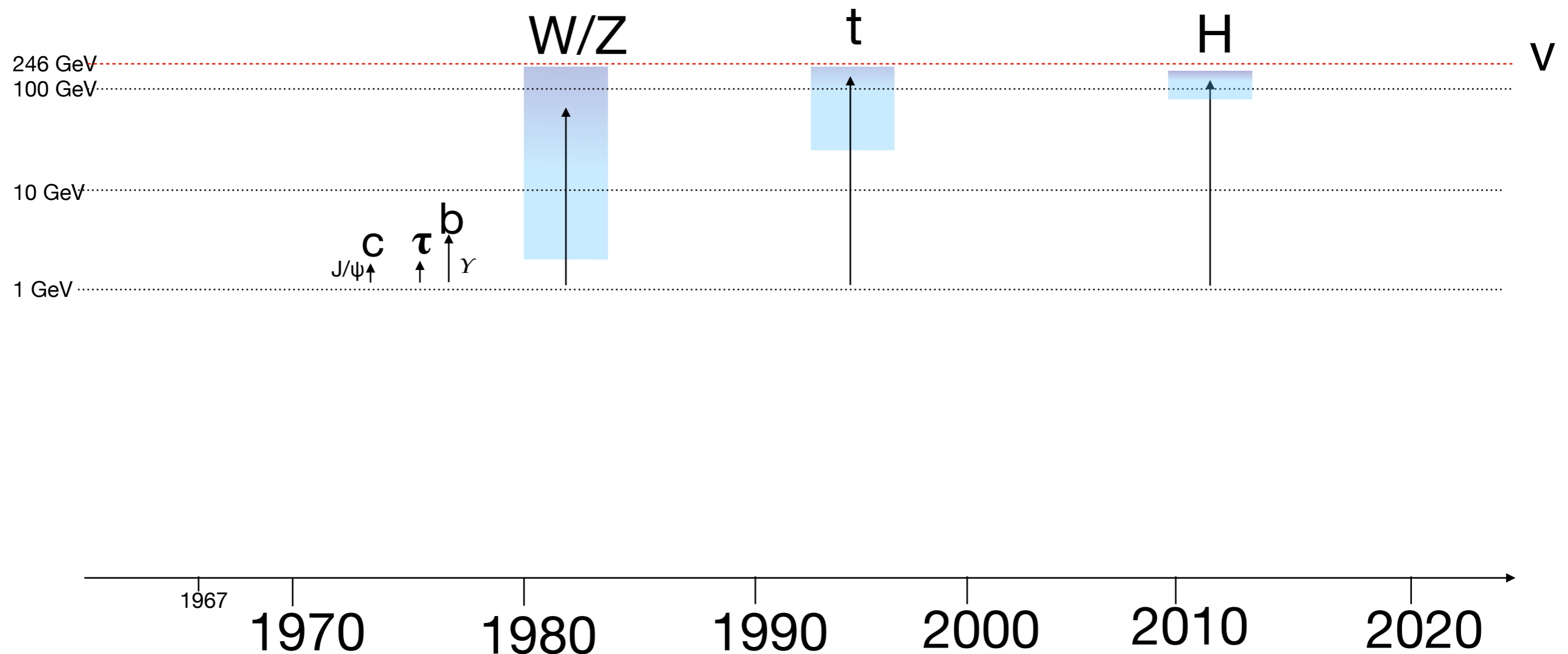
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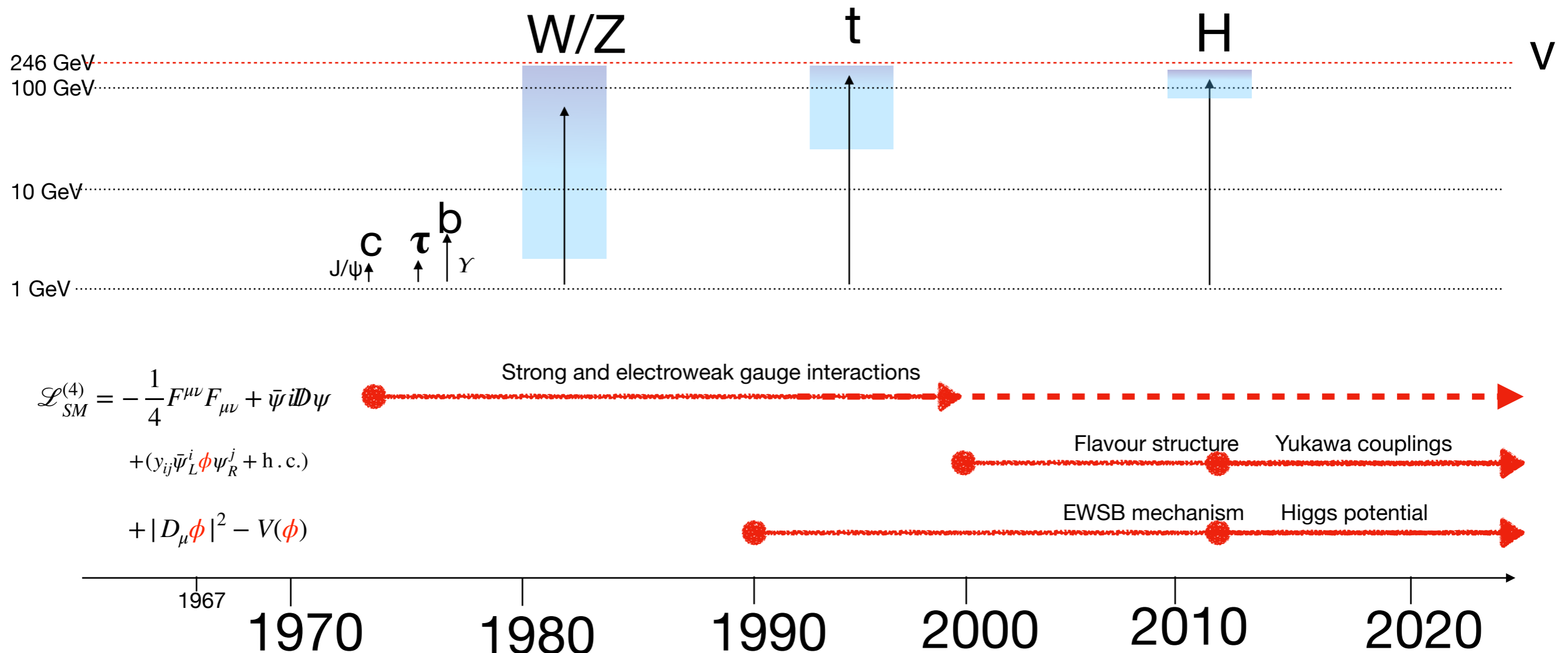
(A) theorist's point of view

The story of collider physics in the last 60 years is the slow yet steady turning of the Standard Model into a Standard Theory for Strong and EW interactions.



(A) theorist's point of view

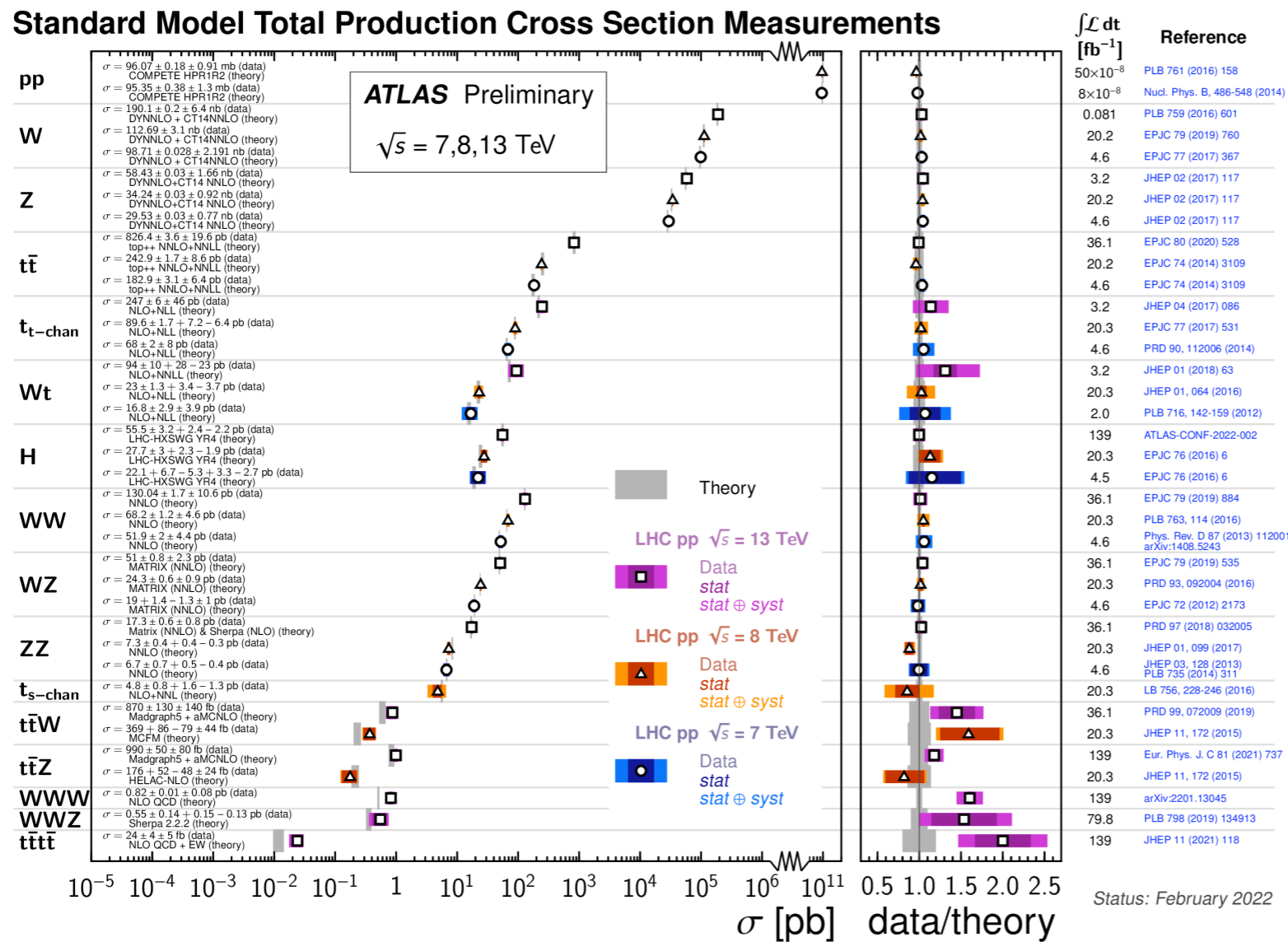
The story of collider physics in the last 60 years is the slow yet steady turning of the Standard Model into a Standard Theory for Strong and EW interactions.



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Present

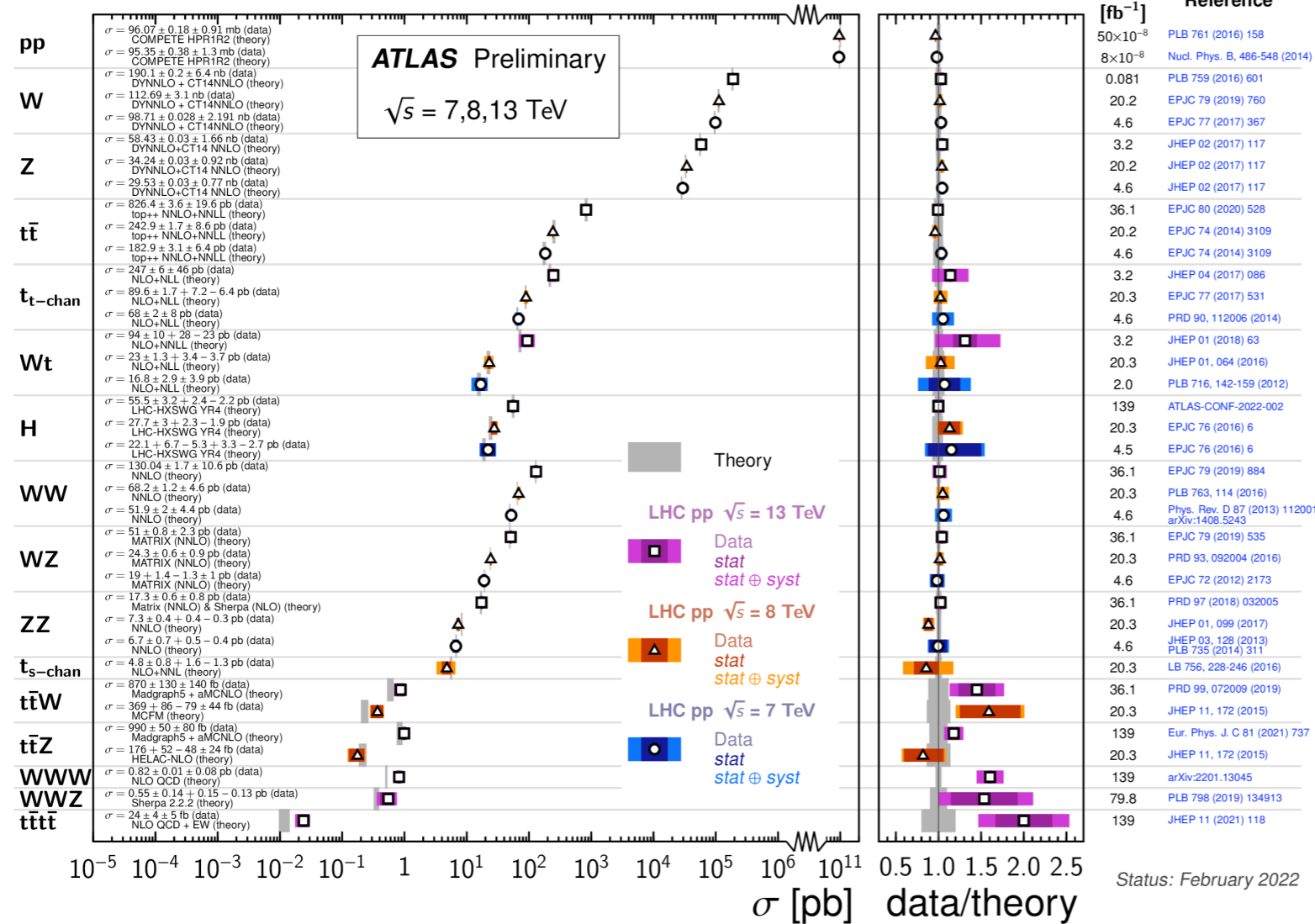
Standard Model Total Production Cross Section Measurements



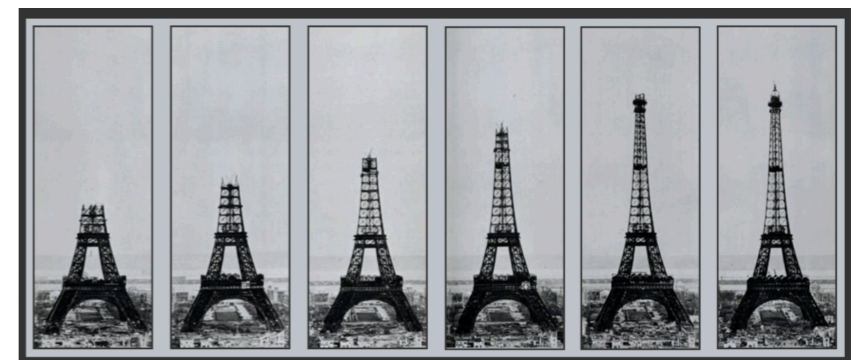
- Tangible results of an amazing experimental effort over a 10+ year span, accessing a wide range of final states, each with very different challenges.
- So many processes test very different sectors of the SM.

Present

Standard Model Total Production Cross Section Measurements

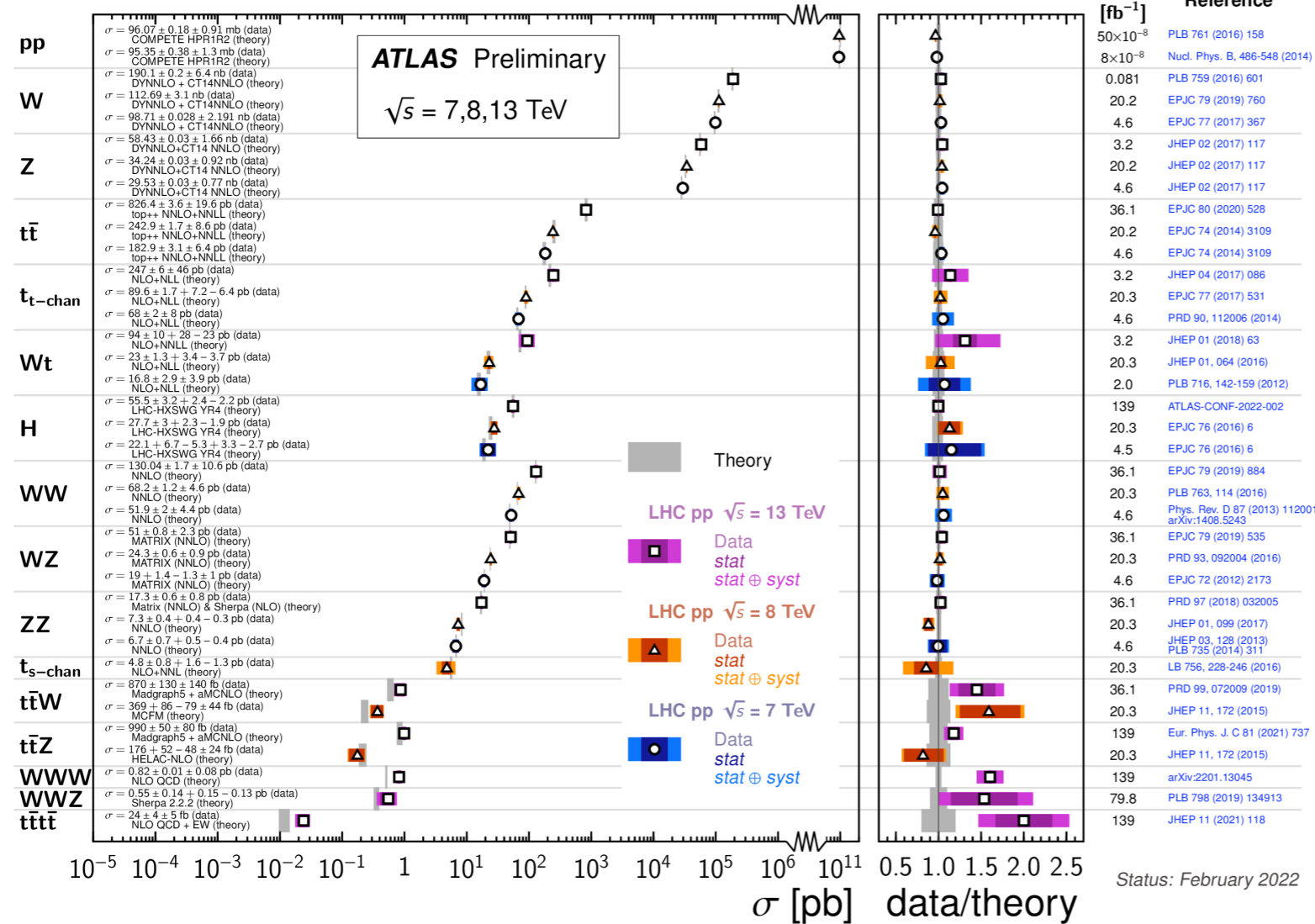


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- Comparison with SM predictions shows that we have the necessary theoretical and experimental control to move onto the next phase.



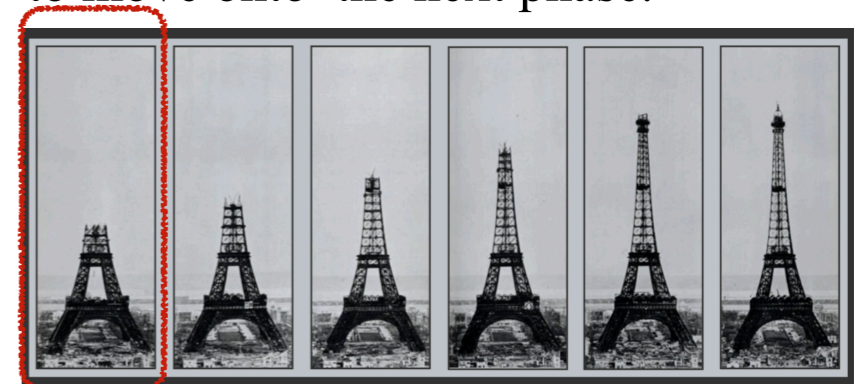
Present

Standard Model Total Production Cross Section Measurements



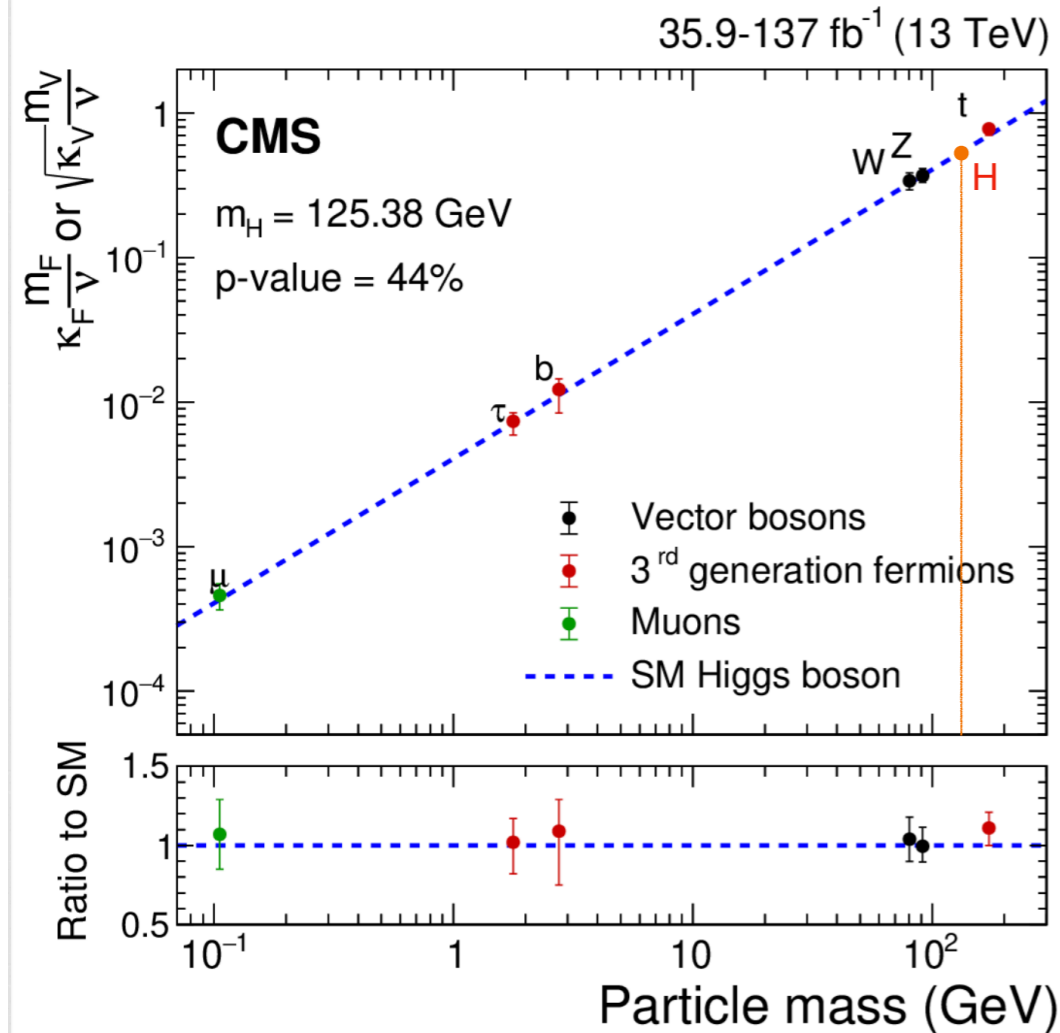
Status: February 2022

- Tangible results of an amazing experimental effort over a 10+ year span, accessing a wide range of final states, each with very different challenges.
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Present

Higgs couplings



Unique mass generation mechanism for fermions/vectors and the scalar.

$i m_f / v$
 $i g m_W g_{\mu\nu} = 2 i v g_{\mu\nu} \cdot m_W^2 / v^2$
 $i g \frac{m_Z}{\cos \theta_W} g_{\mu\nu} = 2 i v g_{\mu\nu} \cdot m_Z^2 / v^2$
 $-3 i v \cdot m_h^2 / v^2$

+ 4 point interactions.

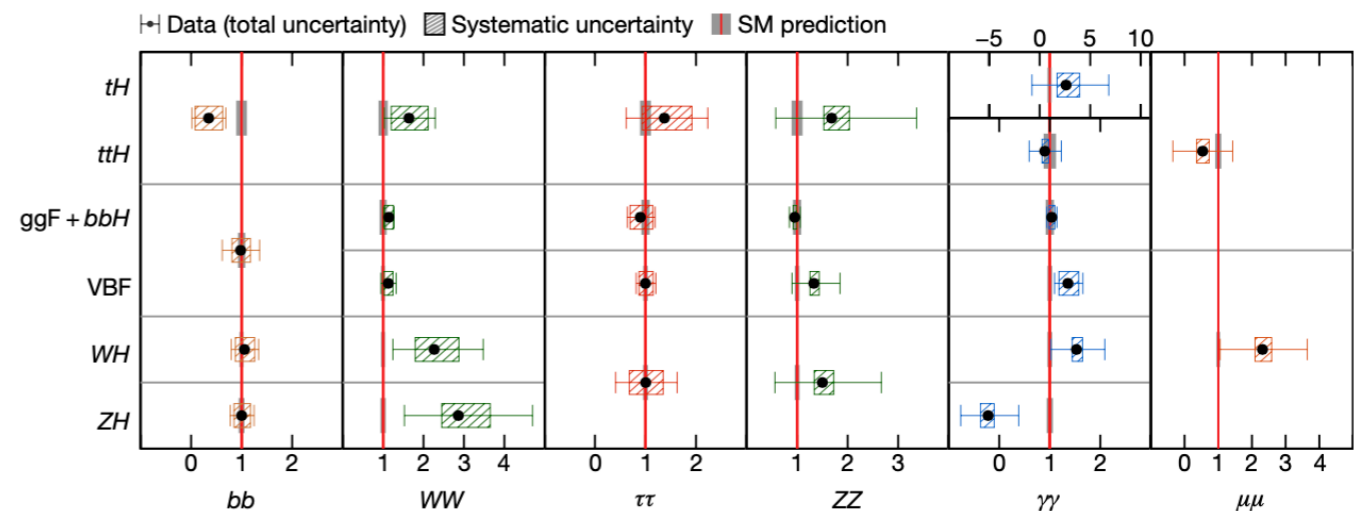
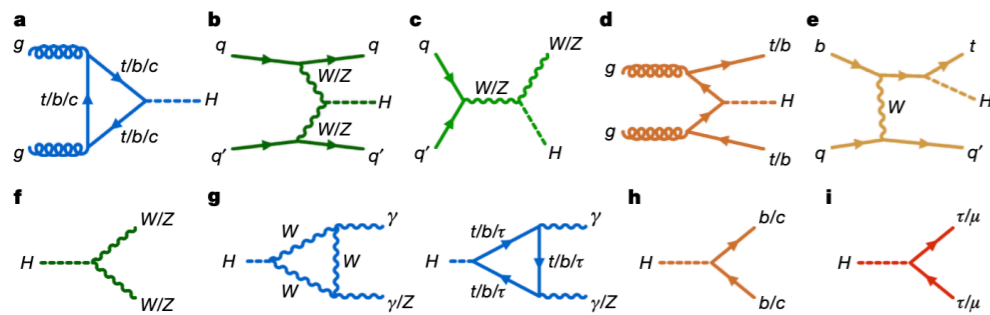
$V(H) = \frac{m_H^2}{2} H^2 + \lambda_3 v H^3 + \frac{\lambda_4}{4} H^4 + \dots$
 $V^{\text{SM}}(\Phi) = -\mu^2(\Phi^\dagger \Phi) + \lambda(\Phi^\dagger \Phi)^2 \Rightarrow \begin{cases} v^2 = \mu^2 / \lambda \\ m_H^2 = 2\lambda v^2 \end{cases} \quad \begin{cases} \lambda_3^{\text{SM}} = \lambda \\ \lambda_4^{\text{SM}} = \lambda \end{cases}$

In the SM gauge invariance + SSB => constrained system. Two-point functions (propagators/masses) fix the 3-point and 4-point interactions!



Present

Higgs couplings



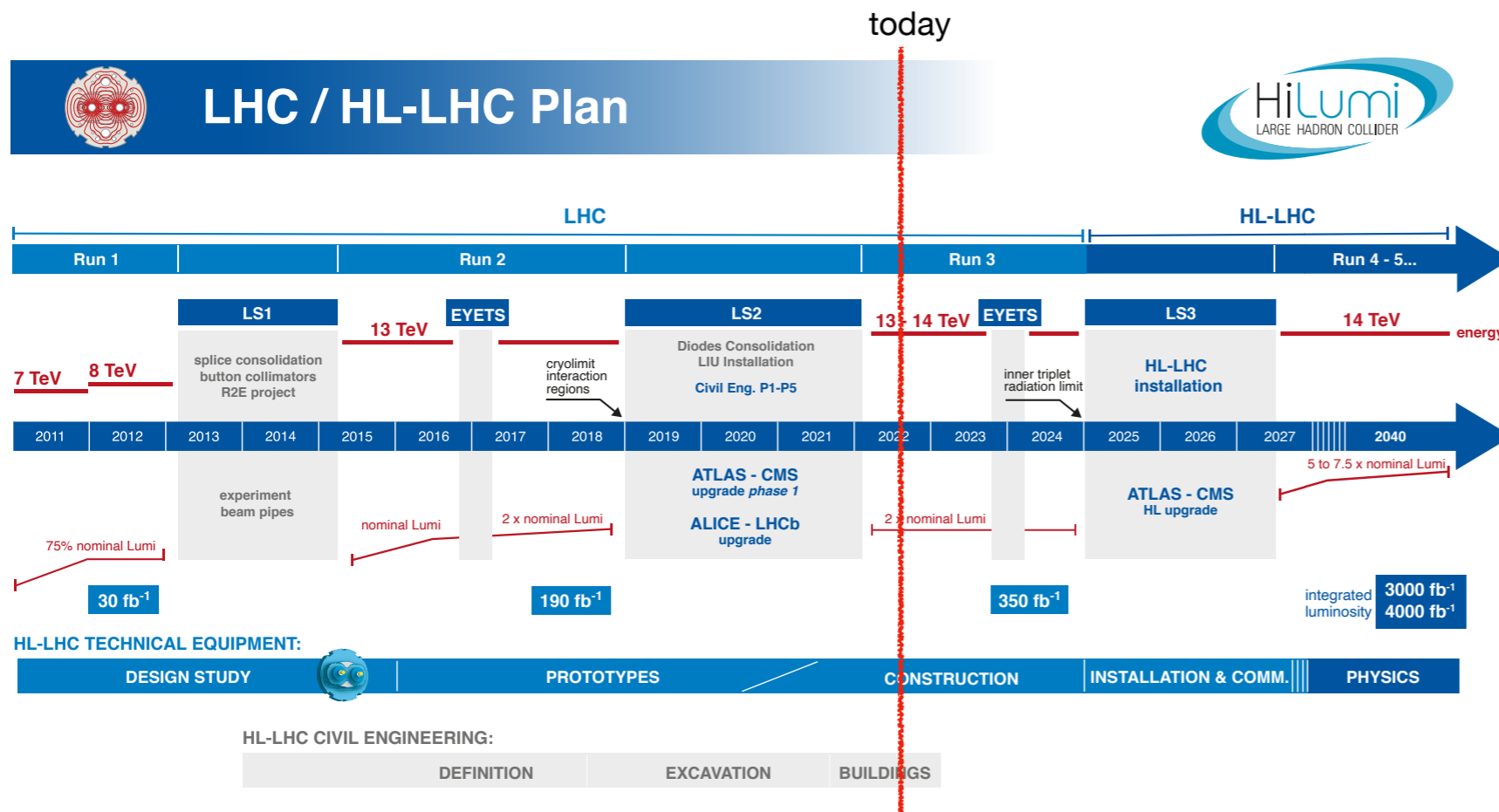
$$\mu = 1.05 \pm 0.06 = 1.05 \pm 0.03 \text{ (stat.)} \pm 0.03 \text{ (exp.)} \pm 0.04 \text{ (sig. th.)} \pm 0.02 \text{ (bkg. th.)}$$

Since its discovery, impressive advances in our understanding of the Higgs boson's properties have been achieved. At this moment, the new scalar seems consistent with the expectations of the SM, with different degrees of precision yet order 10%, in all measured channels.

Need to explore 2nd and 1st fermion generation and Higgs potential.

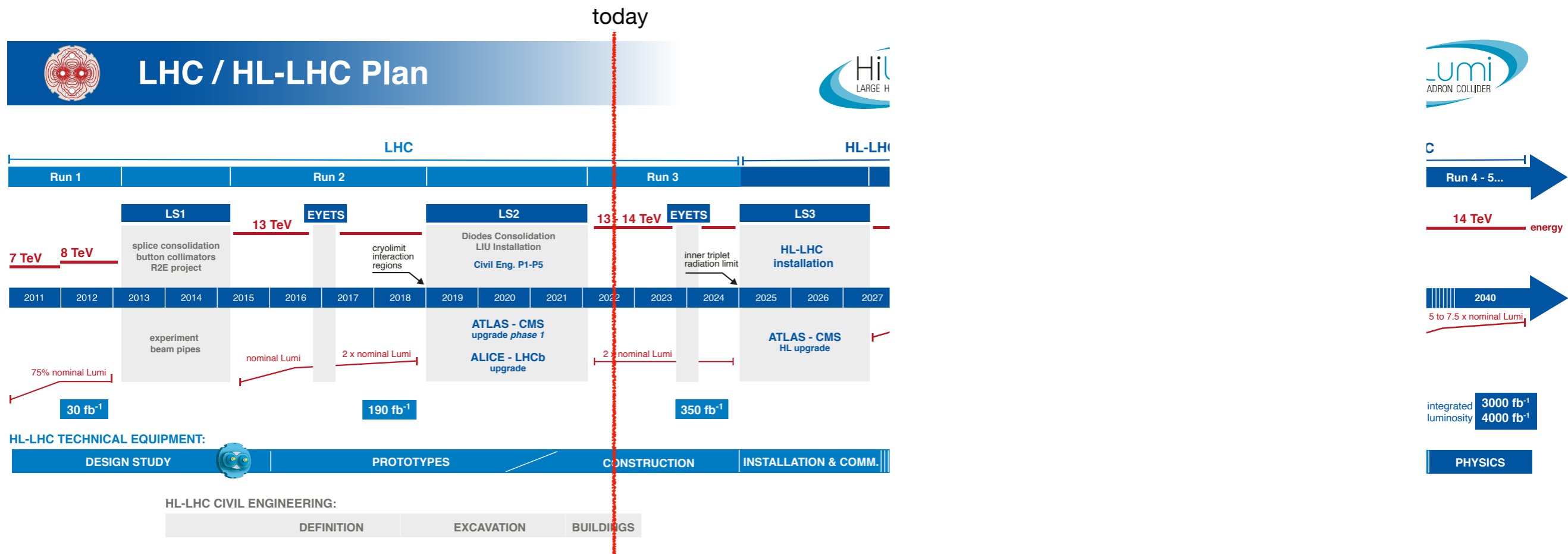
The future

The LHC reference frame and unit of time



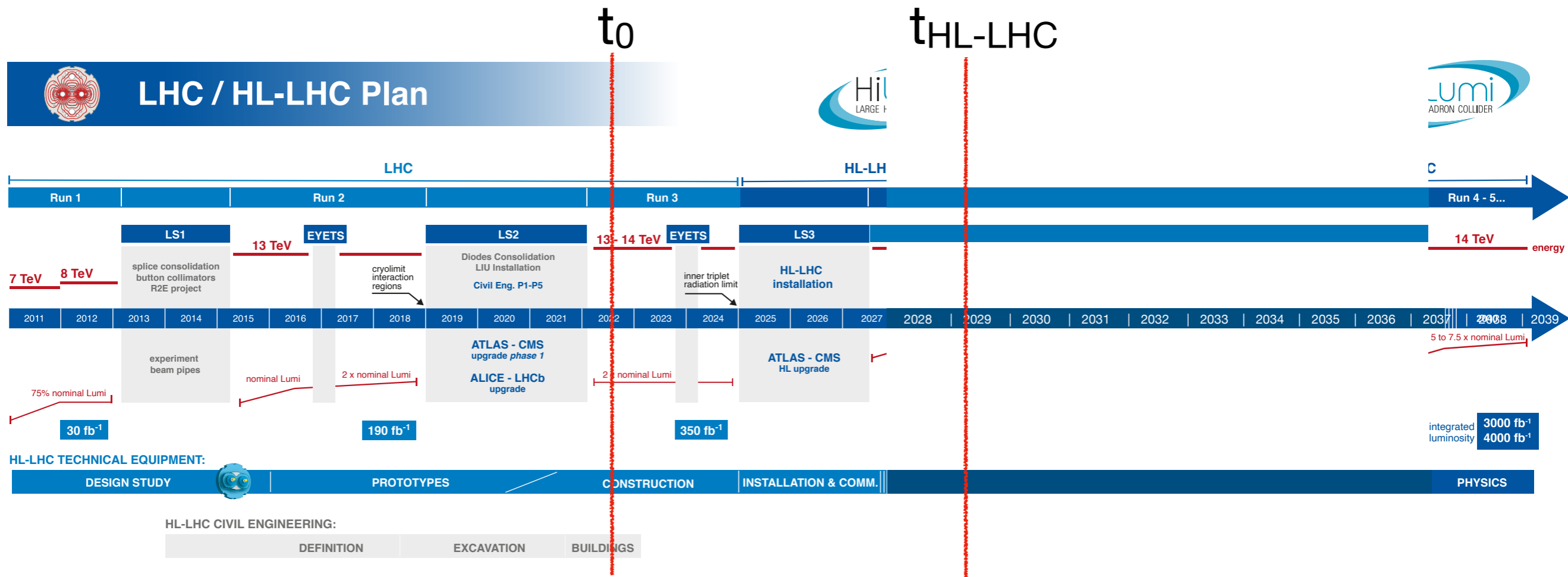
The future

The LHC reference frame and unit of time



The future

The LHC reference frame and unit of time



We are at 1/3 of our adventure with 1/20 of the expected data

Where do we stand?

The LHC reference frame and unit of time

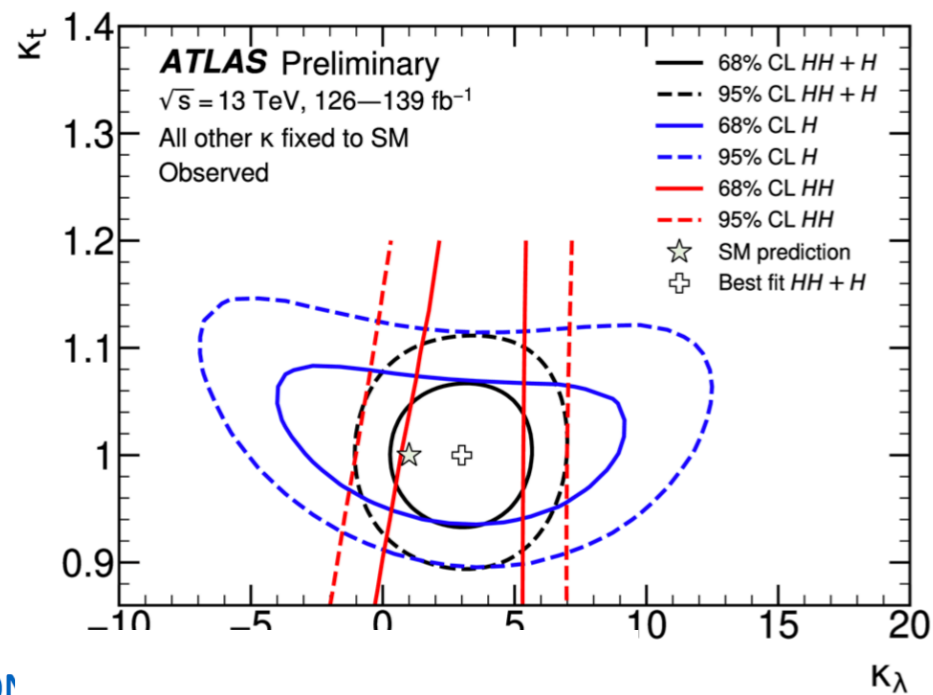


HL-LHC projections

Higgs self-coupling

Now

[ATLAS, 2022]



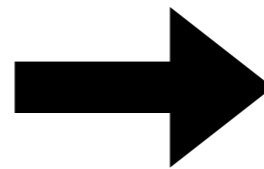
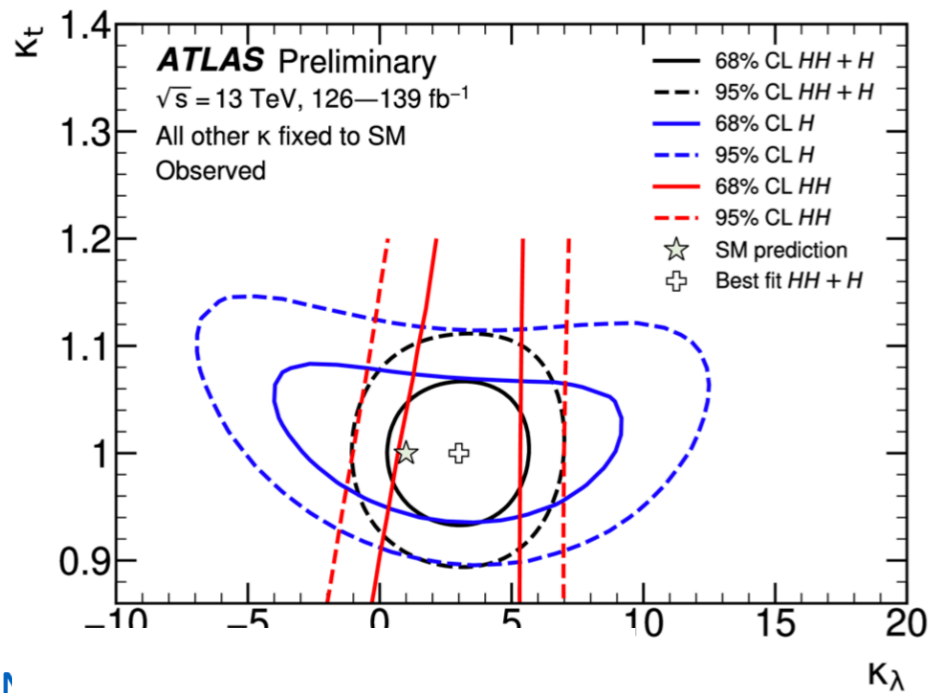
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HL-LHC projections

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Now

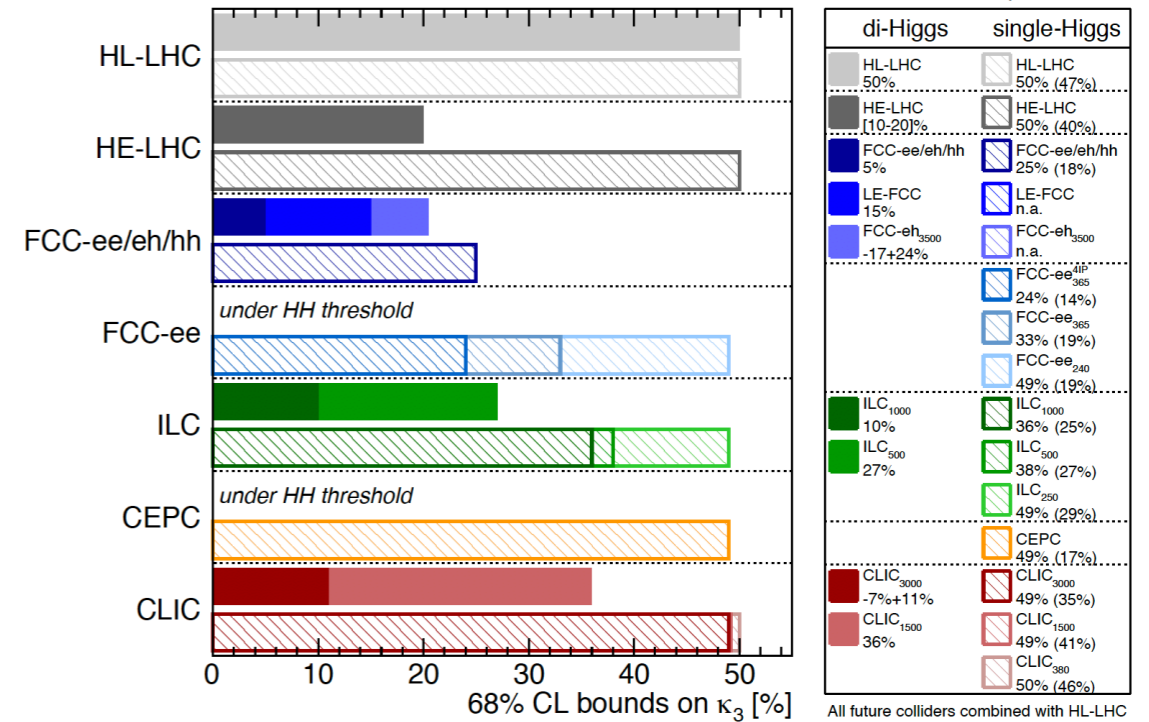
[ATLAS, 2022]



Future

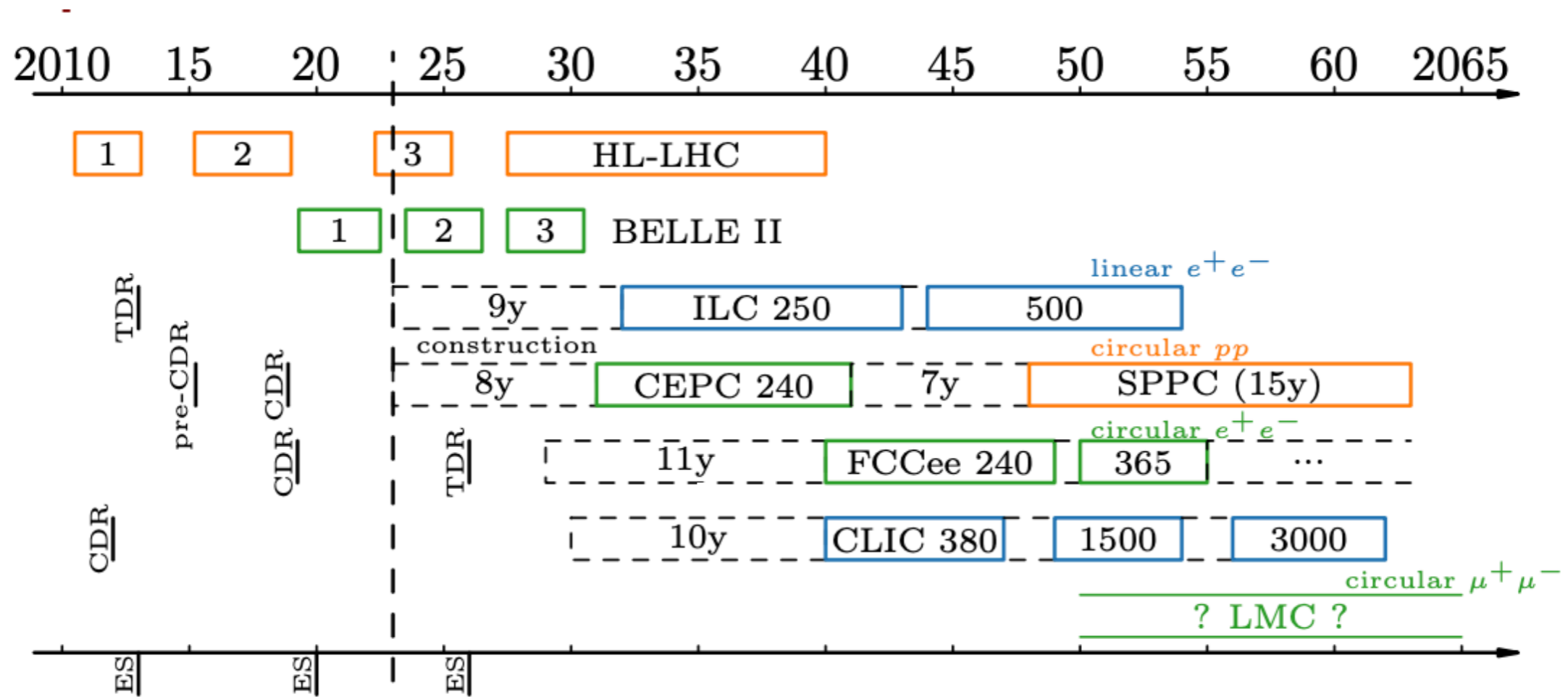
[De Blas et al., 2020]

Higgs@FC WG September 2019



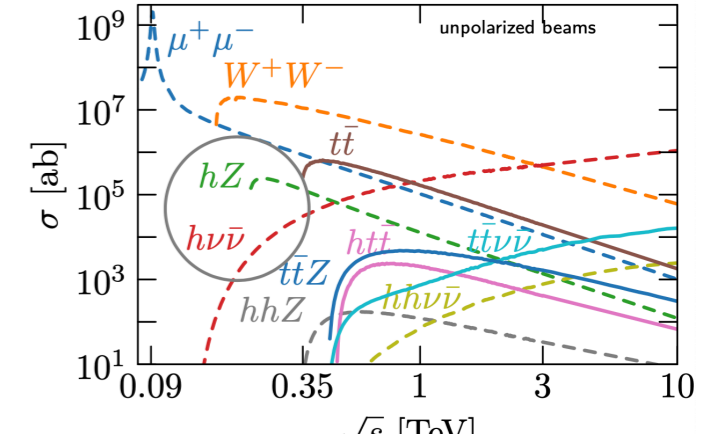
Currently limits on k_λ from H and HH are comparable and will stay so at the HL-LHC. Borderline sensitivity to say something about EW baryogenesis...

Our leptonic future(s)



Extensive studies with ESU & Snowmass and now in ECFA w/ 10^6 Higgs bosons

Our leptonic future(s)



kappa-0	HL-LHC	LHeC	HE-LHC		ILC			CLIC			CEPC	FCC-ee		FCC-ee/eh/hh
			S2	S2'	250	500	1000	380	15000	3000		240	365	
κ_W [%]	1.7	0.75	1.4	0.98	1.8	0.29	0.24	0.86	0.16	0.11	1.3	1.3	0.43	0.14
κ_Z [%]	1.5	1.2	1.3	0.9	0.29	0.23	0.22	0.5	0.26	0.23	0.14	0.20	0.17	0.12
κ_g [%]	2.3	3.6	1.9	1.2	2.3	0.97	0.66	2.5	1.3	0.9	1.5	1.7	1.0	0.49
κ_γ [%]	1.9	7.6	1.6	1.2	6.7	3.4	1.9	98*	5.0	2.2	3.7	4.7	3.9	0.29
$\kappa_{Z\gamma}$ [%]	10.	—	5.7	3.8	99*	86*	85*	120*	15	6.9	8.2	81*	75*	0.69
κ_c [%]	—	4.1	—	—	2.5	1.3	0.9	4.3	1.8	1.4	2.2	1.8	1.3	0.95
κ_t [%]	3.3	—	2.8	1.7	—	6.9	1.6	—	—	2.7	—	—	—	1.0
κ_b [%]	3.6	2.1	3.2	2.3	1.8	0.58	0.48	1.9	0.46	0.37	1.2	1.3	0.67	0.43
κ_μ [%]	4.6	—	2.5	1.7	15	9.4	6.2	320*	13	5.8	8.9	10	8.9	0.41
κ_τ [%]	1.9	3.3	1.5	1.1	1.9	0.70	0.57	3.0	1.3	0.88	1.3	1.4	0.73	0.44

Collider Physics

The purpose of colliders is to explore physics at small scales
in a controllable environment

$$\Delta t \cdot \Delta E \sim \hbar$$

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$$\Delta x \sim \frac{\hbar c}{\Delta E}$$

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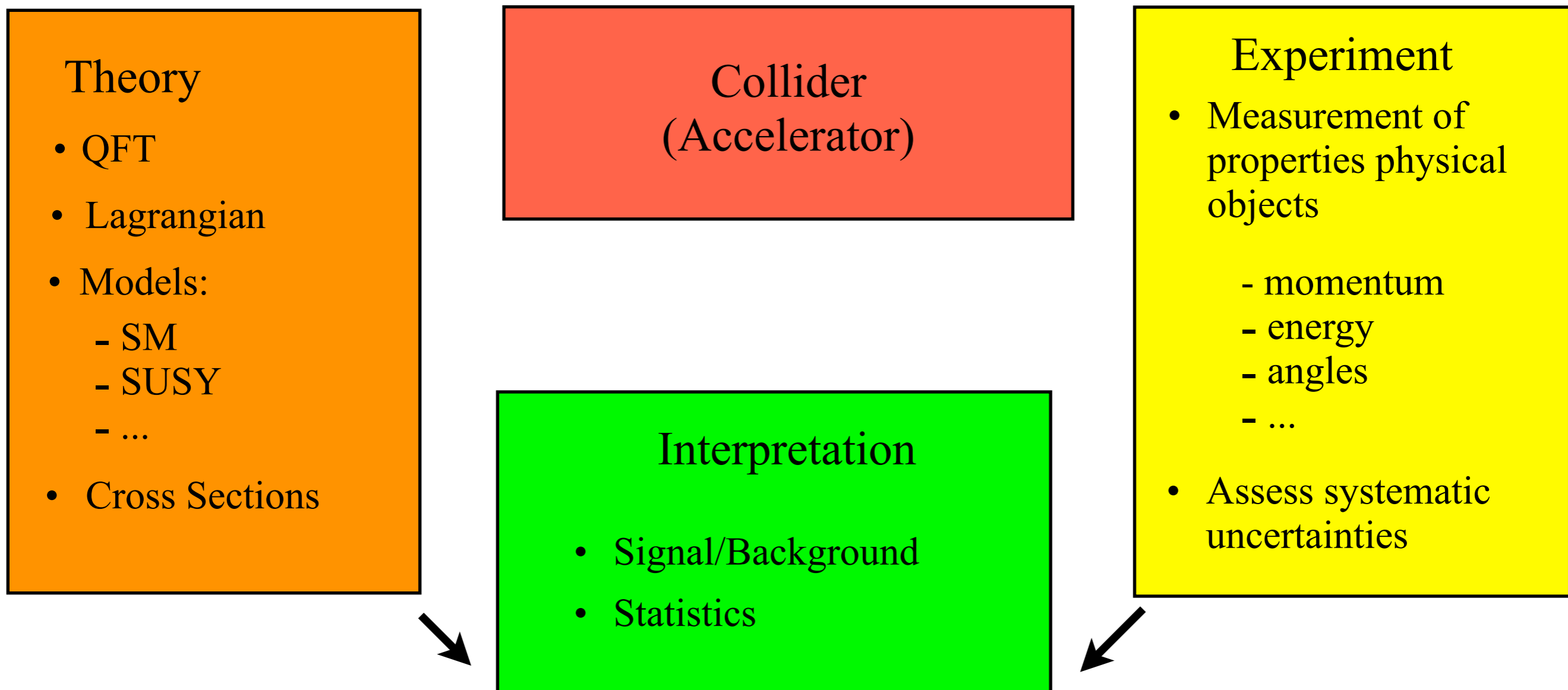


$$\Delta x \sim \frac{\hbar c}{\Delta E}$$

QFT

Collider Physics

The purpose of colliders is to explore physics at small scales
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The reach of collider facilities

$A + B \rightarrow M$ production in 2-particle collisions: $M^2 = (p_1 + p_2)^2$

fixed target:

$$p_1 \simeq (E, 0, 0, E)$$

$$p_2 = (m, 0, 0, 0)$$

$$M \simeq \sqrt{2mE}$$

before



after



root increase in M

- root E law: large energy loss in E_{kin}
- dense target: large collision rate / luminosity

collider target:

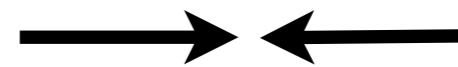
$$p_1 = (E, 0, 0, E)$$

$$p_2 = (E, 0, 0, -E)$$

$$M \simeq 2E$$

- linear E law: no energy loss
- less dense bunches: small collision rates

before



after



Collider characteristics

Energy: ranges from a few GeV to several TeV (LHC)

Luminosity: measures the rate of particles in colliding bunches

$$\mathcal{L} = \frac{N_1 N_2 f}{A}$$

$N_i =$ number of particles in bunches

$A =$ transverse bunch area

$f =$ bunch collision rate

$\mathcal{L}\sigma =$ observed rate for process with cross section σ

LHC (targeted): $\mathcal{L} = 10^{34} \text{ cm}^{-2}\text{s}^{-1} \rightarrow 300 \text{ fb}^{-1}$ in 3 years

Circular vs linear collider:

charged particles in circular motion: permanently accelerated towards center \rightarrow emitting photons as synchrotron light

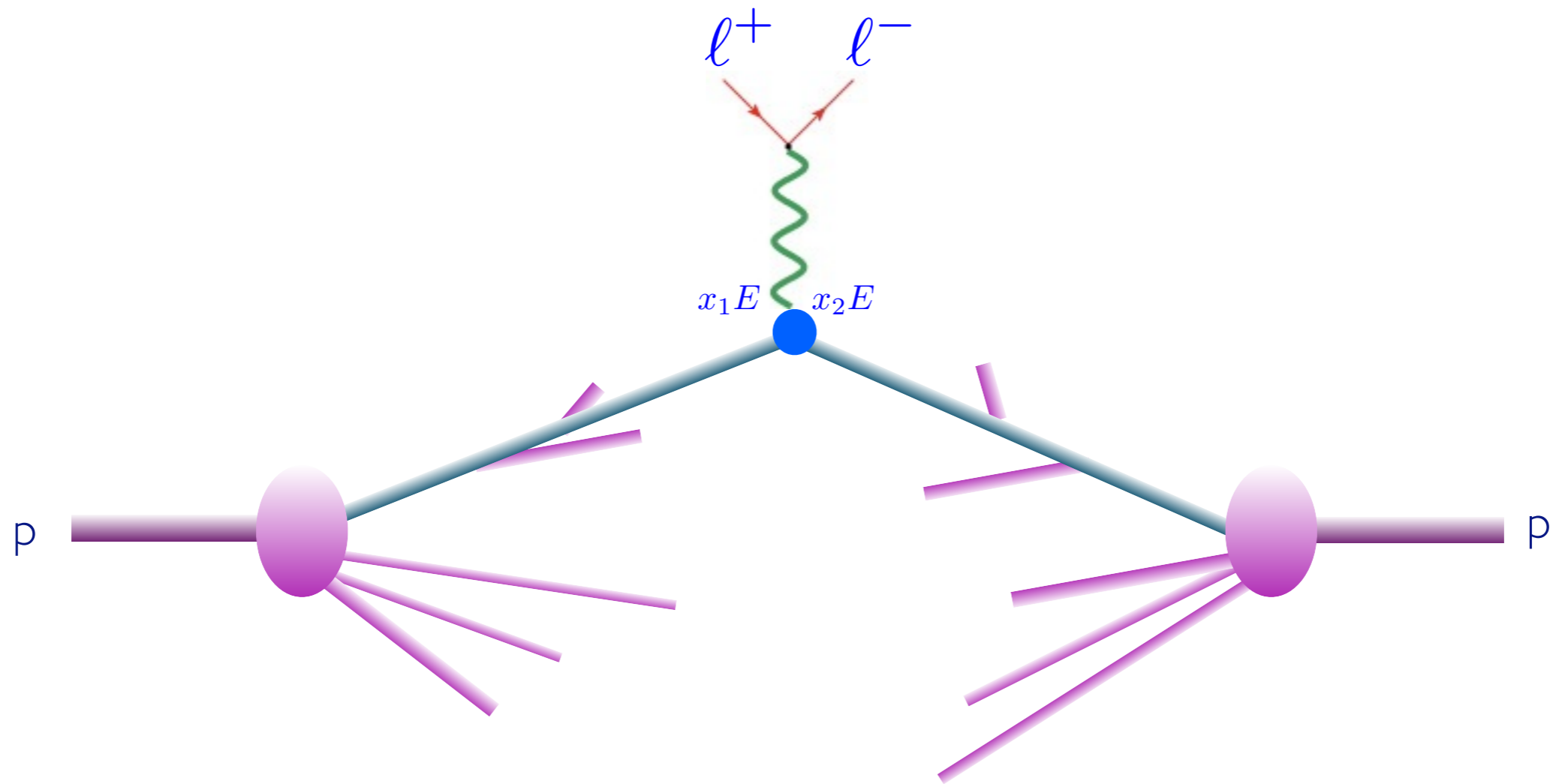
$$\Delta E \sim E^4 / R$$

- large loss of energy [hypothetical TeV collider at LEP: $\Delta E \simeq E$ per turn]
- no-more sharp initial state energy

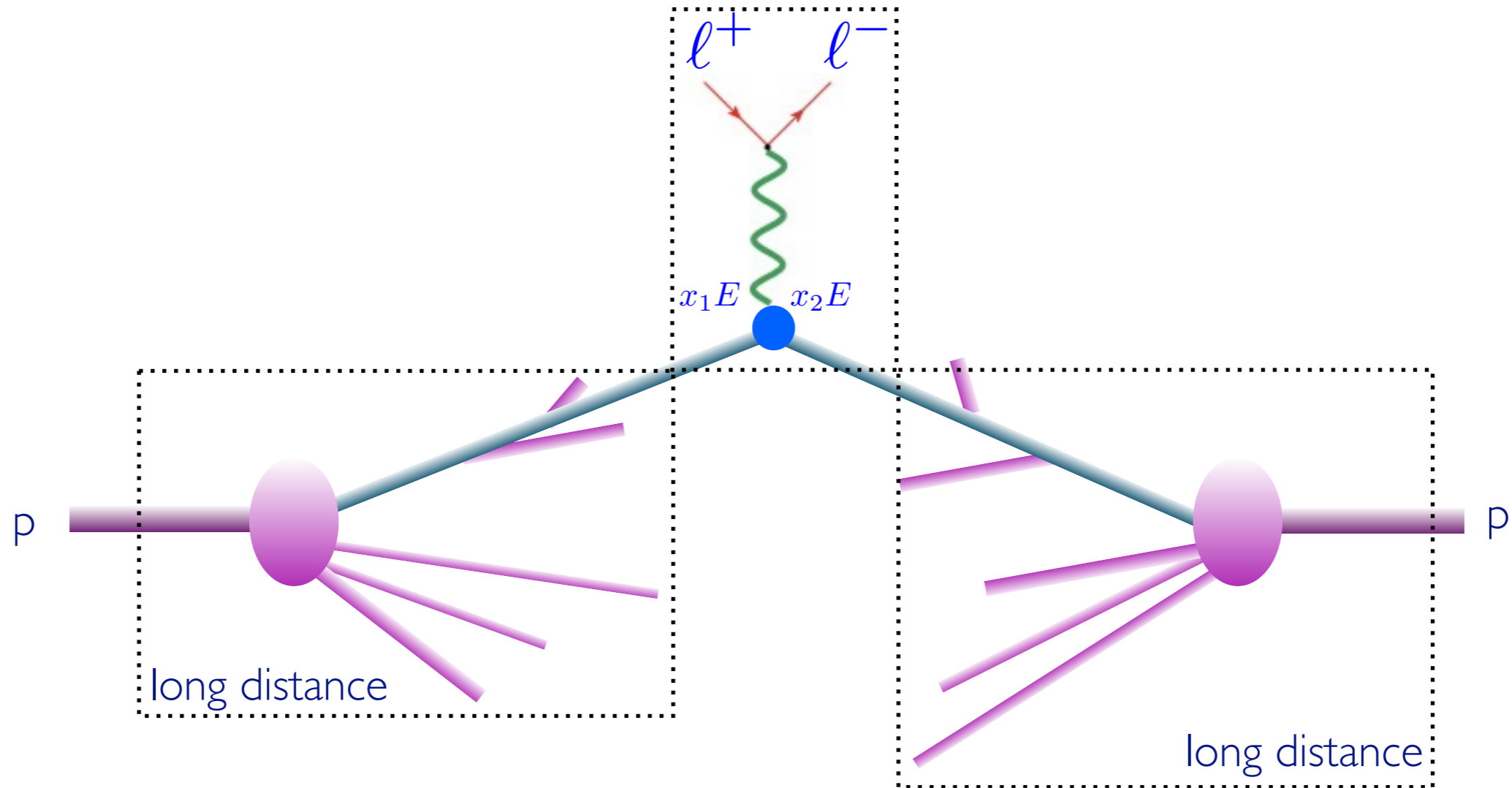


LHC master formula

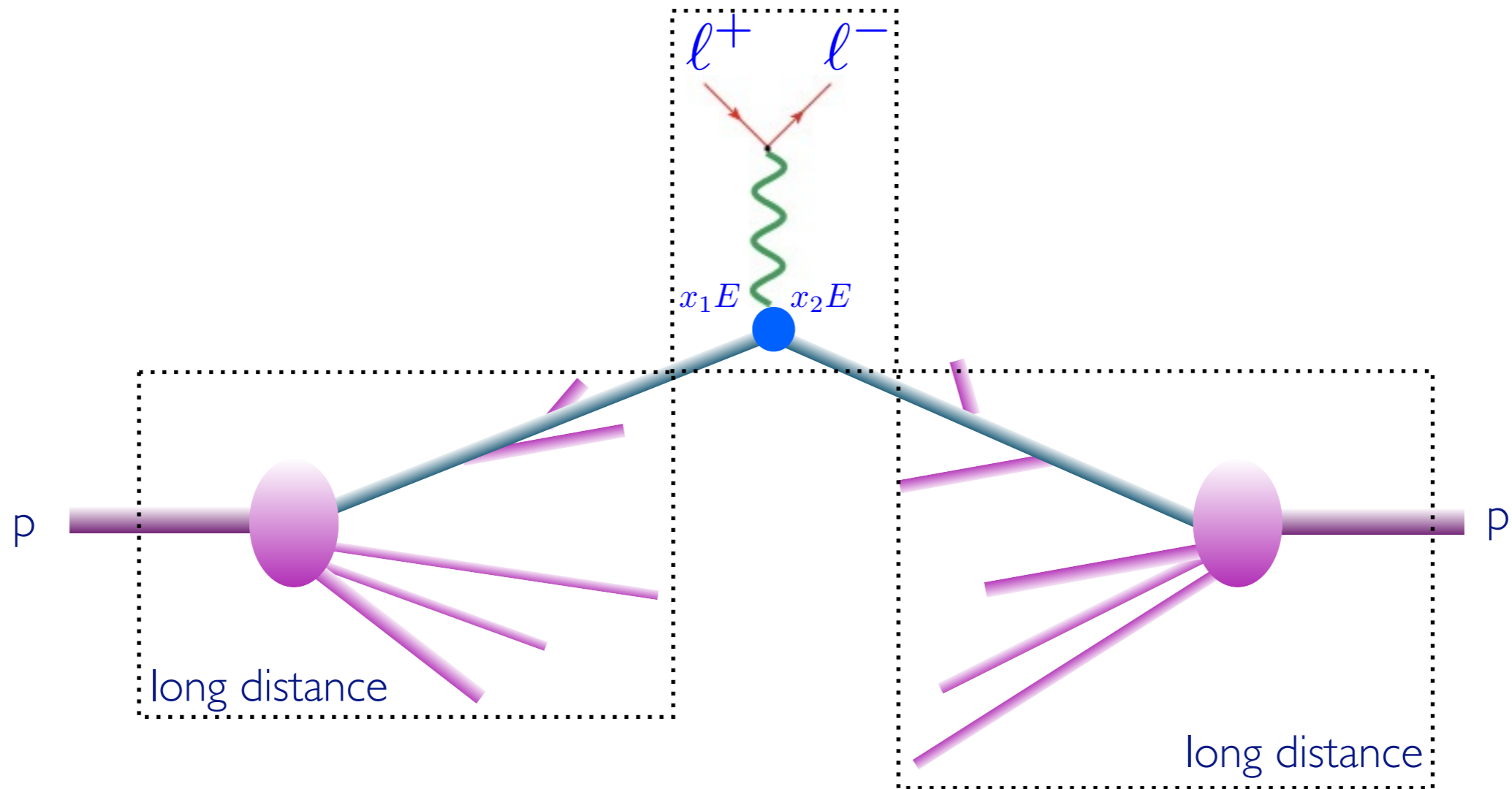
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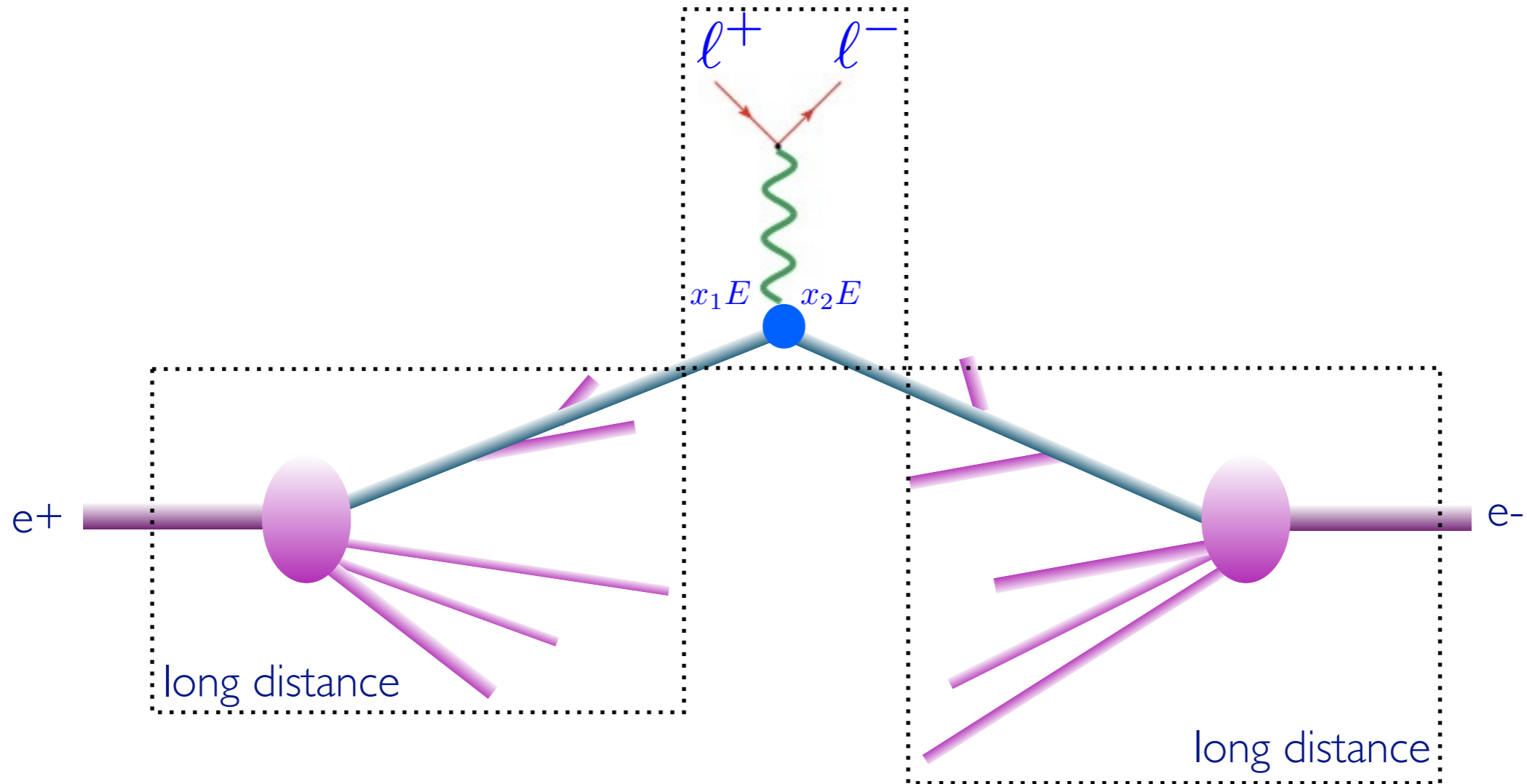


LHC master formula



$$\sigma_X = \sum_{a,b} \int_0^1 dx_1 dx_2 f_a(x_1, \mu_F^2) f_b(x_2, \mu_F^2) \times \hat{\sigma}_{ab \rightarrow X}(x_1, x_2, \alpha_S(\mu_R^2), \frac{Q^2}{\mu_F^2}, \frac{Q^2}{\mu_R^2})$$

$e^+ e^-$ master formula



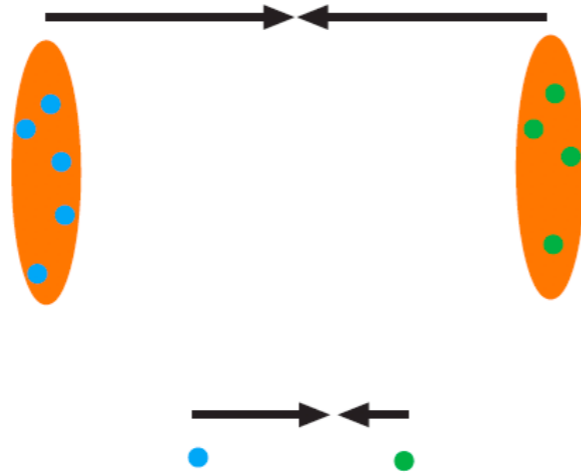
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Kinematics

We describe the collision in terms of parton energies

$$E_1 = x_1 E_{\text{beam}}$$

$$E_2 = x_2 E_{\text{beam}}$$

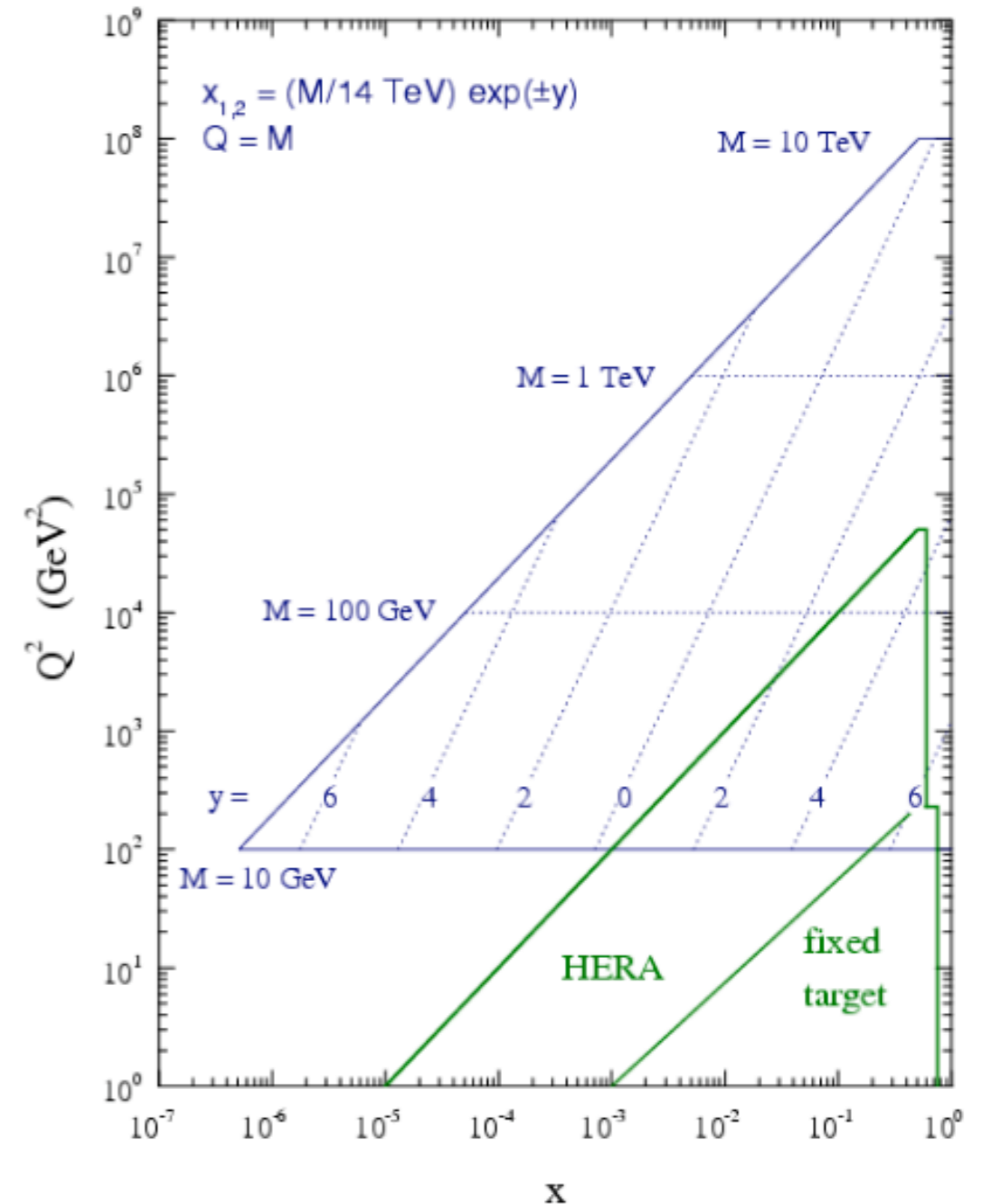


Obviously the partonic c.m.s. frame will be in general boosted. Let us say that the two partons annihilate into a particle of mass M .

$$M^2 = x_1 x_2 S = x_1 x_2 4E_{\text{beam}}^2$$

$$y = \frac{1}{2} \log \frac{x_1}{x_2}$$

$$x_1 = \frac{M}{\sqrt{S}} e^y \quad x_2 = \frac{M}{\sqrt{S}} e^{-y}$$



A simple example: $t\bar{t}$

Let's see how to calculate the cross section for a simple process such as $pp \rightarrow t\bar{t}$. There are two initial states possible, gg and $q\bar{q}$. For gg (which will dominate at the LHC) we obtain:

$$\frac{d\sigma}{d\hat{s}} = \int_0^1 \int_0^1 dx_1 dx_2 g(x_1, \mu_F) g(x_2, \mu_F) \hat{\sigma}(\hat{s}) \delta(\hat{s} - x_1 x_2 s)$$

We introduce the variable τ , that is proportional to x_1 and x_2 :

$$\tau \equiv \frac{\hat{s}}{s} = x_1 x_2$$

and obtain

$$\frac{d\sigma}{d\tau} = \int_0^1 \int_0^1 dx_1 dx_2 g(x_1, \mu_F) g(x_2, \mu_F) \frac{\hat{\sigma}(\hat{s})}{\tau} \delta\left(1 - \frac{x_1 x_2}{\tau}\right)$$

A simple example: $t\bar{t}$

$$\frac{d\sigma}{d\tau} = \frac{\hat{\sigma}(\hat{s})}{\tau} \int_{\tau}^1 \frac{dx_1}{x_1} g(x_1) g\left(\frac{\tau}{x_1}\right)$$

We define the dimensionless partonic luminosity:

$$\frac{dL_{gg}}{d\tau} \equiv \int_{\tau}^1 \frac{dx_1}{x_1} g(x_1) g\left(\frac{\tau}{x_1}\right)$$

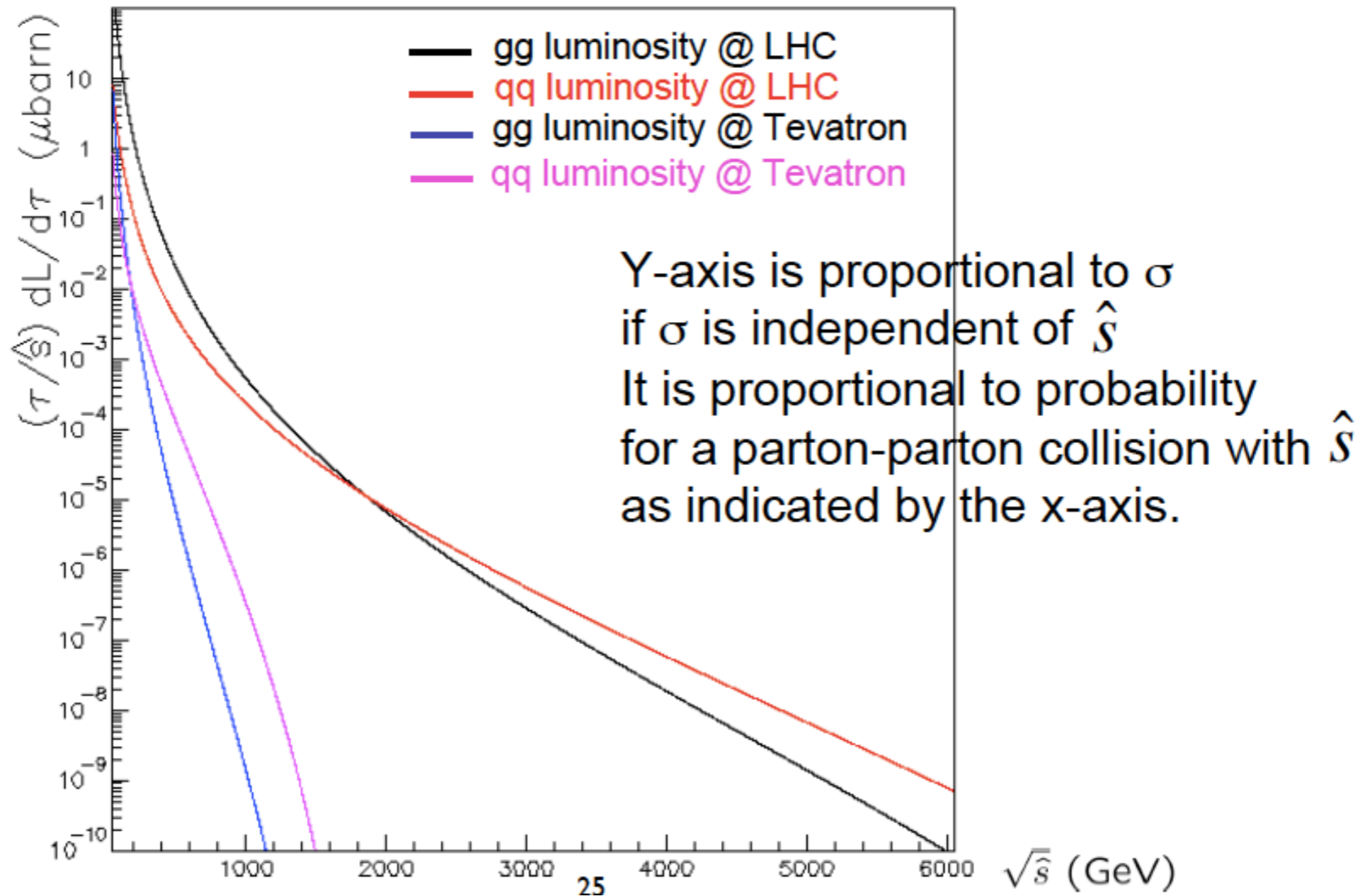
and calculate the total cross section as:

$$\begin{aligned} \sigma(pp \rightarrow t\bar{t} + X) &= \int_{\tau_{\min}}^1 d\tau \cdot \hat{\sigma}_{gg \rightarrow t\bar{t}}(s\tau) \cdot \frac{dL}{d\tau} \\ &= \int_{\tau_{\min}}^1 \frac{d\tau}{\tau} \cdot [\hat{s} \hat{\sigma}_{gg \rightarrow t\bar{t}}(\hat{s})] \cdot \frac{\tau dL}{\hat{s} d\tau} \end{aligned}$$

CLOSE TO A CONSTANT

“CROSS SECTION”

A simple example: $t\bar{t}$



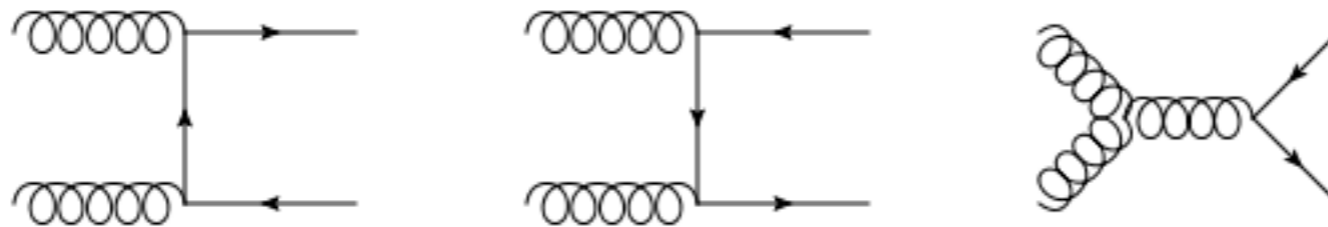
A simple example: $t\bar{t}$

$$\frac{dL_{gg}}{d\tau} \equiv \int_{\tau}^1 \frac{dx_1}{x_1} g(x_1) g\left(\frac{\tau}{x_1}\right)$$

If we take for simplicity $g(x) = \frac{1}{x^{1+\delta}} \Rightarrow \frac{dL_{gg}}{d\tau} = \frac{1}{\tau^{1+\delta}} \log \tau$

i.e. the total “cross section” will scale as a power of $1/m_t^{1+\delta} \text{Log } M_t$

The short distance coefficient can be easily calculated at LO via the feynman diagrams:



A simple example: $t\bar{t}$

$$\frac{1}{256}|M|^2 = \frac{3g_s^4}{4} \frac{(m^2 - t)(m^2 - u)}{s^2} - \frac{g_s^4}{24} \frac{m^2(s - 4m^2)}{(m^2 - t)(m^2 - u)} + \frac{g_s^4}{6} \frac{tu - m^2(3t + u) - m^4}{(m^2 - t)^2}$$

$$+ \frac{g_s^4}{6} \frac{tu - m^2(t + 3u) - m^4}{(m^2 - u)^2} - \frac{3g_s^4}{8} \frac{tu - 2m^2t + m^4}{s(m^2 - t)} - \frac{3g_s^4}{8} \frac{tu - 2m^2u + m^4}{s(m^2 - u)}$$

3 diagrams squared + the interferences. This amplitude is integrated over the phase space at fixed shat:

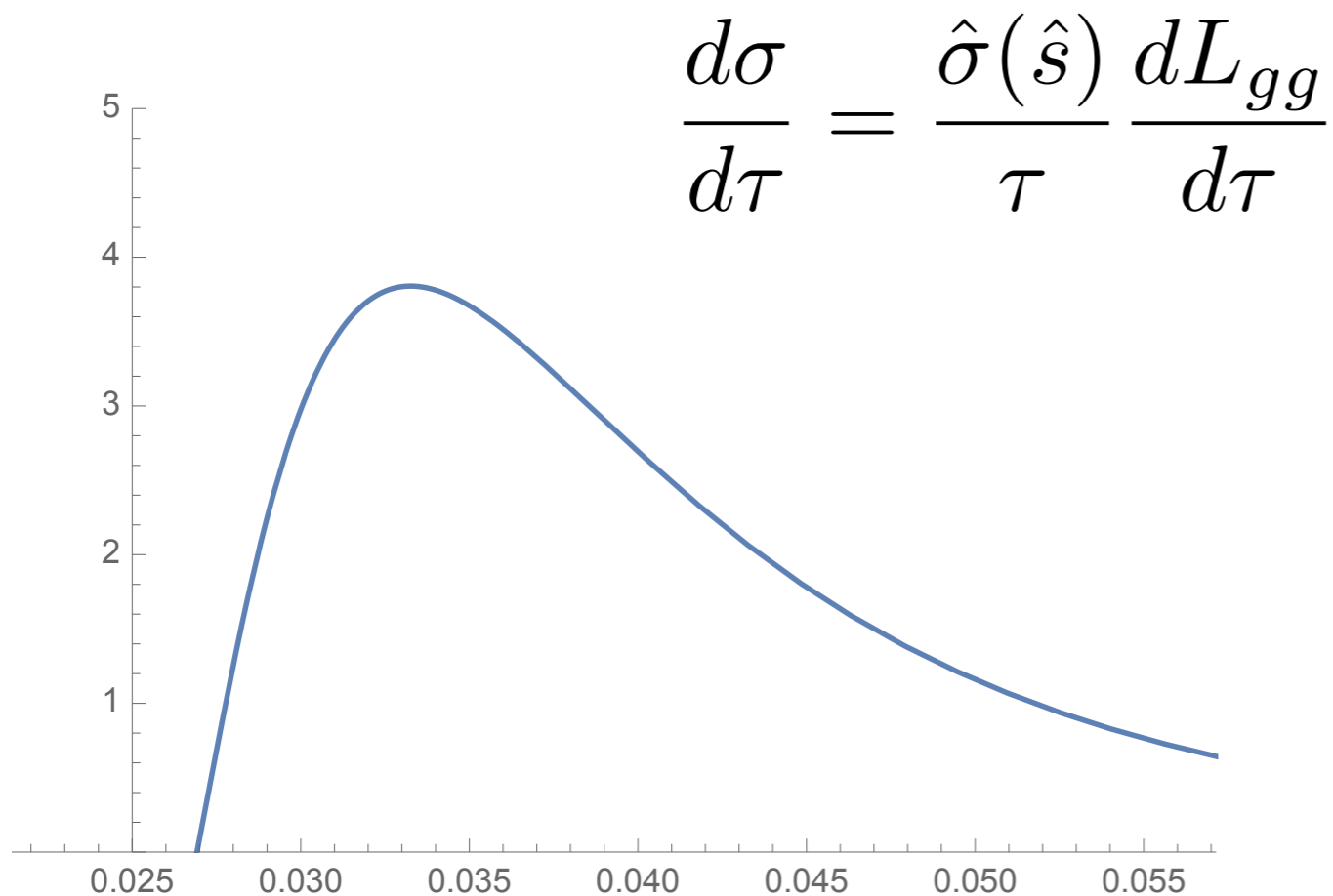
$$\hat{\sigma}_{gg \rightarrow t\bar{t}} = \frac{1}{2\hat{s}} \beta 2\pi \int_{-1}^{+1} d\cos\theta^* |M|^2 / 256$$

eventually giving:

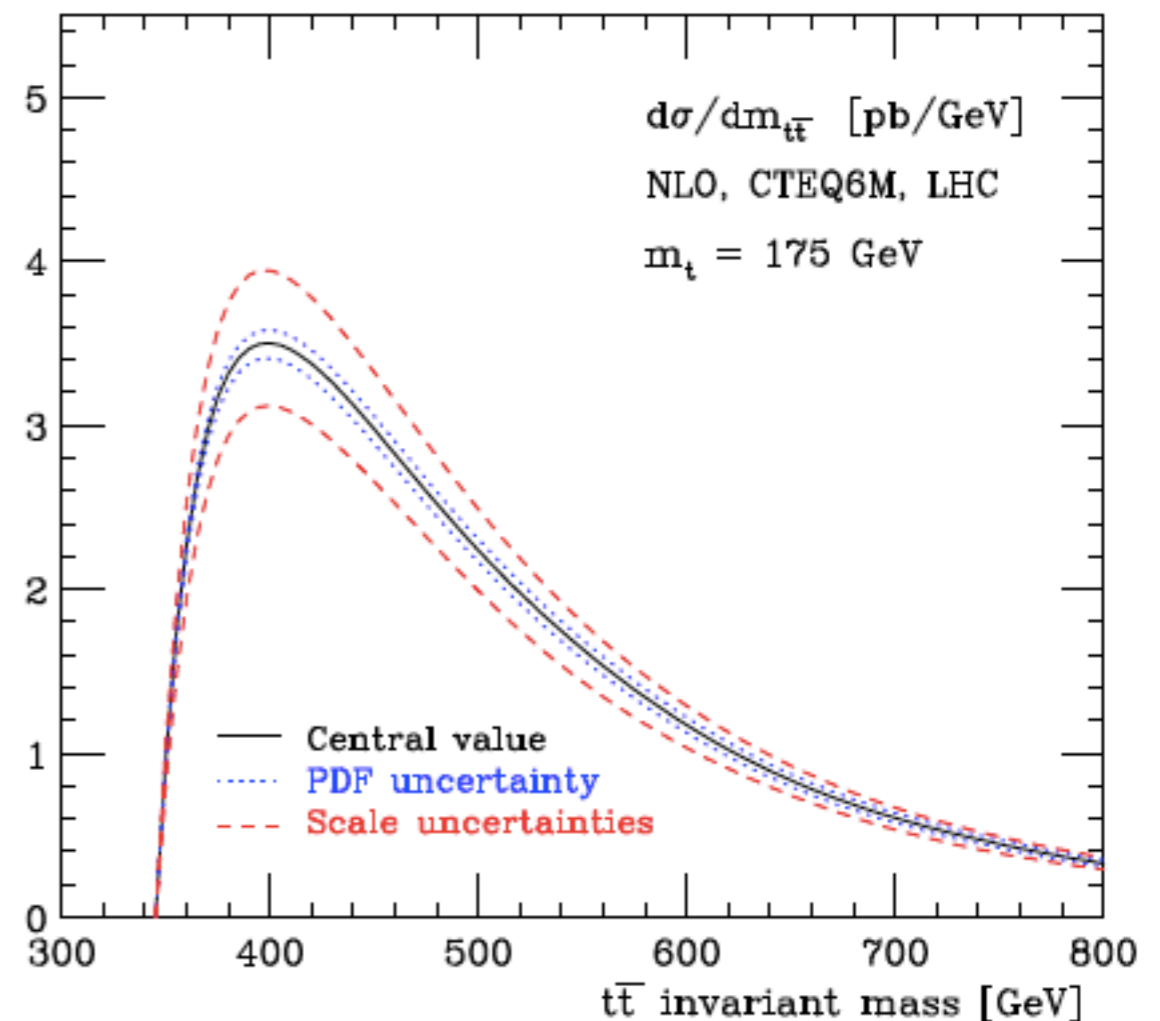
$$\beta = \sqrt{1 - 4m_t^2/\hat{s}}$$

$$\hat{\sigma}_{gg \rightarrow t\bar{t}} = \frac{\pi\alpha_s^2\beta}{48\hat{s}} \left(31\beta + \left(\frac{33}{\beta} - 18\beta + \beta^3 \right) \ln \left[\frac{1+\beta}{1-\beta} \right] - 59 \right)$$

A simple example: $t\bar{t}$



LO estimation with toy pdf ($\delta=0.3$)



NLO result with proper MC

LHC master formula

$$\sigma_X = \sum_{a,b} \int_0^1 dx_1 dx_2 f_a(x_1, \mu_F^2) f_b(x_2, \mu_F^2) \times \hat{\sigma}_{ab \rightarrow X}(x_1, x_2, \alpha_S(\mu_R^2), \frac{Q^2}{\mu_F^2}, \frac{Q^2}{\mu_R^2})$$

Two ingredients necessary:

1. Parton Distribution Functions (from exp, but evolution from th).
2. Short distance coefficients as an expansion in α_S (from th).

$$\hat{\sigma}_{ab \rightarrow X} = \sigma_0 + \alpha_S \sigma_1 + \alpha_S^2 \sigma_2 + \dots$$

Leading order

Next-to-leading order

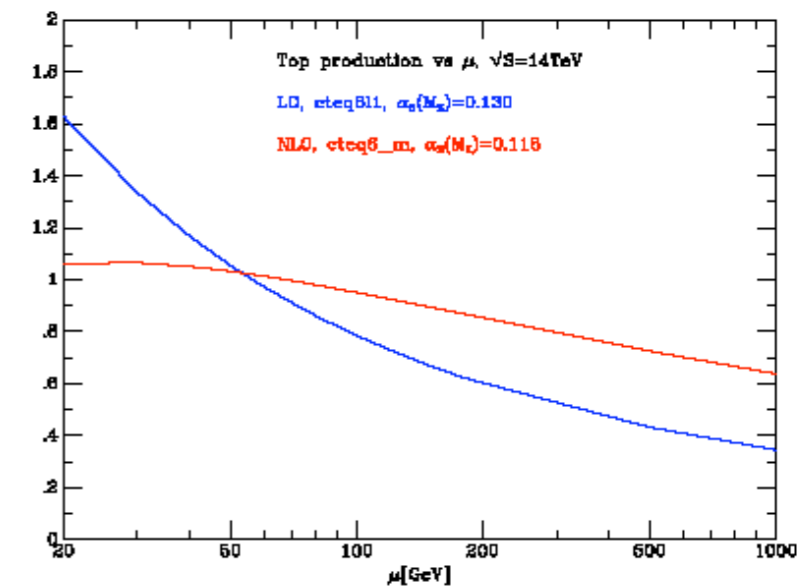
Next-to-next-to-leading order

Perturbative expansion

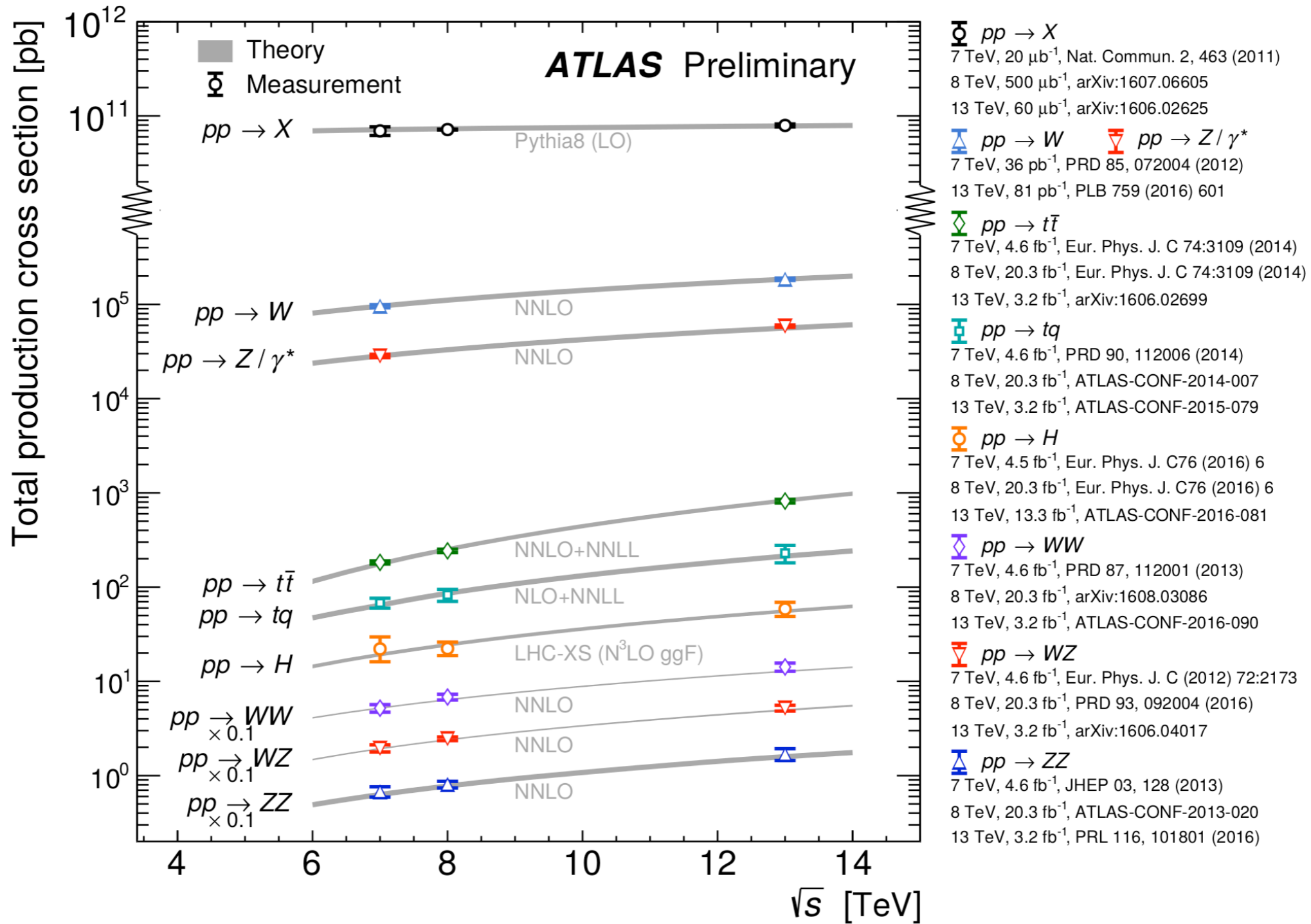
- Leading order (LO) calculations typically give only the order of magnitude of cross sections and distributions
 - the scale of α_s is not defined
 - jets partons: jet structure starts to appear only beyond LO
 - Born topology might not be leading at the LHC
- To obtain reliable predictions at least NLO is needed
- NNLO allows to quantify uncertainties

Furthermore:

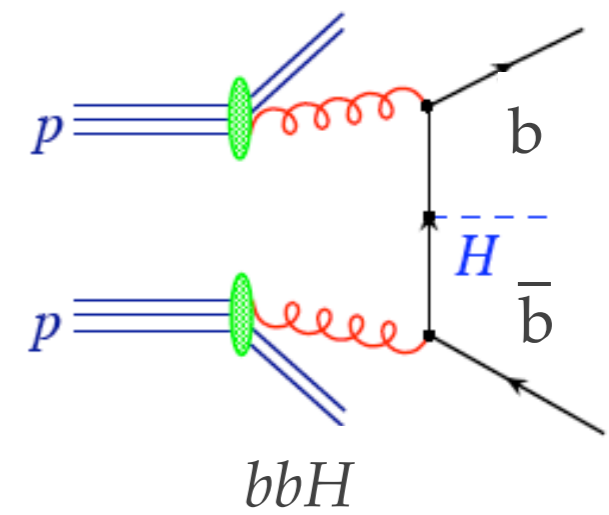
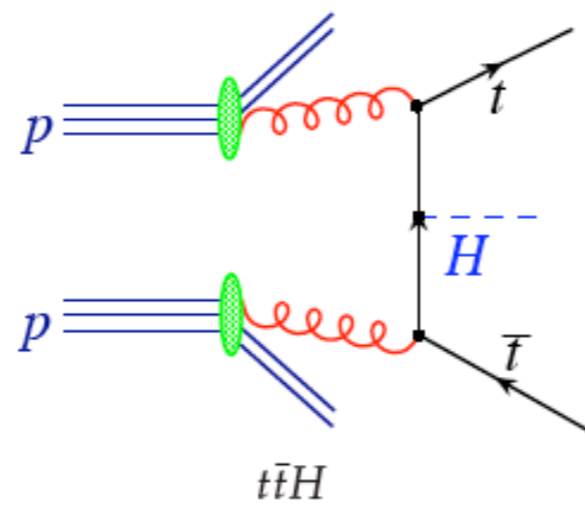
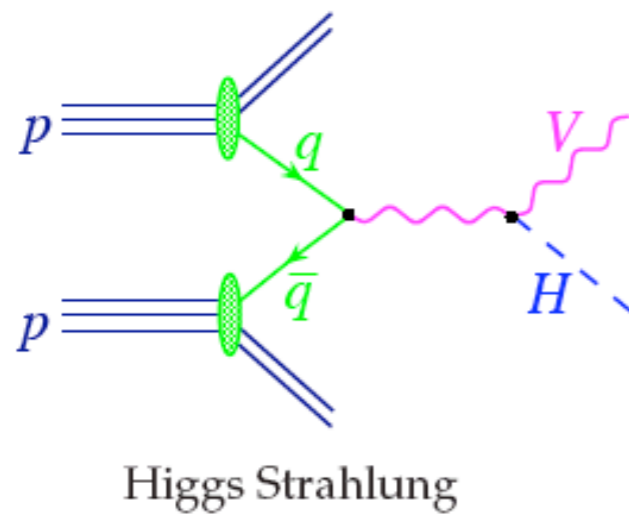
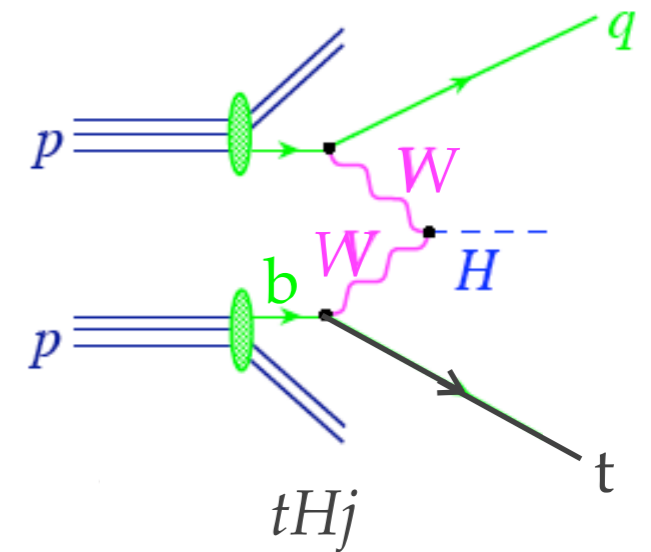
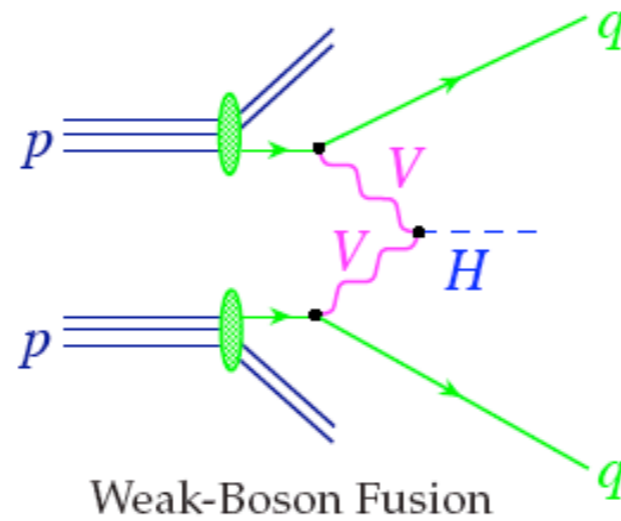
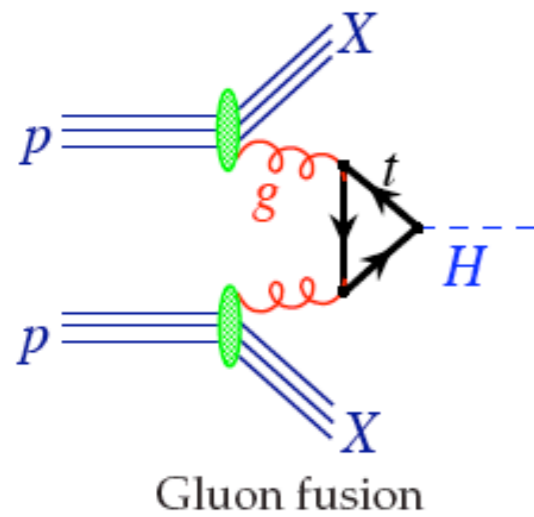
- Resummation of the large logarithmic terms at phase space boundaries
- NLO ElectroWeak corrections ($\alpha_s^2 = \alpha_W$)
- Fully exclusive predictions available in terms of event simulation that can be used in experimental analysis



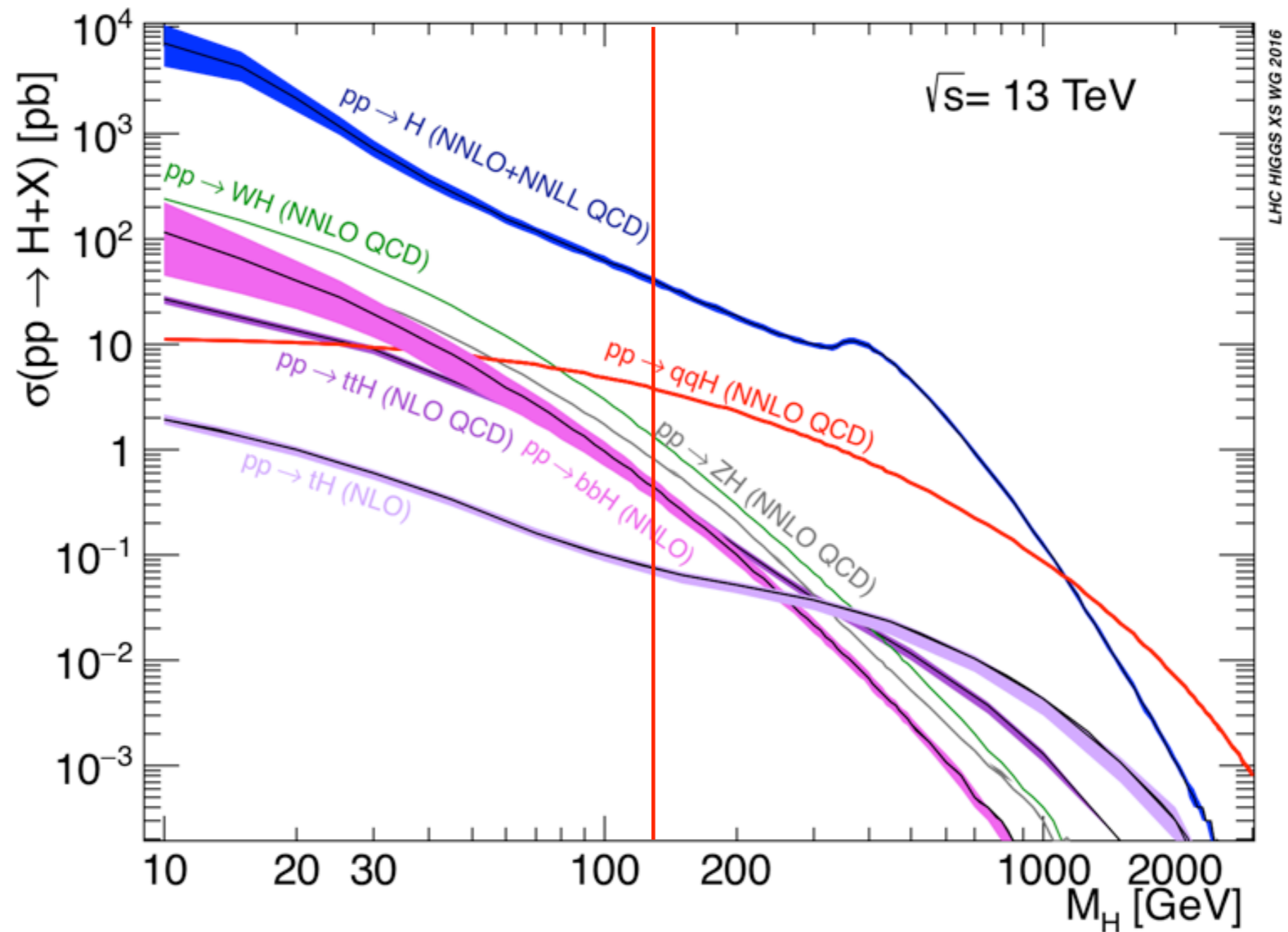
LHC Physics = QCD + ϵ



Higgs production channels

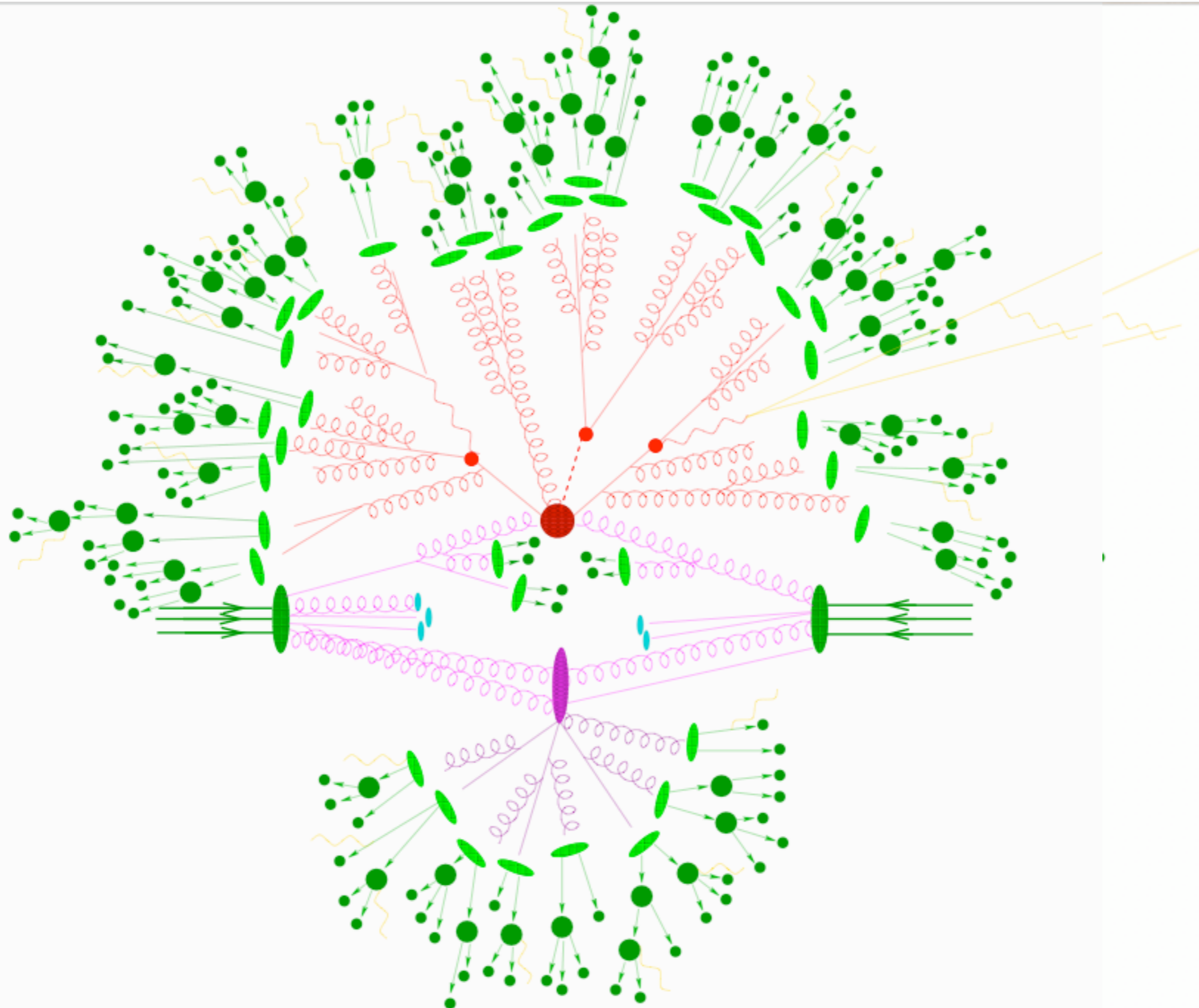


Higgs production at the LHC



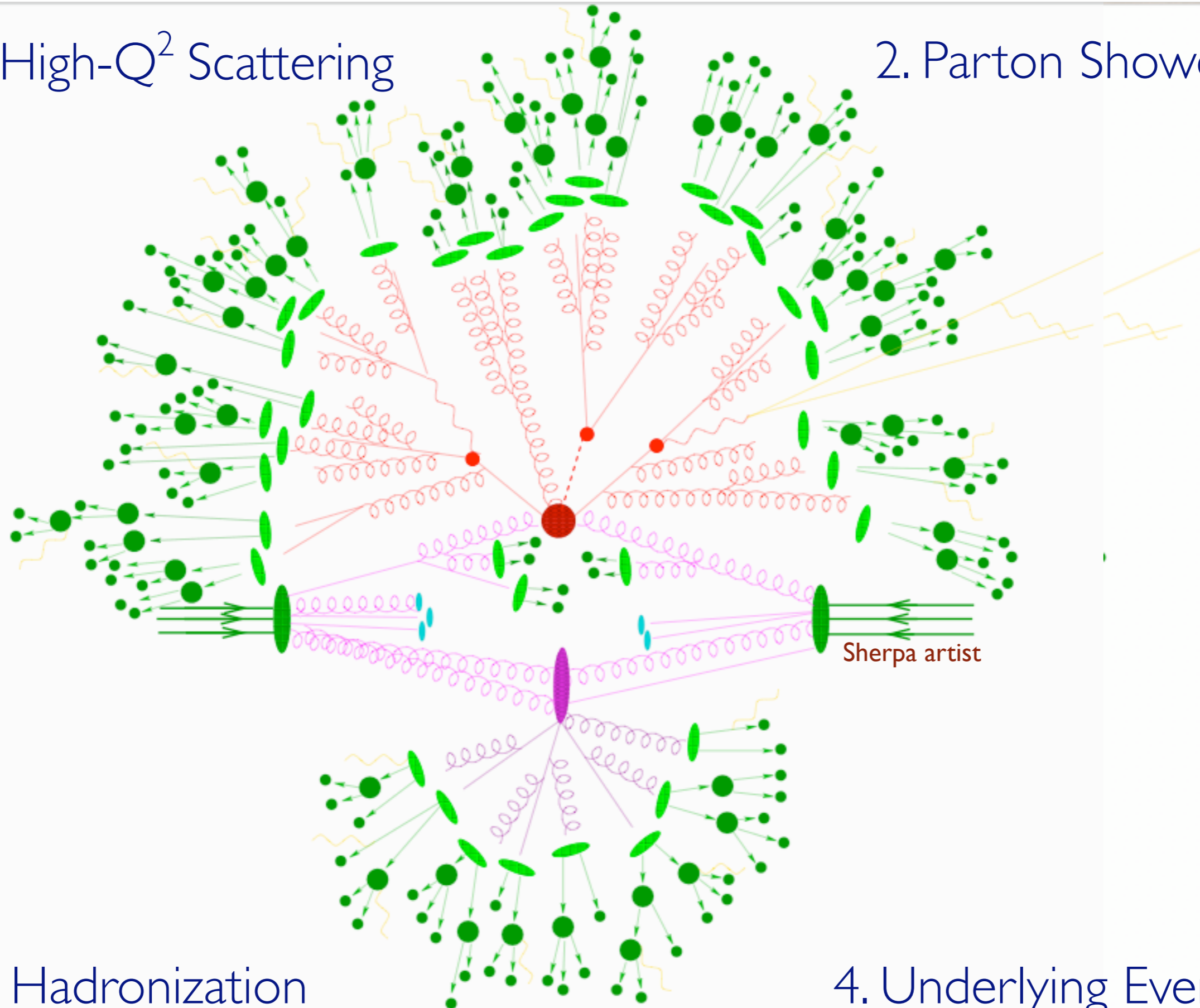






1. High- Q^2 Scattering

2. Parton Shower

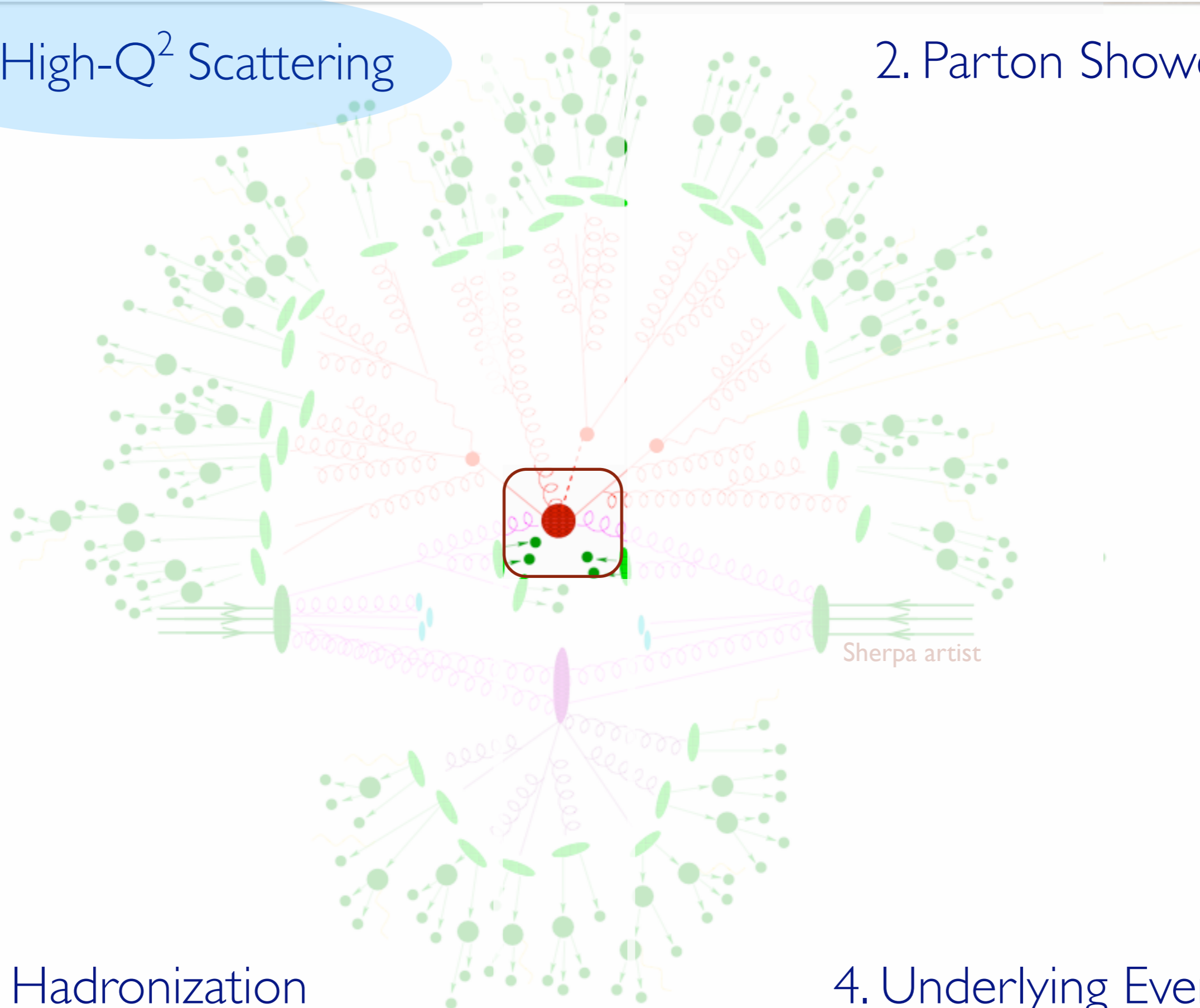


3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower

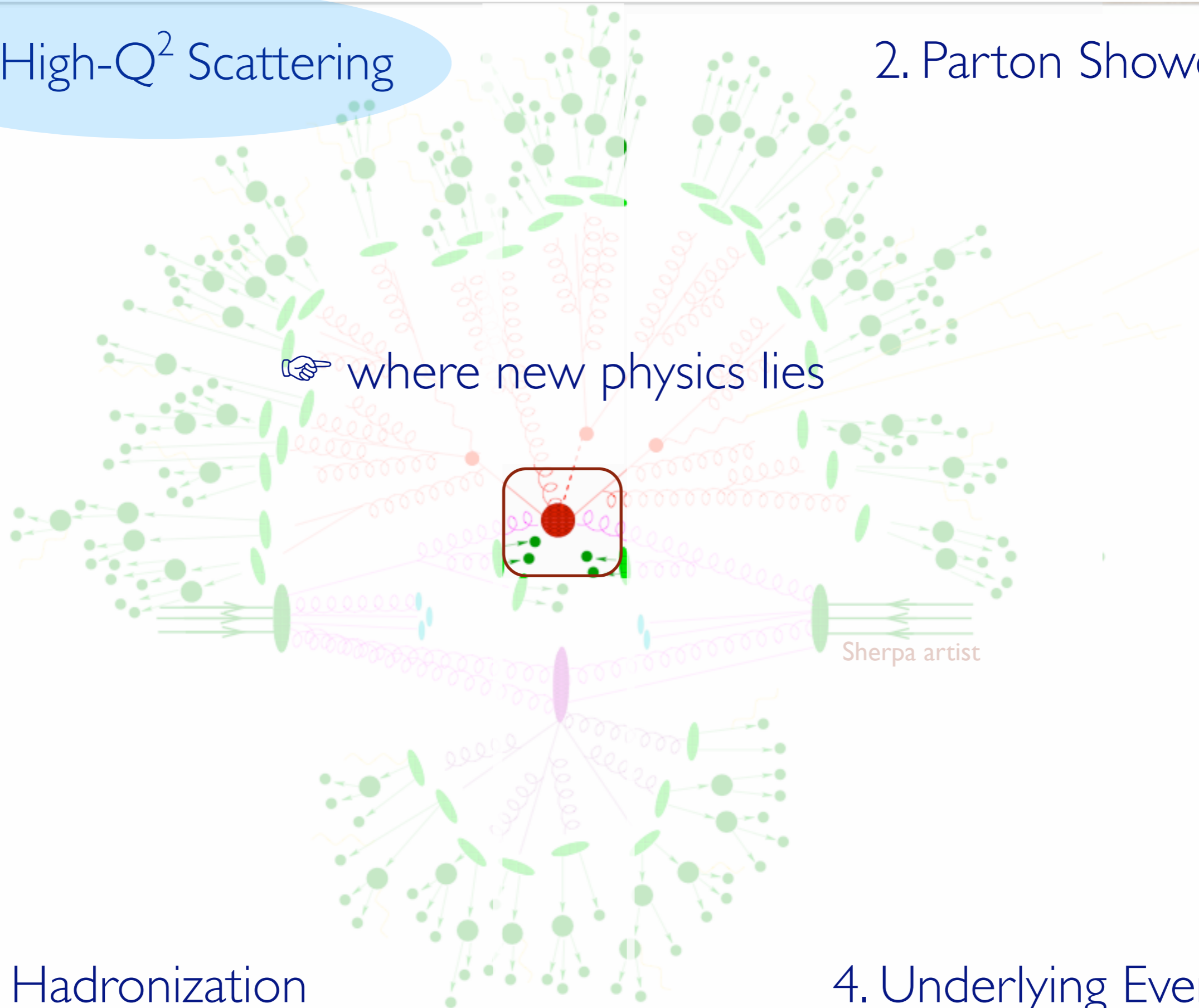


4. Underlying Event

3. Hadronization

1. High- Q^2 Scattering

2. Parton Shower

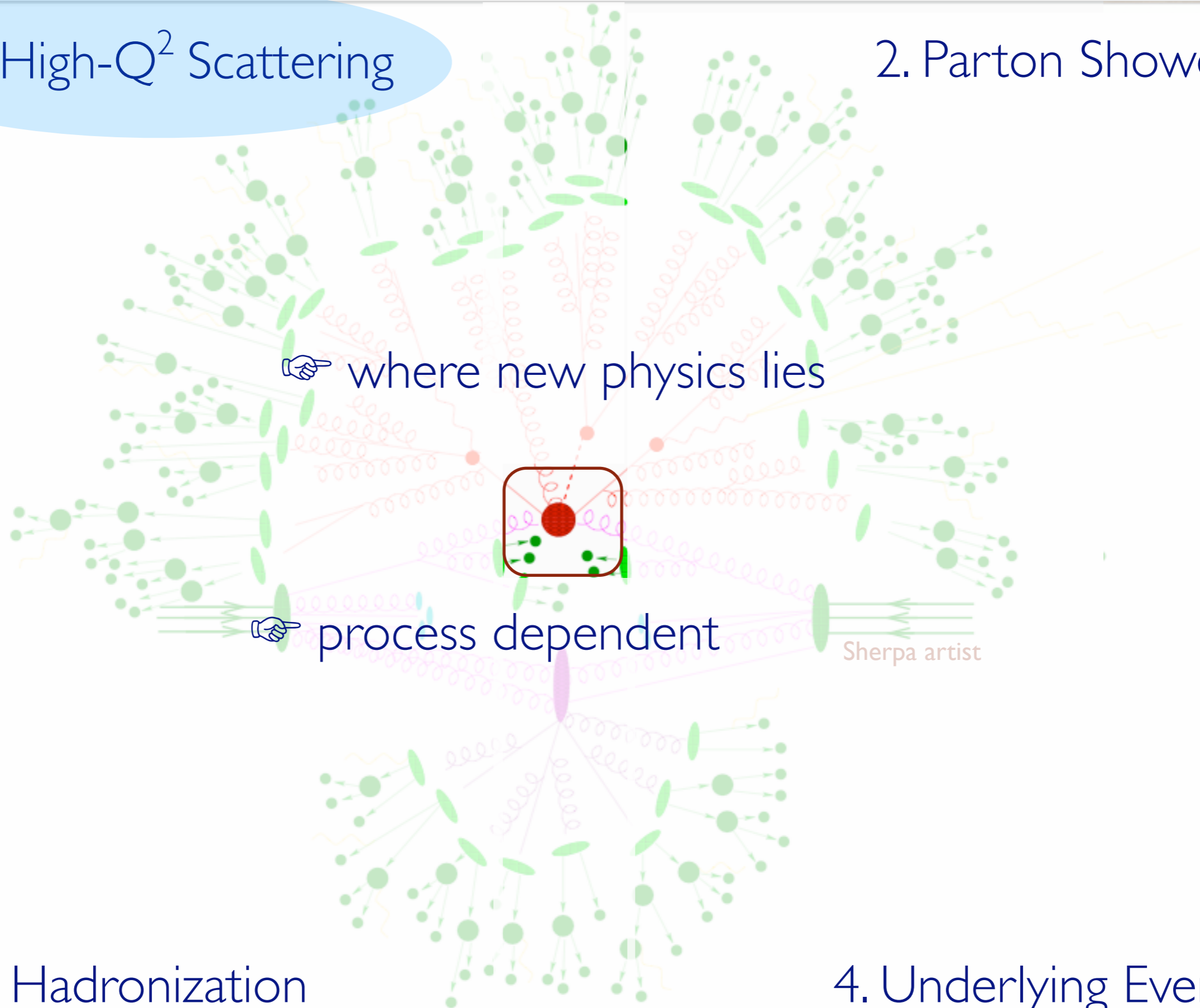


3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower



where new physics lies

process dependent

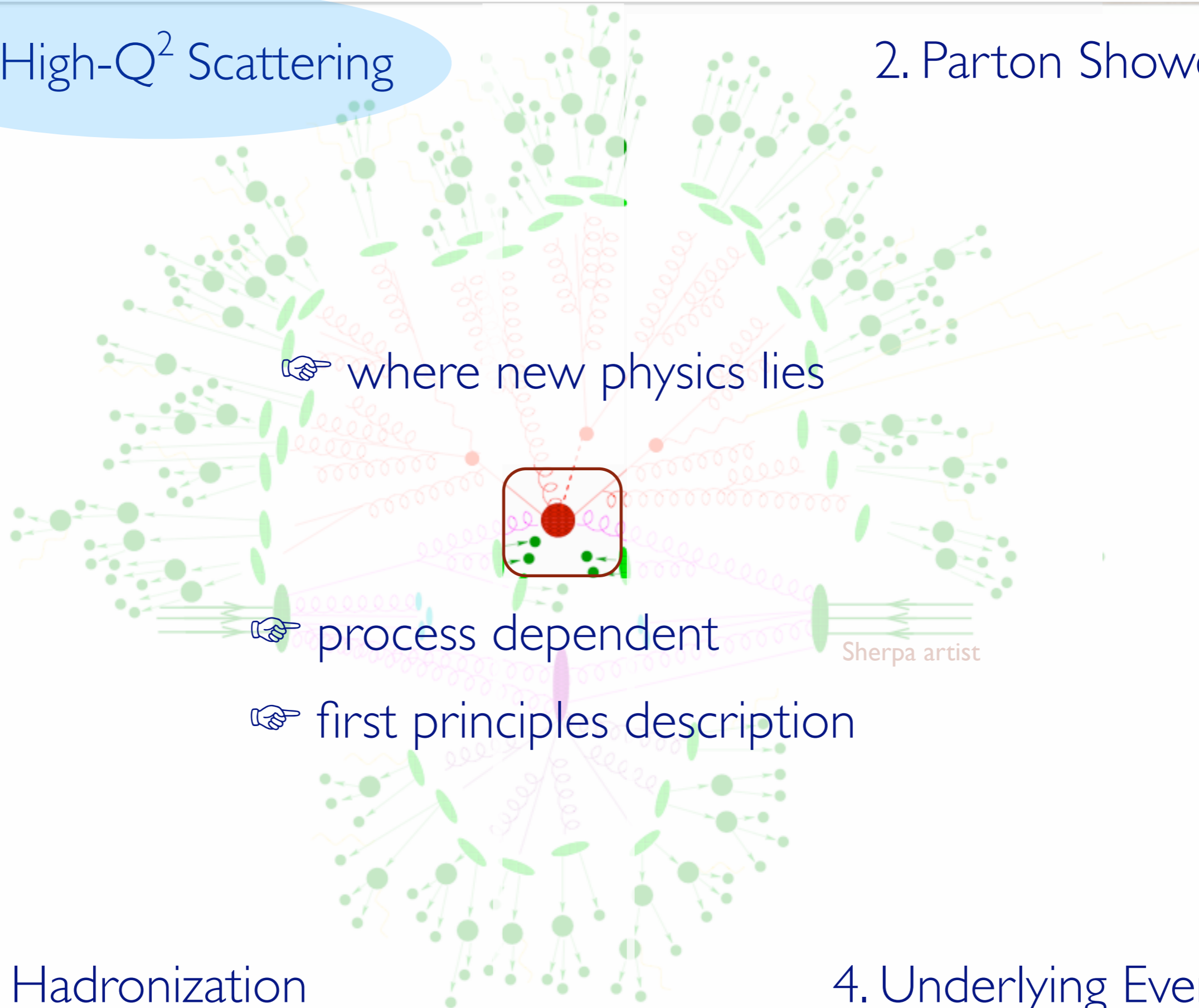
Sherpa artist

3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower



where new physics lies

process dependent

first principles description

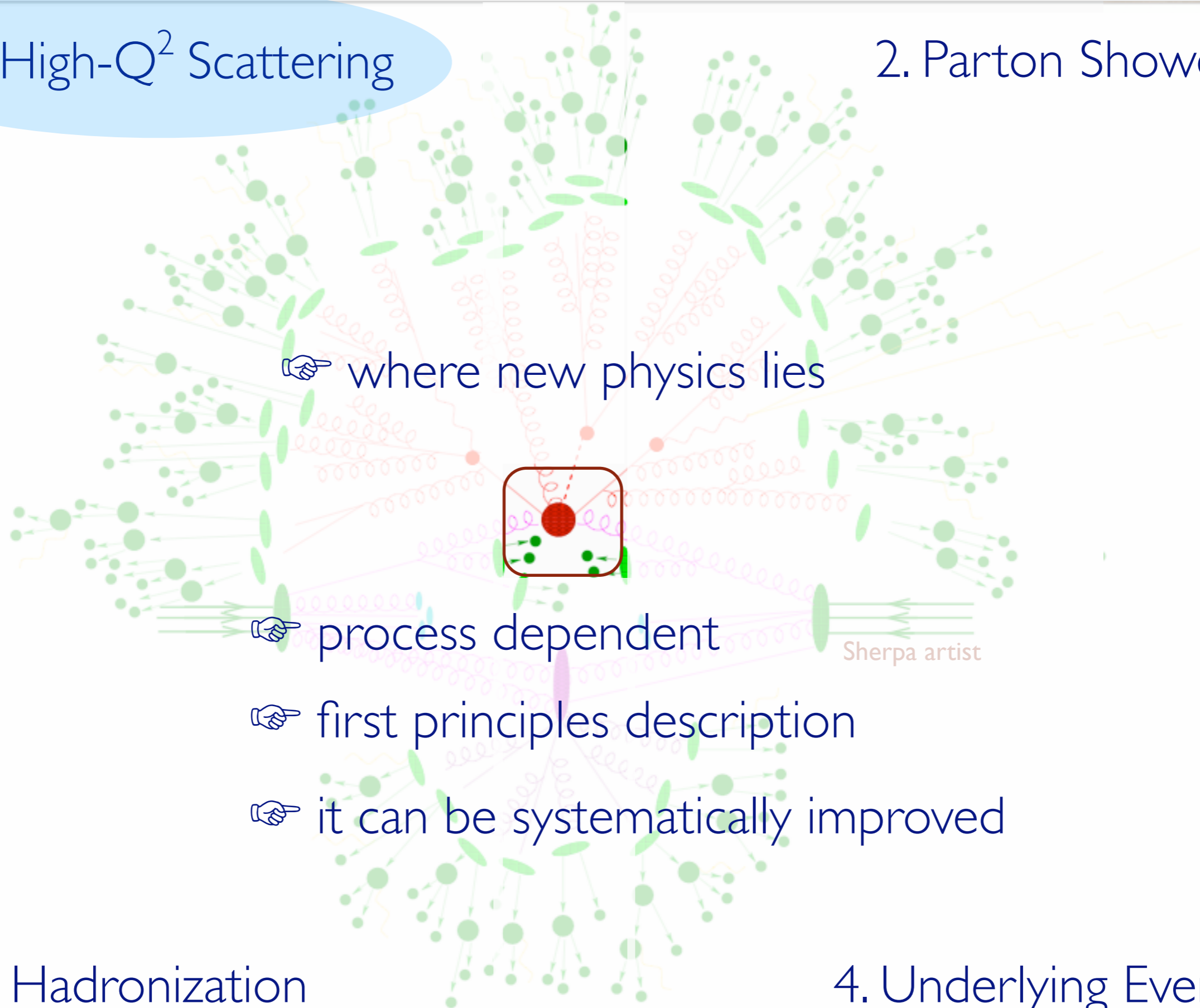
Sherpa artist

3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower

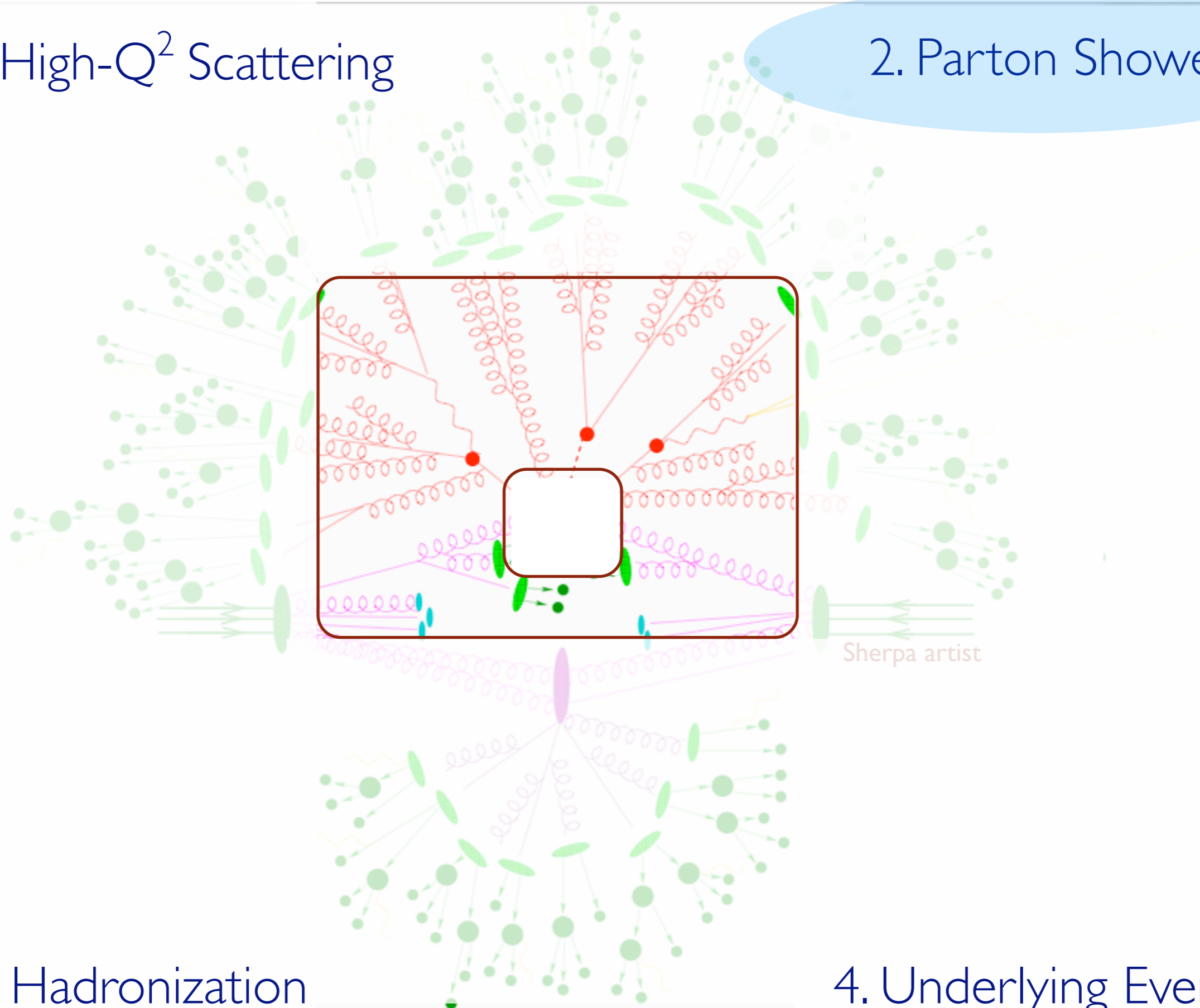


3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower

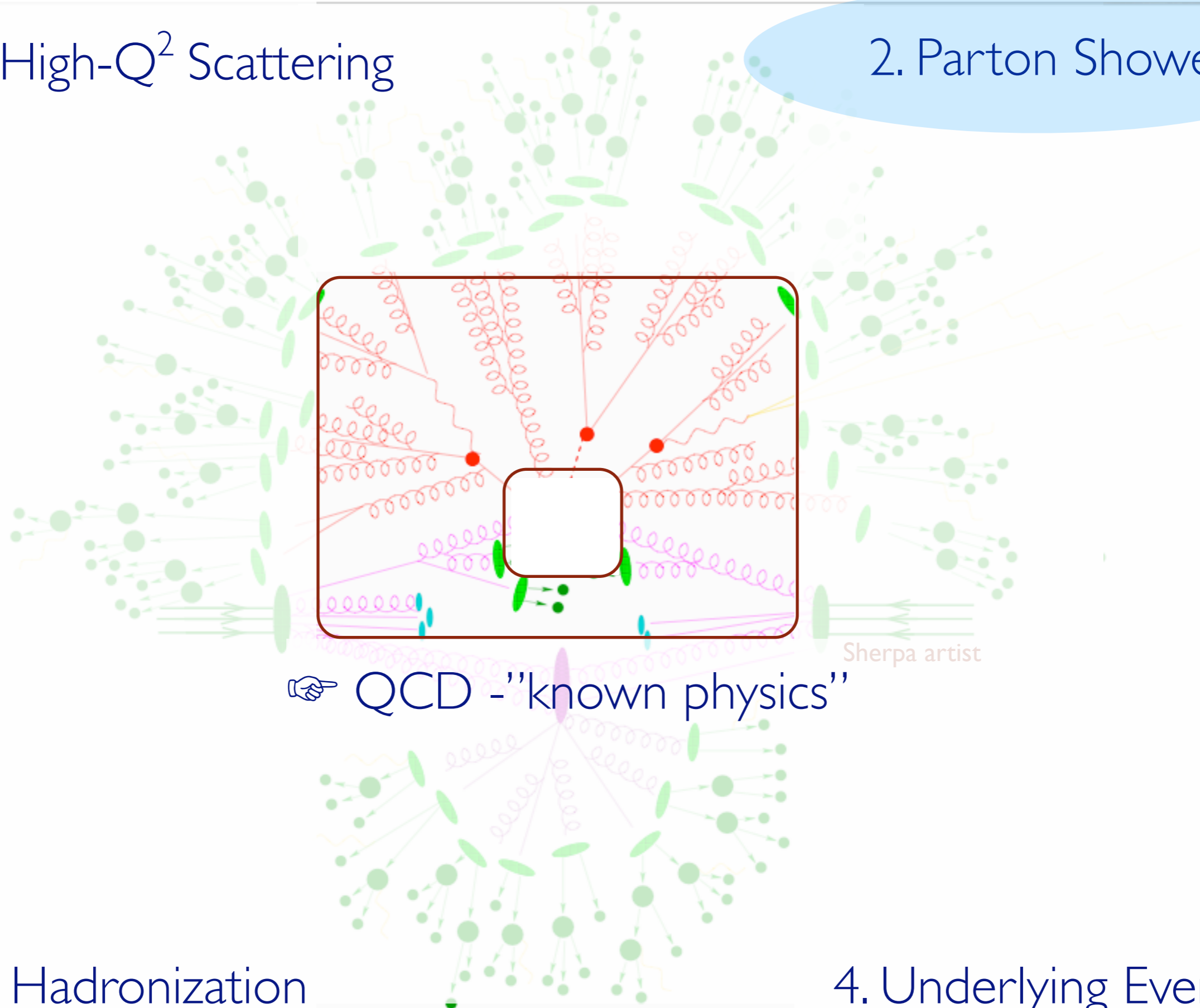


3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower



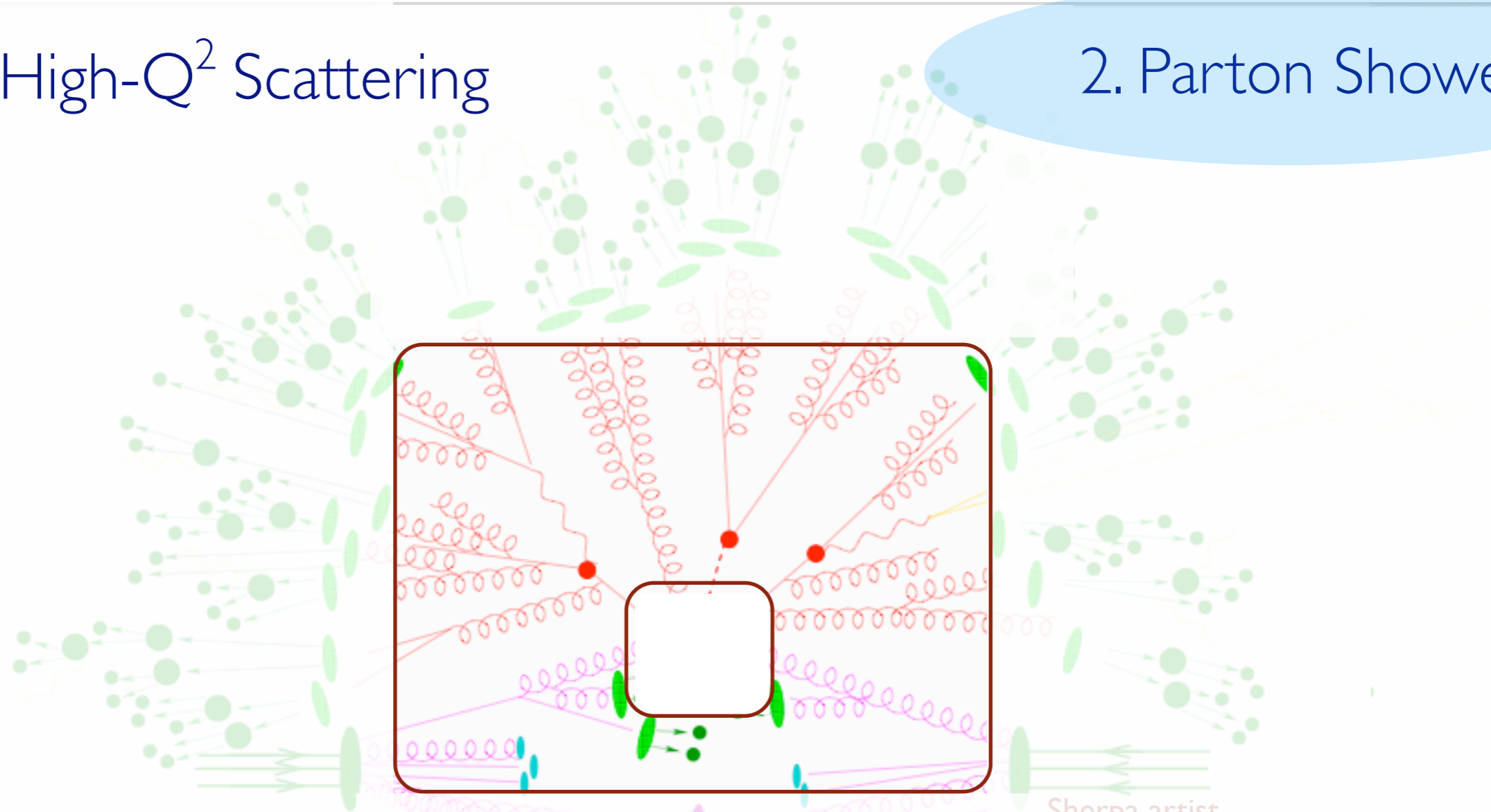
☞ QCD - "known physics"

4. Underlying Event

3. Hadronization

1. High- Q^2 Scattering

2. Parton Shower



Sherpa artist

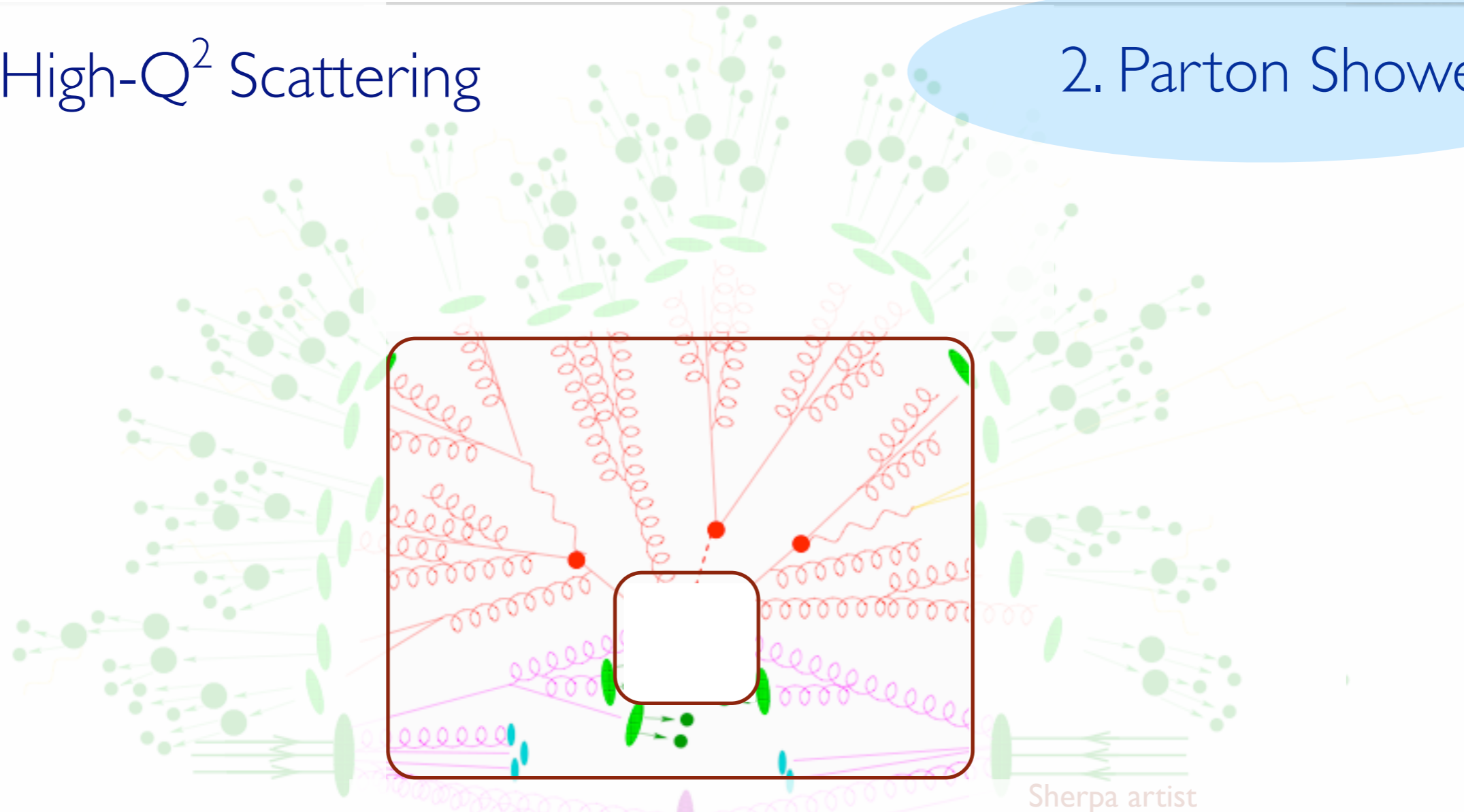
- ☞ QCD - "known physics"
- ☞ universal/ process independent

3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower



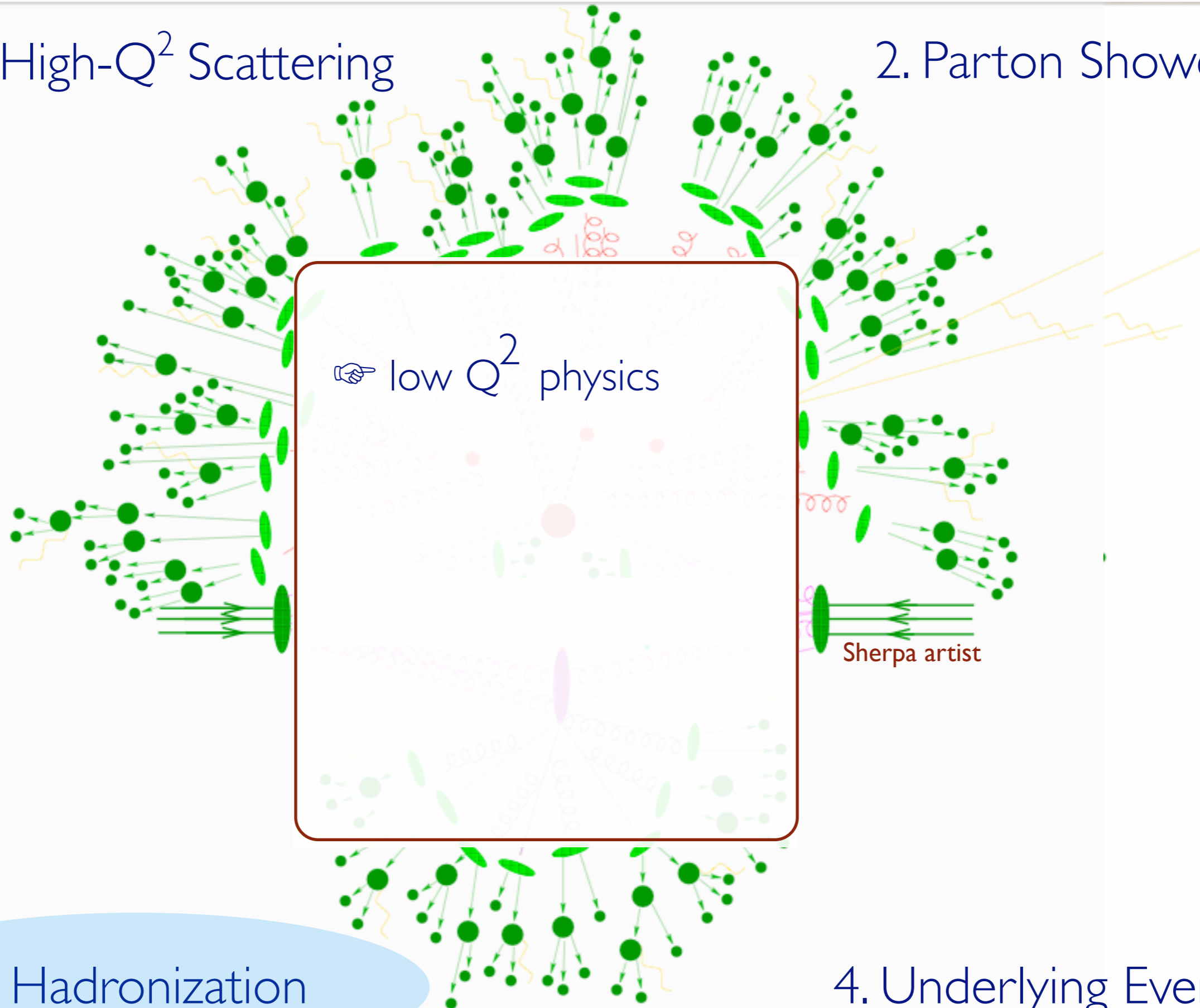
- ☞ QCD - "known physics"
- ☞ universal/ process independent
- ☞ first principles description

3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower



low Q^2 physics

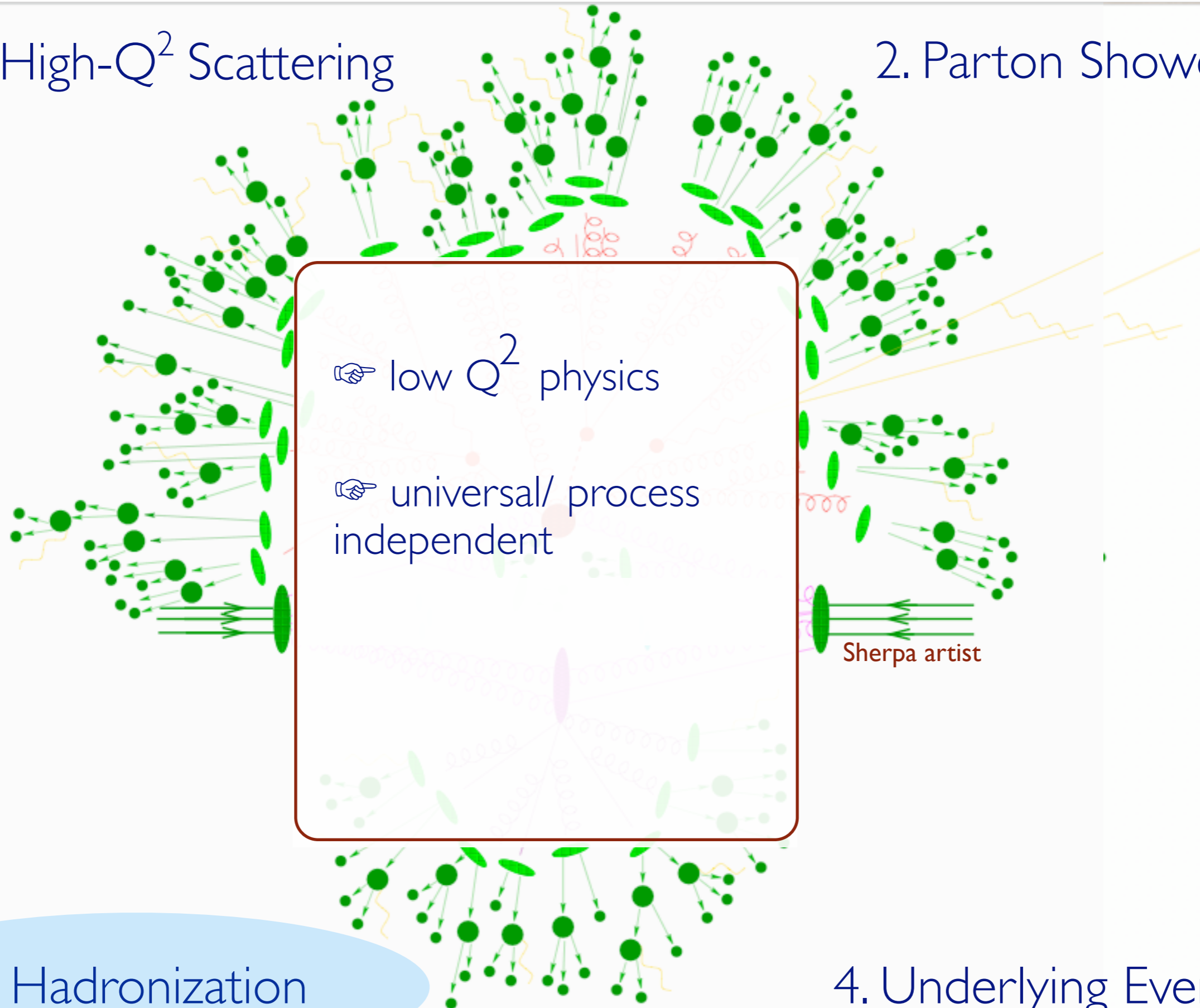
Sherpa artist

3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower

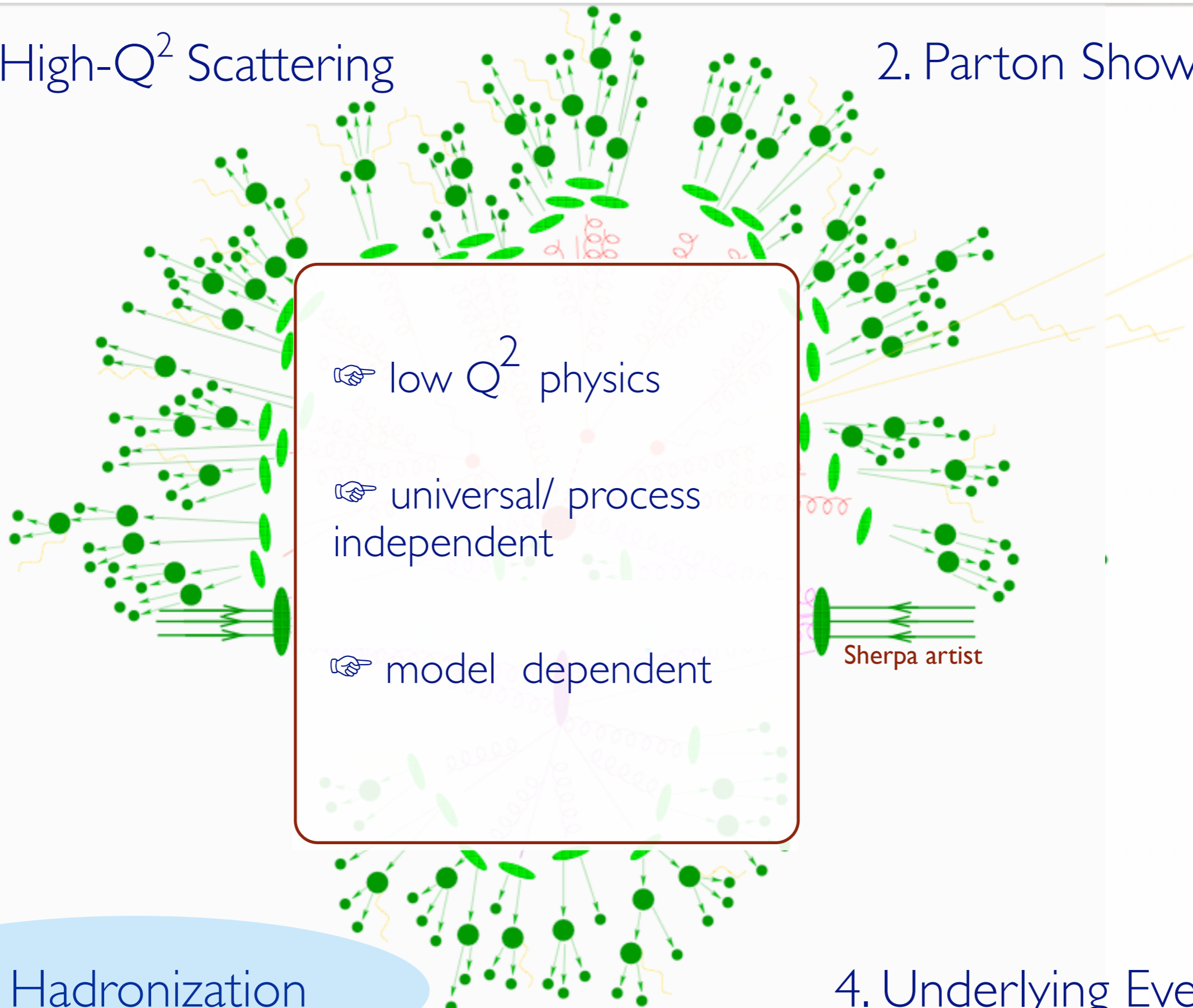


3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower



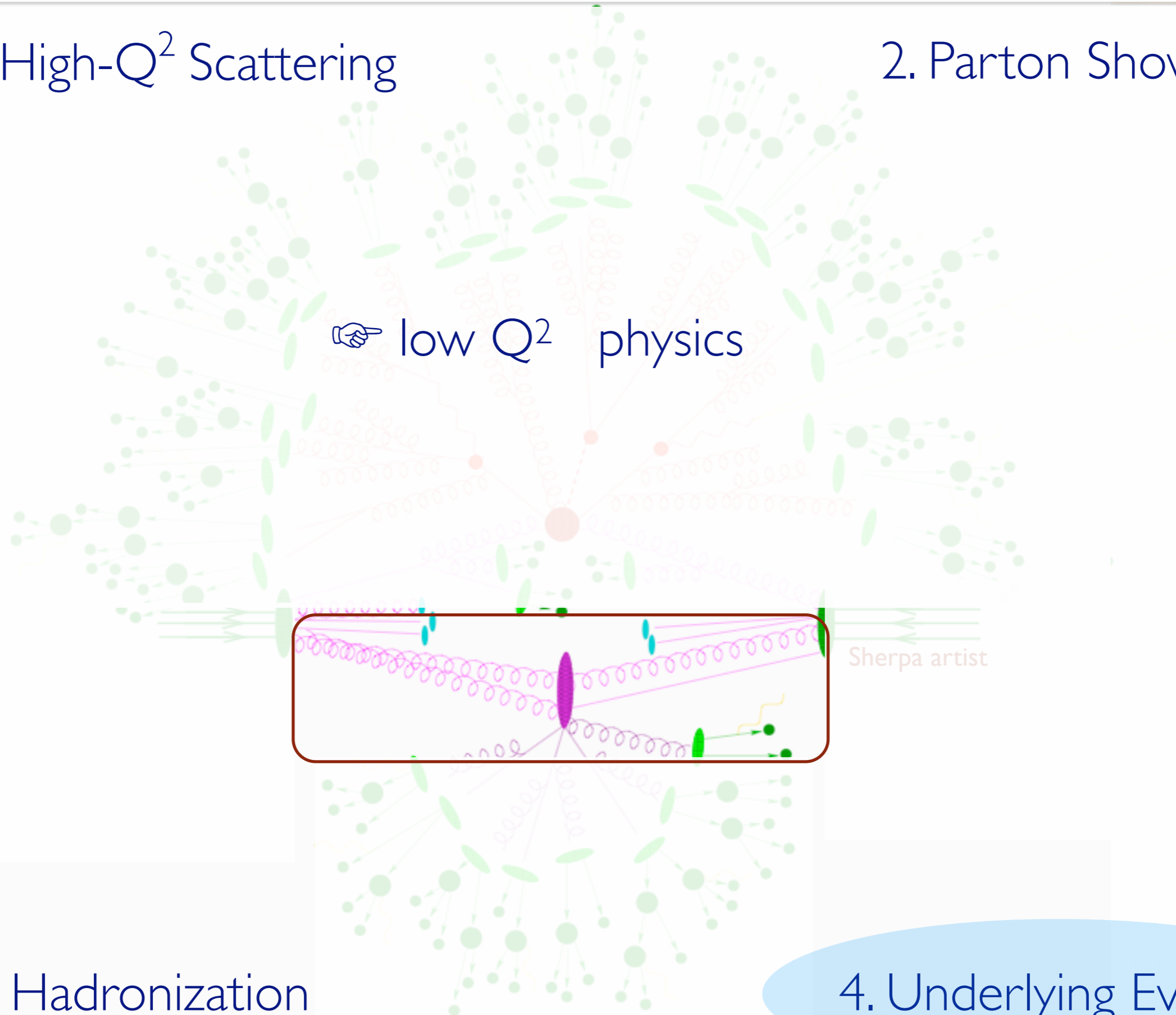
- low Q^2 physics
- universal/ process independent
- model dependent

3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower



low Q^2 physics

Sherpa artist

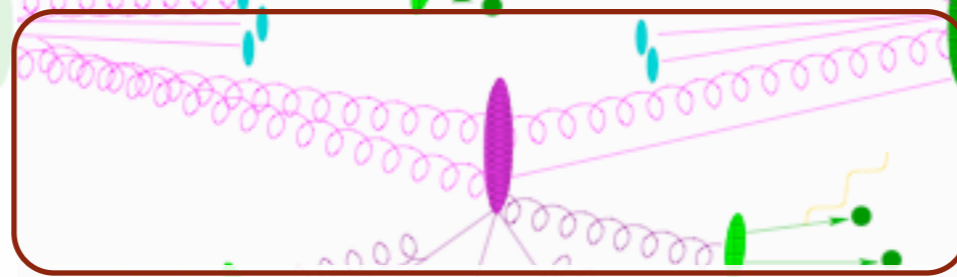
3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower

low Q^2 physics
energy and process dependent



Sherpa artist

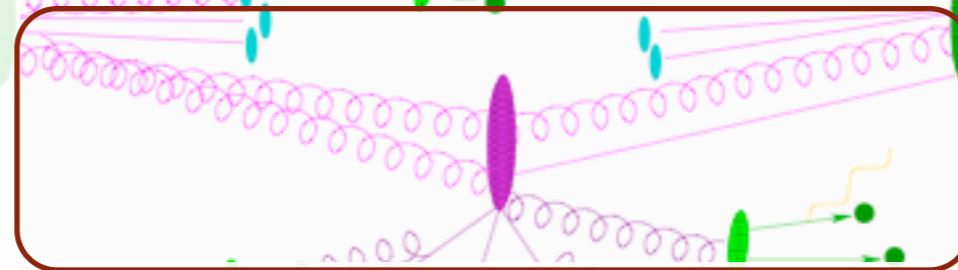
3. Hadronization

4. Underlying Event

1. High- Q^2 Scattering

2. Parton Shower

- 👉 low Q^2 physics
- 👉 energy and process dependent
- 👉 model dependent

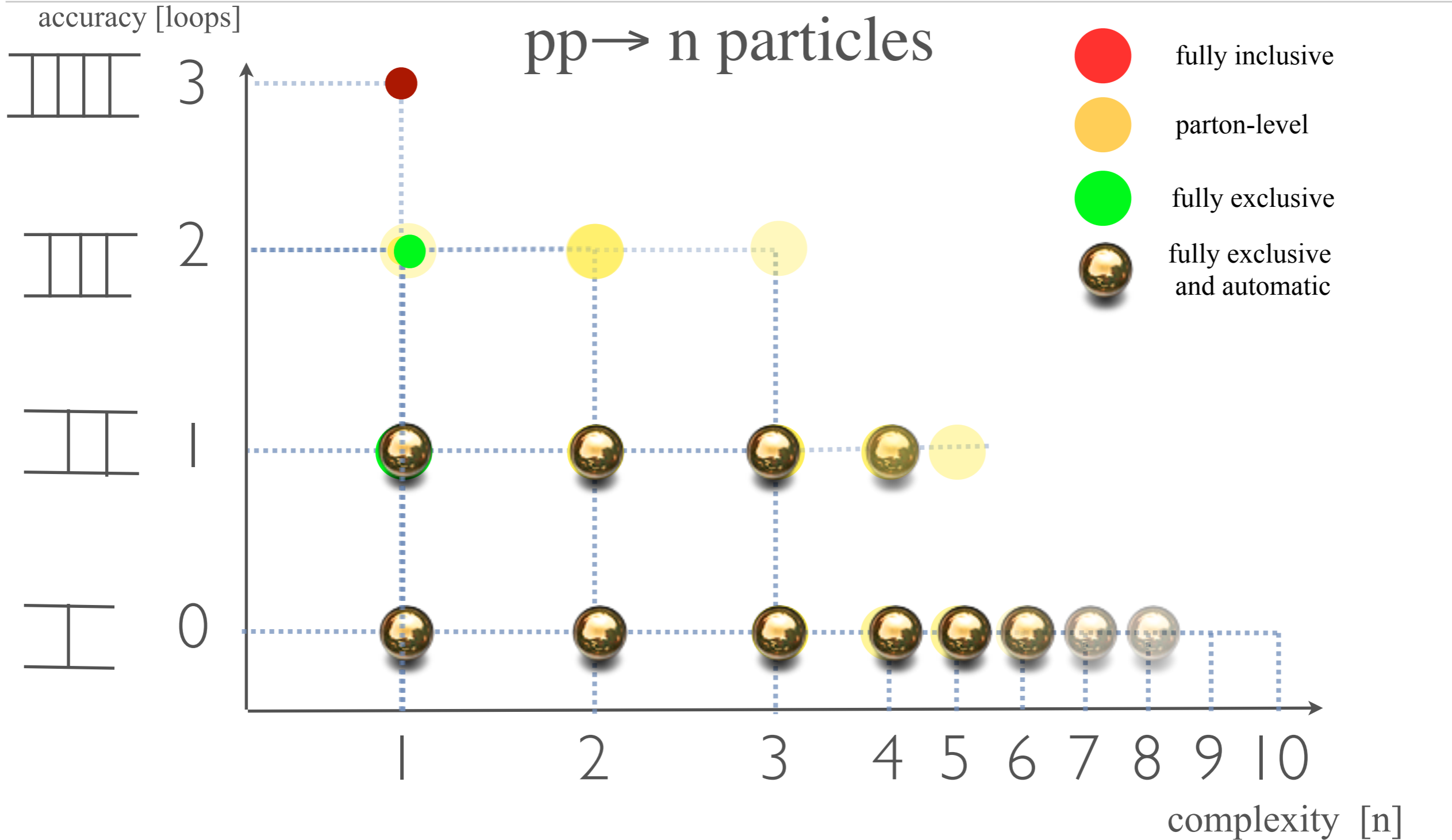


Sherpa artist

3. Hadronization

4. Underlying Event

SM Status



Summary so far

- High energy collisions allow to probe interactions at very short distances, but entail SM physics that has to be described with:
 - ◆ Identify observables that can be calculated and measured reliably.
 - ◆ Accurate/Precise predictions \Rightarrow difficult calculations, multi-loop, QCD, EW.
 - ◆ A fully exclusive approach (associate an history to each short distance event).

Discoveries in the precision era

Question:

Precise/accurate predictions are very difficult/expensive.
Are we sure they are really needed? For what exactly?

Discoveries in the precision era

Question:

Precise/accurate predictions are very difficult/expensive.
Are we sure they are really needed? For what exactly?

Short answer:

The discovery potential of any collider working in the precision phase (fixed energy, accumulating luminosity) is directly related to our ability to make precise predictions.

New Physics



- A new force has been discovered, the first elementary of Yukawa type ever seen.
 - Its mediator looks a lot like the SM scalar: H-universality of the couplings
 - No sign of.....New Physics (from the LHC)!
-
- We have no bullet-proof theoretical argument to argue for the existence of New Physics between 8 and 13 TeV and even less so to prefer a NP model with respect to another.

New Physics

The obvious imperative:

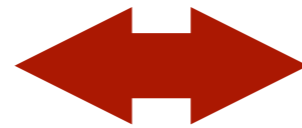
**LOOK FOR NP AT THE LHC BY COVERING THE WIDEST RANGE OF
TH- AND/OR EXP-MOTIVATED SEARCHES.**

Searches should aim at being sensitive to the
highest-possible scales of energy

Searching for new physics

Model-dependent

SUSY, 2HDM, ED,...

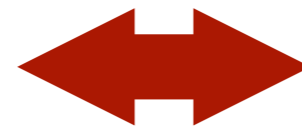


Model-independent

simplified models, EFT, ...

Search for new states

specific models, simplified models

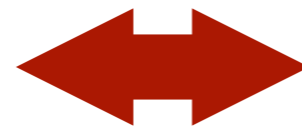


Search for new interactions

anomalous couplings, EFT...

Exotic signatures

precision measurements



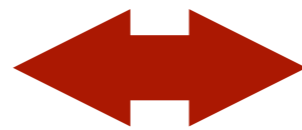
Standard signatures

rare processes

Searching for new physics

Search for new states

SUSY, EXOTICS, BSM HIGGS



Search for new interactions

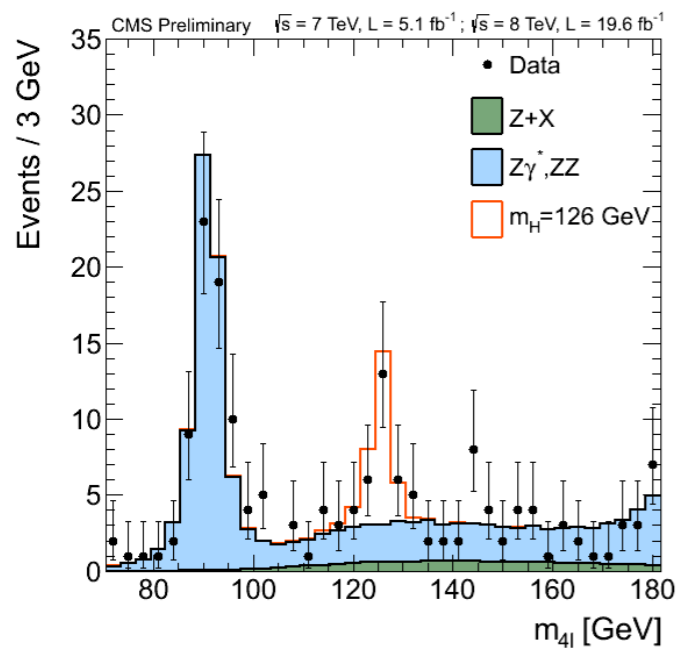
SM



Searching for new resonances

Searching for new resonances

peak



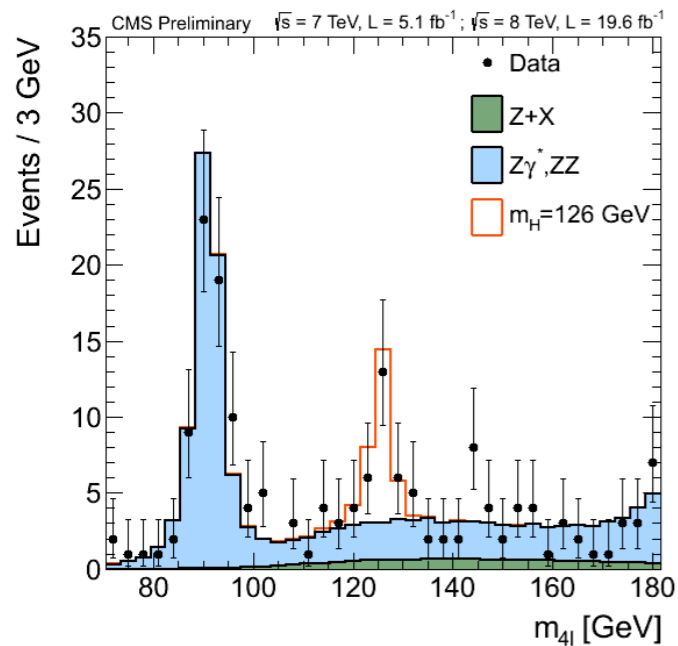
“easy”

Background directly measured from data. TH needed only for parameter extraction (Normalization, acceptance,...)

Searching for new resonances

peak

$$pp \rightarrow H \rightarrow 4l$$

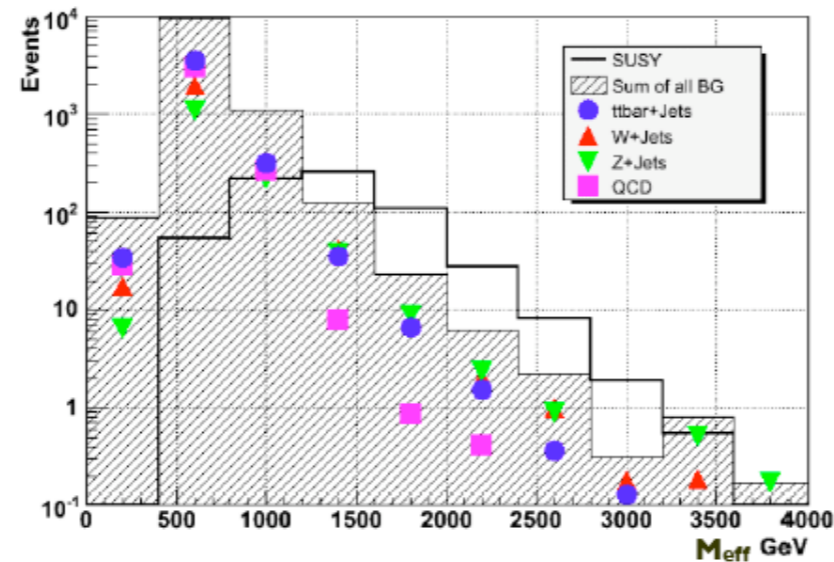


“easy”

Background directly measured from data. TH needed only for parameter extraction (Normalization, acceptance,...)

shape

$$pp \rightarrow \tilde{g}\tilde{g}, \tilde{g}\tilde{q}, \tilde{q}\tilde{q} \rightarrow \text{jets} + \cancel{E}_T$$



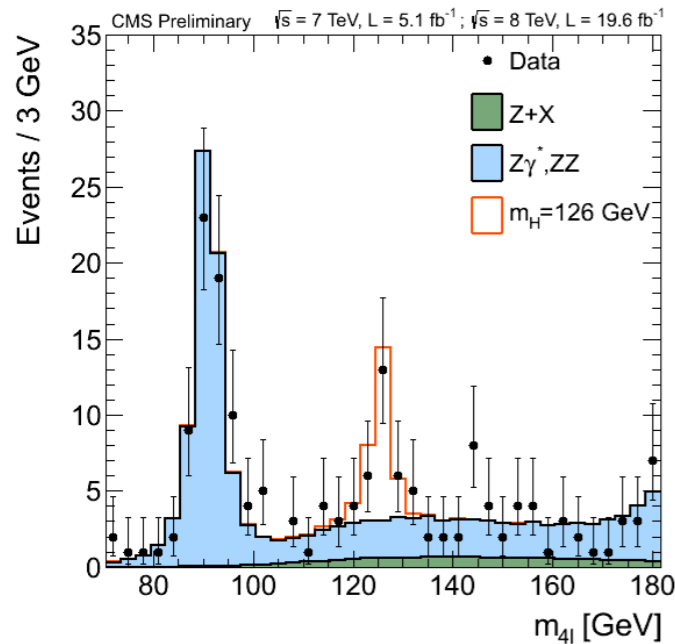
hard

Background shapes needed. Flexible MC for both signal and background tuned and validated with data.

Searching for new resonances

peak

$$pp \rightarrow H \rightarrow 4l$$

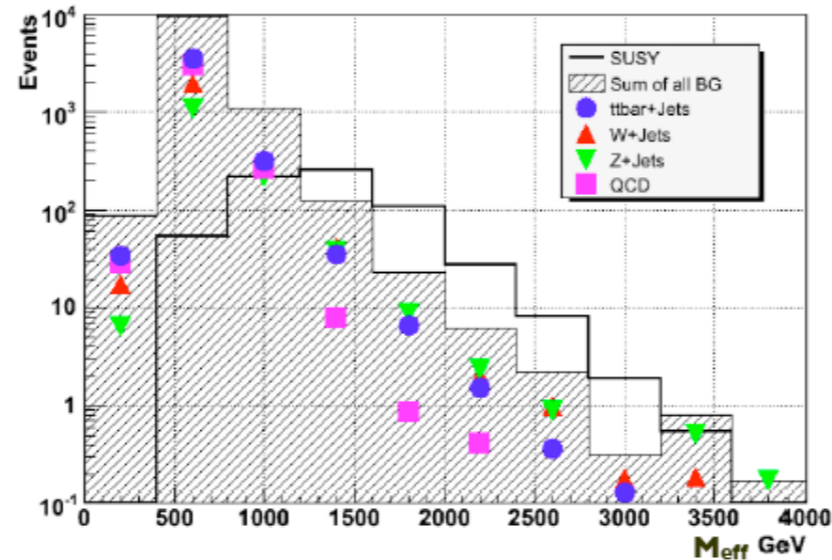


“easy”

Background directly measured from data. TH needed only for parameter extraction (Normalization, acceptance,...)

shape

$$pp \rightarrow \tilde{g}\tilde{g}, \tilde{g}\tilde{q}, \tilde{q}\tilde{q} \rightarrow \text{jets} + \cancel{E}_T$$

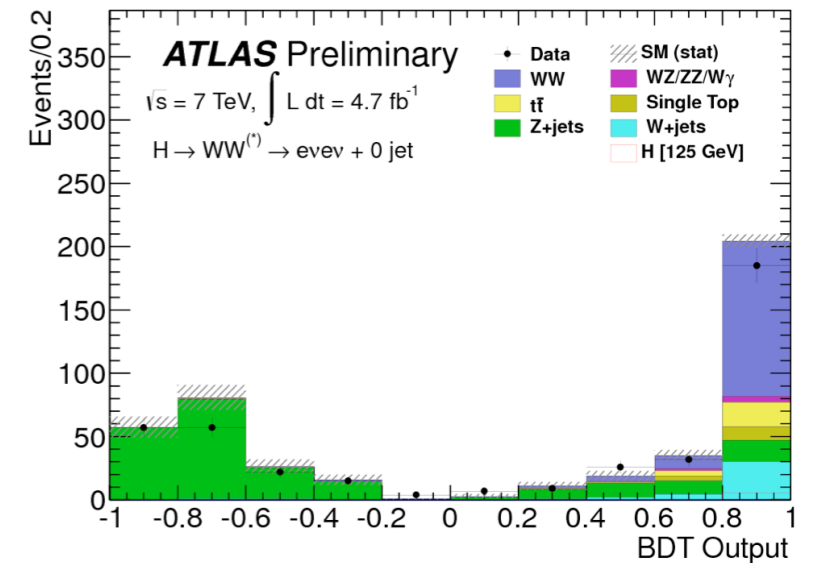


hard

Background shapes needed. Flexible MC for both signal and background tuned and validated with data.

discriminant

$$pp \rightarrow H \rightarrow W^+W^-$$

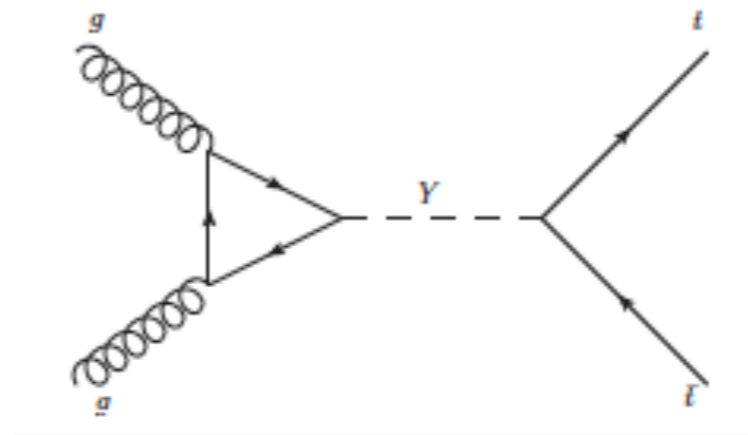


very hard

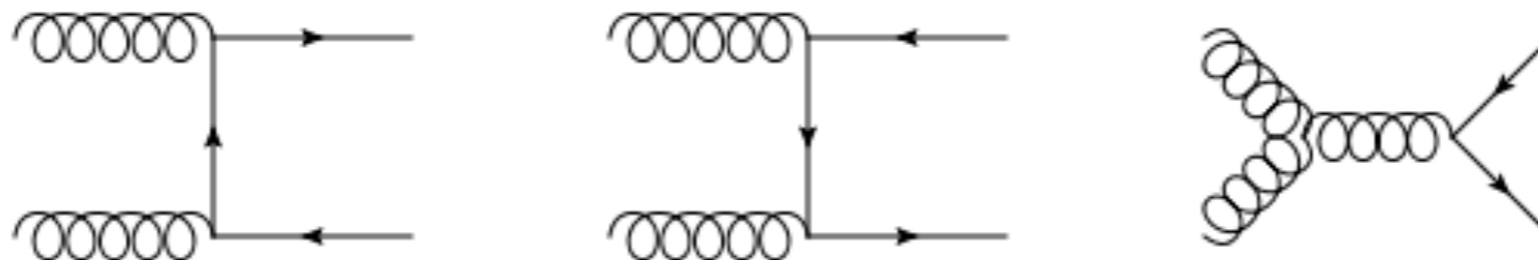
Background normalization and shapes known very well. Interplay with the best theoretical predictions (via MC) and data.

A simple example: $t\bar{t}$

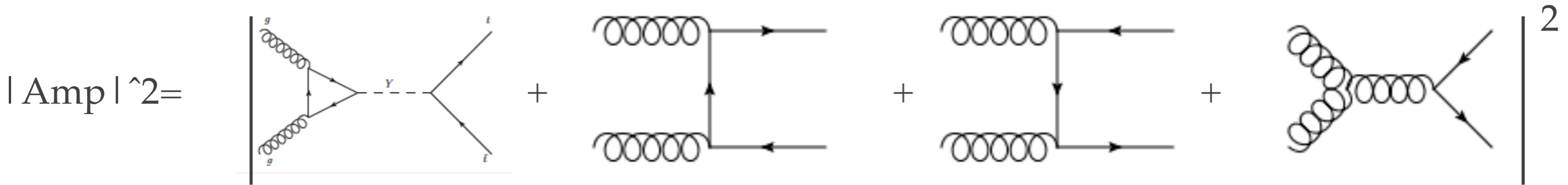
Imagine a new scalar exists which couples mostly to top quark, similar to the SM Higgs, but it is heavier than $2m_t$. It would be produced as the SM Higgs via gluon fusion and then mostly decay to top quarks:



giving rise to a peak in the invariant mass distribution of $m(tt)$. However, this process interferes with the QCD background:



A simple example: $t\bar{t}$



Taking our previous calculation of the SM amplitude and adding the scalar production:

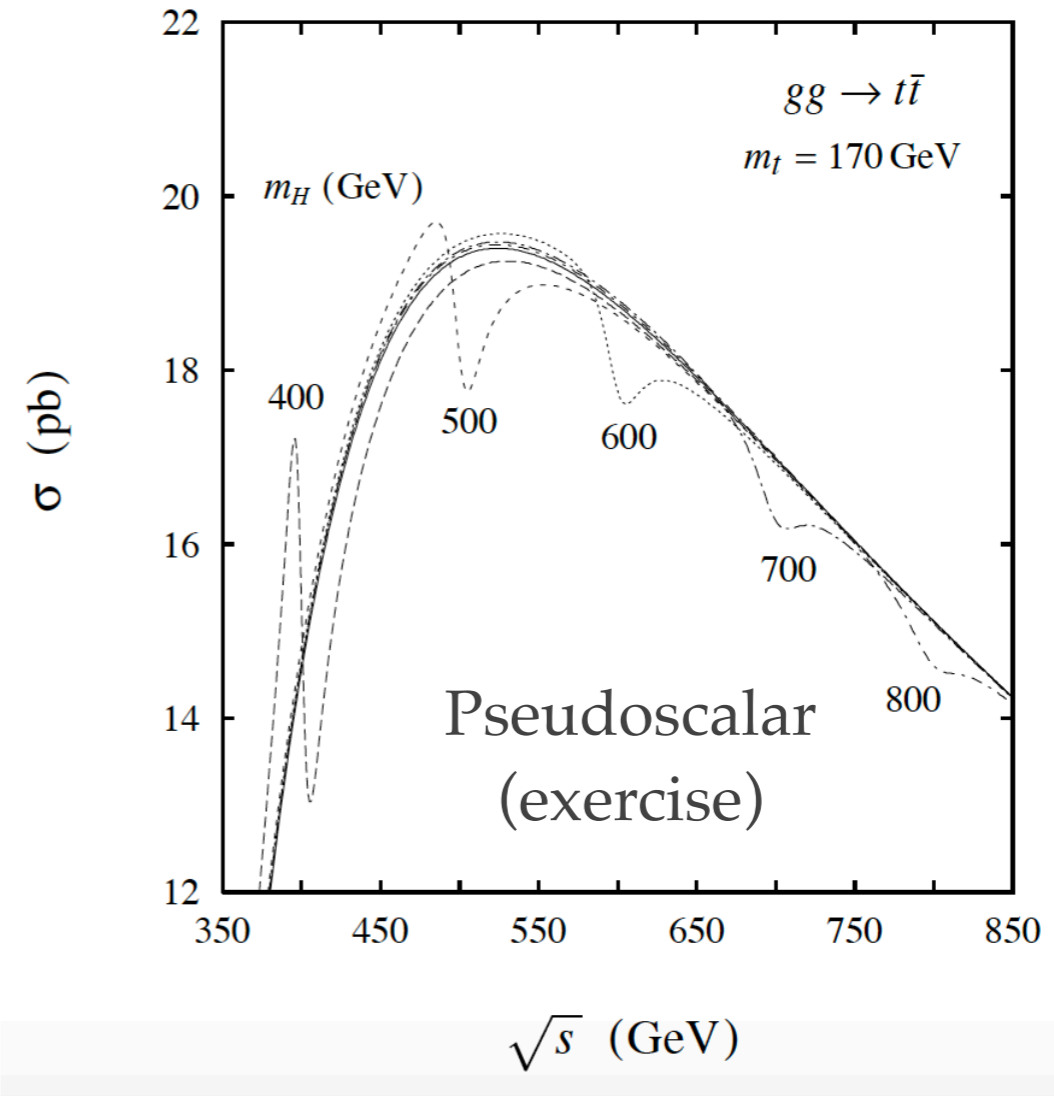
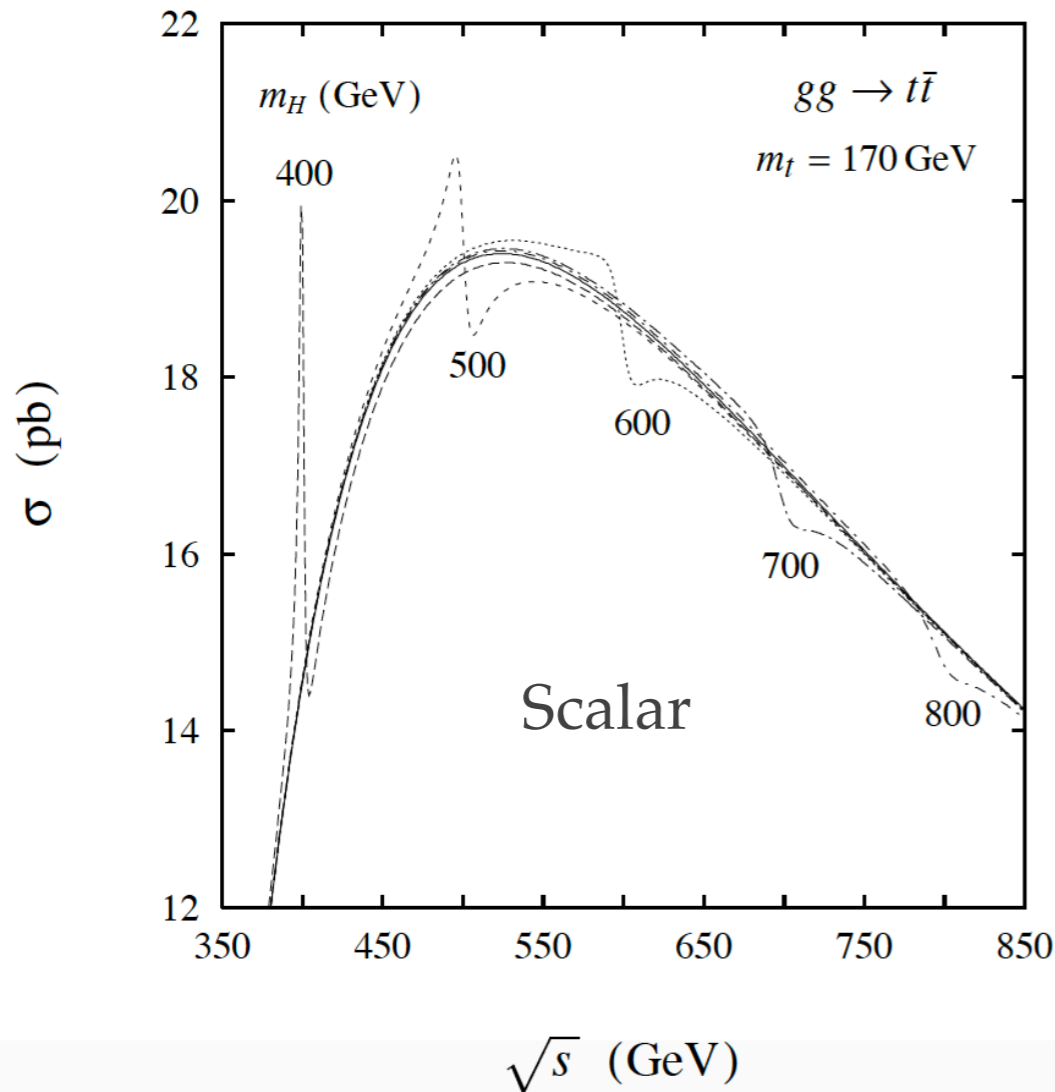
$$\hat{\sigma}(s) = \frac{\alpha_s^2 G_F^2 m^2 s^2}{768 \pi^3} \beta^3 \left| \frac{N(s/m^2)}{s - m_H^2 + im_H \Gamma_H(s)} \right|^2 \quad \leftarrow \text{BW resonance}$$

$$- \frac{\alpha_s^2 G_F m^2}{48 \pi \sqrt{2}} \beta^2 \ln \frac{1 + \beta}{1 - \beta} \text{Re} \left[\frac{N(s/m^2)}{s - m_H^2 + im_H \Gamma_H(s)} \right] \quad \leftarrow \text{Interference}$$

$$+ \hat{\sigma}_{\text{SM}}(s) \quad \leftarrow \text{SM}$$

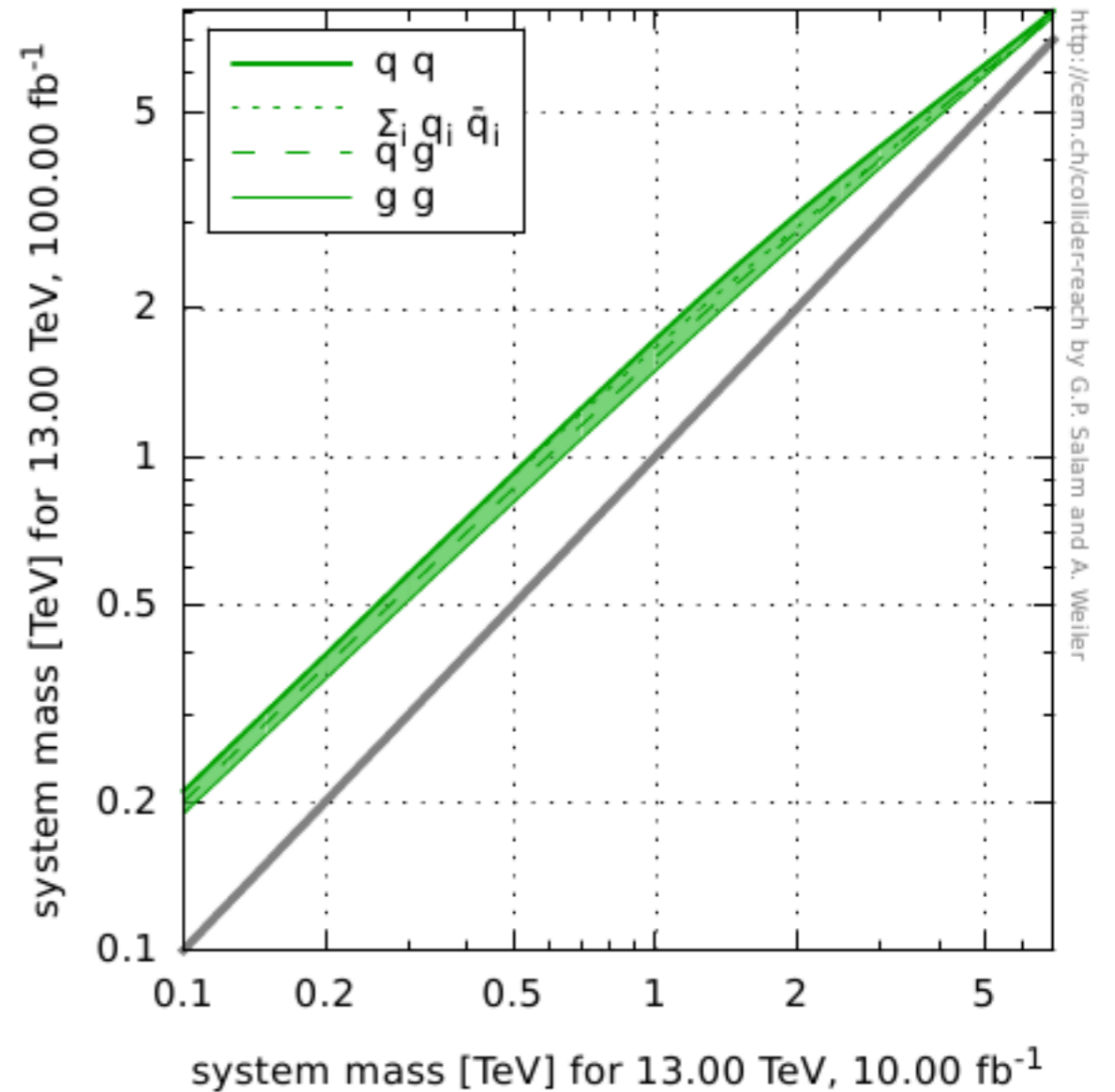
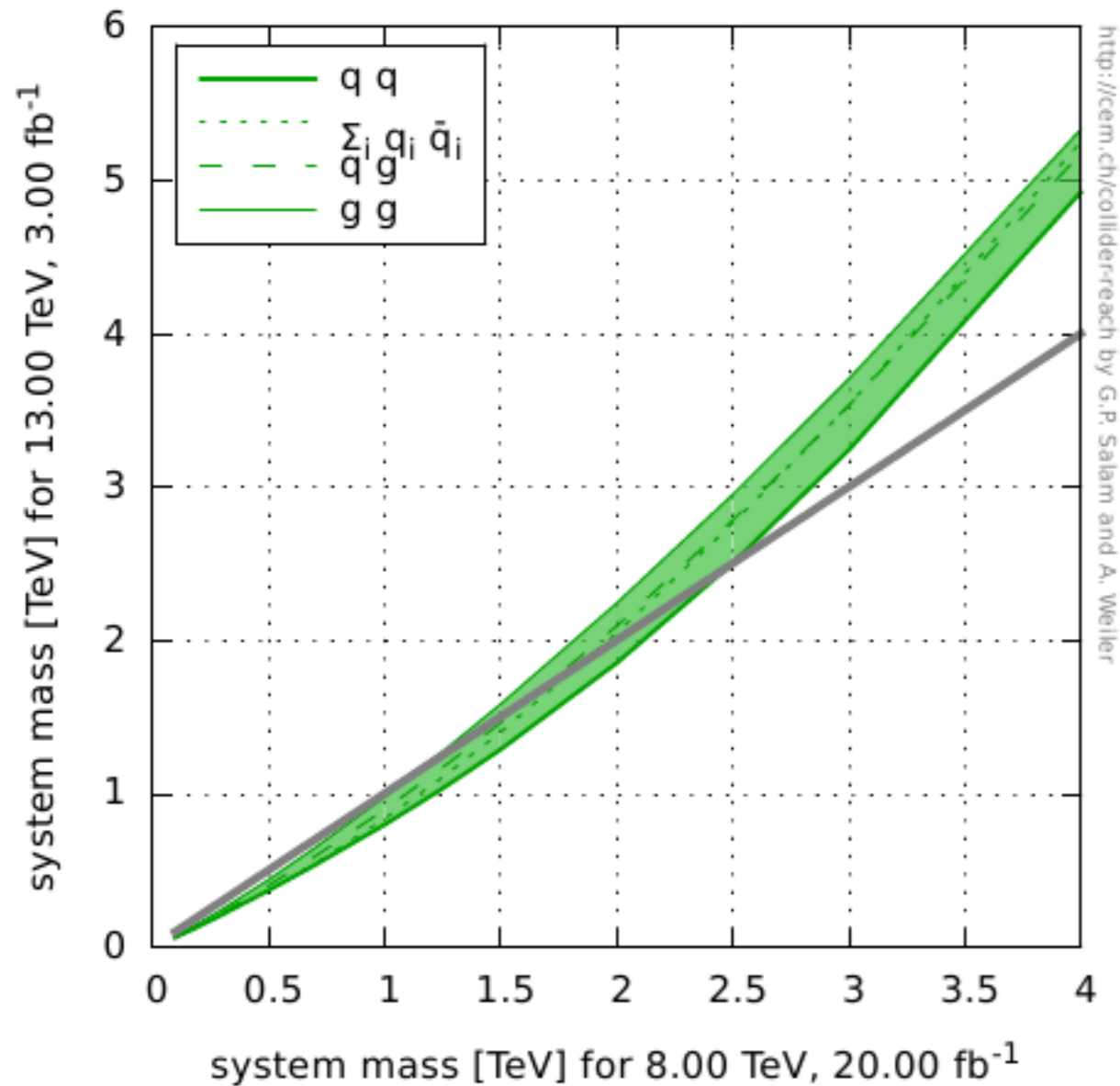
$$N(s/m^2) = \frac{3m^2}{2s} \left[4 - \left(1 - \frac{4m^2}{s} \right) I(s/m^2) \right] \quad I(s/m^2) = \left[\ln \frac{1 + \beta}{1 - \beta} - i\pi \right]^2 \quad (s > 4m^2)$$

A simple example: $t\bar{t}$



Peaks but also peak-dip and dip only structures. "Easy" to discover independently of the precise knowledge of the SM. However, needs accurate theory to characterise it.

Collider reach

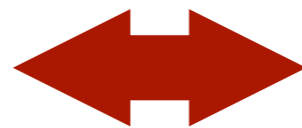


Increasing the energy of a collider gives a big boost to the reach of resonance searches, while the gain due to the increase of luminosity is marginal (beware of assumptions here).

Searching for new physics

Search for new states

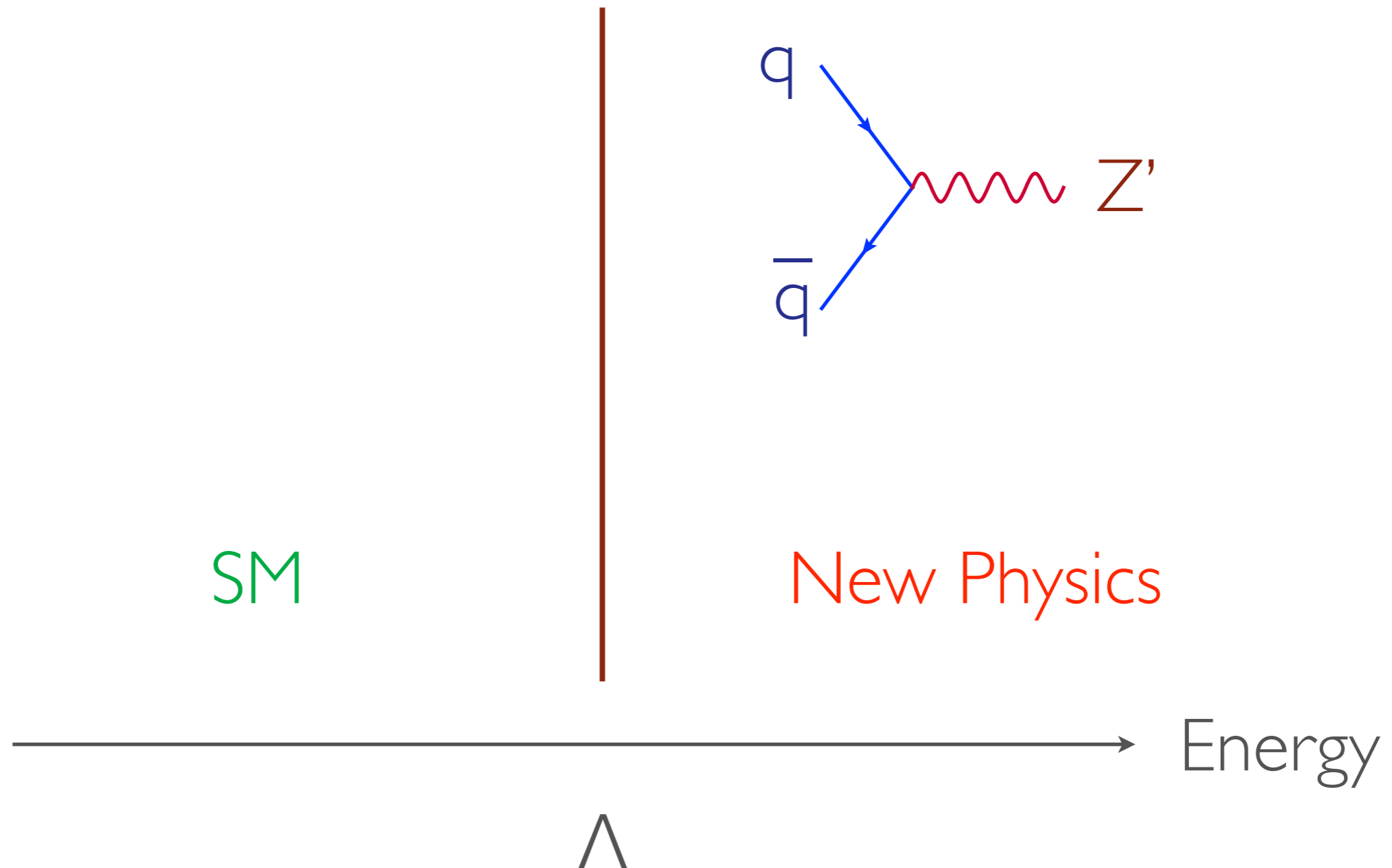
SUSY, EXOTICS, BSM HIGGS



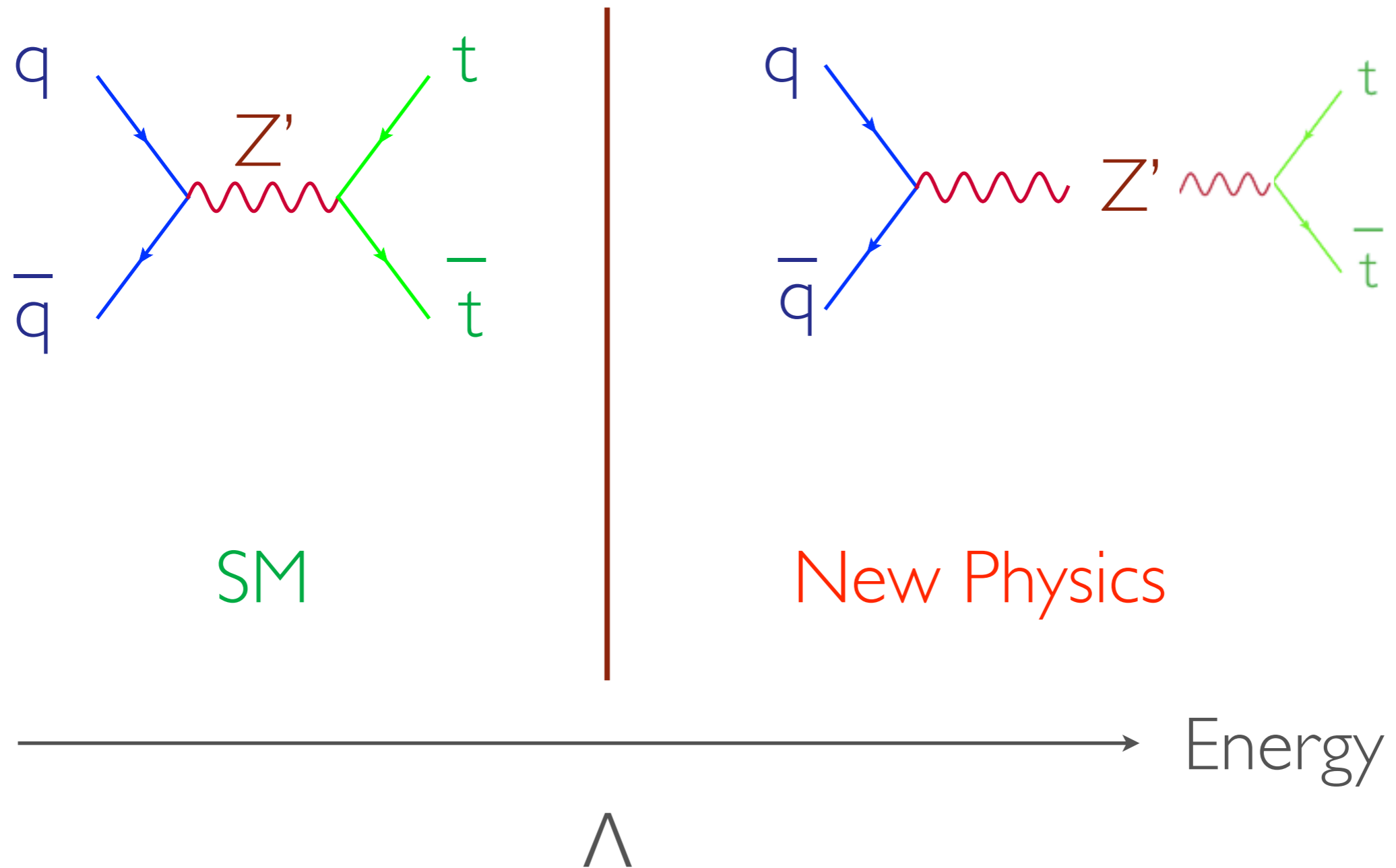
Search for new interactions

SM

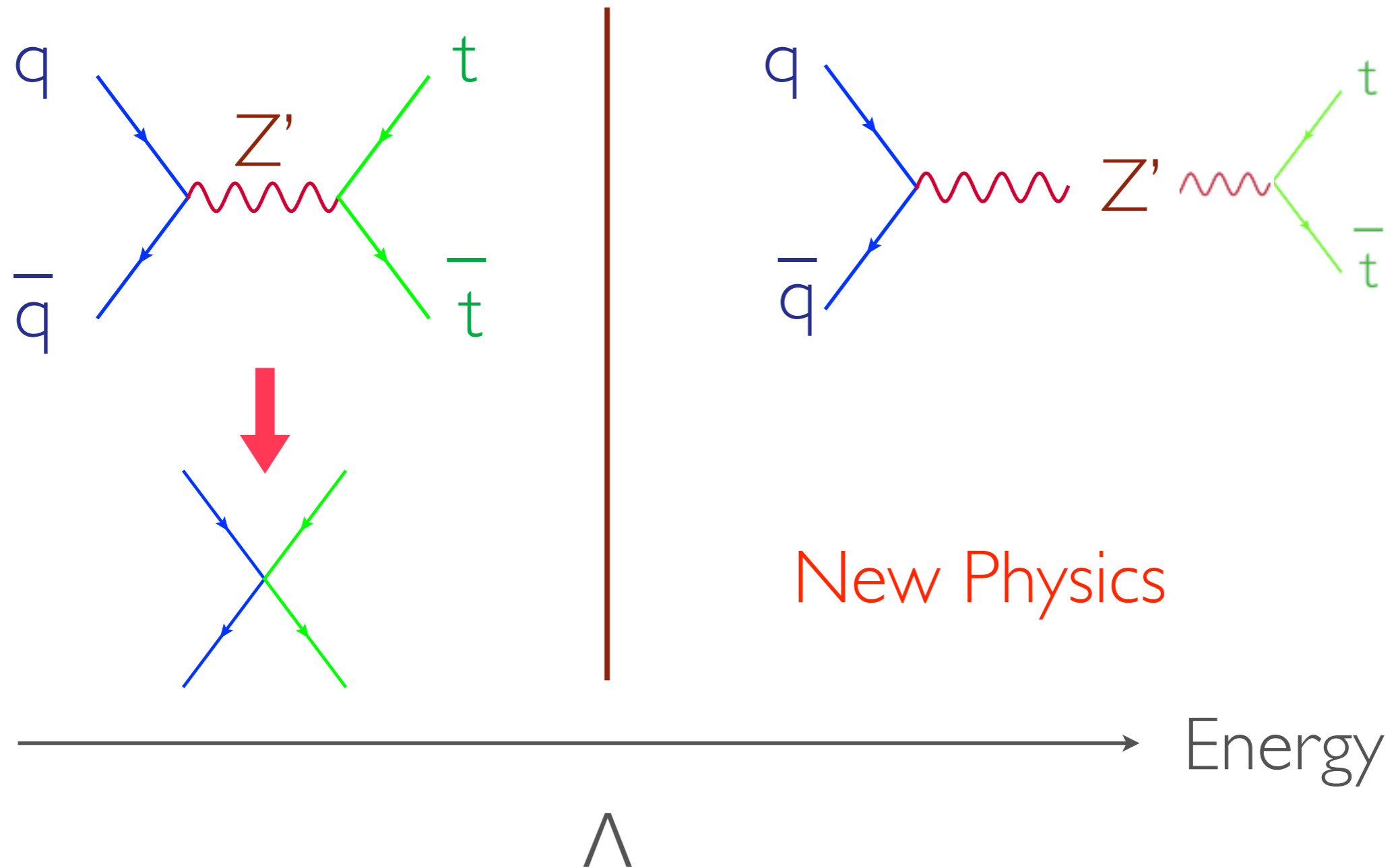
Search for New Interactions



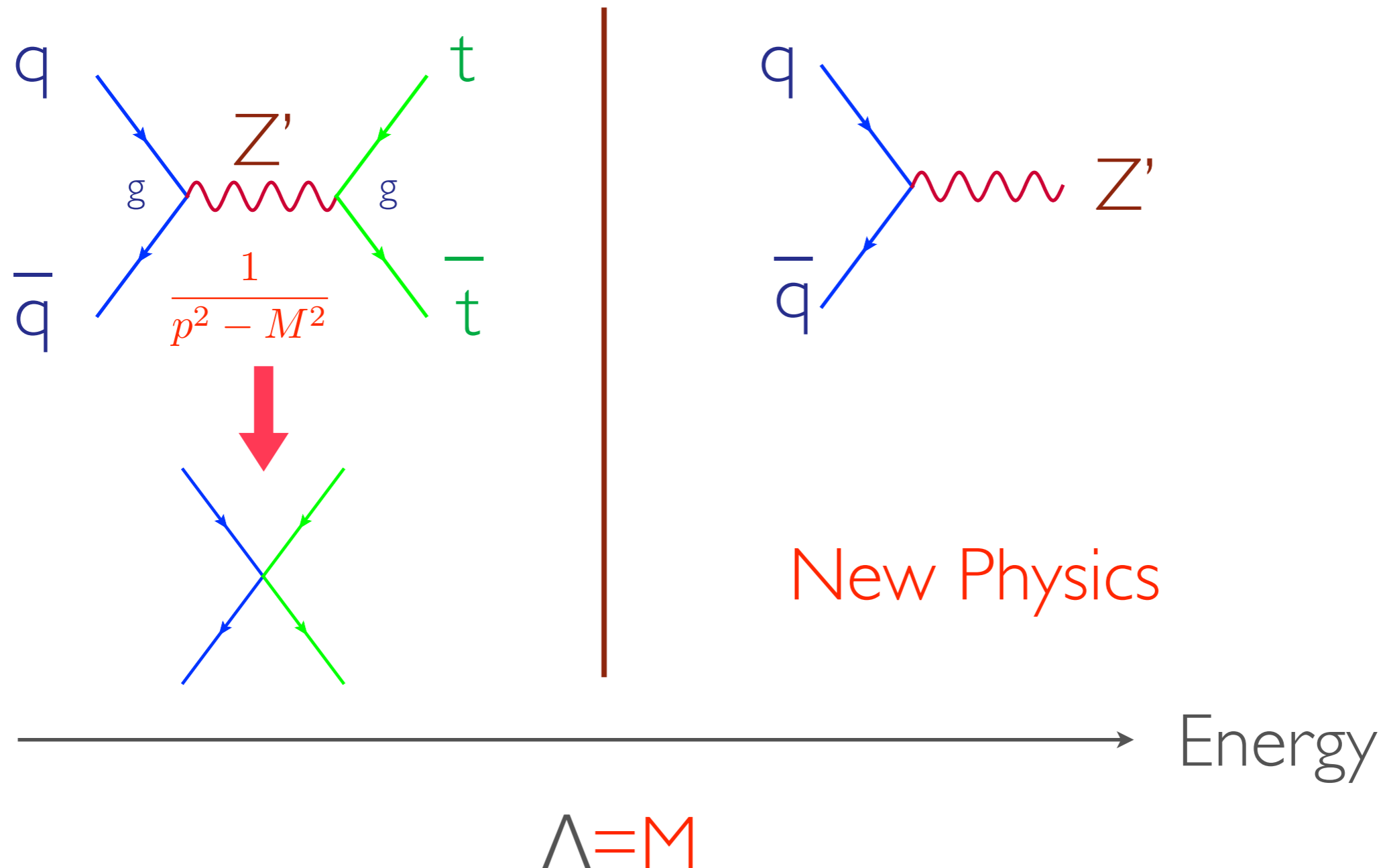
Search for New Interactions



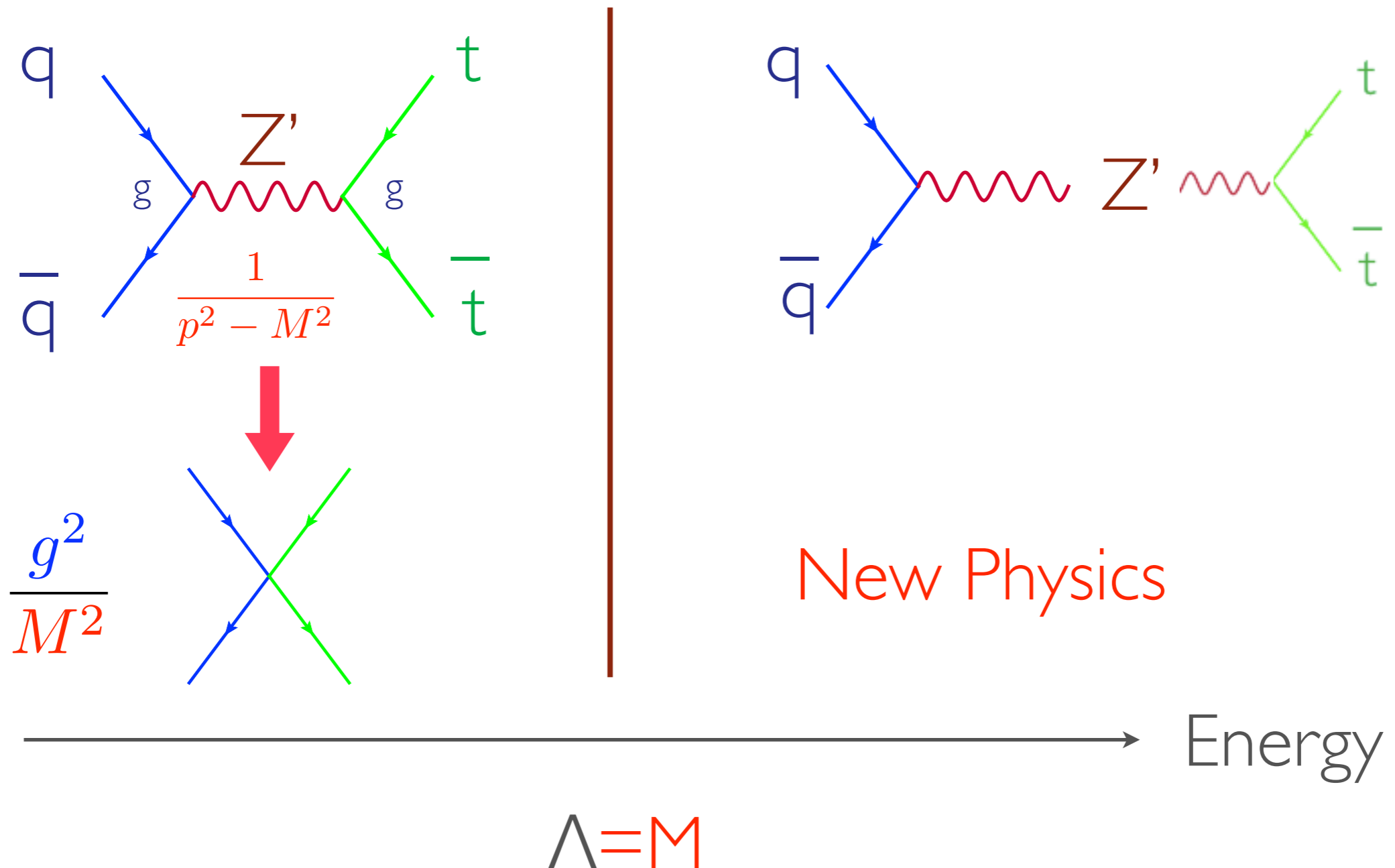
Search for New Interactions



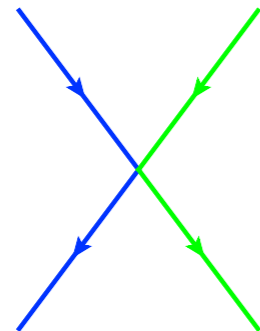
Search for New Interactions



Search for New Interactions



Search for New Interactions

$$\frac{g^2}{M^2} \begin{array}{c} \text{---} \text{---} \\ \text{---} \text{---} \end{array}$$


$$\mathcal{L}_{eff} = \mathcal{L}_{SM} + \frac{g^2}{M^2} \bar{\psi}\psi\bar{\psi}\psi$$

$$M^2 = g^2 v^2 \Rightarrow \Lambda = v$$

Λ is an upper bound on the scale of new physics

Search for New Interactions

$$\hbar = c = 1$$

$$\dim A^\mu = 1$$

$$\dim \phi = 1$$

$$\dim \psi = 3/2$$

$$\frac{g^2}{M^2} \begin{array}{c} \text{---} \text{---} \\ \text{---} \text{---} \end{array}$$

$$\mathcal{L}_{eff} = \mathcal{L}_{SM} + \sum_i \frac{c_i}{\Lambda^2} \mathcal{O}_i^{\dim=6}$$

59 operators [Buchmuller, Wyler, 1986]

The way of SMEFT



The master equation of an EFT approach has three key elements:

$$\Delta \text{Obs}_n = \text{Obs}_n^{\text{EXP}} - \text{Obs}_n^{\text{SM}} = \frac{1}{\Lambda^2} \sum_i a_{n,i}^{(6)}(\mu) c_i^{(6)}(\mu) + \mathcal{O}\left(\frac{1}{\Lambda^4}\right)$$

The way of SMEFT



The master equation of an EFT approach has three key elements:

$$\Delta \text{Obs}_n = \text{Obs}_n^{\text{EXP}} - \text{Obs}_n^{\text{SM}} = \frac{1}{\Lambda^2} \sum_i a_{n,i}^{(6)}(\mu) c_i^{(6)}(\mu) + \mathcal{O}\left(\frac{1}{\Lambda^4}\right)$$

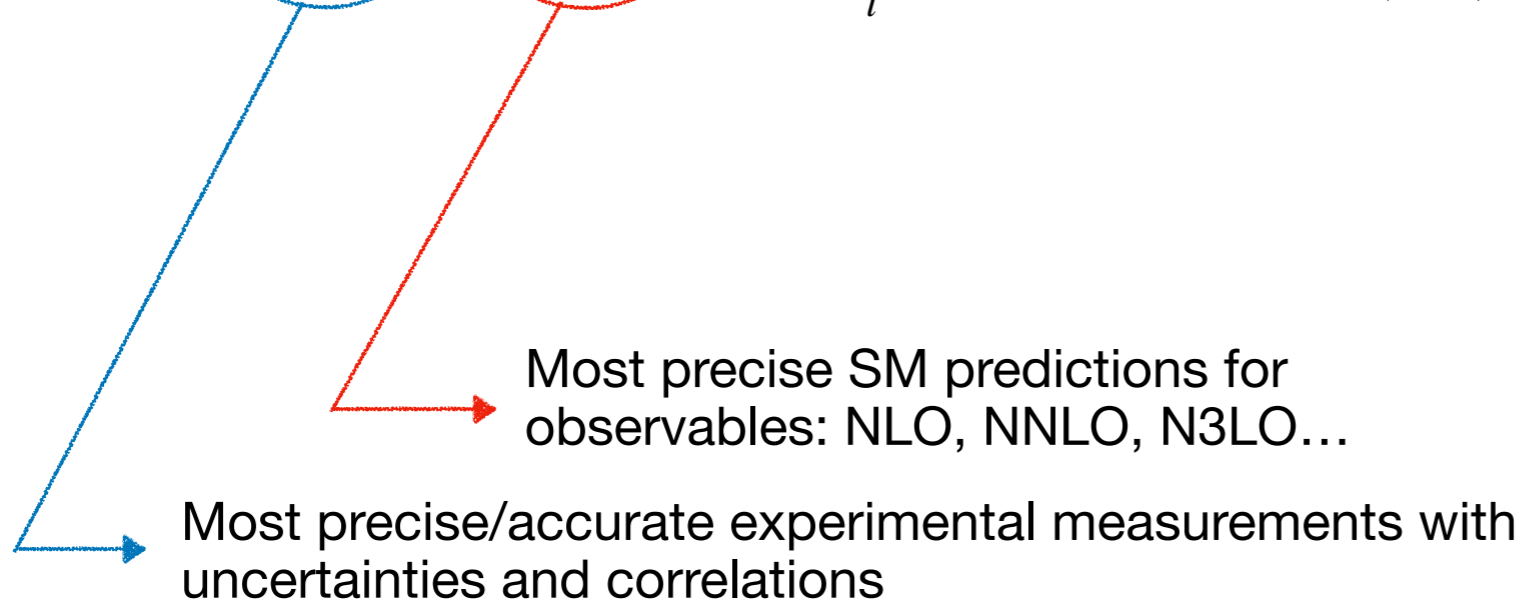
Most precise/accurate experimental measurements with uncertainties and correlations

The way of SMEFT



The master equation of an EFT approach has three key elements:

$$\Delta \text{Obs}_n = \text{Obs}_n^{\text{EXP}} - \text{Obs}_n^{\text{SM}} = \frac{1}{\Lambda^2} \sum_i a_{n,i}^{(6)}(\mu) c_i^{(6)}(\mu) + \mathcal{O}\left(\frac{1}{\Lambda^4}\right)$$



The way of SMEFT



The master equation of an EFT approach has three key elements:

$$\Delta \text{Obs}_n = \text{Obs}_n^{\text{EXP}} - \text{Obs}_n^{\text{SM}} = \frac{1}{\Lambda^2} \sum_i a_{n,i}^{(6)}(\mu) c_i^{(6)}(\mu) + \mathcal{O}\left(\frac{1}{\Lambda^4}\right)$$

Diagram illustrating the components of the master equation:

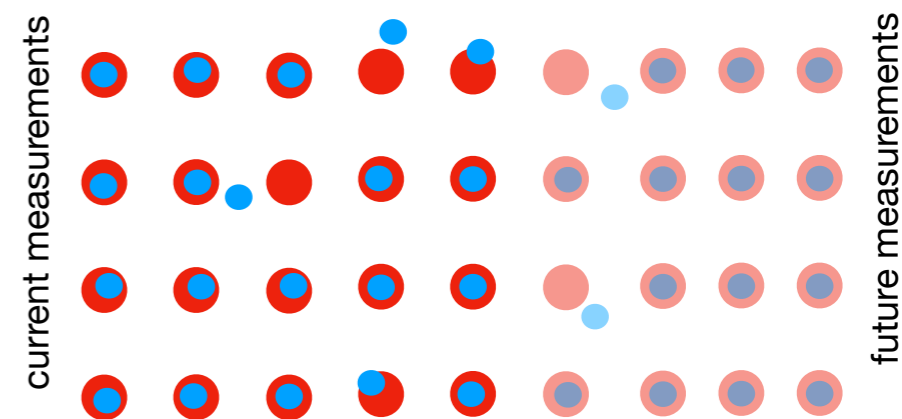
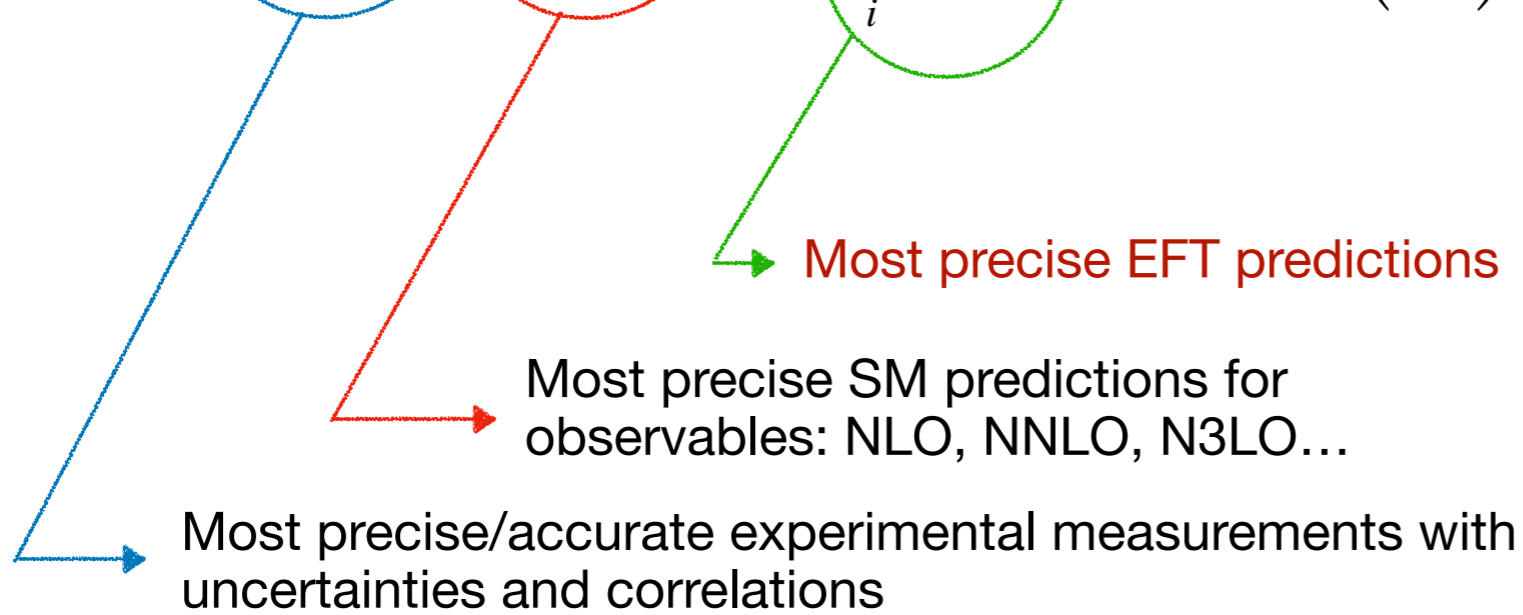
- $\text{Obs}_n^{\text{EXP}}$ (blue circle) is linked to "Most precise/accurate experimental measurements with uncertainties and correlations".
- Obs_n^{SM} (red circle) is linked to "Most precise SM predictions for observables: NLO, NNLO, N3LO...".
- The sum term $\frac{1}{\Lambda^2} \sum_i a_{n,i}^{(6)}(\mu) c_i^{(6)}(\mu)$ (green circle) is linked to "Most precise EFT predictions".

The way of SMEFT



The master equation of an EFT approach has three key elements:

$$\Delta \text{Obs}_n = \text{Obs}_n^{\text{EXP}} - \text{Obs}_n^{\text{SM}} = \frac{1}{\Lambda^2} \sum_i a_{n,i}^{(6)}(\mu) c_i^{(6)}(\mu) + \mathcal{O}\left(\frac{1}{\Lambda^4}\right)$$



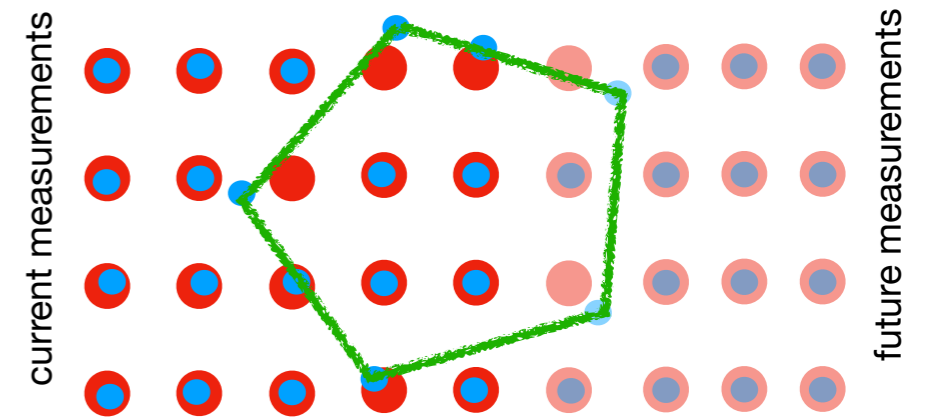
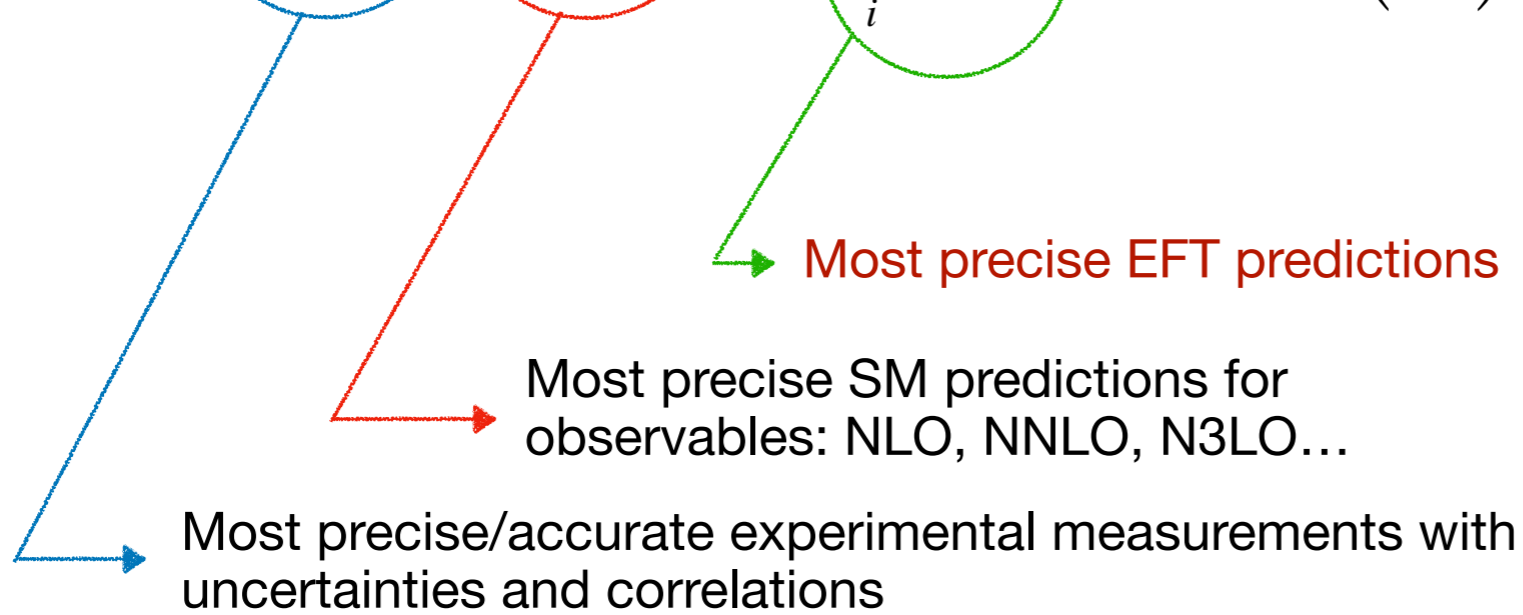
⇒ increased NP Sensitivity

The way of SMEFT



The master equation of an EFT approach has three key elements:

$$\Delta \text{Obs}_n = \text{Obs}_n^{\text{EXP}} - \text{Obs}_n^{\text{SM}} = \frac{1}{\Lambda^2} \sum_i a_{n,i}^{(6)}(\mu) c_i^{(6)}(\mu) + \mathcal{O}\left(\frac{1}{\Lambda^4}\right)$$



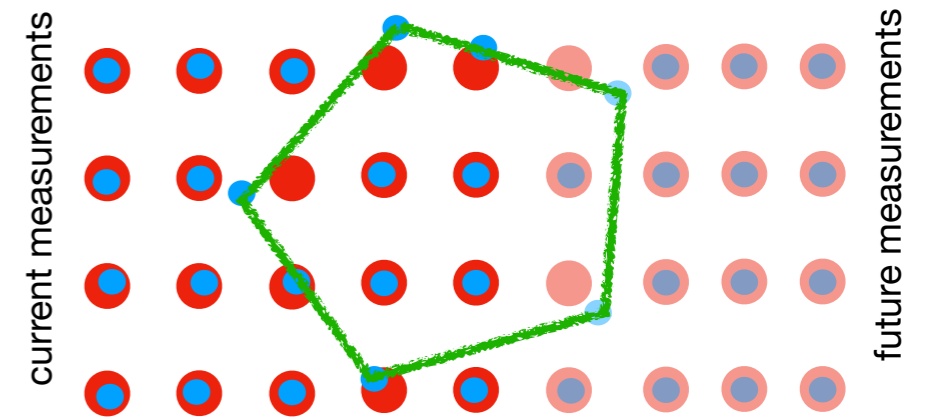
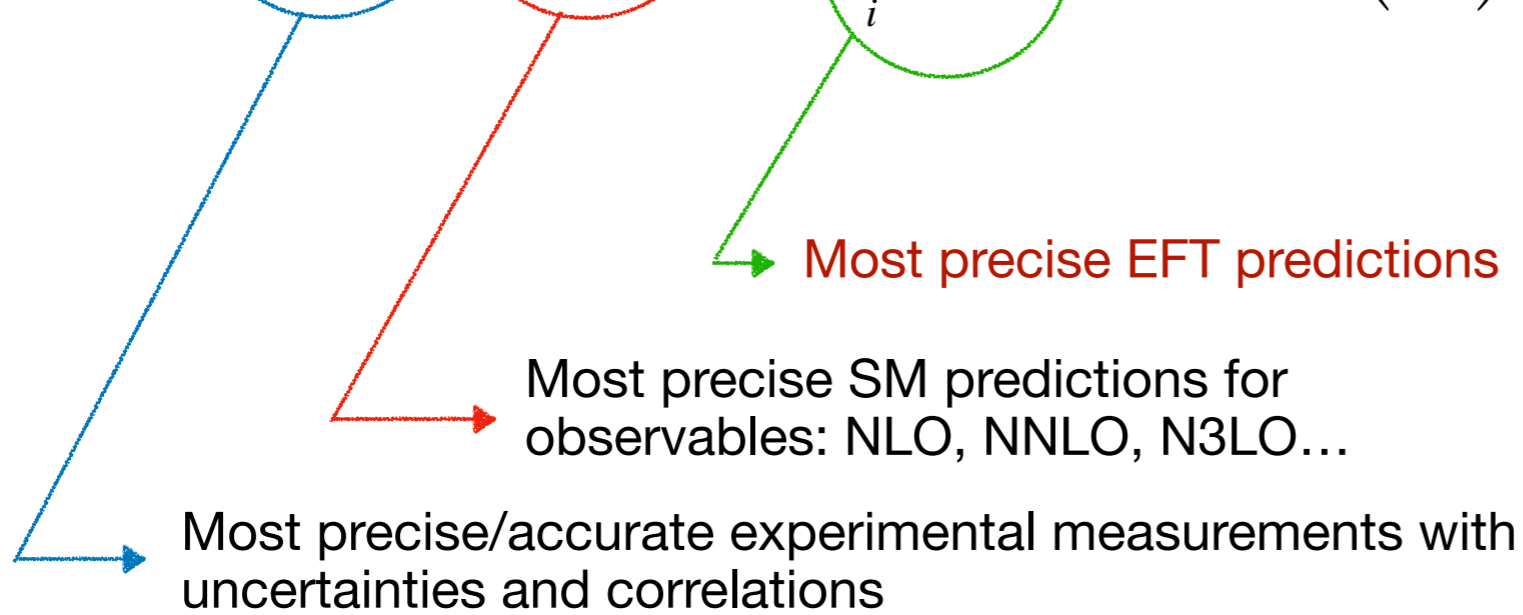
⇒ increased NP Sensitivity

The way of SMEFT

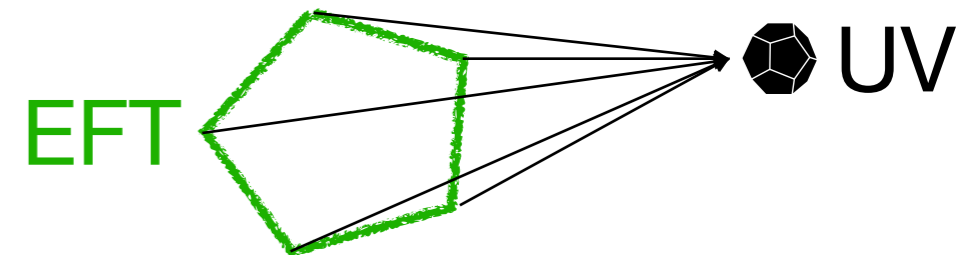


The master equation of an EFT approach has three key elements:

$$\Delta \text{Obs}_n = \text{Obs}_n^{\text{EXP}} - \text{Obs}_n^{\text{SM}} = \frac{1}{\Lambda^2} \sum_i a_{n,i}^{(6)}(\mu) c_i^{(6)}(\mu) + \mathcal{O}\left(\frac{1}{\Lambda^4}\right)$$



- ⇒ increased NP Sensitivity
- ⇒ increased UV identification power



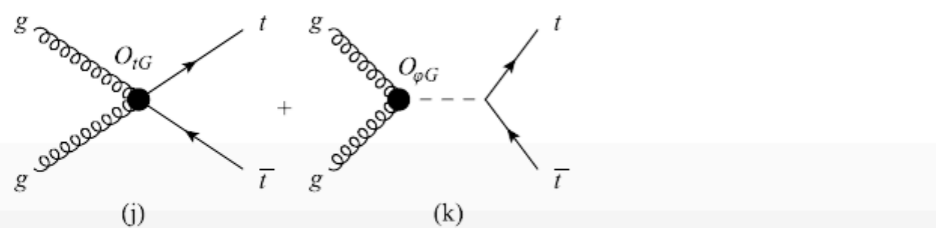
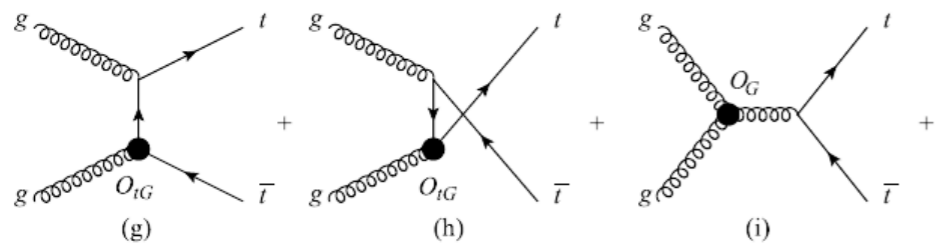
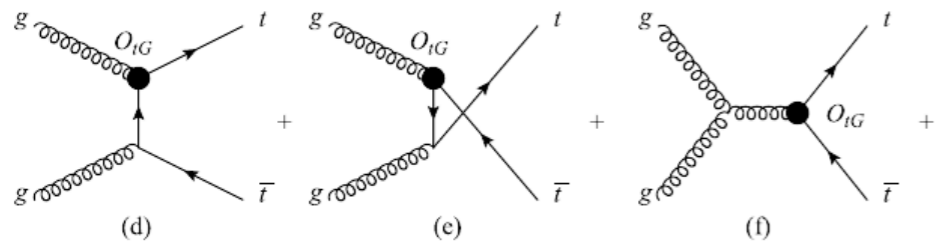
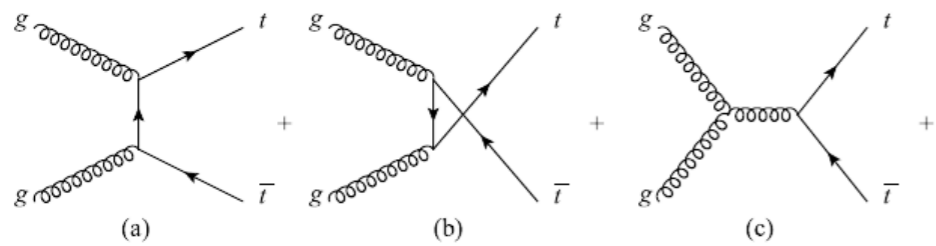
A simple example: $t\bar{t}$

$$O_{tG} = (\bar{q}\sigma^{\mu\nu}\lambda^A t)\tilde{\phi}G_{\mu\nu}^A$$

$$O_G = f_{ABC}G_{\mu}^{A\nu}G_{\nu}^{B\rho}G_{\rho}^{C\mu}$$

$$O_{\phi G} = \frac{1}{2}(\phi^+\phi)G_{\mu\nu}^A G^{A\mu\nu}$$

Three operators of dim=6 that enter $t\bar{t}$



$$\beta = \sqrt{1 - 4m_t^2/\hat{s}}$$

$$\hat{\sigma}_{gg \rightarrow t\bar{t}} = \frac{\pi\alpha_s^2\beta}{48\hat{s}} \left(31\beta + \left(\frac{33}{\beta} - 18\beta + \beta^3 \right) \ln \left[\frac{1+\beta}{1-\beta} \right] - 59 \right)$$

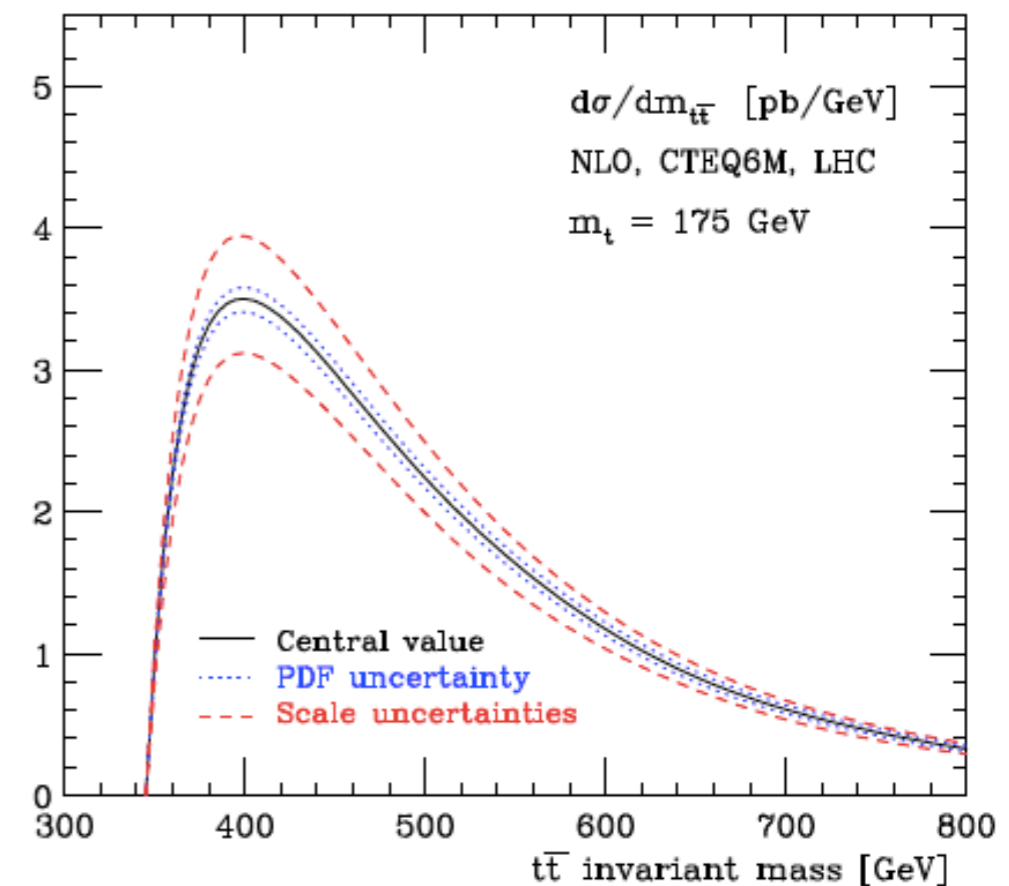
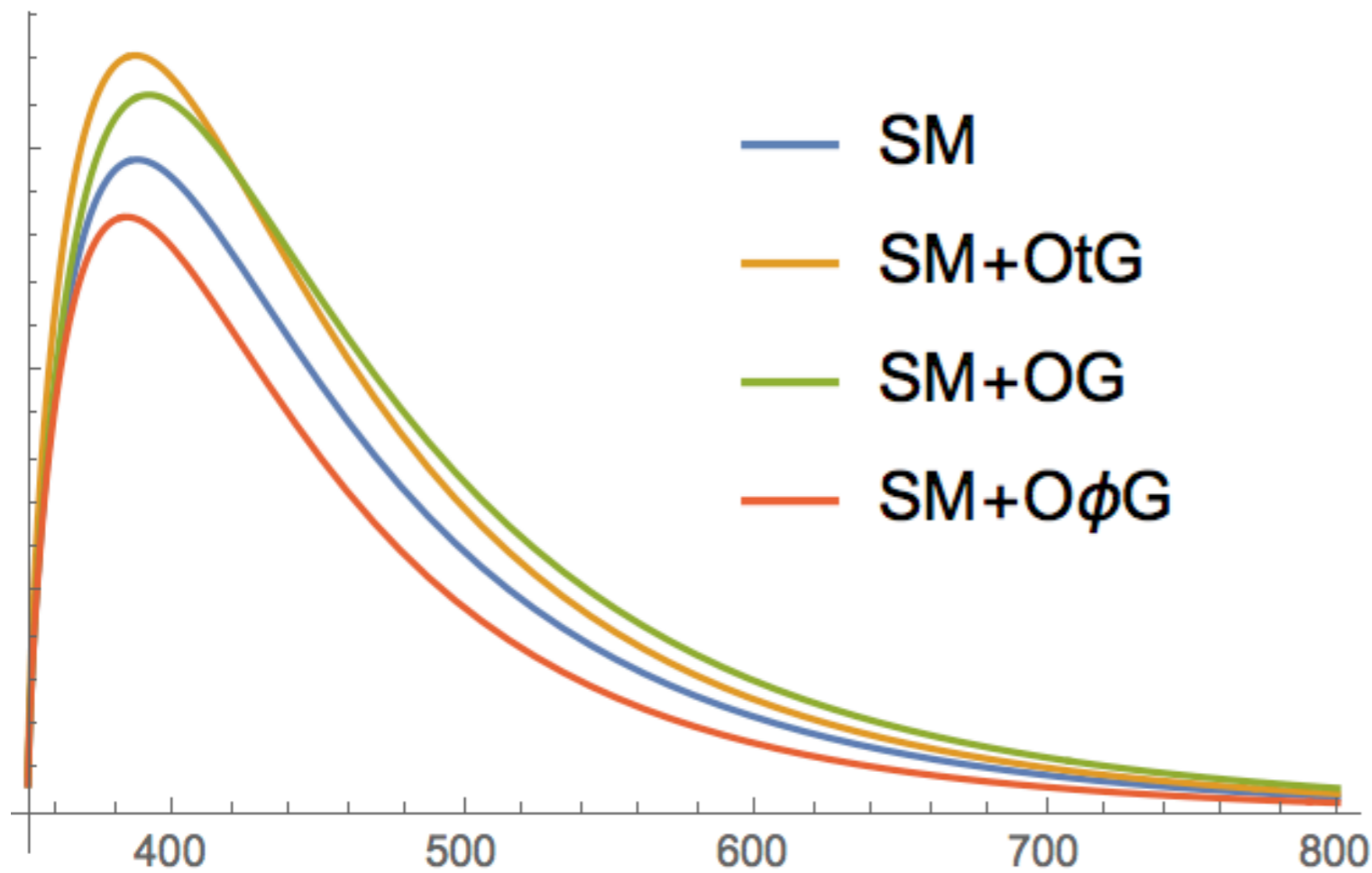
$$+ \text{Re}C_{tG} \frac{g_s^3 v \sqrt{1-\beta^2}}{48\sqrt{2}\pi\Lambda^2\sqrt{s}} \left(8 \ln \frac{1+\beta}{1-\beta} - 9\beta \right)$$

$$+ C_G \frac{9g_s^3(1-\beta^2)}{256\pi\Lambda^2} \left(\ln \frac{1+\beta}{1-\beta} - 2\beta \right)$$

$$- C_{\phi G} \frac{g_s^2 s \beta^2 (1-\beta^2)}{256\pi\Lambda^2 (s - m_h^2)} \ln \frac{1+\beta}{1-\beta}$$

A simple example: $t\bar{t}$

These new interactions lead to deformations of the SM distributions.

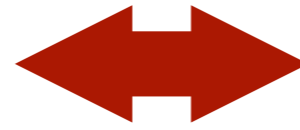


Need to know the SM distributions extremely well as well as the EFT ones!

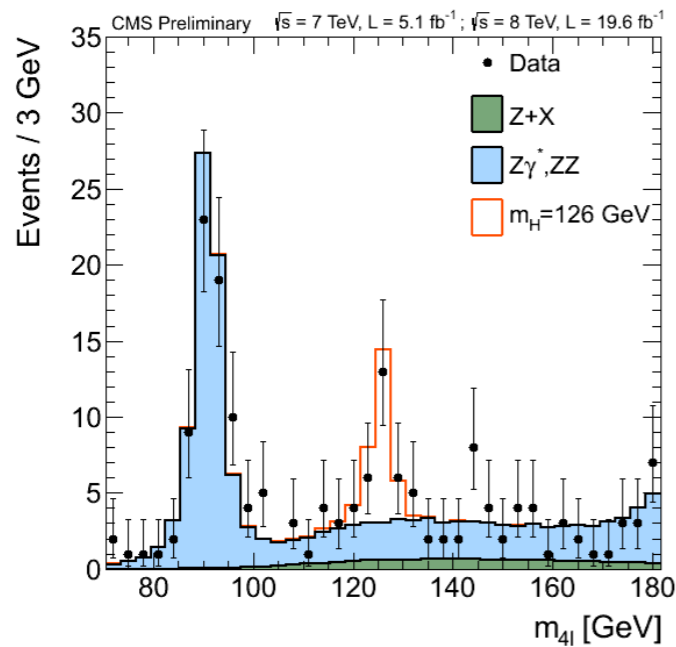
Search for New Physics at the LHC

Two main strategies for searching new physics

Search for new states

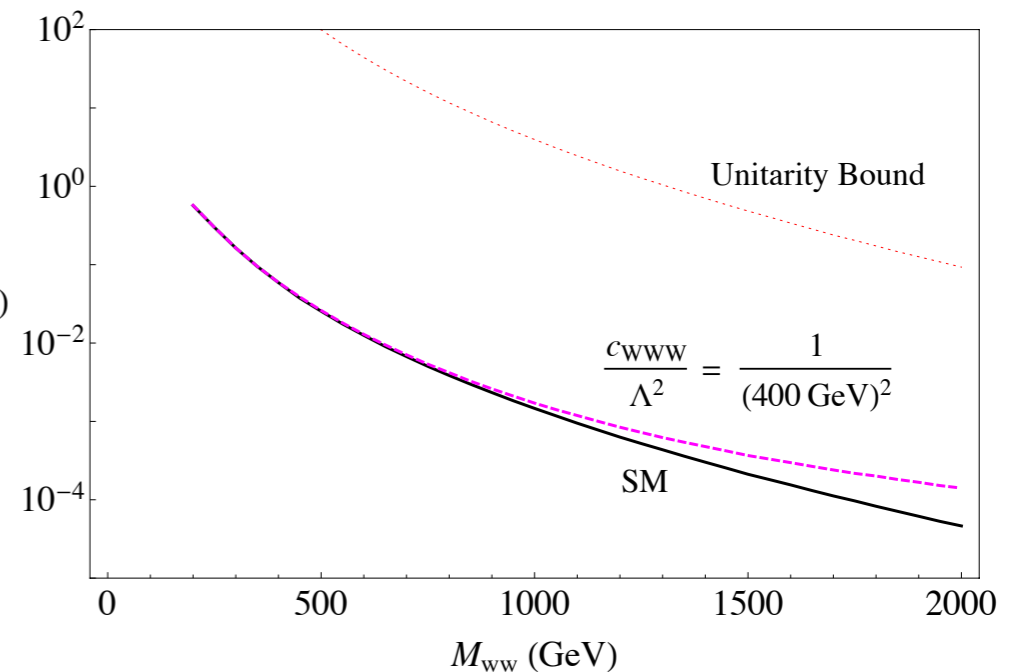


Search for new interactions



“Peak” or more complicated structures searches. Need for **descriptive MC** for discovery = Discovery is data driven. Later need precision for characterisation.

$$\frac{d\sigma}{dM_{ww}} \left(\frac{\text{pb}}{\text{GeV}} \right)$$

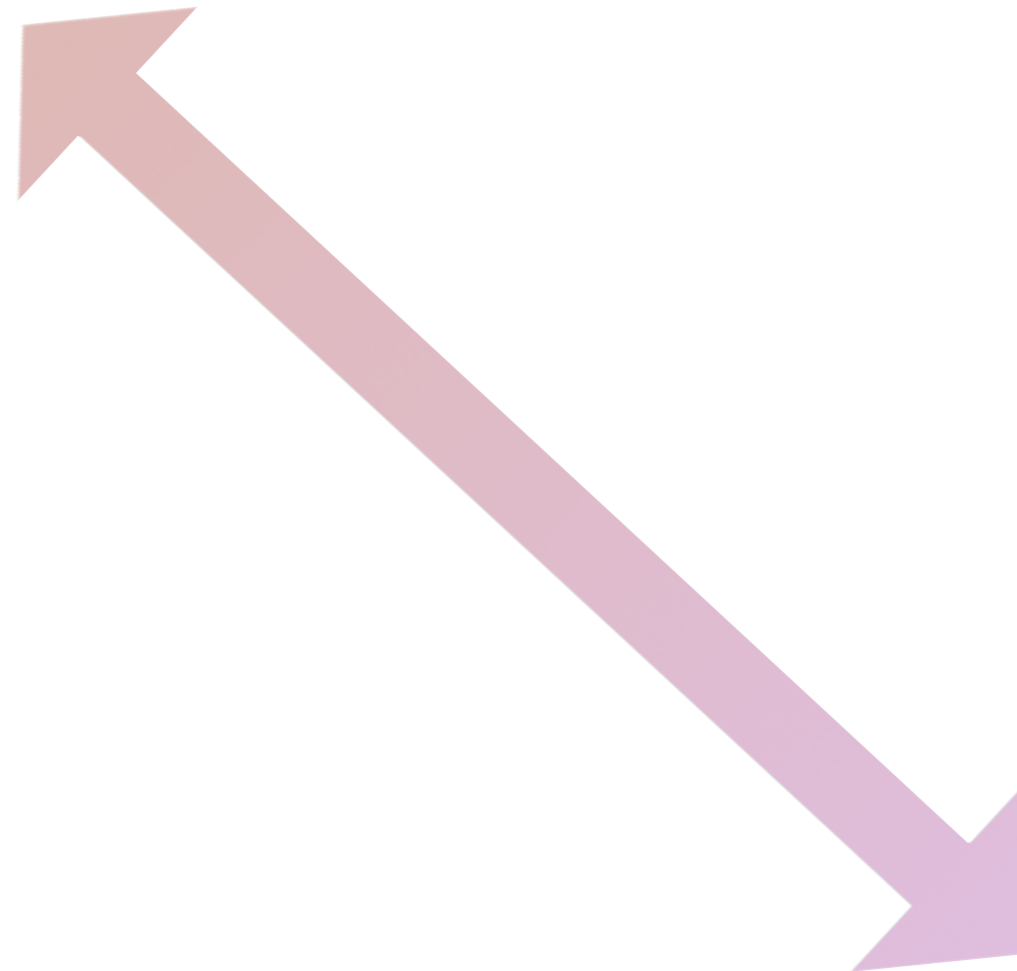


Deviations are expected to be small. Intrinsically a precision measurement. Needs for **predictive MC** and accurate predictions for SM and EFT.

New generation of MC tools

Theory

Lagrangian
Gauge invariance
QCD
Partons
NLO
Resummation
...



Detector simulation
Pions, Kaons, ...
Reconstruction
B-tagging efficiency
Boosted decision tree
Neural network
...

Experiment

New generation of MC tools

Theory

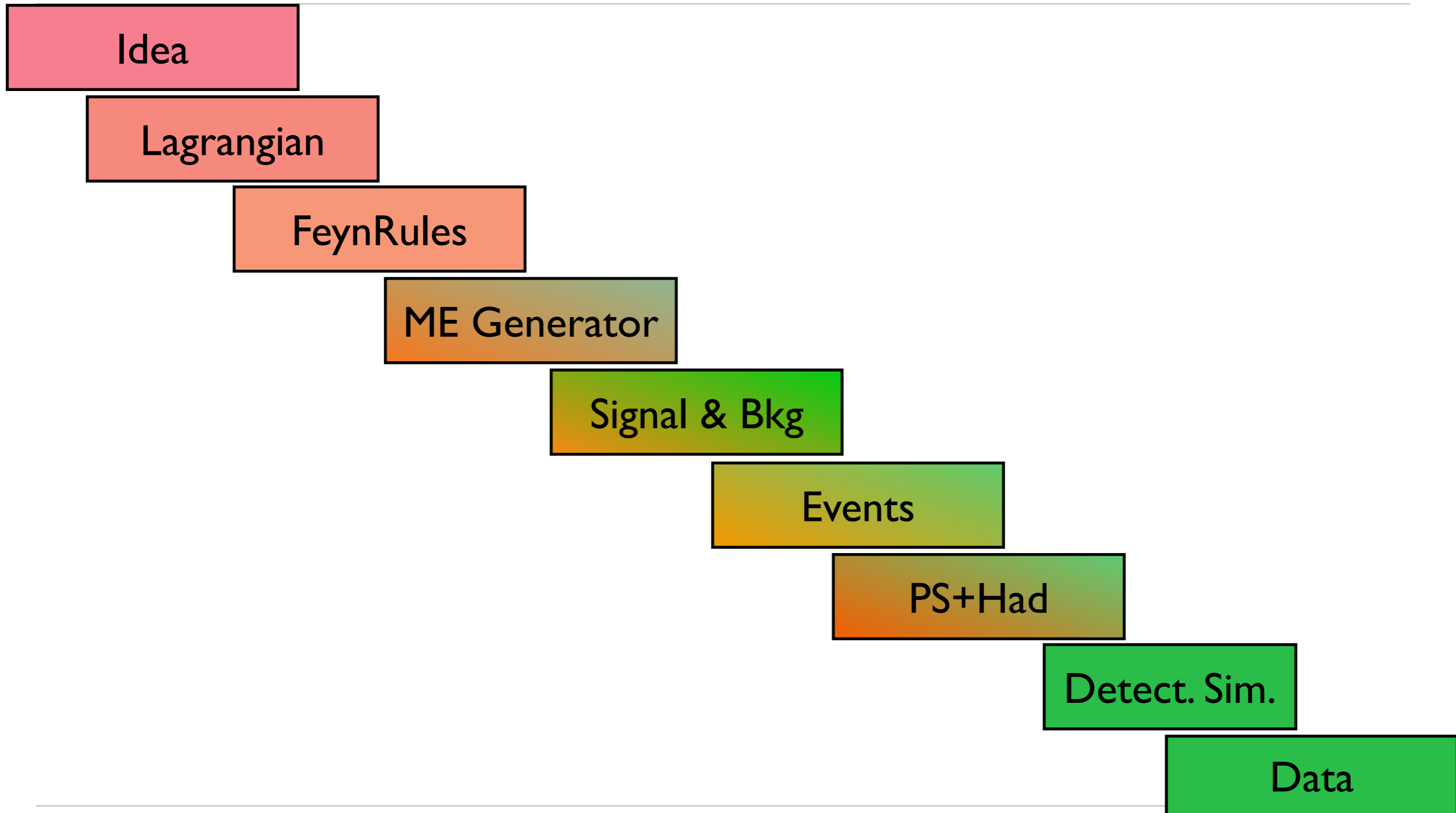
Lagrangian
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...



Detector simulation
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Experiment

New generation of MC tools



Aims of the week

Aims of the week



THINK

Aims of the week



THINK



PARTICIPATE

Aims of the week



THINK



PARTICIPATE



WORK

Aims of the week



THINK



PARTICIPATE



WORK

- ❖ The morning lectures for reviewing or introducing new concepts
- ❖ The afternoons, the most important part of the school, will be devoted to the tutorials

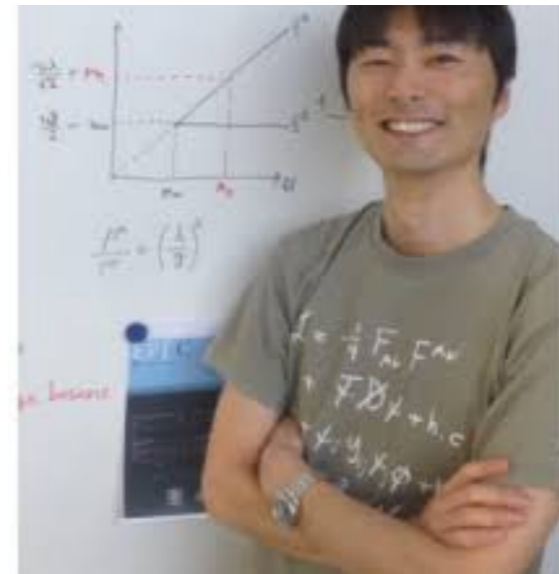
Aims of the week

- ❖ Master the basic concepts of collider physics
- ❖ Learn about the latest techniques that allow to make accurate and predictions for events at the LHC in the SM and Beyond.
- ❖ Install the full chain of tools on your laptop.
- ❖ Apply and use the tools to make your own New Physics search, simulating signal and background.
- ❖ At the end of the week you'll be ready to roll

Mad Hosts



Karou Hagiwara

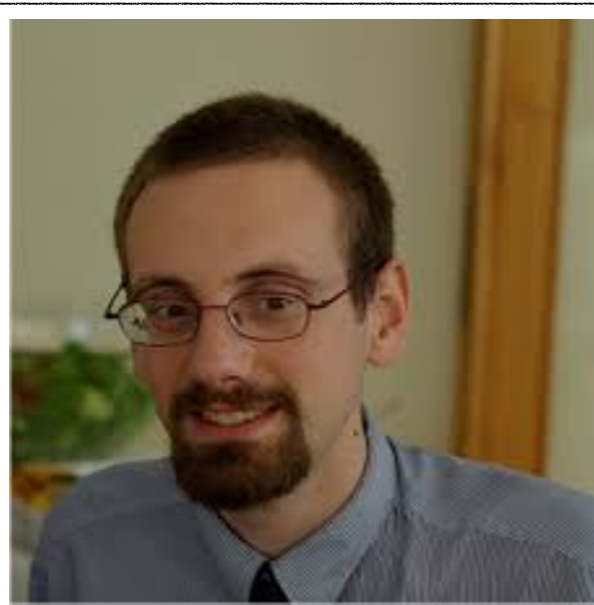


Kentarou Mawatari

Mad Teachers



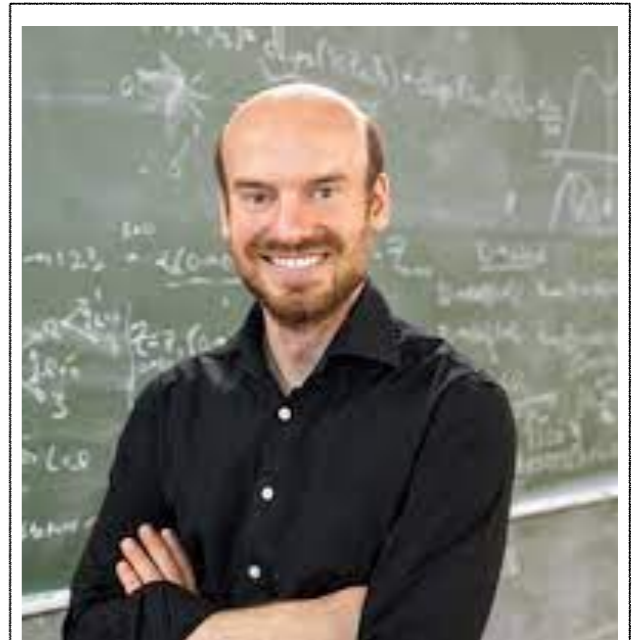
Davide Pagani



Olivier Mattelaer



Benjamin Fuks



Rikkert Frederix

We are here for you!

