

New physics simulations
From Lagrangians to events... and back

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27 February – 4 March 2023

Outline

1. A comprehensive approach for Monte Carlo simulations
2. Implementing models into Monte Carlo event generators
3. From events to Lagrangian: reinterpretation of the results of the LHC
4. Summary

MC simulations & new physics

Towards the characterisation of new physics

- **About the nature of an observation**
 - Fitting and (re)interpreting deviations
 - Prospective collider studies of varied signals
- **Final words on the nature of any potential BSM**
 - Accurate measurements
 - Precise predictions mandatory

**Goal of all lectures at
this school**

MC simulations & new physics

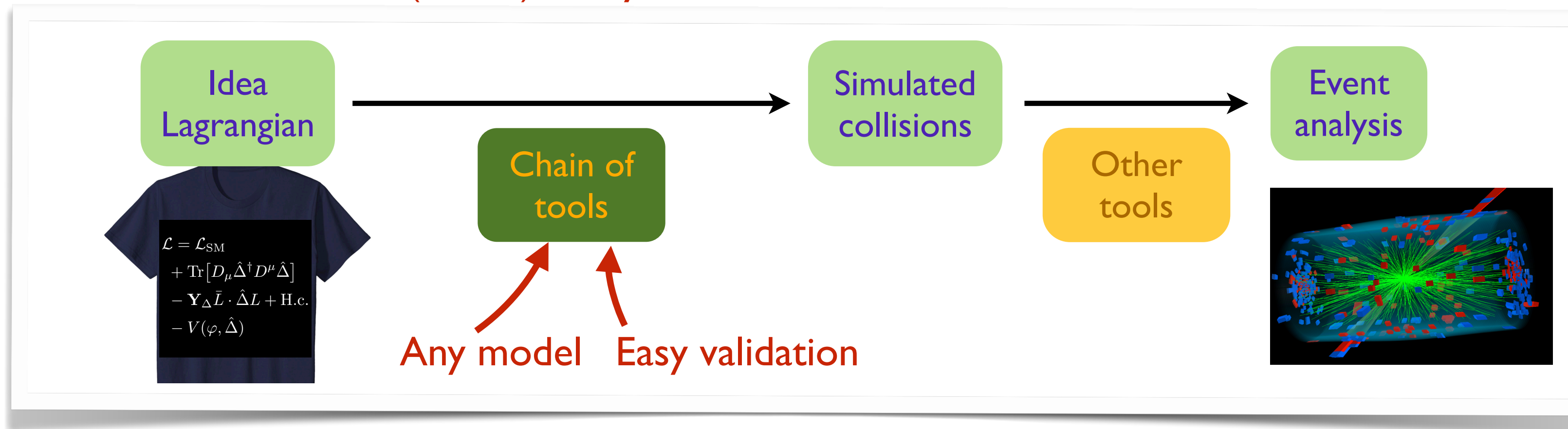
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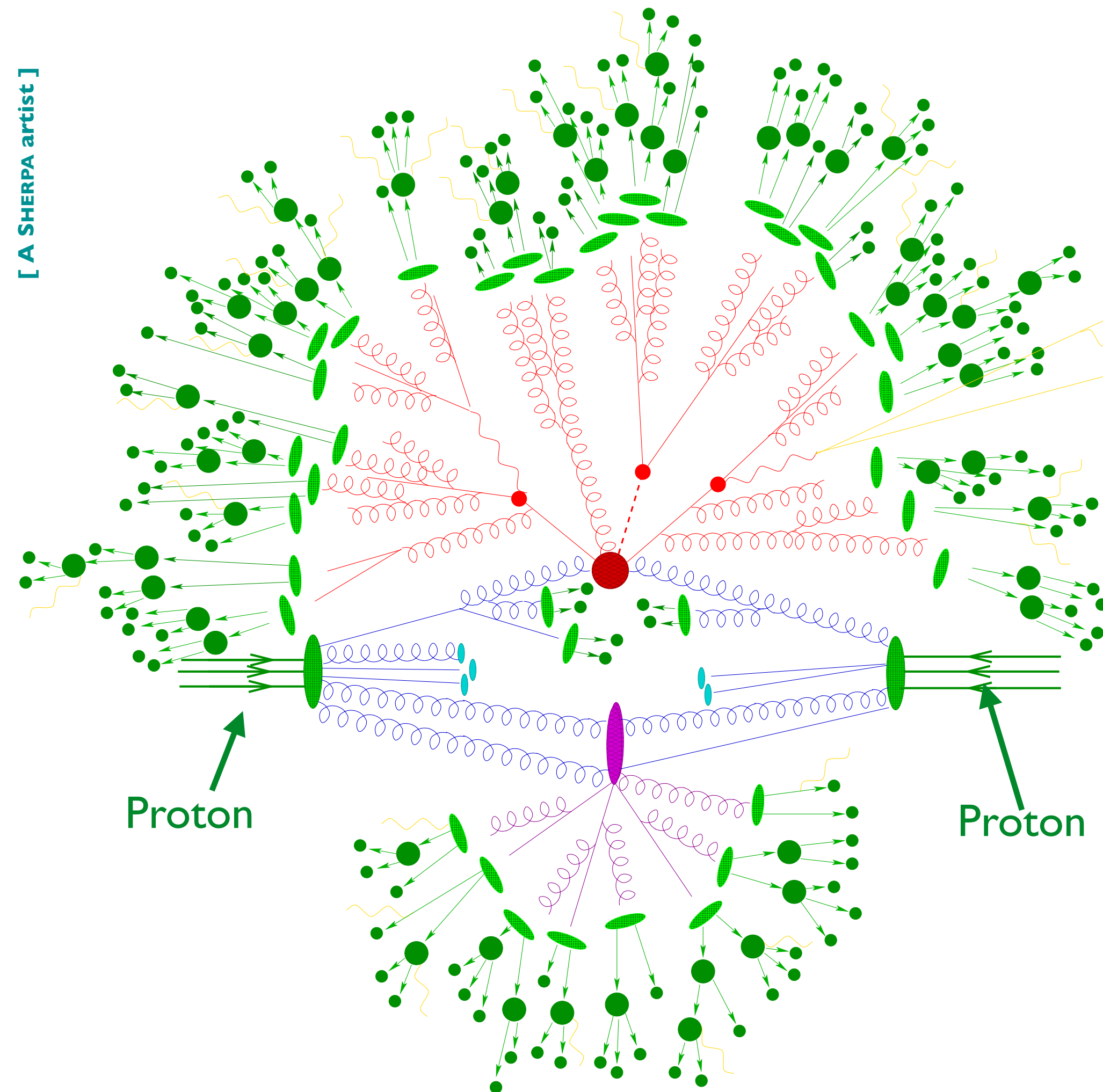
Goal of all lectures at this school

New physics simulations standard today

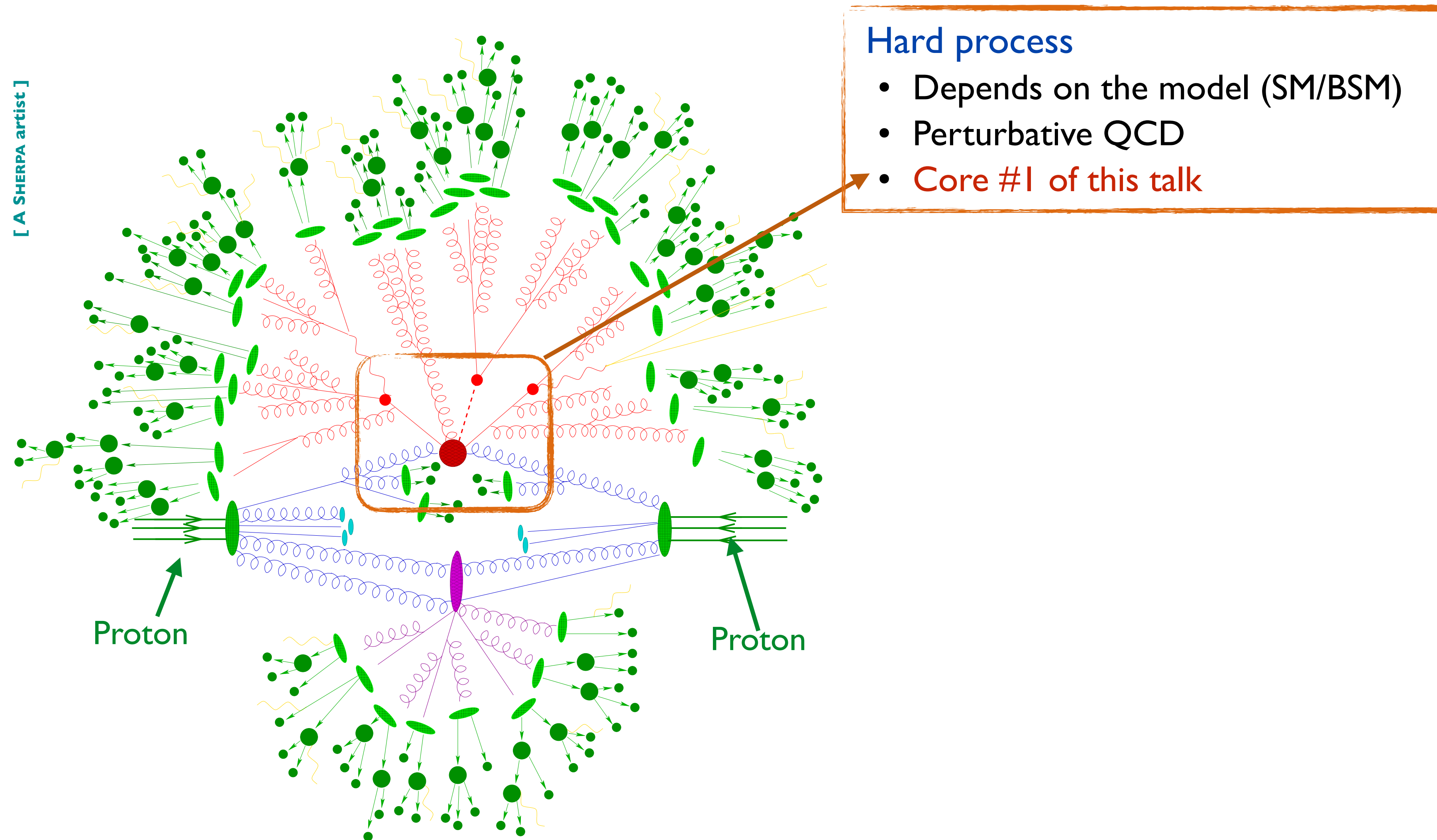
- 20 – 25 years of developments → **LO simulations** = bread and butter
- Simulations at **NLO (QCD)** easily achieved



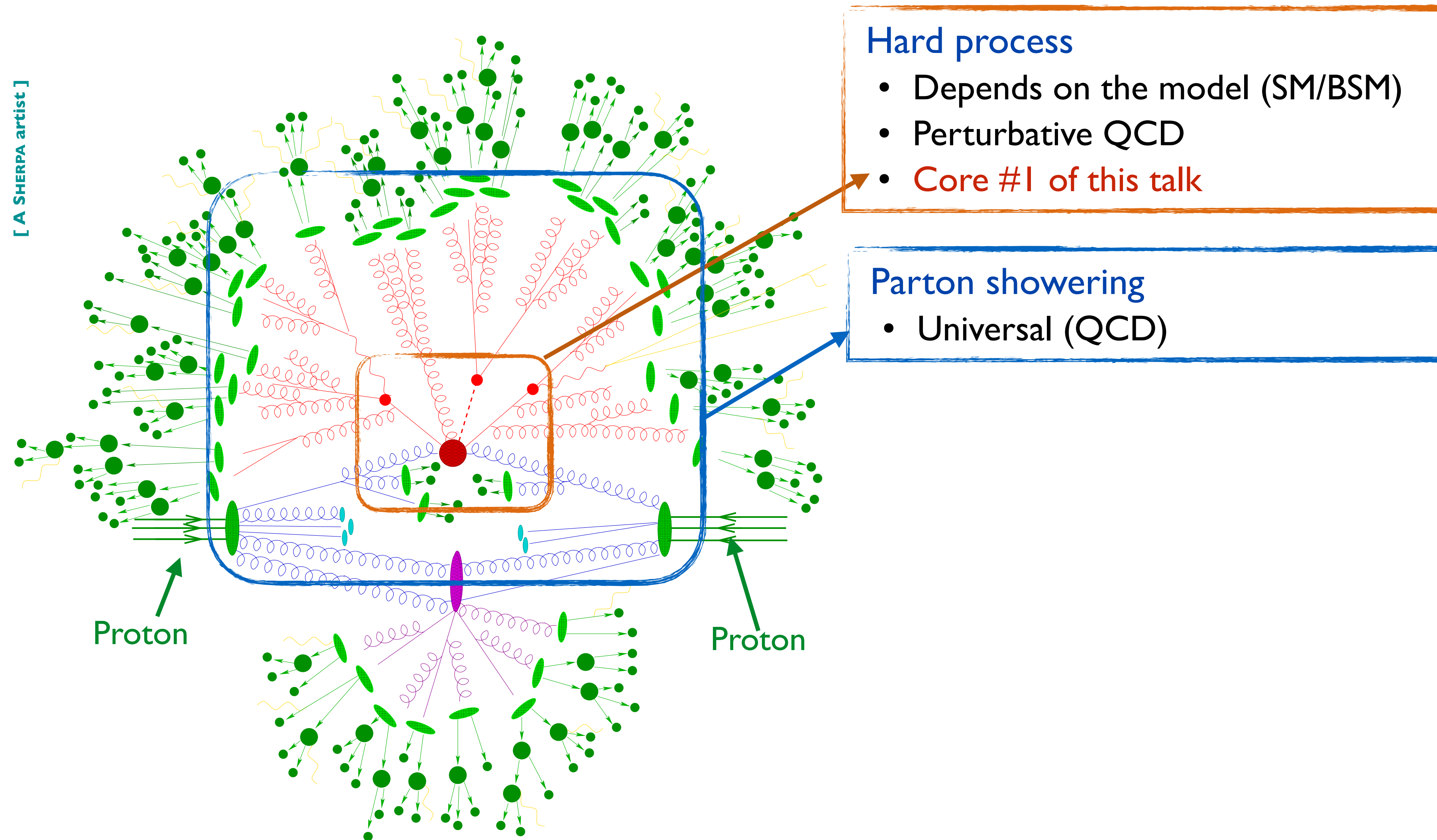
Deciphering a proton collision



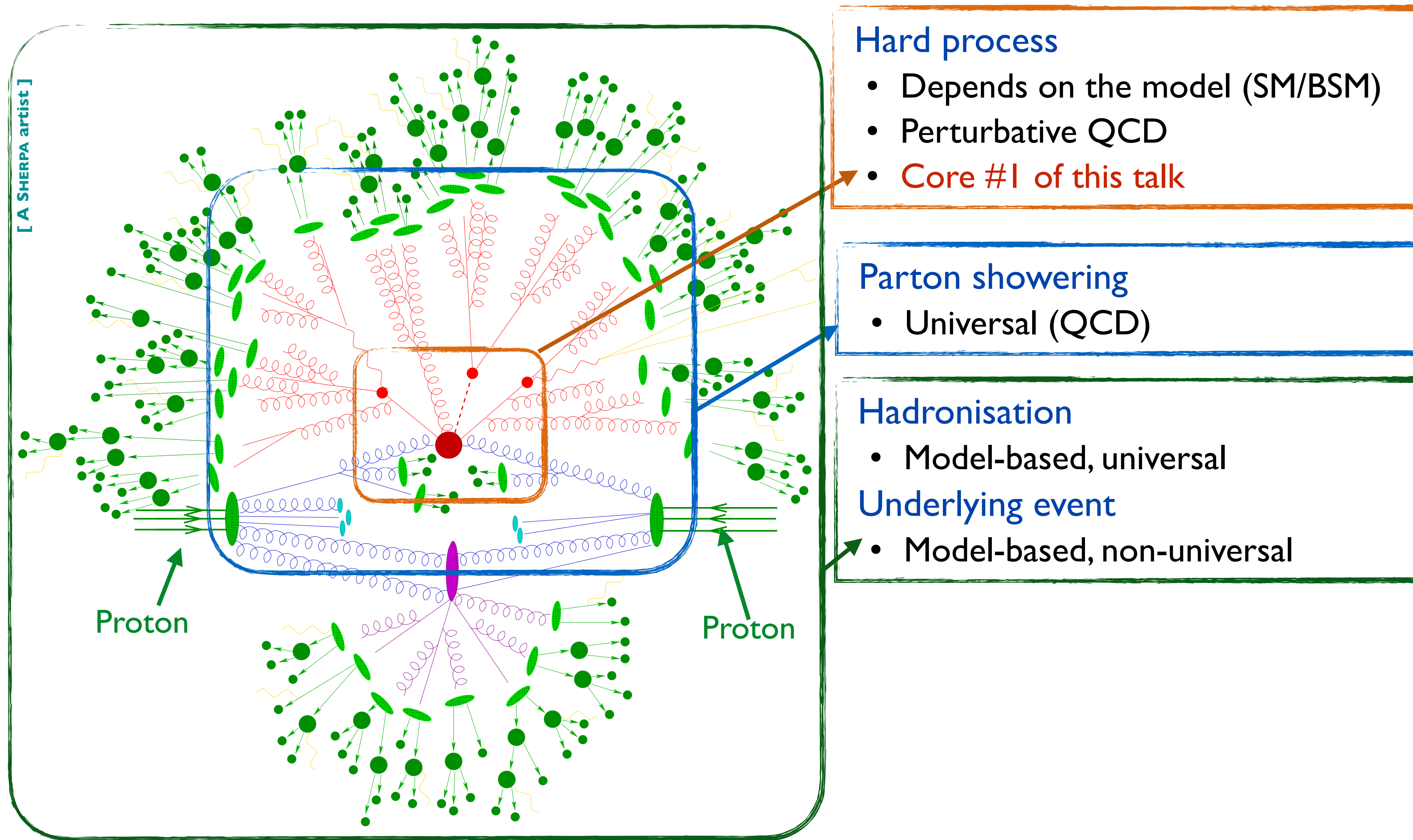
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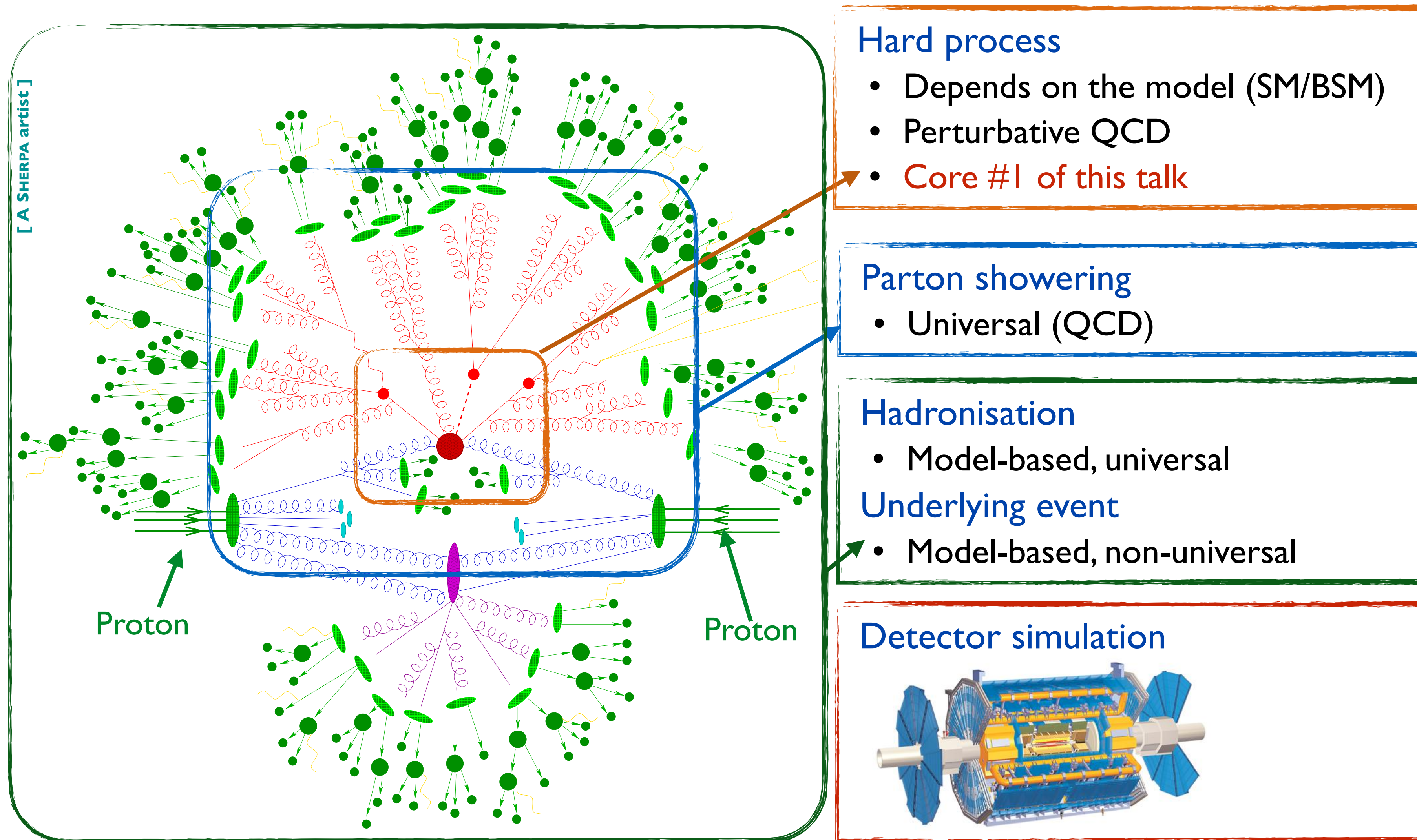
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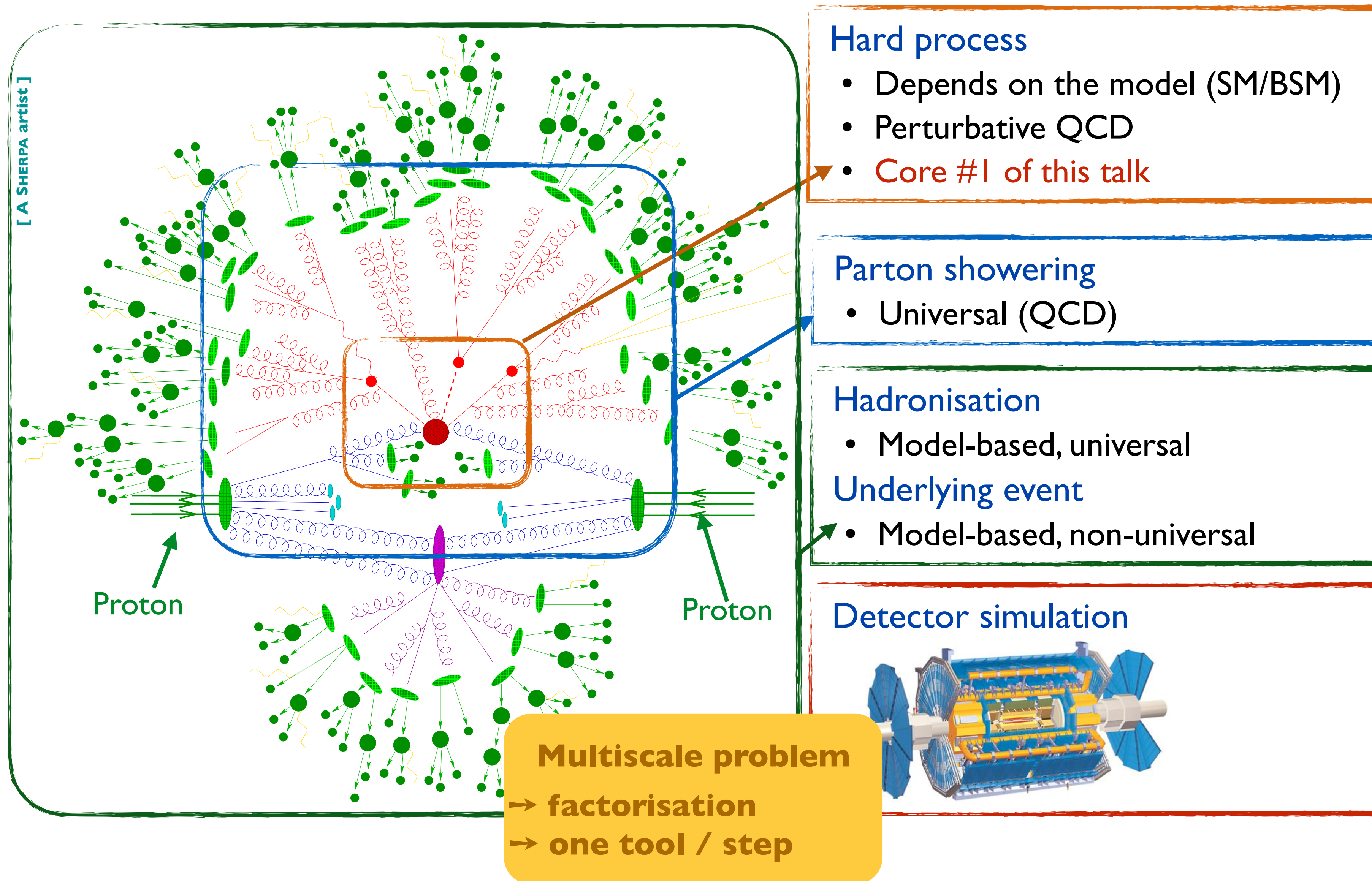
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SM and BSM simulations: the status

SM simulations under good control

- Relevant LHC processes: known with a very good precision
- Further improvements expected in the next few years

SM and BSM simulations: the status

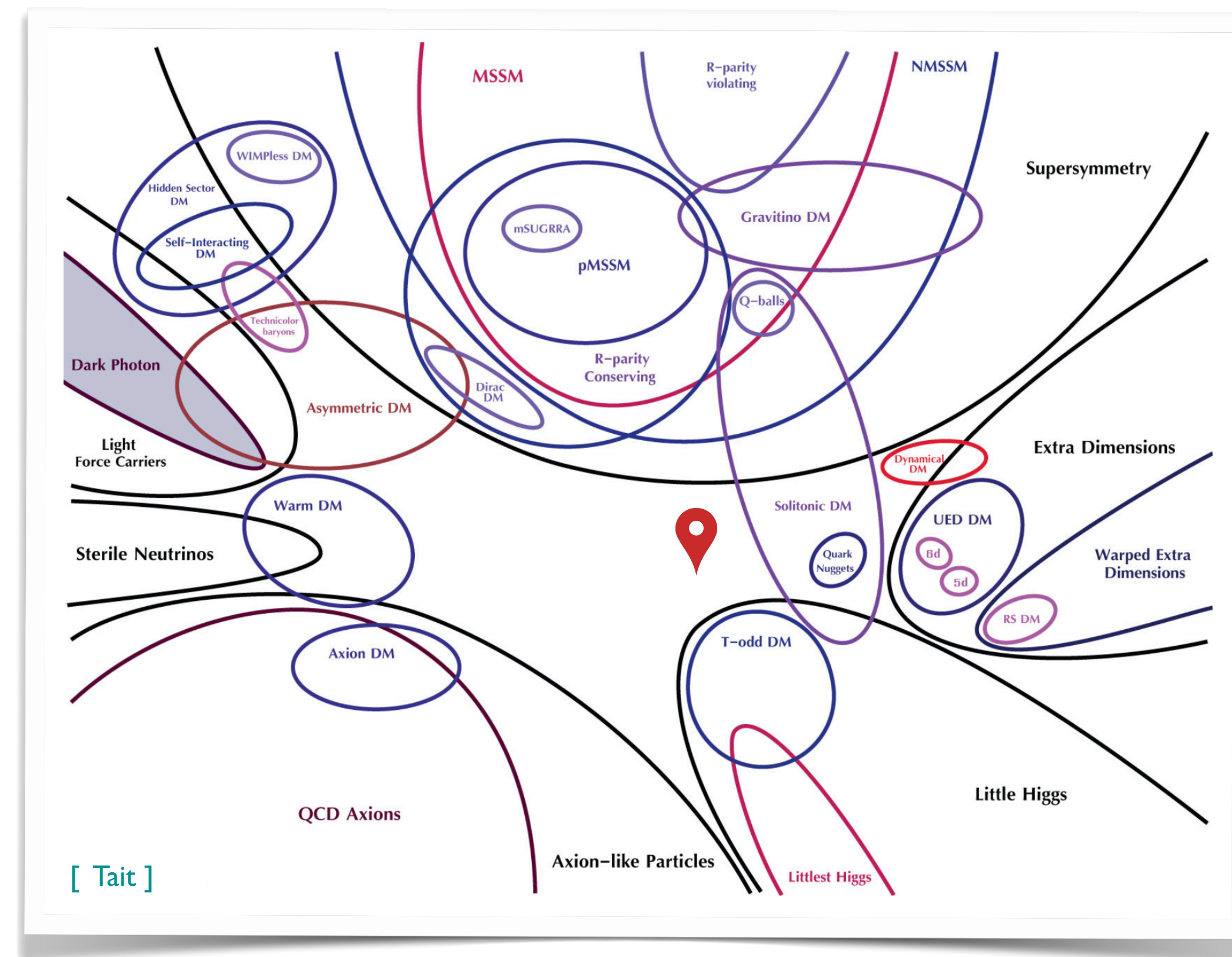
SM simulations under good control

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Different challenges for new physics

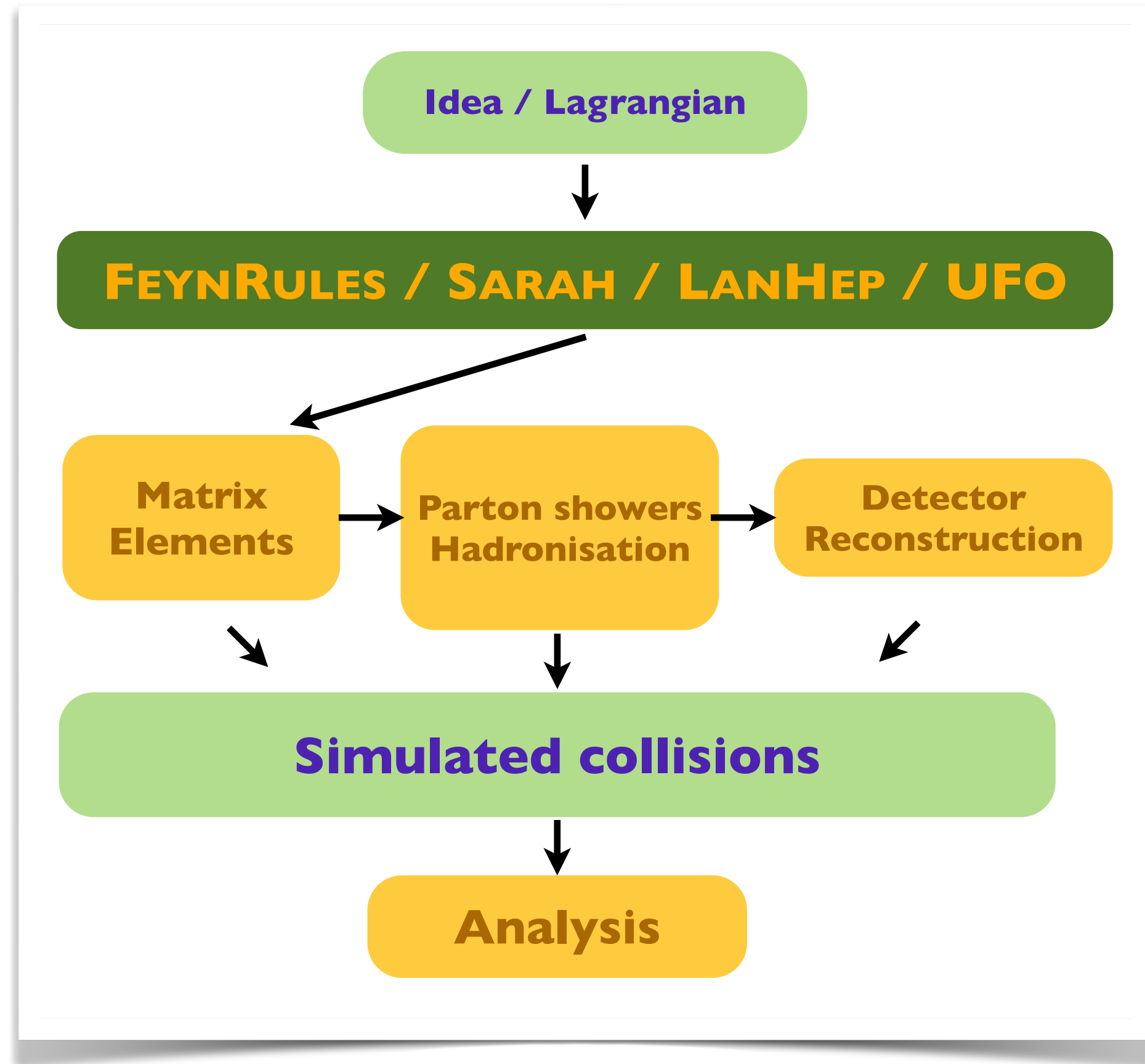
- No sign of new physics
- SM-like measurements
 - no leading candidate theory
- Plethora of models to consider
 - many implementations in tools

Despite of this, new physics is standard today



Connecting ideas to simulations...

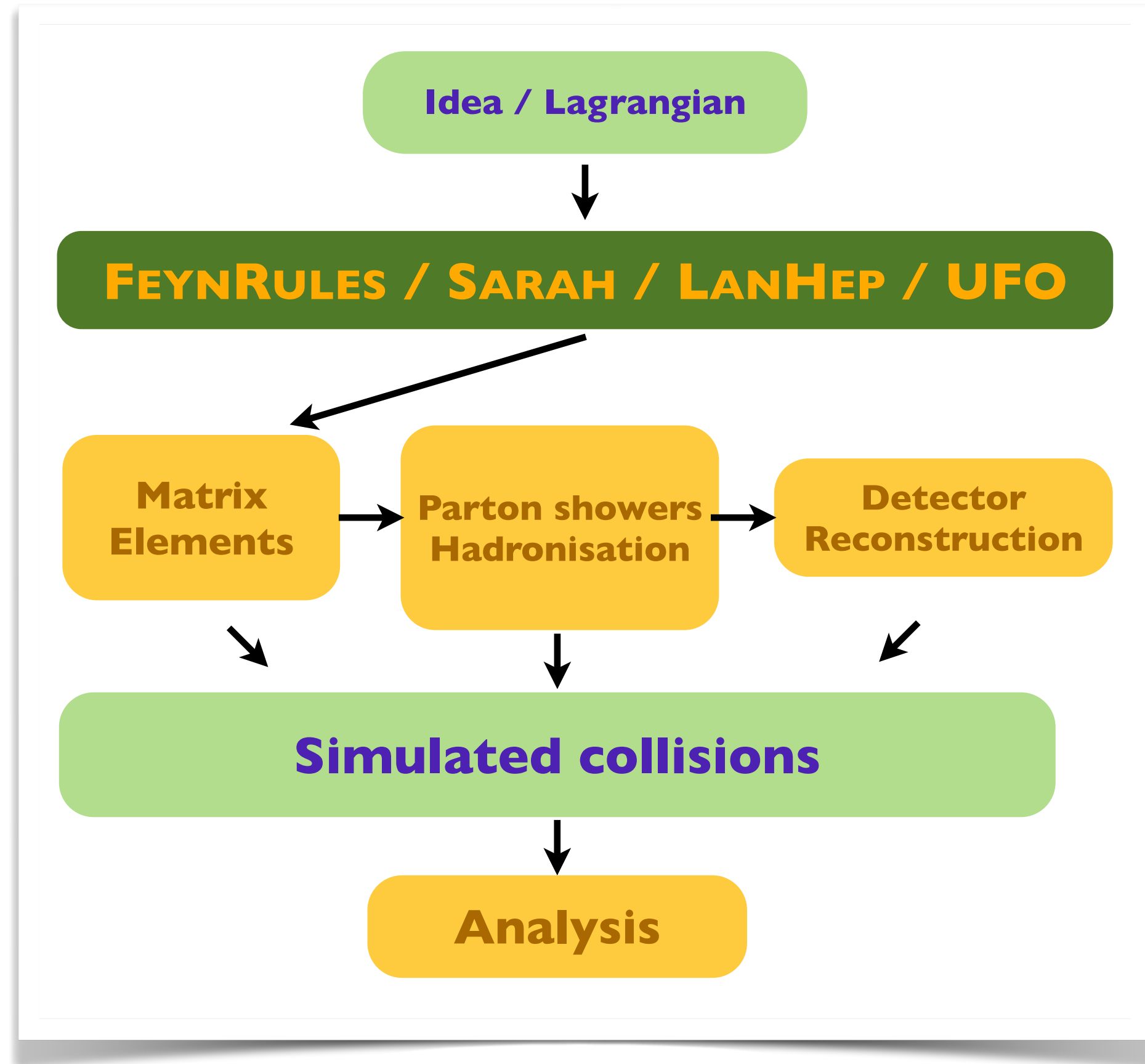
[Christensen, de Aquino, Degrande, Duhr, BF, Herquet, Maltoni & Schumann (EPJ)]



- Model building
- Hard scattering
 - ★ Feynman diagram and amplitude generation
 - ★ Monte Carlo integration
 - ★ Event generation
- QCD environment
 - ★ Parton showering
 - ★ Hadronisation
 - ★ Underlying event
- Detector simulation
 - ★ Simulation of the detector response
 - ★ Object reconstruction
- Event analysis
 - ★ Signal/background analysis
 - ★ LHC recasting

Connecting ideas to simulations...

[Christensen, de Aquino, Degrande, Duhr, BF, Herquet, Maltoni & Schumann (EPJ C 11)]



- Model building → FEYNRULES, LAMHEP, SARAH, UFO
- Hard scattering
 - ★ Feynman diagram and amplitude generation
 - ★ Monte Carlo integration → CALCHEP, HERWIG++, MG5_AMC, SHERPA, WHIZARD, ...
 - ★ Event generation
- QCD environment
 - ★ Parton showering → HERWIG, PYTHIA, SHERPA
 - ★ Hadronisation
 - ★ Underlying event
- Detector simulation
 - ★ Simulation of the detector response → DELPHES, RIVET / MADANALYSIS 5 – SFS
 - ★ Object reconstruction
- Event analysis
 - ★ Signal/background analysis → RIVET / MADANALYSIS 5
 - ★ LHC recasting

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The role of the Lagrangian

Implementation of a new physics model in an MC programme

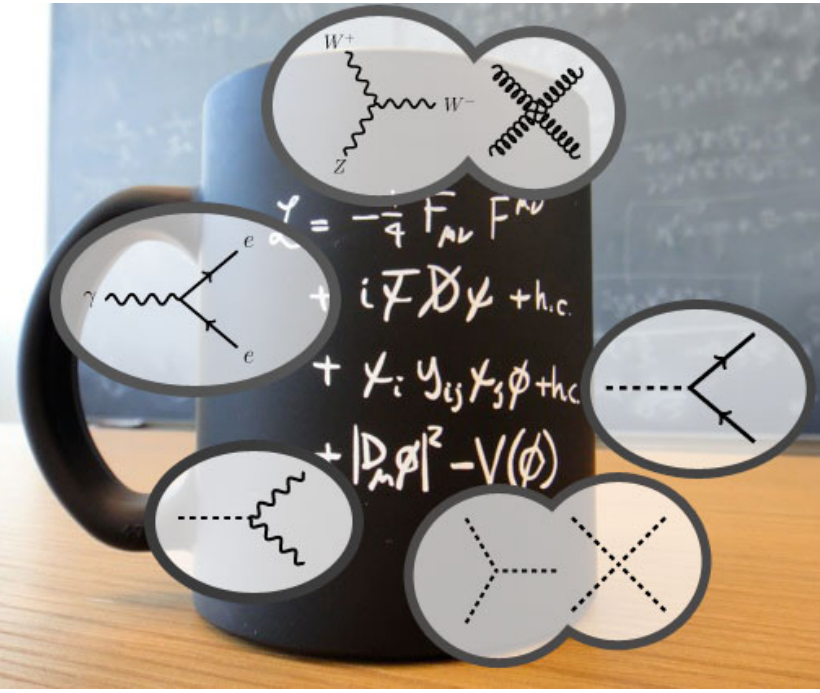
- Definition: particles, parameters and vertices (\equiv Lagrangian)
 - translated in some programming language
- Tedious, time-consuming, error prone
- Beware of restrictions/conventions

$$\begin{aligned}
 & -\frac{1}{2} \partial_\nu g_\mu^a \partial_\nu g_\mu^a - g_s f^{abc} \partial_\mu g_\nu^a g_\mu^b g_\nu^c - \frac{1}{4} g_s^2 f^{abc} f^{ade} g_\mu^b g_\nu^c g_\mu^d g_\nu^e + \\
 & \frac{1}{2} i g_s^2 (\bar{\psi}_i \gamma^\mu g_j^i) g_\mu^a + \bar{G}^a \partial^2 G^a + g_s f^{abc} \partial_\mu \bar{G}^a G^b g_\mu^c - \partial_\nu W_\mu^+ \partial_\nu W_\mu^- - \\
 & M^2 W_\mu^+ W_\mu^- - \frac{1}{2} \partial_\nu Z_\mu^0 \partial_\nu Z_\mu^0 - \frac{1}{2 c_w^2} M^2 Z_\mu^0 Z_\mu^0 - \frac{1}{2} \partial_\mu A_\nu \partial_\mu A_\nu - \frac{1}{2} \partial_\mu H \partial_\mu H - \\
 & \frac{1}{2} m_h^2 H^2 - \partial_\mu \phi^+ \partial_\mu \phi^- - M^2 \phi^+ \phi^- - \frac{1}{2} \partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2 c_w^2} M \phi^0 \phi^0 - \beta_h \left[\frac{2M^2}{g^2} + \right. \\
 & \left. \frac{2M}{g} H + \frac{1}{2} (H^2 + \phi^0 \phi^0 + 2\phi^+ \phi^-) \right] + \frac{2M^4}{g^2} \alpha_h - i g c_w [\partial_\nu Z_\mu^0 (W_\mu^+ W_\nu^- - \\
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The role of the Lagrangian

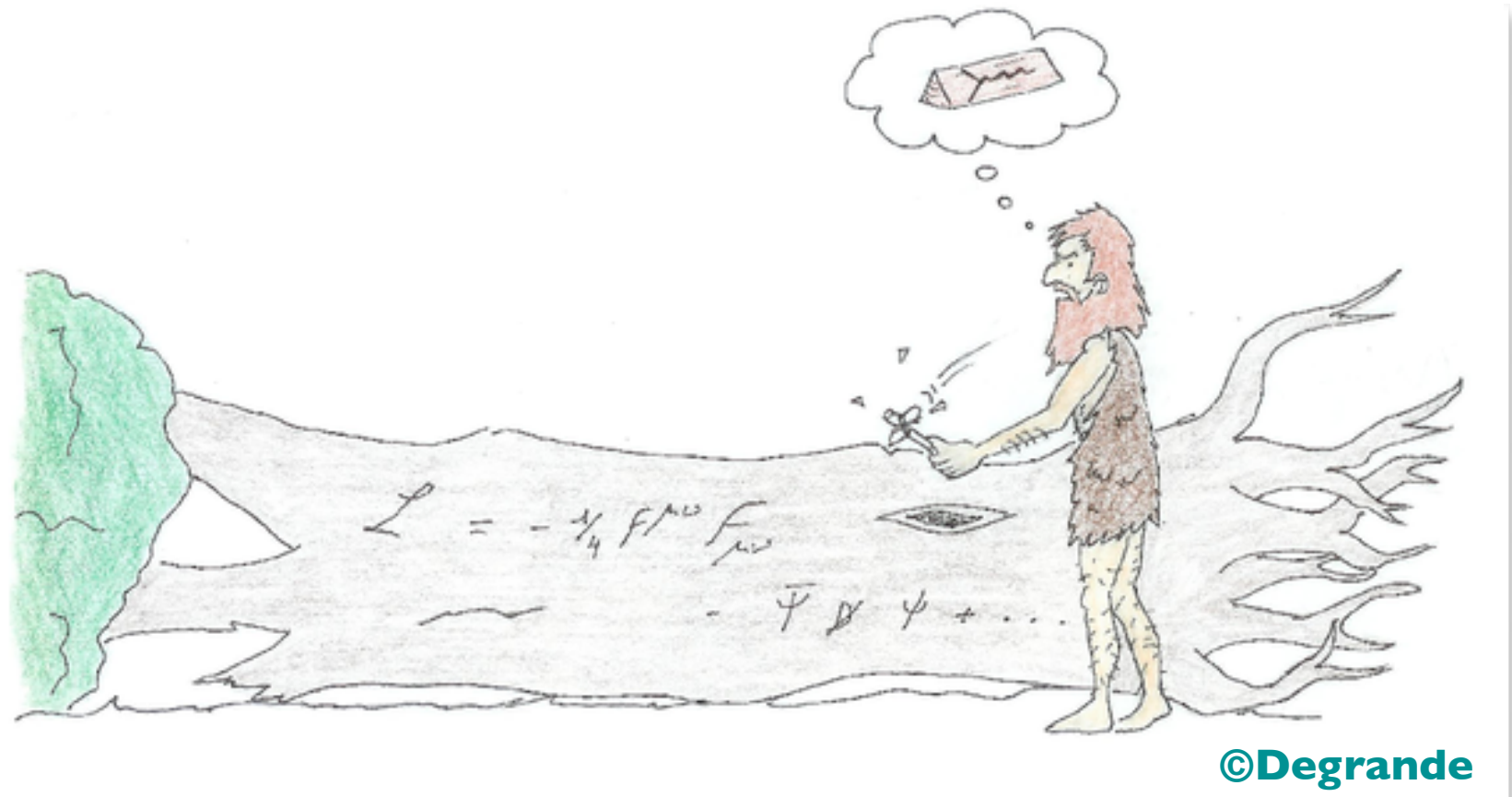
Implementation of a new physics model in an MC programme

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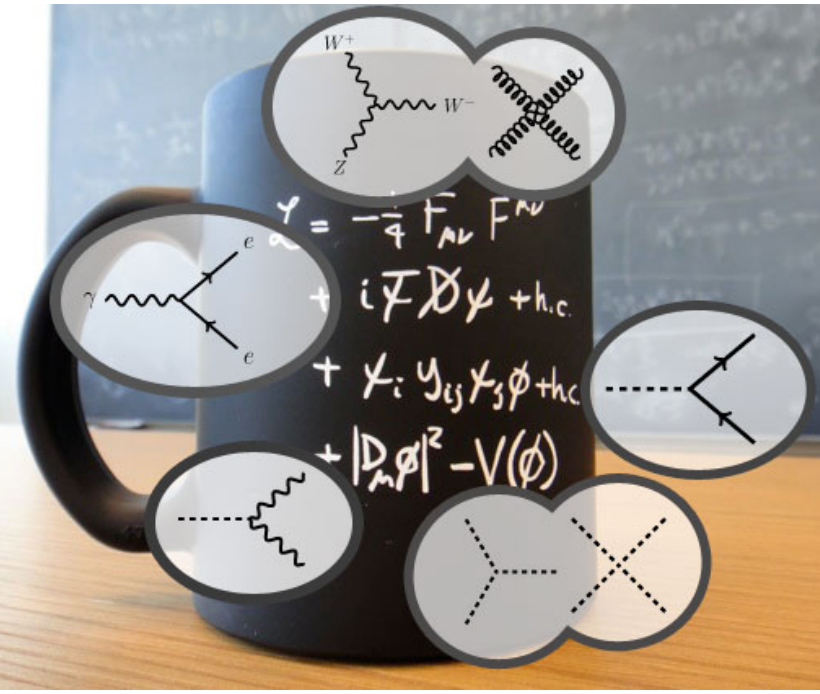
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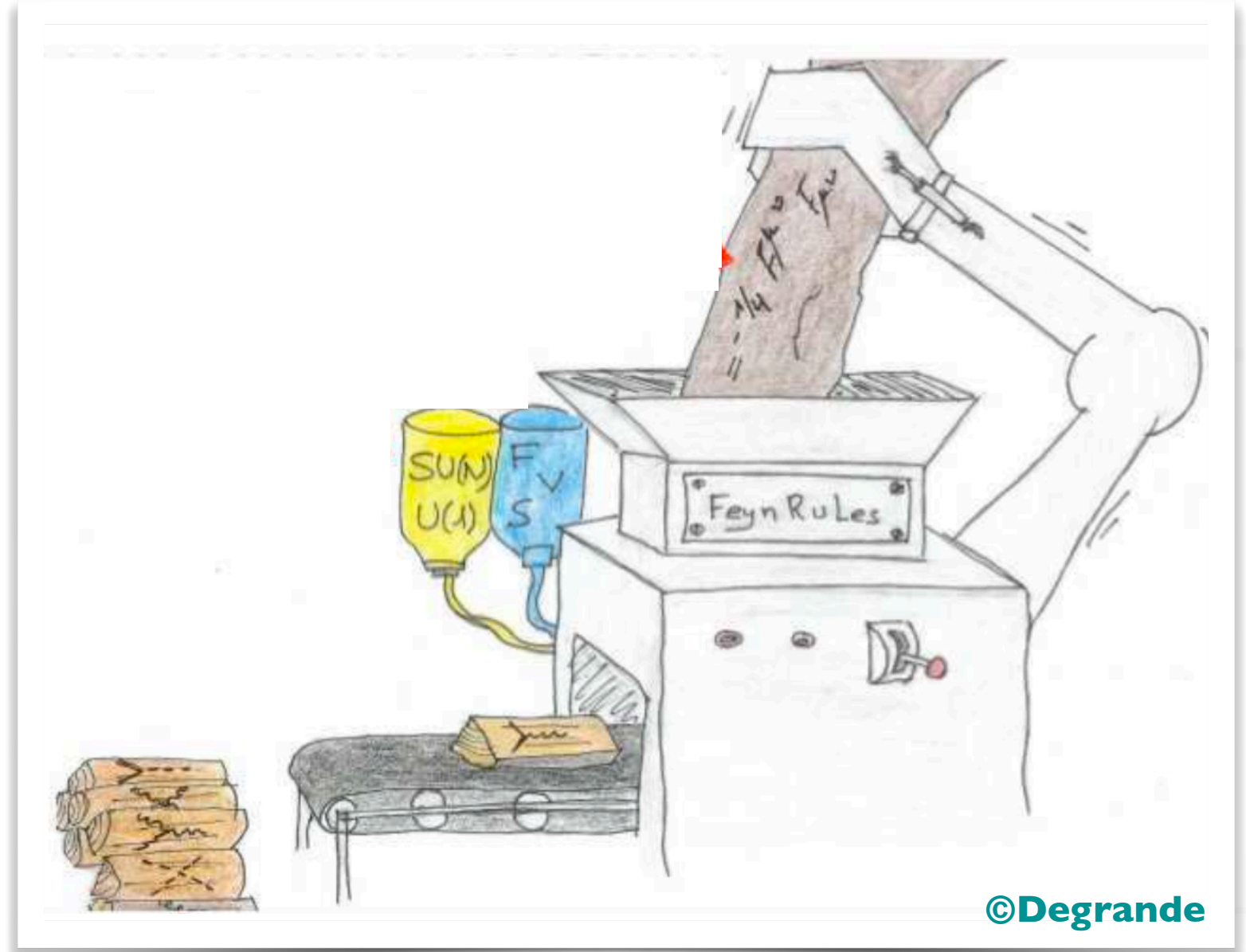
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**Systematisation
Automation**



Programmes connecting Lagrangians and HEP software

The FEYNRULES platform (since 2009)

- Working environment: **MATHEMATICA**
 - ★ Flexibility, symbolic manipulations, easy implementation of new methods, etc.
 - ★ **Many plugins** (superspace, spectrum, decays, NLO, etc.)
- Interfaces to many MC tools
 - ★ Dedicated interfaces (CALCHEP, FEYNARTS)
 - ★ Generic interface: UFOs (MG5_AMC, HERWIG, SHERPA, WHIZARD, ...)
- **Very few limitations on models**
 - ★ Higher-dimensional operators supported
 - ★ Spins (up to 2); colour structures (1, 3, 6, 8)

[Christensen & Duhr (CPC '09)]

[Alloul, Christensen, Degrande, Duhr & BF (CPC'14)]

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[Christensen & Duhr (CPC '09)]

[Alloul, Christensen, Degrande, Duhr & BF (CPC'14)]

LANHEP (since 1997)

- Working environment: **C**
- Initially restricted to CALCHEP/COMPHEP
- Later interfaced to FEYNARTS/UFOs

[Semenov (CPC'98); Semenov (CPC'16)]

The SARA package (since 2010)

- Working environment: **MATHEMATICA**
- **Spectrum generator**, indirect constraints
- Interfaced to many tools (CALCHEP, FEYNARTS, UFO, WHIZARD)

[Staub (CPC'10); Staub (CPC'14)]

Interfacing Lagrangians and MC tools

How to link a Lagrangian to a given MC tool?

- Model Feynman rules (vertices, particle content, *etc.*)
- Removal of vertices not compliant with the tool
 - Colour structures
 - Lorentz structures
- Translation to a specific format and programming language

→ not efficient
→ too many translators

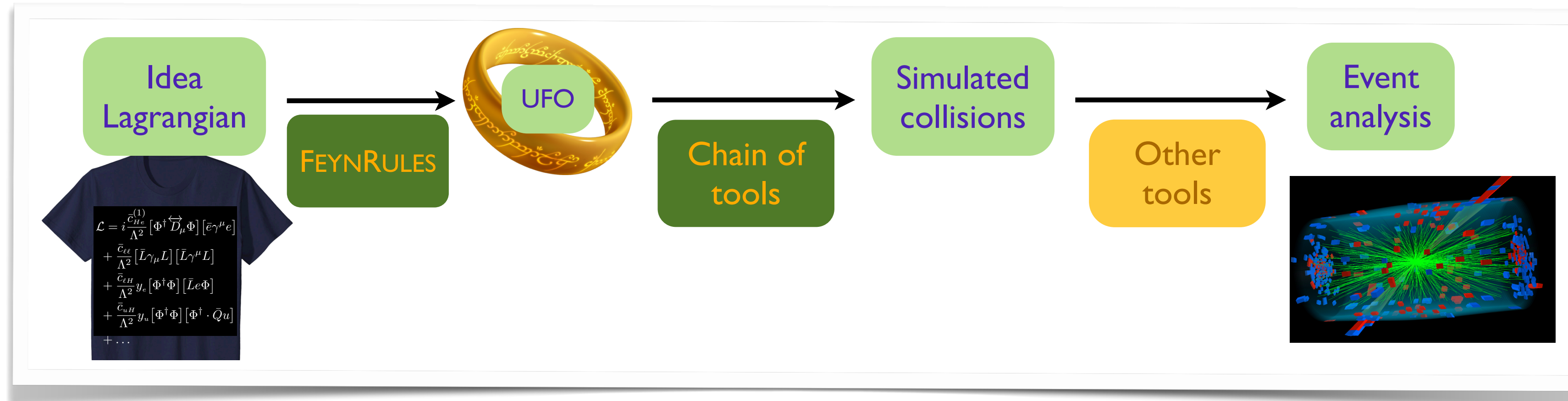
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The UFO: one format to rule them all

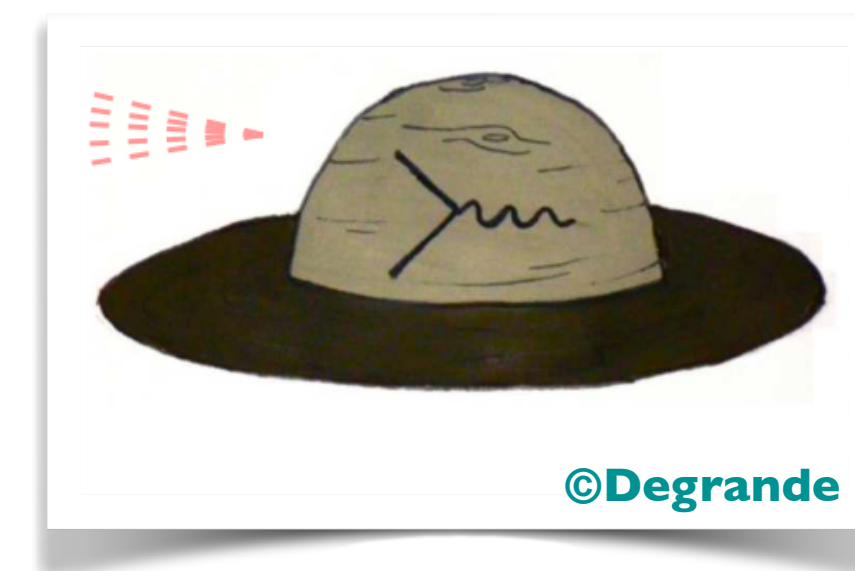


The Universal FEYNRULES Output

The UFO in a nutshell

- UFO \equiv Universal FEYNRULES output \rightarrow **Universal Feynman Output**
 - ★ **Universal** as not tied to any specific programme
- Set of **PYTHON files** to be linked to any code
- A PYTHON model with **full information**
 - ★ Generic colour and Lorentz structures
 - ★ Up to software to enforce restrictions on acceptable colour/Lorentz structures
- Allows for next-to-leading order calculations

[Degrande, Duhr, BF, Grellscheid, Mattelaer, Reiter (CPC '12)]
[Degrande, Duhr, BF, Hirschi, Mattelaer, Pagani, Shao et al. (in prep.)]

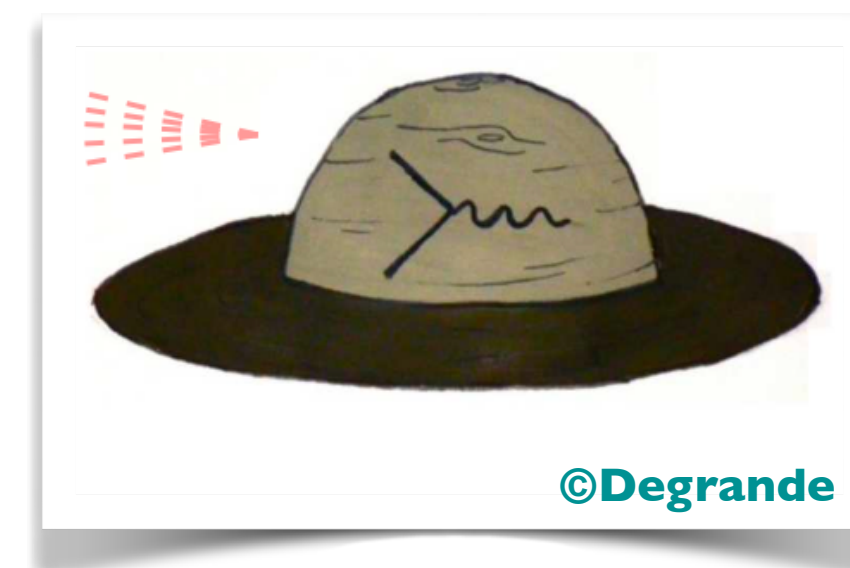


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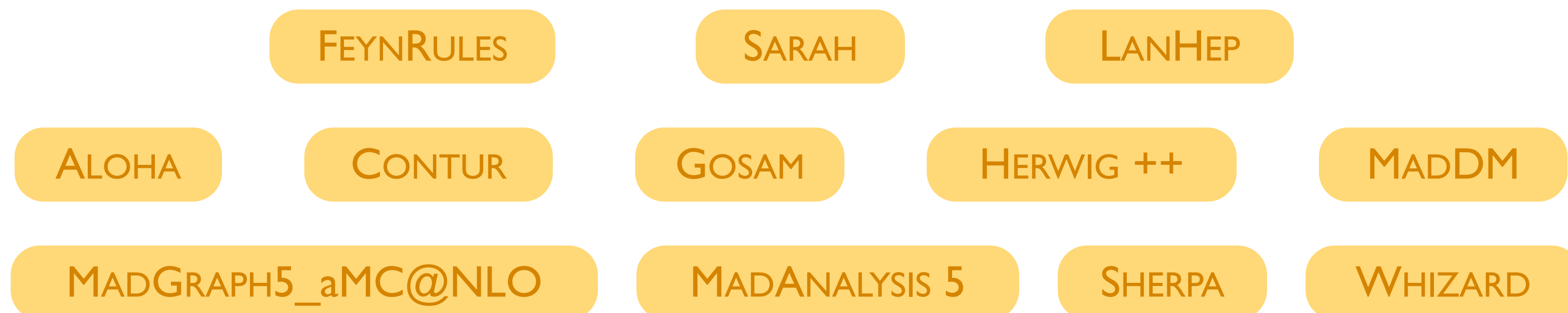
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Initially designed as the MG5aMC model format, UFOs now standard



The UFO in practice

The UFO \equiv set of PYTHON files

- Factorisation of the information in **mandatory and optional files**
 - particles
 - parameters
 - interactions
 - extra stuff (NLO, decays, propagators, functions, etc.)
- Economical implementation of vertices and structures through recycling across the model

```
[fuchs@NewMouth /Users/fuchs/Documents/HEPTools/MG5_aMC/2.9.13/models/DMSimpt_NLO_v1_3_UFO$] ls
CT_couplings.py          __init__.py          function_library.py  parameters.py        write_param_card.py
CT_parameters.py        coupling_orders.py   lorentz.py          particles.py
CT_vertices.py          couplings.py         object_library.py   propagators.py
DMSimpt_NLO_v1_3_UFO.log decays.py            param_card.dat      vertices.py
```

[Arina, BF & Mantani (EPJC'20)]

The UFO: particles & parameters

Particles \equiv instances of the particle class

- Attributes: spin, colour representation, mass, width, etc.
- Antiparticles automatically derived

```
go = Particle(pdg_code = 1000021,  
             name = 'go',  
             antiname = 'go',  
             spin = 2,  
             color = 8,  
             mass = Param.Mgo,  
             width = Param.Wgo,  
             texname = 'go',  
             antitexname = 'go',  
             charge = 0)
```

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- Attributes: spin, colour representation, mass, width, etc.
- Antiparticles automatically derived

```
go = Particle(pdg_code = 1000021,
              name = 'go',
              antiname = 'go',
              spin = 2,
              color = 8,
              mass = Param.Mgo,
              width = Param.Wgo,
              texname = 'go',
              antitexname = 'go',
              charge = 0)
```

Parameters \equiv instances of the parameter class

- External parameters: Les Houches-like structure
- PYTHON-compliant formula for the internal parameters

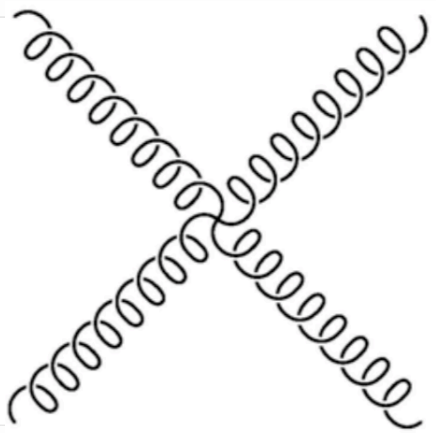
```
aS = Parameter(name = 'aS',
               nature = 'external',
               type = 'real',
               value = 0.1184,
               texname = '\\alpha_s',
               lhablock = 'SMINPUTS',
               lhacode = [ 3 ])

G = Parameter(name = 'G',
              nature = 'internal',
              type = 'real',
              value = '2*cmath.sqrt(aS)*cmath.sqrt(cmath.pi)',
              texname = 'G')
```

The UFO: strategy for interactions

Decomposition in a **spin x colour** basis (coupling strengths \equiv coordinates)

- Example: the quartic gluon vertex



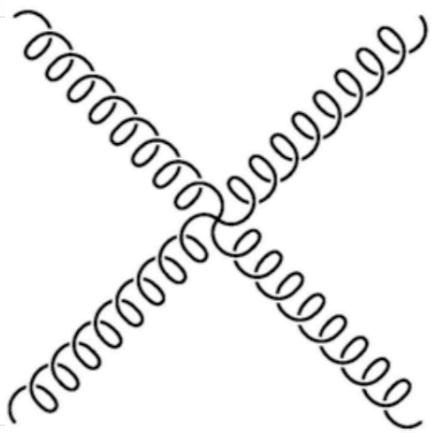
The diagram shows a central vertex where four gluon lines meet. The lines are represented by curly loops and are arranged in a cross shape, with two lines entering from the left and two exiting to the right.

$$\begin{aligned} & ig_s^2 f^{a_1 a_2 b} f^{b a_3 a_4} (\eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4}) \\ & + ig_s^2 f^{a_1 a_3 b} f^{b a_2 a_4} (\eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4}) \\ & + ig_s^2 f^{a_1 a_4 b} f^{b a_2 a_3} (\eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4}) \end{aligned}$$

The UFO: strategy for interactions

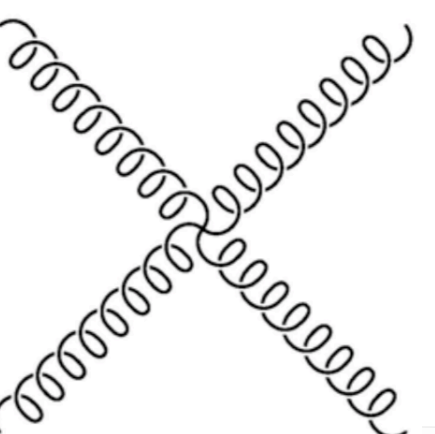
Decomposition in a **spin x colour** basis (coupling strengths \equiv coordinates)

- Example: the quartic gluon vertex



$$\begin{aligned}
 & ig_s^2 f^{a_1 a_2 b} f^{b a_3 a_4} (\eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4}) \\
 & + ig_s^2 f^{a_1 a_3 b} f^{b a_2 a_4} (\eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4}) \\
 & + ig_s^2 f^{a_1 a_4 b} f^{b a_2 a_3} (\eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4})
 \end{aligned}$$

- UFO version



$$\begin{aligned}
 & (f^{a_1 a_2 b} f^{b a_3 a_4}, f^{a_1 a_3 b} f^{b a_2 a_4}, f^{a_1 a_4 b} f^{b a_2 a_3}) \\
 & \times \begin{pmatrix} ig_s^2 & 0 & 0 \\ 0 & ig_s^2 & 0 \\ 0 & 0 & ig_s^2 \end{pmatrix} \begin{pmatrix} \eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} \\ \eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \\ \eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \end{pmatrix}
 \end{aligned}$$

- ★ 3 elements for the colour basis
- ★ 3 elements for the spin (Lorentz structure) basis
- ★ 9 coordinates (6 are zero, only 1 encoded)

Information split across several files

```

[fuks@NewMouth /Users/fuks/Documents/HEPTools/MG5_aMC/2.9.13/models/DMSimpt_NLO_v1_3_UFO$] ls
CT_couplings.py          __init__.py          function_library.py   parameters.py          write_param_card.py
CT_parameters.py        coupling_orders.py   lorentz.py            particles.py
CT_vertices.py          couplings.py         object_library.py    propagators.py
DMSimpt_NLO_v1_3_UFO.log decays.py            param_card.dat       vertices.py
    
```

UFOs @ NLO: generalities

NLO predictions in a nutshell

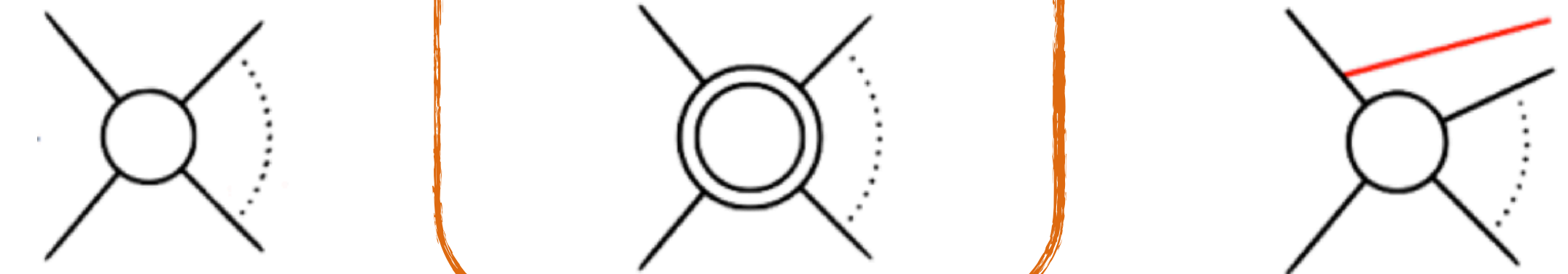
- Three ingredients: the Born, virtual loop and real emission contributions

$$\sigma_{NLO} = \int d^4\Phi_n \mathcal{B} + \int d^4\Phi_n \int_{\text{loop}} d^d\ell \mathcal{V} + \int d^4\Phi_{n+1} \mathcal{R}$$

Born

Virtuals: one extra power of α_s and divergent

Reals: one extra power of α_s and divergent



The image shows three Feynman diagrams. The first is a Born diagram: a central circle with four external lines (two solid, two dashed). The second is a virtual loop diagram: a central circle with four external lines, and a loop of two internal lines. The third is a real emission diagram: a central circle with four external lines, and an additional external line (solid) attached to the top of the circle.

UFOs @ NLO: generalities

NLO predictions in a nutshell

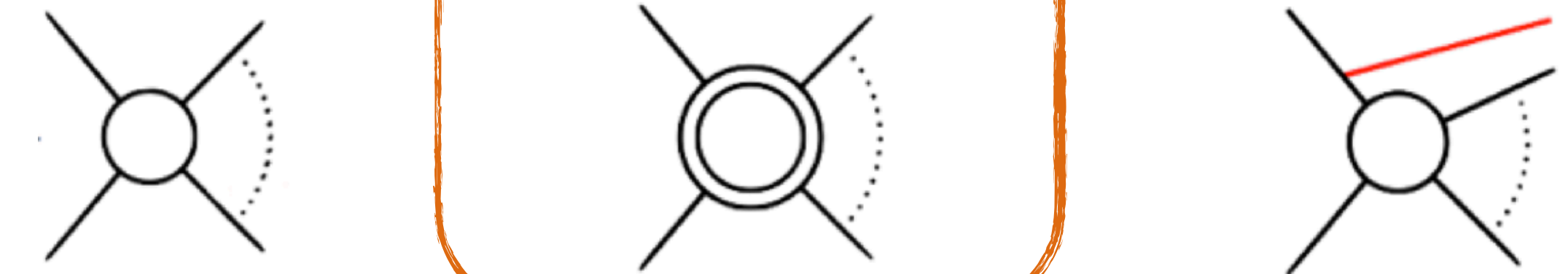
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Born

Virtuals: one extra power of α_s and divergent

Reals: one extra power of α_s and divergent



The diagram shows three Feynman diagrams. The first is a Born diagram with four external lines meeting at a central vertex. The second is a virtual loop diagram with a loop and four external lines, enclosed in an orange rounded rectangle. The third is a real emission diagram with a loop and five external lines, one of which is highlighted in red.

Goal: automated predictions, for any process in any model

- Dimensional regularisation
 - Calculations in $d = 4 - 2\epsilon$ dimensions
 - Divergences explicit ($1/\epsilon^2$, $1/\epsilon$) after reduction of tensor integral reduction
- Numerical methods in 4 dimensions → R_1 and R_2 terms
- Renormalisation → counterterms

Extra information needed

UFO@NLO

[Ossola, Papadopoulos, Pittau (NPB'07)]

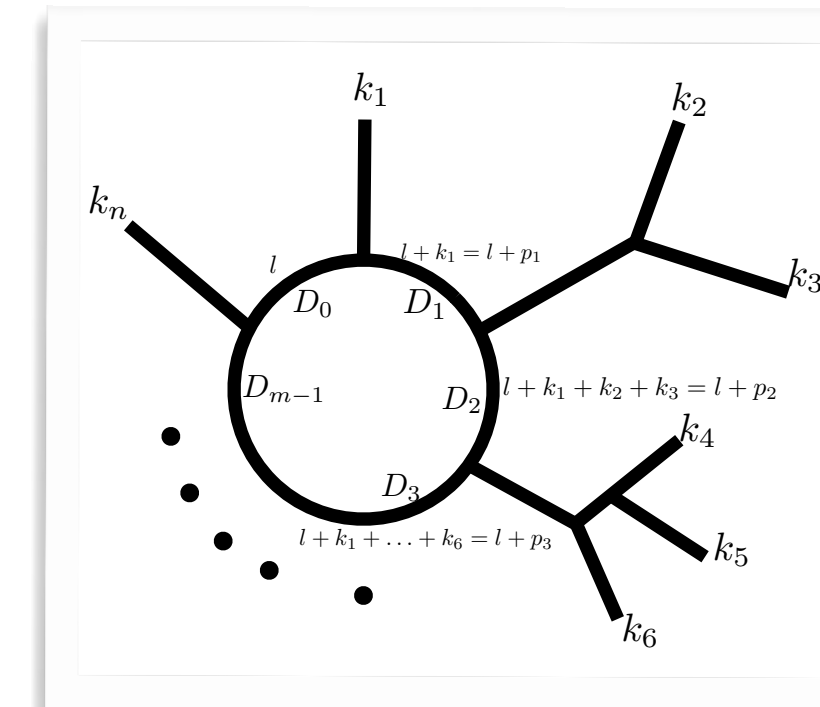
[Ossola, Papadopoulos, Pittau (JHEP'08)]

UFOs @ NLO in practice

The reduction must be performed in a d -dimensional space

$$\int d^d \ell \frac{N(\ell, \tilde{\ell})}{\bar{D}_0 \bar{D}_1 \cdots \bar{D}_{m-1}} \quad \text{with } \bar{\ell} = \ell + \tilde{\ell}$$

\swarrow \searrow \swarrow \searrow
D-dim 4-dim (-2 ϵ)-dim



UFOs @ NLO in practice

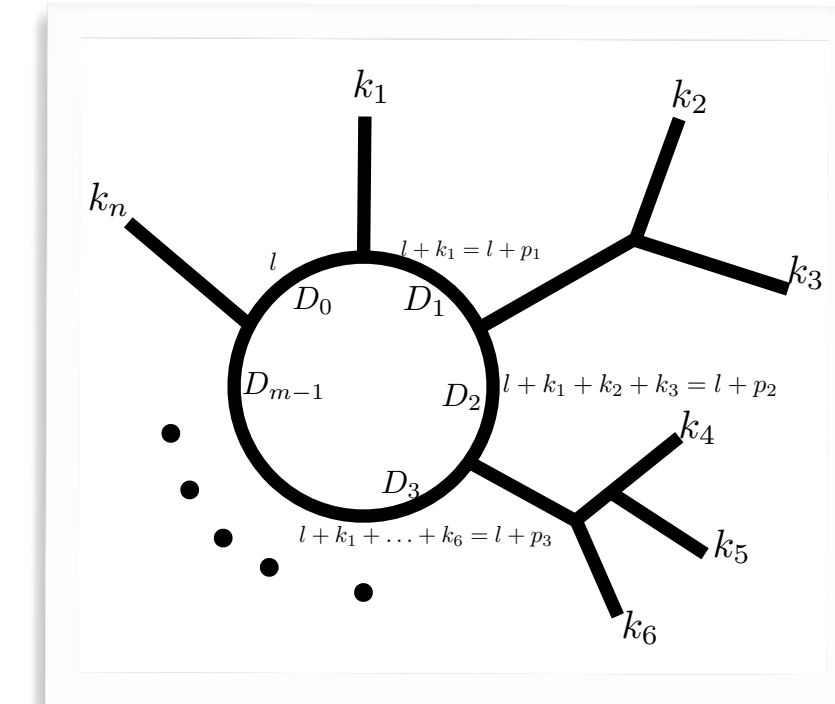
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$\bar{\ell}$ (D-dim) ℓ (4-dim) $\tilde{\ell}$ (-2ϵ -dim)

R_I terms from denominators

- dD vs. 4D internal propagators ($\bar{D}_i \rightarrow D_i$)
- Computed on the fly (a few non-zero extra integrals)

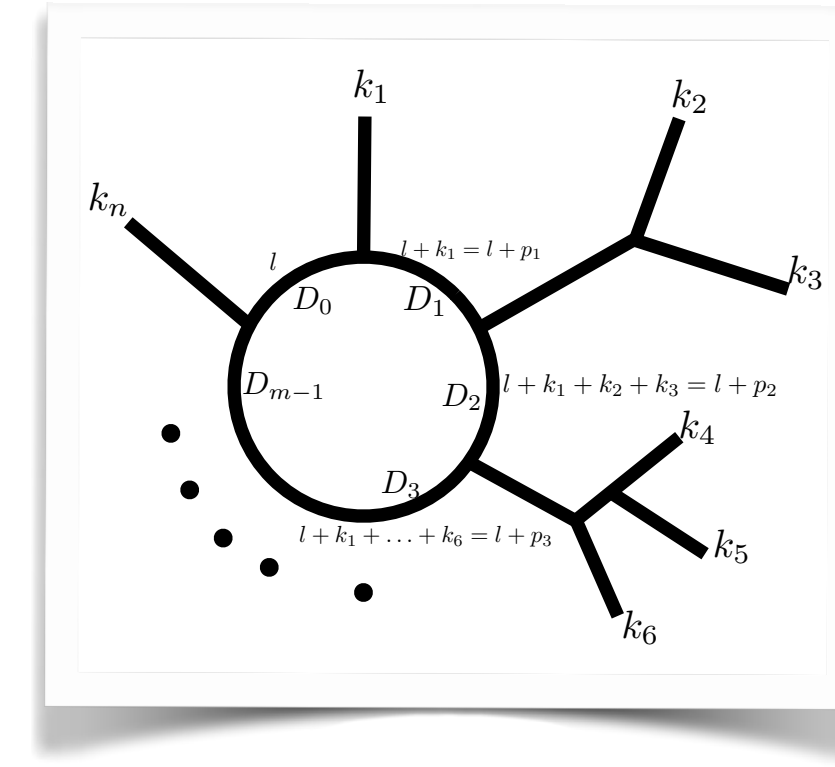


UFOs @ NLO in practice

The reduction must be performed in a d -dimensional space

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$\bar{\ell}$ (D-dim) ℓ (4-dim) $\tilde{\ell}$ (-2ϵ -dim)



R_1 terms from denominators

- dD vs. 4D internal propagators ($\bar{D}_i \rightarrow D_i$)
- Computed on the fly (a few non-zero extra integrals)

R_2 terms from numerators

- Process-dependent contributions proportional to $\tilde{\ell}^2$
- Renormalisable theory
 - Extra diagrams with special Feynman rules (R_2 Feynman rules)
 - Connected to the UV structure of the integrals (like counterterms)
- Derivation of these extra Feynman rules
 - **Finite number of R_2 's** from the bare Lagrangian
 - Calculated together with **UV counterterms**
 - The NLOCT package [Degrande (CPC'15)]

UFO @ NLO

NLO simulations with FEYNRULES & MG5_AMC

[Christensen, de Aquino, Degrande, Duhr, BF, Herquet, Maltoni & Schumann (EPJC'11)]

Idea / Lagrangian



FEYNRULES / UFO



Matrix
Elements



Collider observables



Phenomenology

Model building: from Lagrangian to tools

- FEYNRULES → UFO (@NLO)
- PYTHON representation of the theory
- **Automation** of one-loop calculations

[Alloul, Christensen, Degrande, Duhr & BF (CPC'14)]

[Degrande, Duhr, BF, Mattelaer & Reither (CPC'12)]

[Degrande (CPC'15)]

Hard-scattering process with MG5_aMC

- Feynman diagrams, matrix elements
- Perturbative series (LO/NLO)
- Automation from the UFO information

[Alwall et al. (JHEP'14)]

[Frederix, Frixione, Hirschi, Pagani, Shao & Zaro (JHEP'18)]

[Frixione, BF, Hirschi, Mawatari, Shao, Sunder & Zaro (JHEP'19)]

Collider phenomenology

- Matching with parton showers
- Hadronisation models
- Detector simulation

See all other lectures

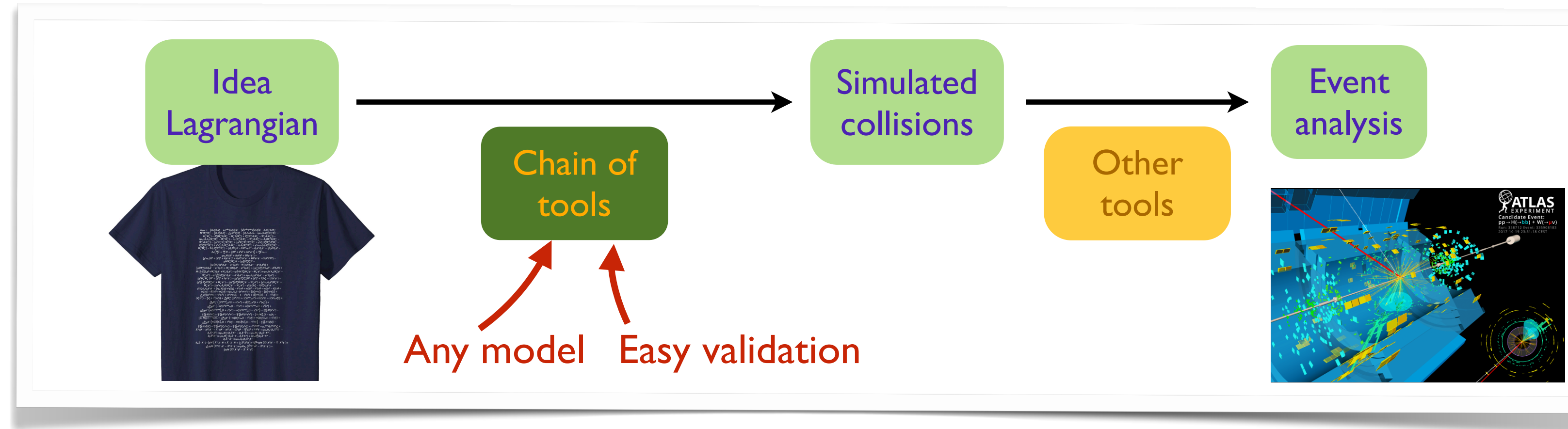
Outline

1. A comprehensive approach for Monte Carlo simulations
2. Implementing models into Monte Carlo event generators
- 3. From events to Lagrangian: reinterpretation of the results of the LHC**
4. Summary

From Lagrangians to events

New physics simulations standard today

- 20 – 25 years of developments
- Simulations at LO/NLO easily achieved

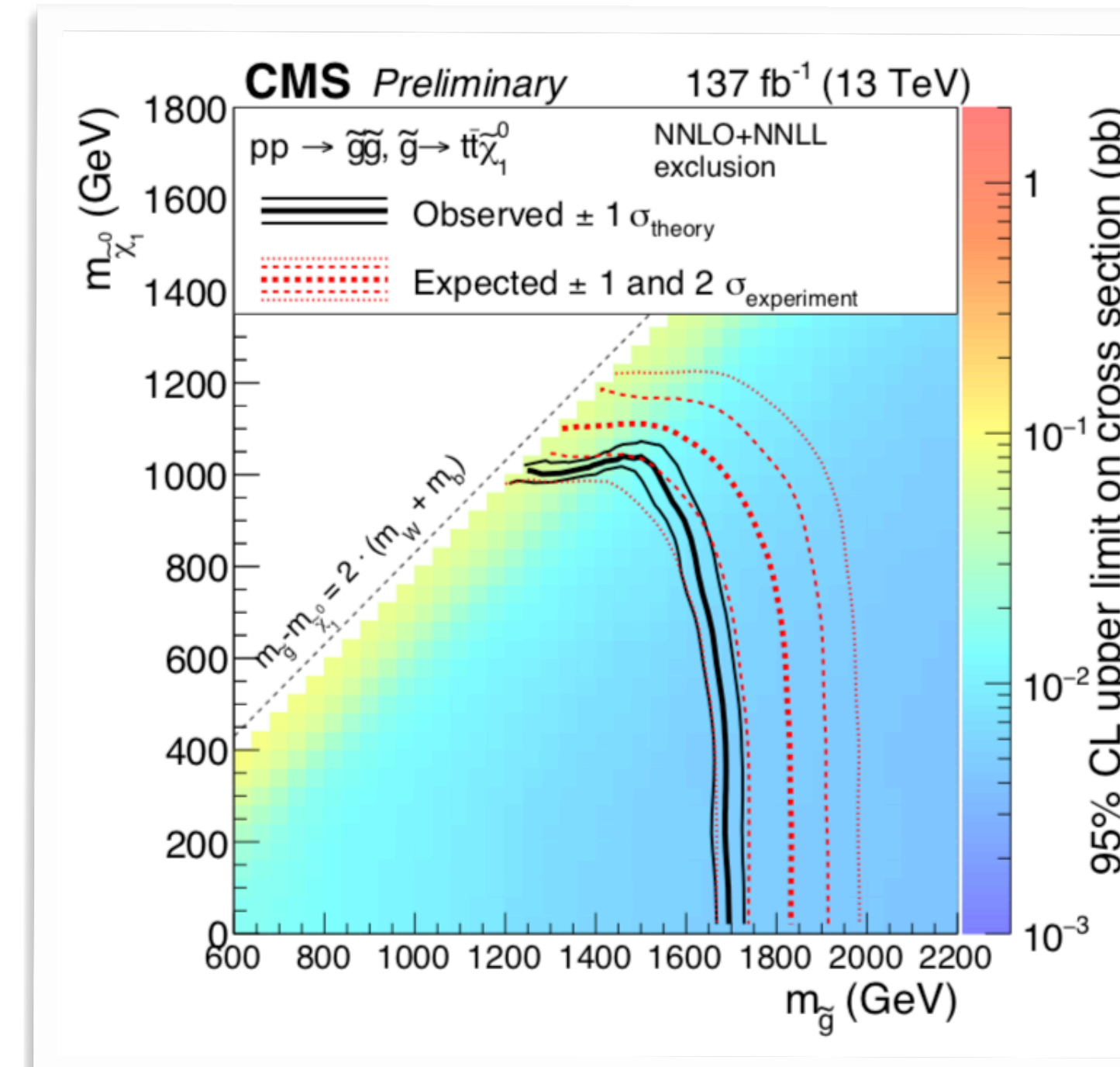
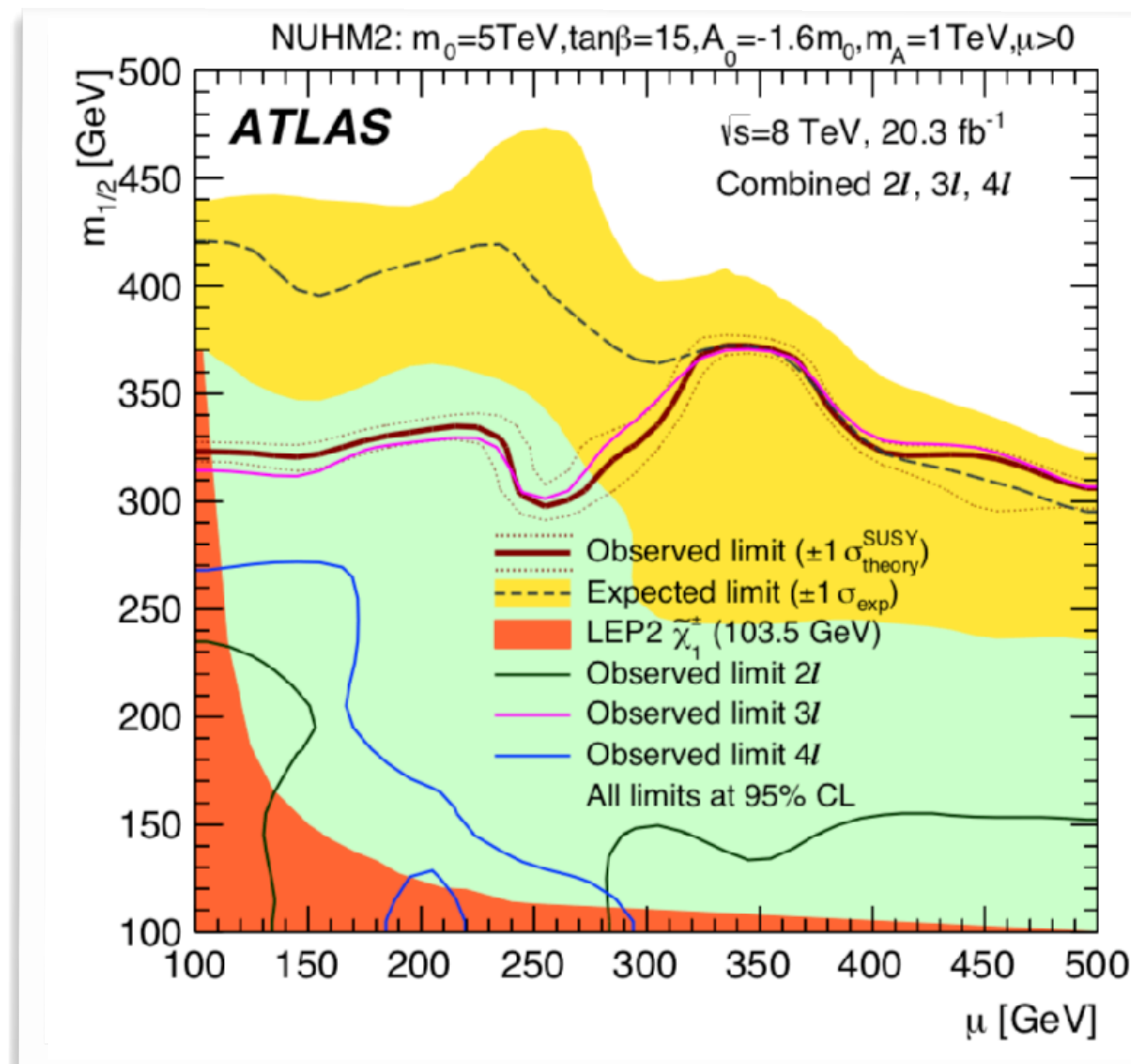


Let's reverse the chain...

New physics results at the LHC

LHC \equiv discovery machine

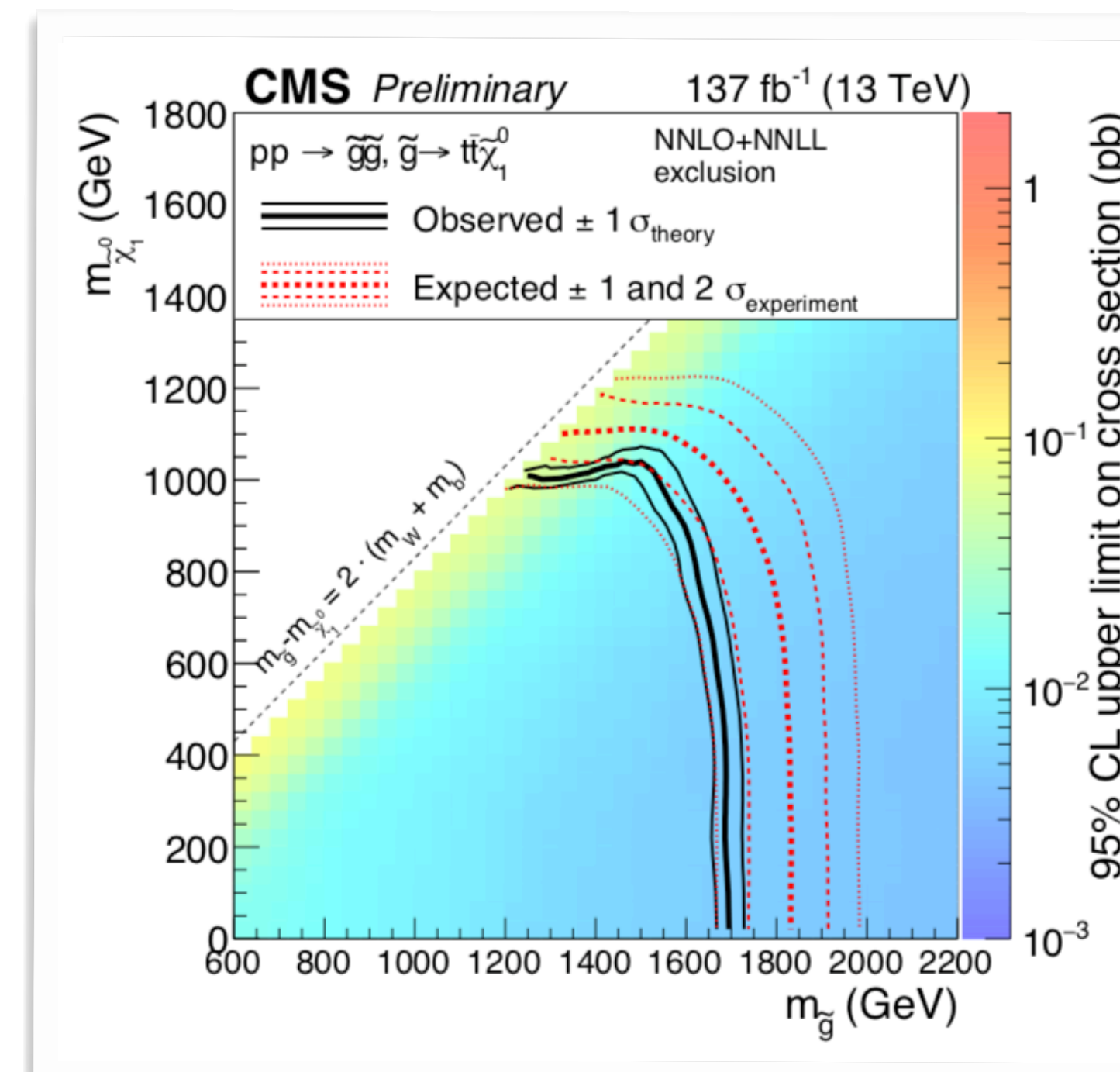
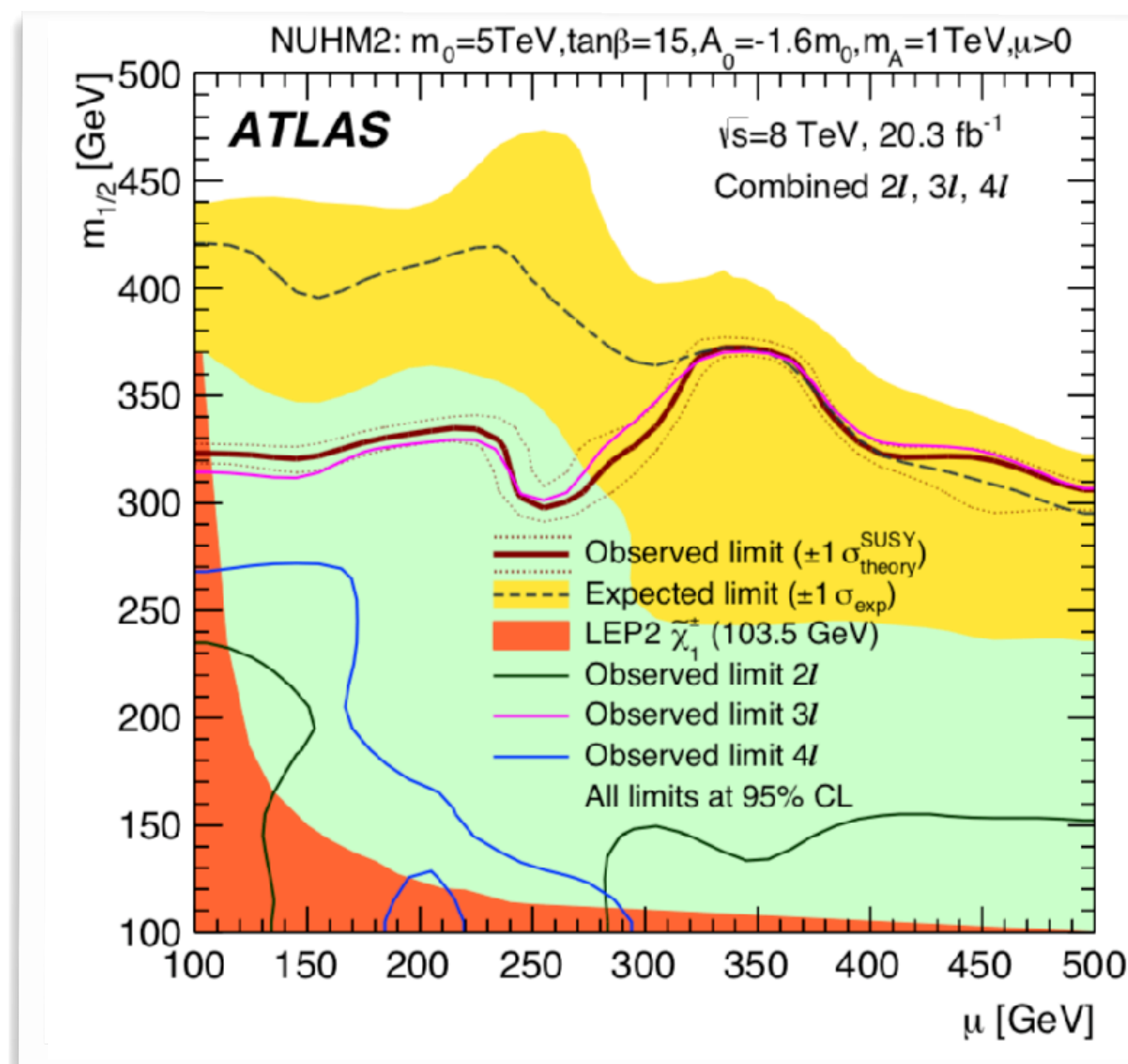
- Many ATLAS and CMS searches for new physics
- Interpretation within popular frameworks and simplified models



New physics results at the LHC

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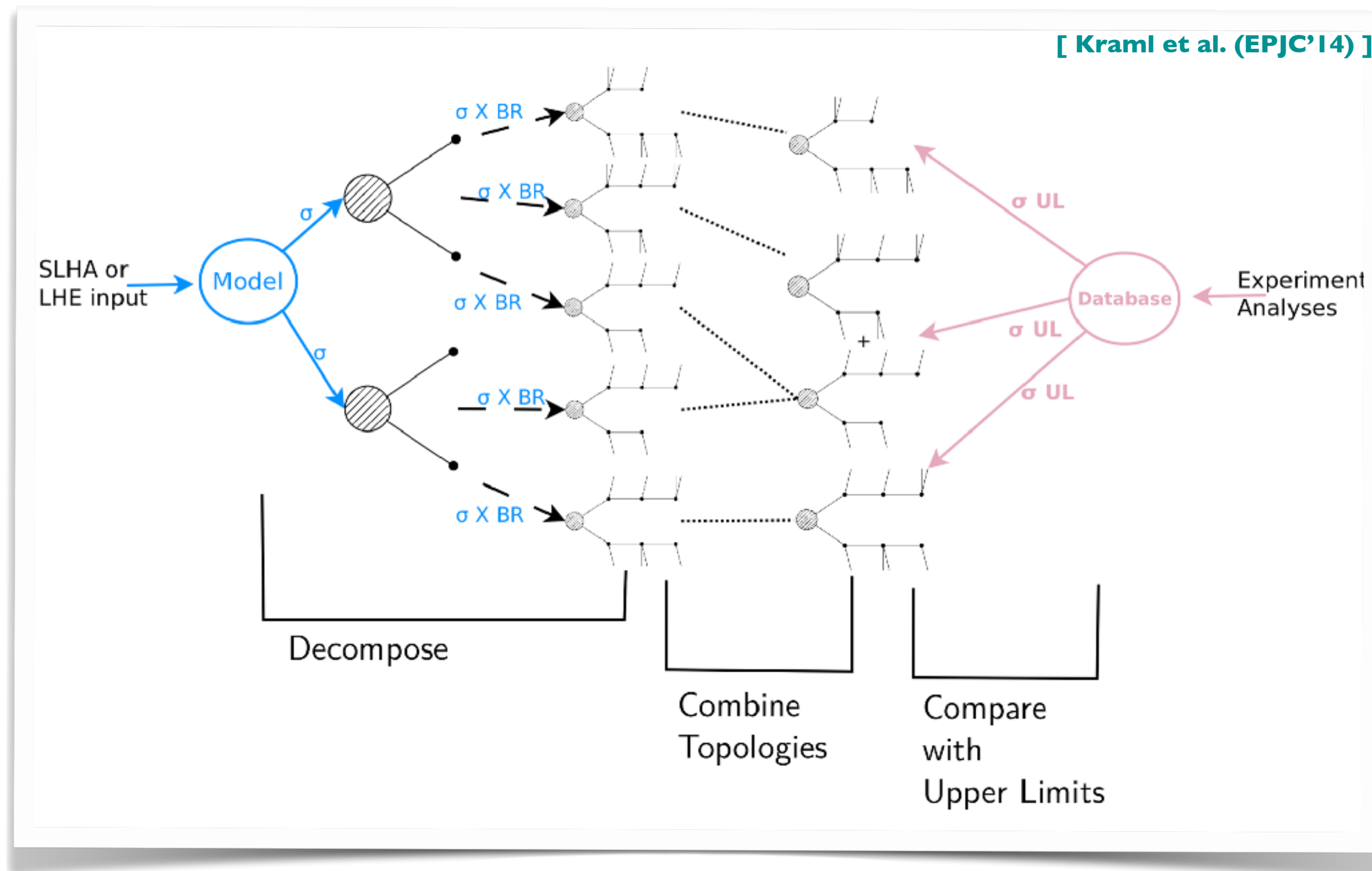
Need for reinterpretations in all kinds of models

Simplified Model Spectra (SMS)

The SMS-based reinterpretation framework

- Decomposition of all signatures of a theory into SMS signatures
- Fiducial cross sections on the basis of public **efficiency maps**
- **Comparisons to published upper bounds**

Main features

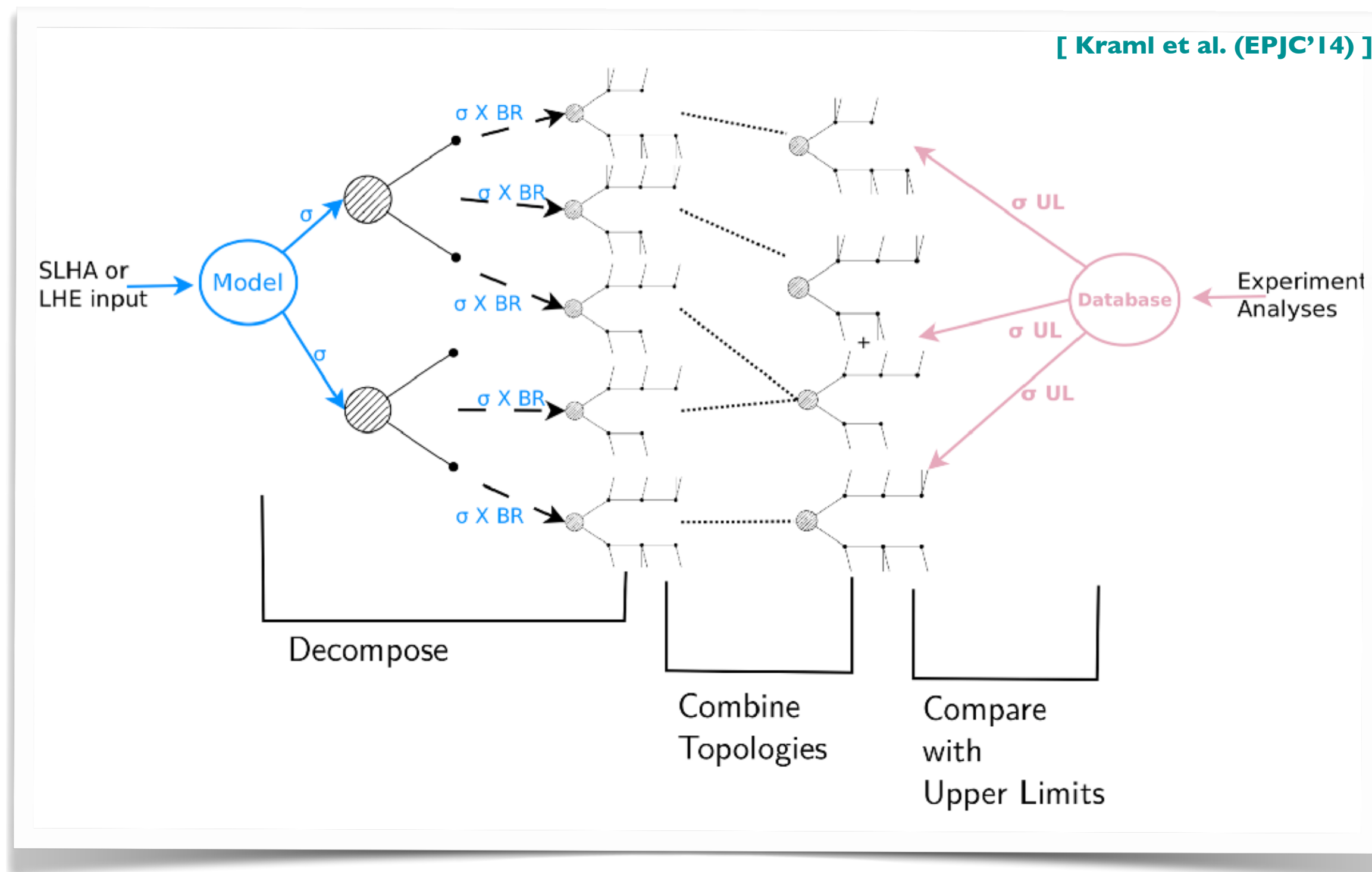


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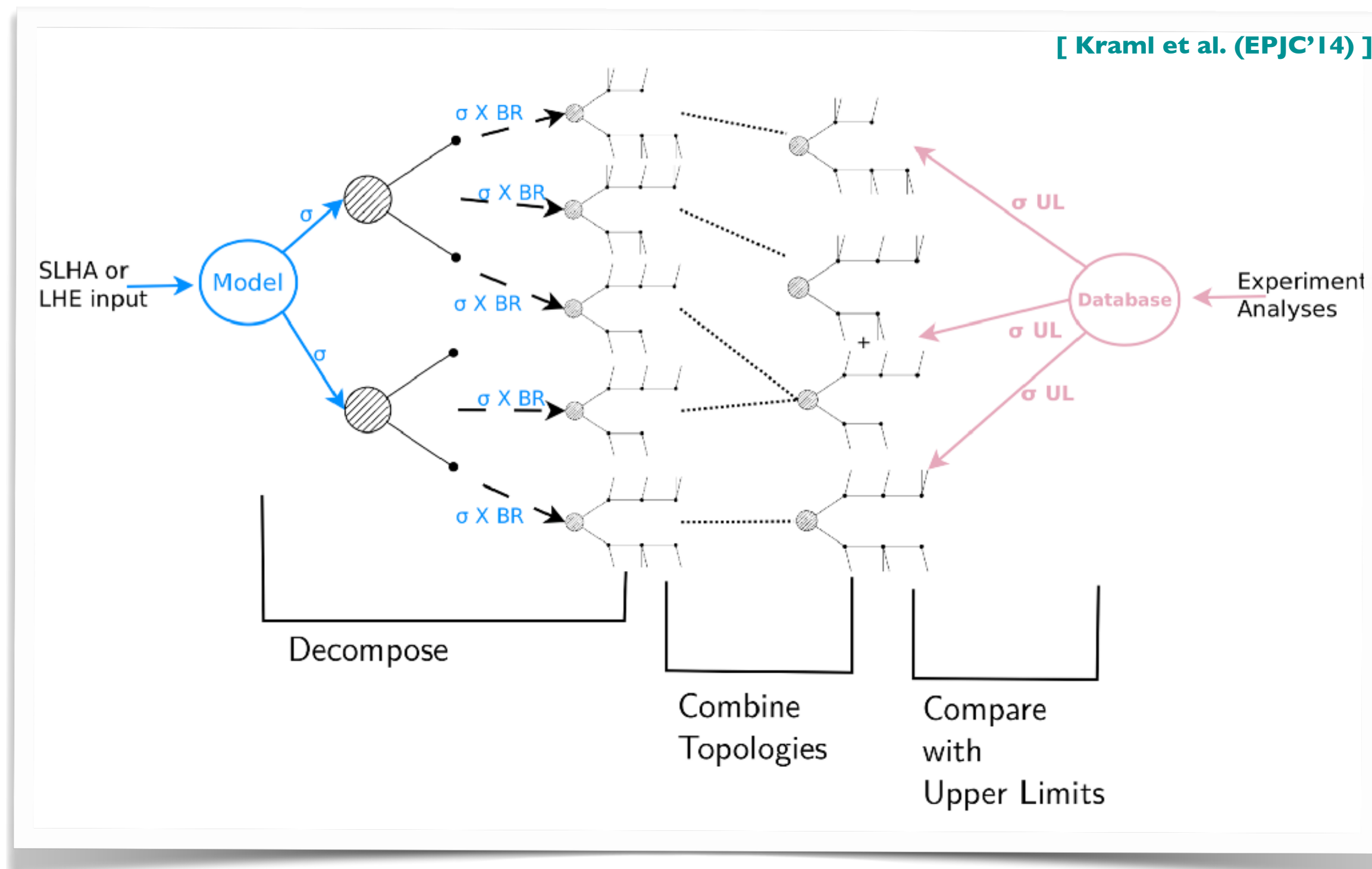
- **Rather fast**
- **Often conservative**
 - ★ Different kinematics
 - ★ Asymmetric decays

Simplified Model Spectra (SMS)

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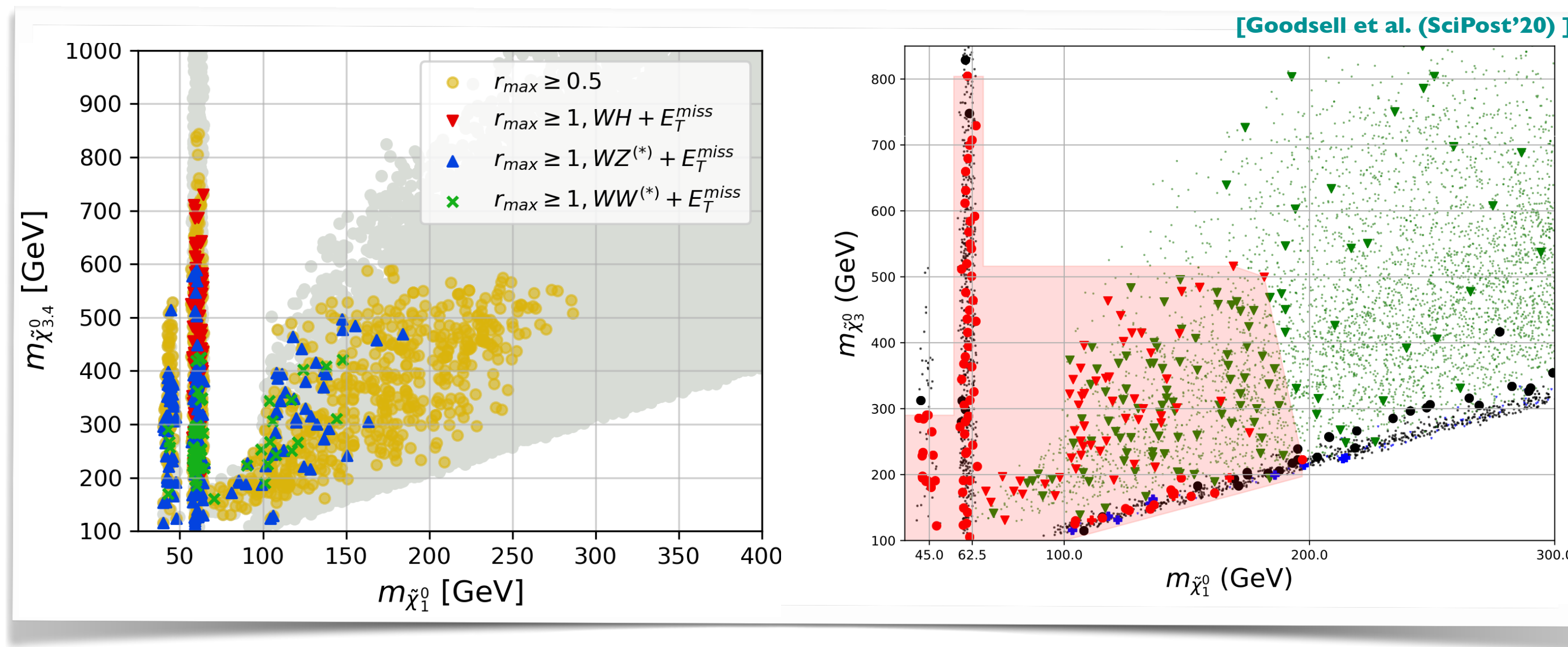
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Main features



- **Rather fast**
- **Often conservative**
 - ★ Different kinematics
 - ★ Asymmetric decays
- A generic program: Smodels
 - ★ $O(100)$ available analyses
 - ★ Prompt and LLP decays
 - ★ Available from GITHUB [Kraml et al. (EPJC'14)] [Kraml et al. (LHEP'20)]
- Dark photons: DARKCAST
 - ★ Available from GITLAB [Ilten et al. (JHEP'18)]

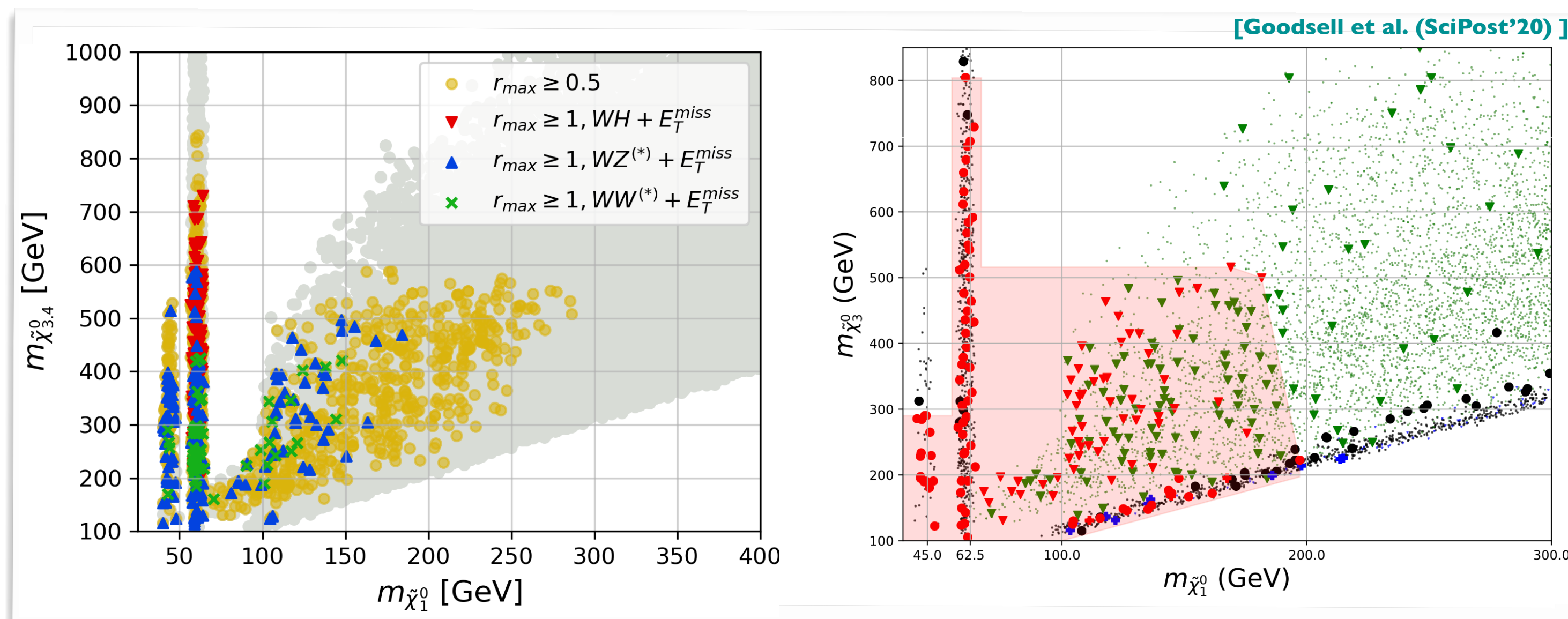
SMS reinterpretation tools - examples



DGMSSM at the LHC

- Exploring SUSY with Dirac gauginos
- Models not considered by ATLAS/CMS
- Left: points excluded by SMOBELS (with $r \geq 1$)
- Right: comparison with full recasts (from MADANALYSIS 5)
 - ➔ SMS approach fair enough
 - ➔ Far from full recasts
- SMS approach *much* faster

SMS reinterpretation tools - examples

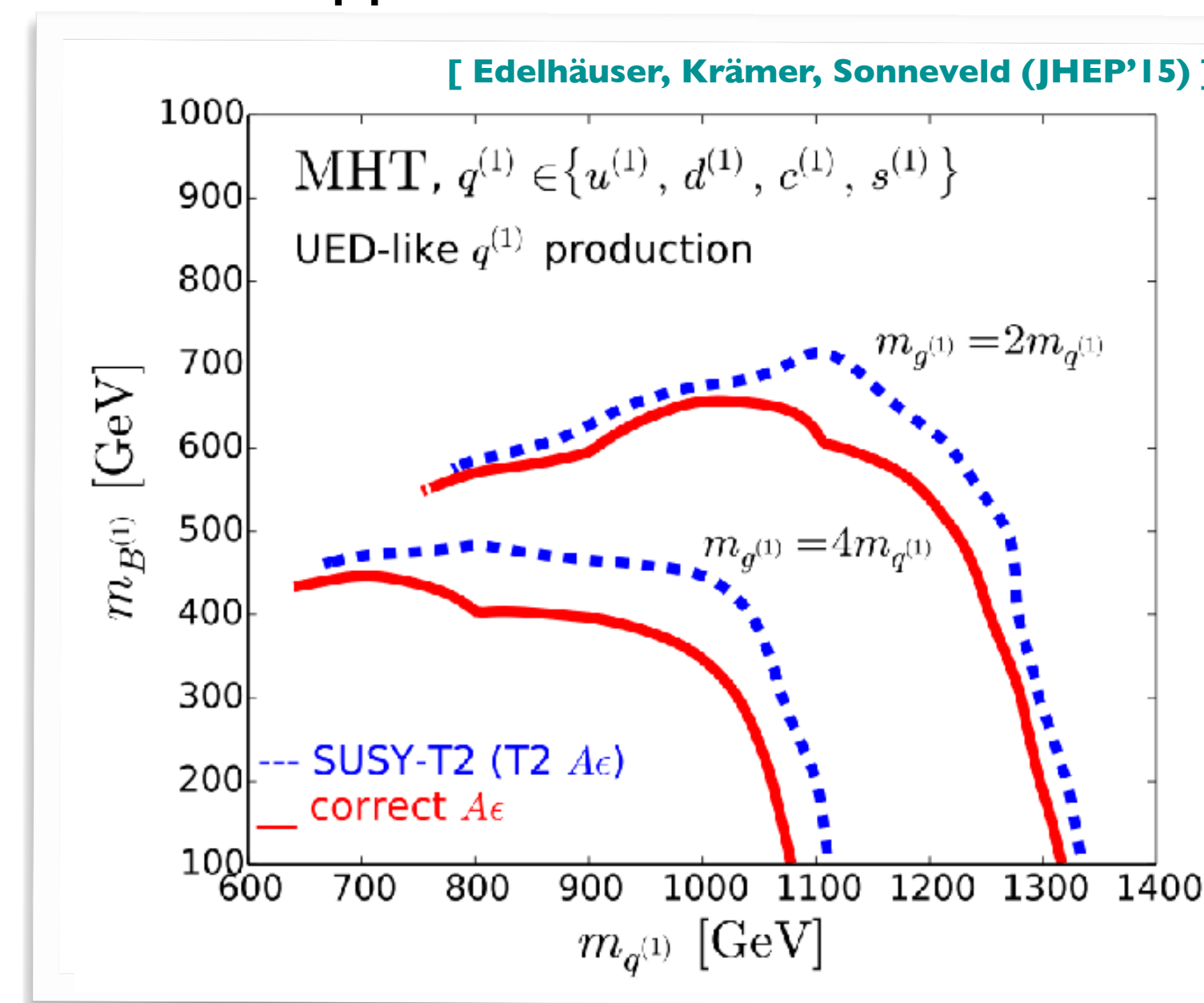


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SUSY vs extra dimensions

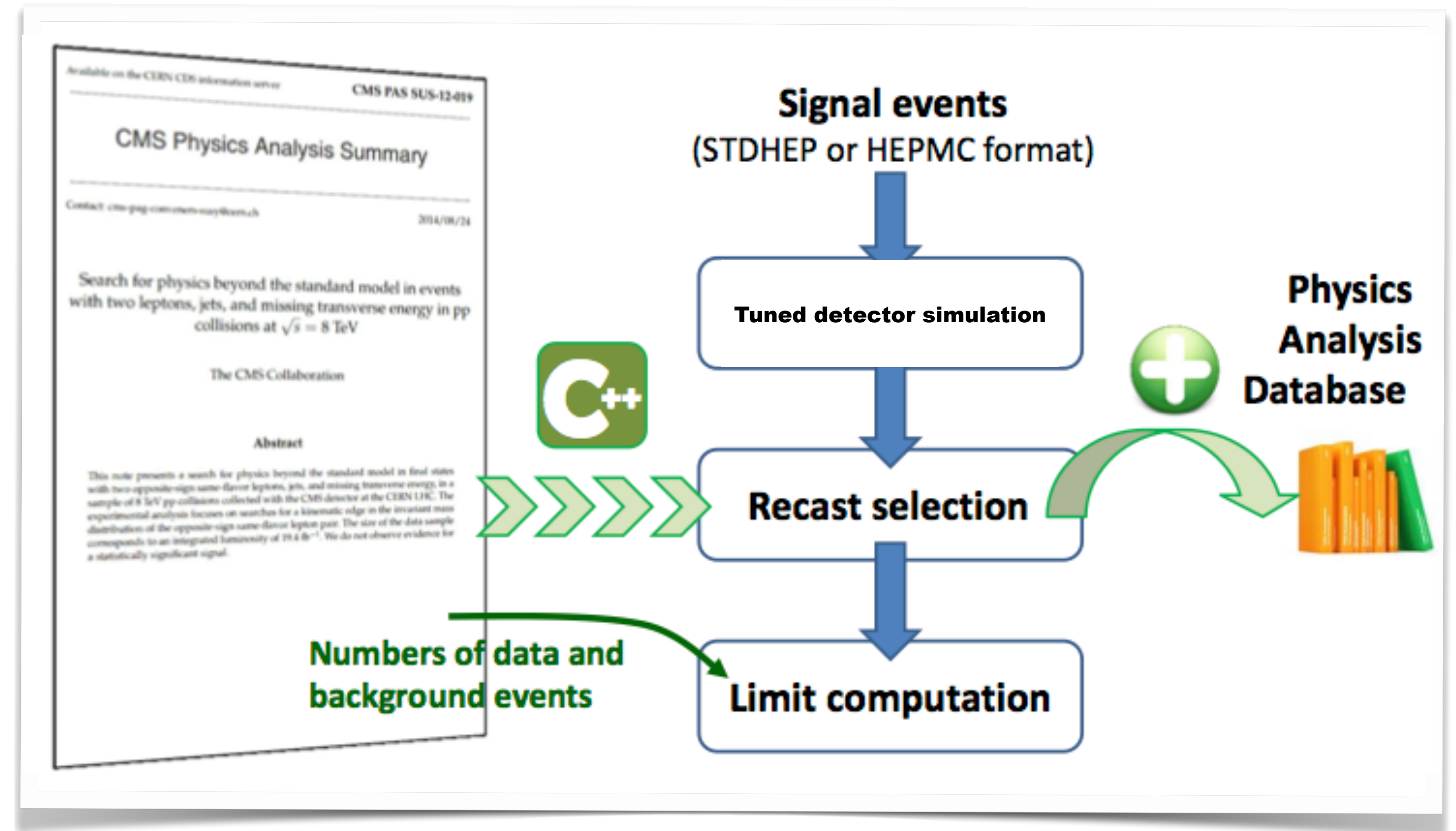
- Using SUSY searches to constrain KK excitations
 - ➔ Blue: SMS approach
 - ➔ Red: full recast
- Efficiencies depend on particle spins
 - ➔ SMS approach often fair enough
 - ➔ SMS approach often too aggressive



Beyond the SMS approach

SMS often not sufficient to study all interesting new physics realisations

- **More accurate detector simulations**
 - mimicking ATLAS / CMS
- **New frameworks** for LHC re-interpretations
 - Easy (re-)implementations of searches
 - Test of signals fully automated



Beyond the SMS approach

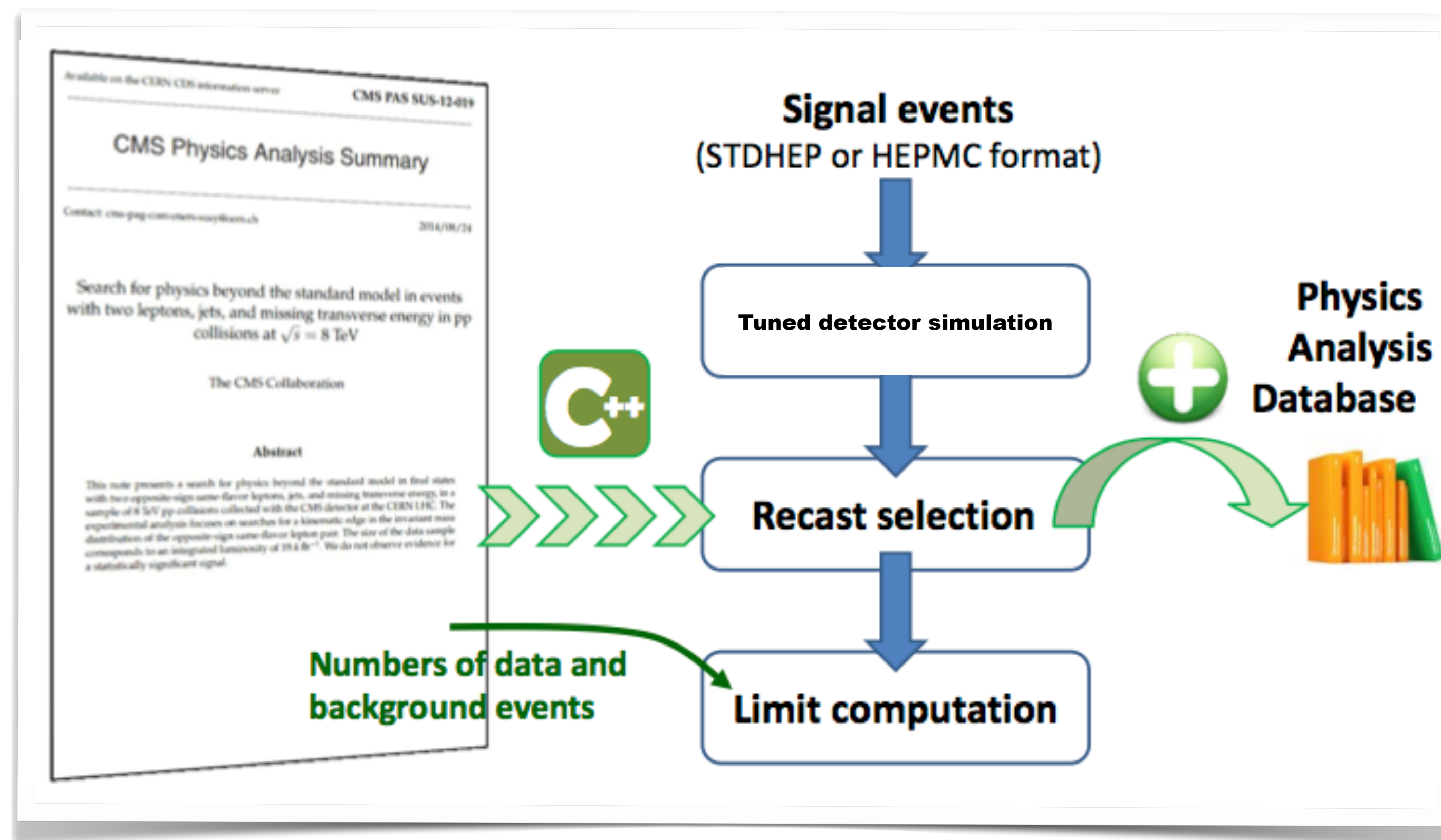
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The detector is the key

- Close to a **real detector** (slower)
 - from particles to tracks/hits
 - resolutions, efficiencies, etc.
 - *à la Delphes 3* [de Favereau et al. (JHEP'14)]
- Based on **transfer functions** (faster)
 - From MC particles
 - Resolutions, efficiencies, ...
 - *à la RIVET, MADANALYSIS 5 – SFS*
[Araz, BF & Polykratis (EPJC'21)]
[Bierlich et al. (SciPost'20)]

- **Unfolding**
 - No need for a detector



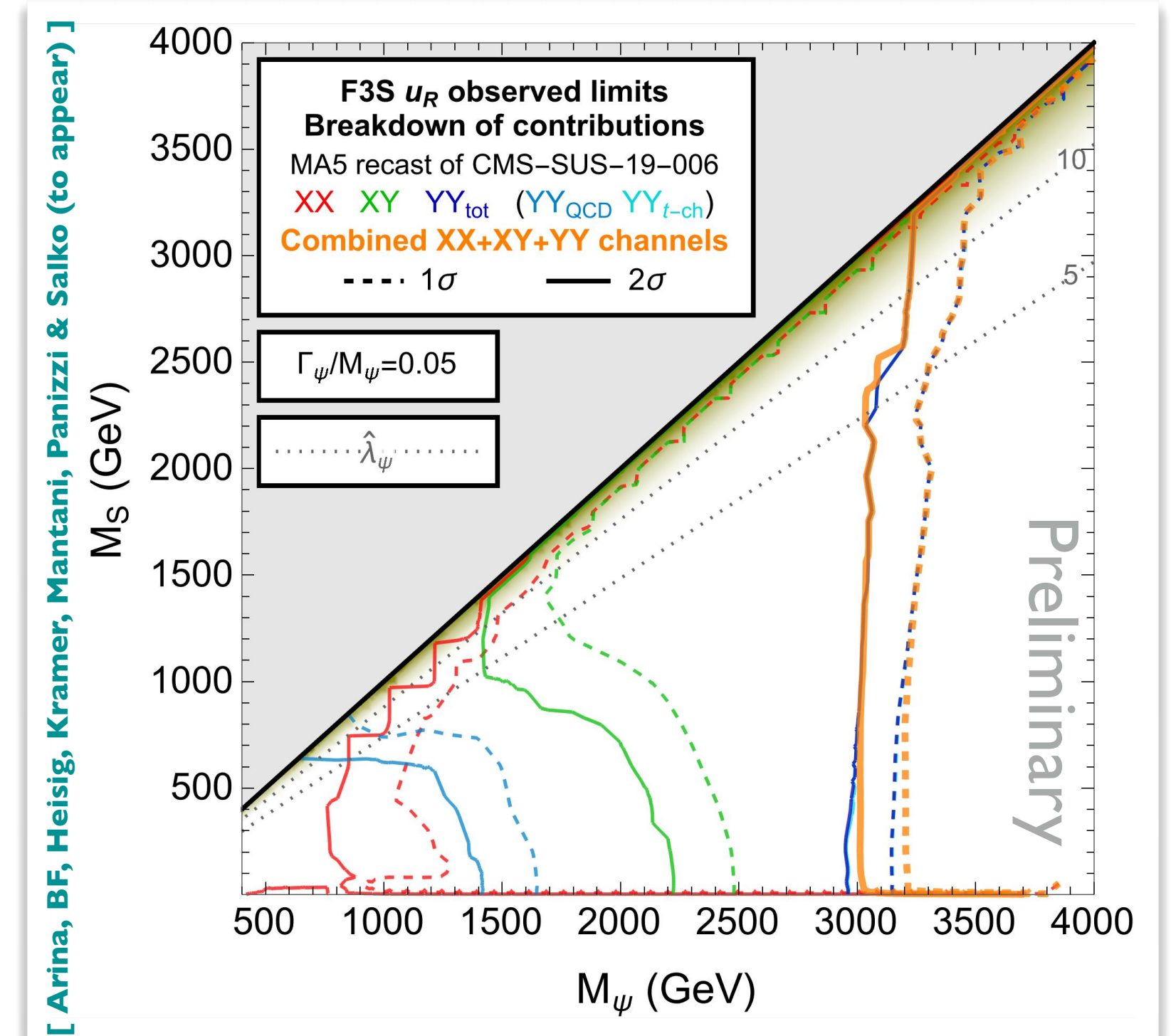
Examples from public programmes

Detector based on (customised) DELPHES 3

- CHECKMATE [$O(50)$ analyses, from [GITHUB](#)]
 - MADANALYSIS 5 [$O(50)$ analyses, from [GITHUB](#) and the MA5 [DATAVERSE](#)]
- [Derks et al. (CPC'17)] [Dumont, BF, Kraml et al. (EPJC'15); Conte & BF (IJMPA'19)]

Constraining t -channel dark matter with jets + MET (in MADANALYSIS 5)

- SM \oplus coloured fermion (ψ) \oplus scalar DM (S) \oplus coupling to u_R
- **Signal modelling crucial:** XX, YY and XY production @ NLO



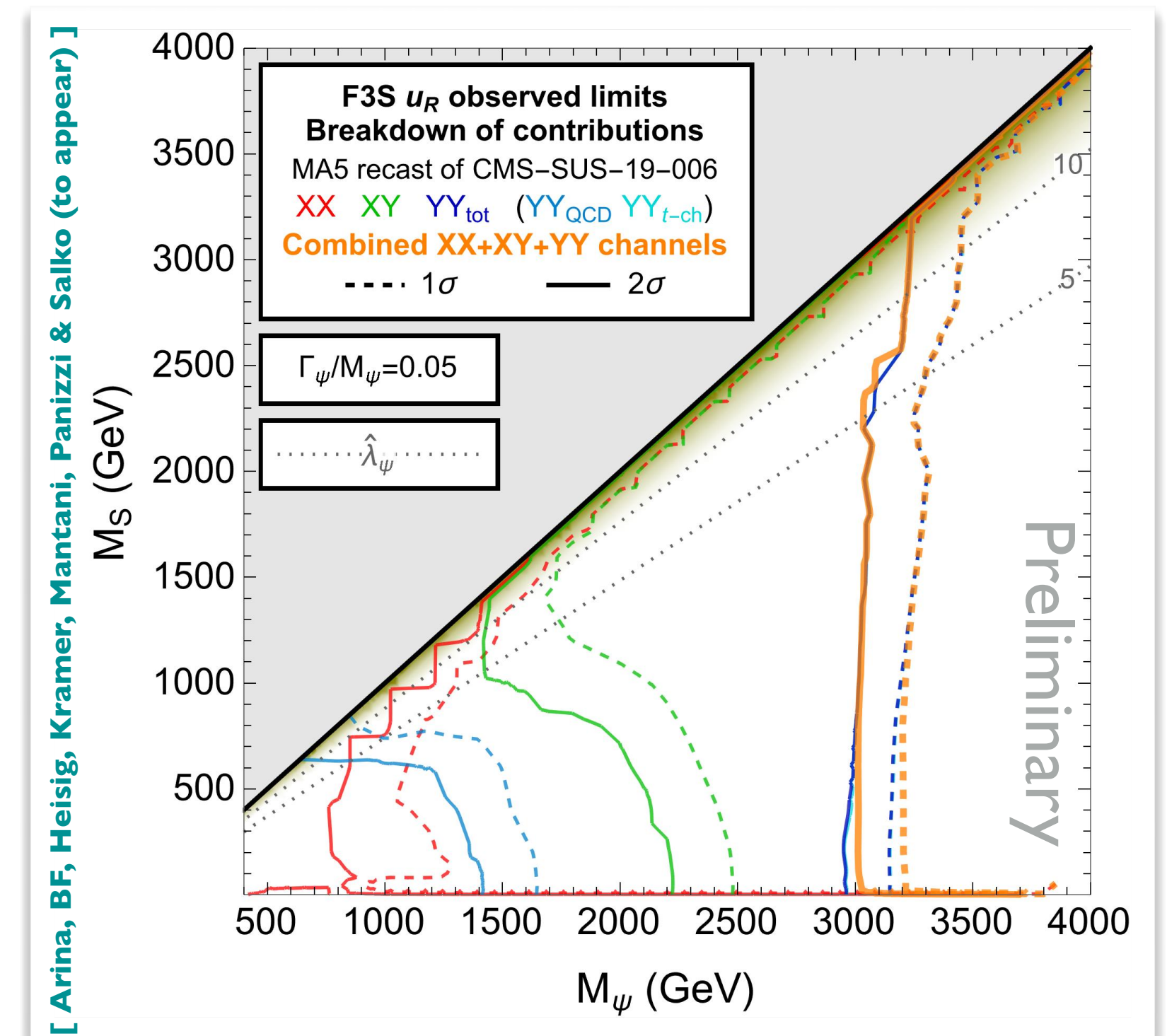
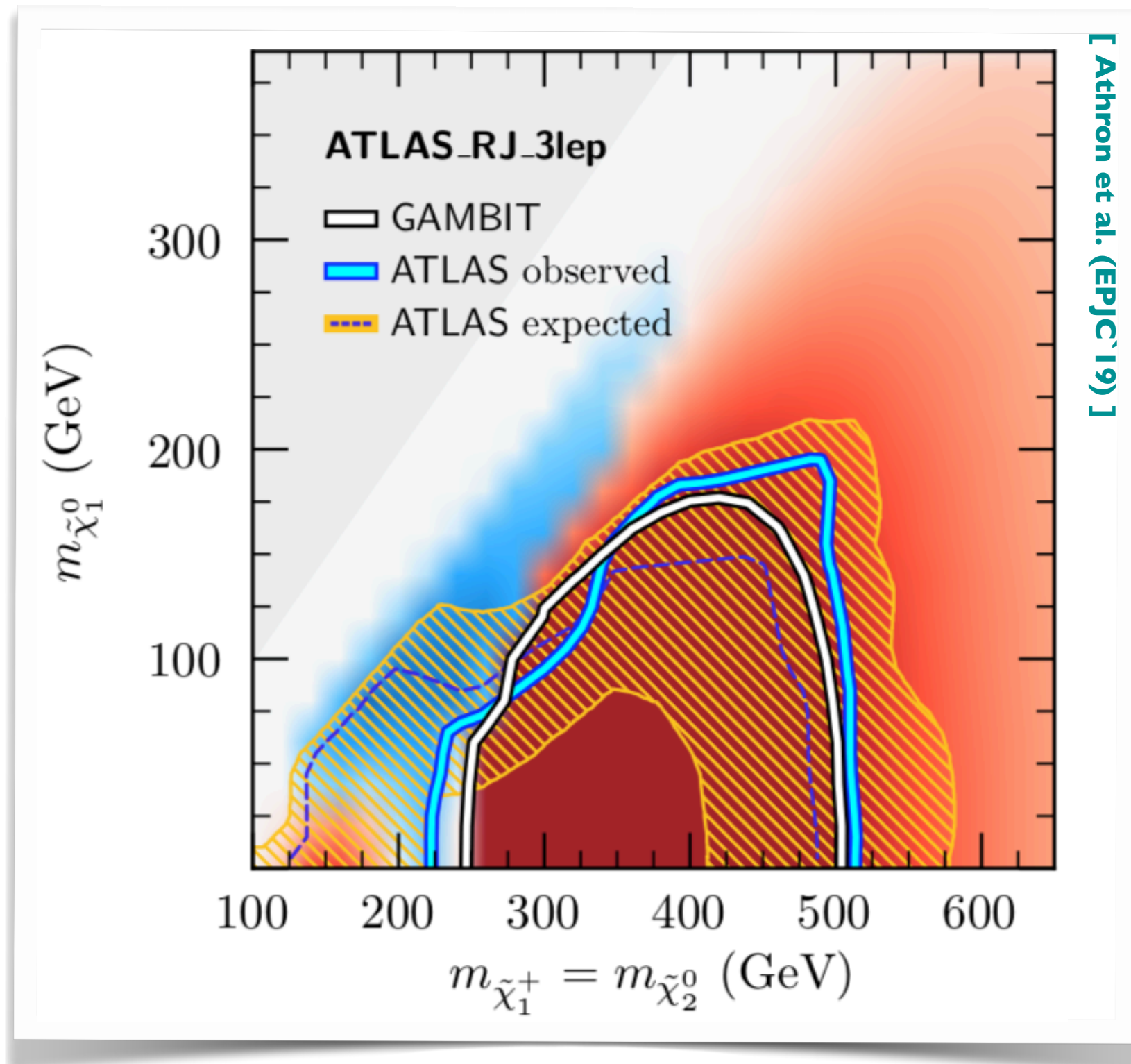
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Based on transfer functions

- COLLIDERBIT [$O(40)$ analyses, from [HEPFORGE](#)]
- MADANALYSIS 5 - SFS [$O(10)$ analyses, from [GITHUB](#) and the MA5-[DATAVERSE](#)]
- RIVET [$O(30)$ analyses, from [HEPFORGE](#)]

[Balász et al. (EPJC'17)] [Araz, BF & Polykratis (EPJC'21); Araz, BF, Goodsell & Utsch (EPJC'22)]
 [Buckley et al. (2010); Bierlich et al. (SciPost'20)]

Constraining ewkinos with recursive Jigsaw (in COLLIDERBIT)

- Validation \equiv closure test

Implementing a new recast

Picking up an experimental publication

- Reading
- Understanding

 Relatively easy

Writing the analysis code in the tool internal language

Implementing a new recast

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✓ Relatively easy

A 2012 TH-wishlist for high-quality recasts (1/2)

- Clear description of cuts and their sequence
- Efficiencies (e^\pm , μ^\pm , jets, τ_h , b -tagging, etc.)
 - Including p_T/η dependence
- Efficiencies for triggers, event cleaning, etc.
 - Effects not manageable in fast simulations
- Special variable definitions (razor, aM_{T2} , etc.)
 - Snippets of code

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Writing the analysis code in the tool internal language

Accurate information for proper validation

- **Efficiencies** (trigger, e^\pm , μ^\pm , b -tagging, JES, etc.)
 - including p_T/η dependence
- Detailed **cutflows** for well-defined **benchmarks**
 - Region per region information
 - Exact definition of benchmarks (spectra)
 - Event generation information (cards, tunes)
- **Digitised histograms** (e.g. on HEPDATA)

! Essential
✗ Often difficult!

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 - Snippets of code

A 2012 TH-wishlist for high-quality recasts (2/2)

- **Benchmark scenarios**
 - Spectra / decay tables (SLHA-form)
 - Several scenarios
- **Monte Carlo configuration**
 - Cards, tunes, matching information, etc.
- **Detailed cutflows** (with correct cut ordering)
 - Including (pre)selection steps (**more is better**)
- **Kinematical distributions** at different cuts
 - Extra cross-checks

[Les Houches Recommendations (EPJ C'12)]

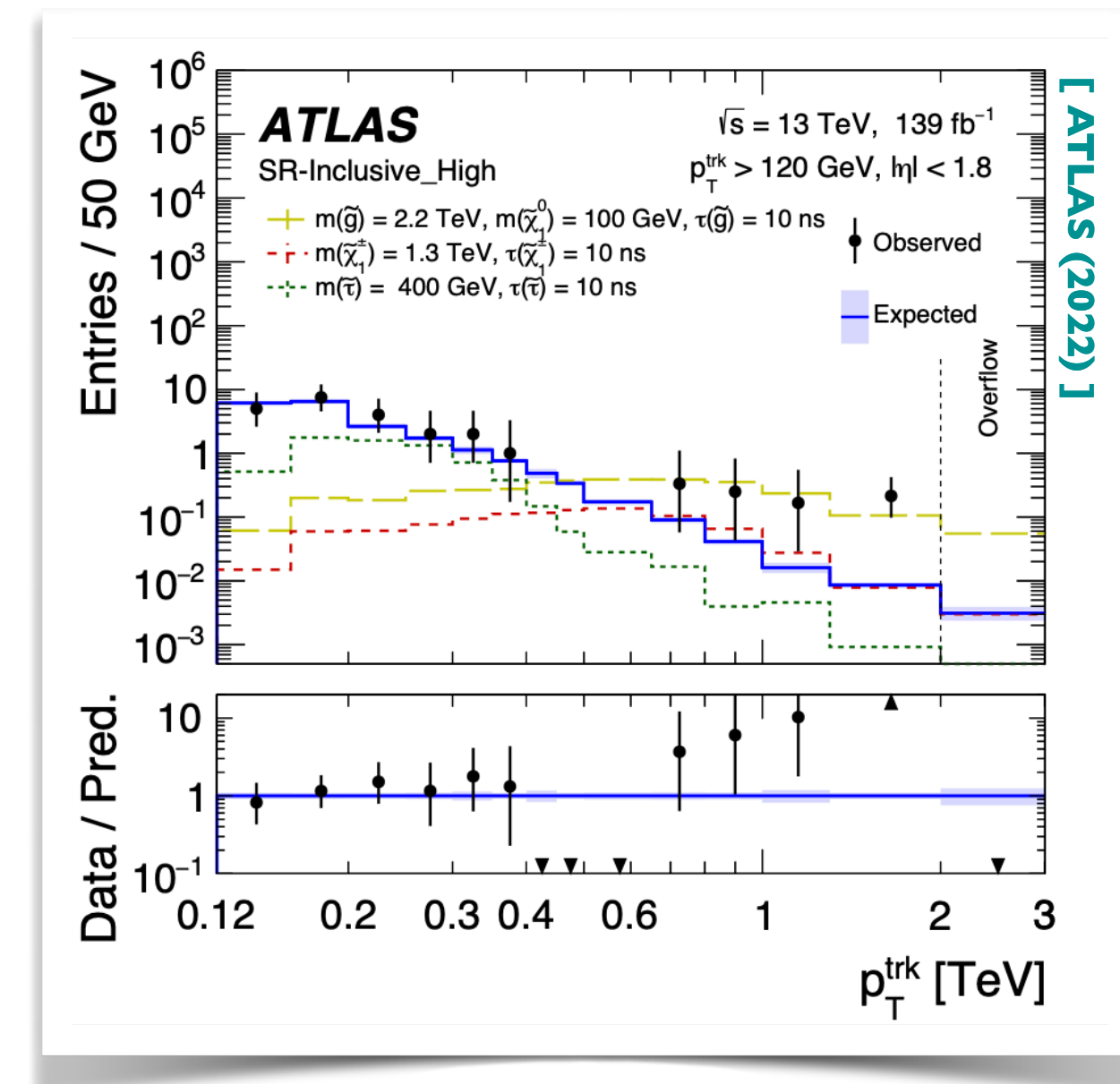
10 years later...

Much better material

- Publications much clearer
- HEPDATA widely used
- Improved communication between the EXP/TH communities
- **Sometimes works amazingly well:** e.g. ATLAS *multijet+MET*
- **Still improvable:** e.g. ATLAS *dE/dx* [HSCP with large ionisation]

	ATLAS			MadAnalysis 5-SFS				
	Events	ϵ [%]	ϵ_{cut} [%]	Events	ϵ [%]	δ [%]	ϵ_{cut} [%]	R_{gap} [%]
Initial (truth $E_T^{miss} > 150$ GeV)	39598	-	100	89529	-	0.17	100	-
Lepton veto	37547	94.82	94.82	85417	95.41	0.17	95.41	0.62
$N_{jets} \leq 4$	35412	89.43	94.31	76195	85.11	0.18	89.20	4.38
$\min[\Delta\phi(jets, E_T^{miss})]$ cut	33319	84.14	94.10	69253	77.35	0.18	91.00	8.07
Leading jet > 150 GeV and $ \eta < 2.4$	23134	58.42	69.43	47157	52.67	0.20	68.10	9.84
$E_T^{miss} > 200$ GeV	18801	47.48	81.30	39183	43.77	0.20	83.10	7.81
EM0	4488	11.34	-	8509	9.50	0.22	-	16.23
EM1	3789	9.57	-	7946	8.88	-	-	7.21
EM2	2857	7.21	-	6226	6.95	-	-	3.61
EM3	2111	5.33	-	4621	5.16	-	-	3.19

[Agin with MADANALYSIS 5]



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- Publications much clearer
- HEPDATA widely used
- Improved communication between the EXP/TH communities
- **Sometimes works amazingly well**: e.g. ATLAS *multijet+MET*
- **Still improvable**: e.g. ATLAS *dE/dx* [HSCP with large ionisation]

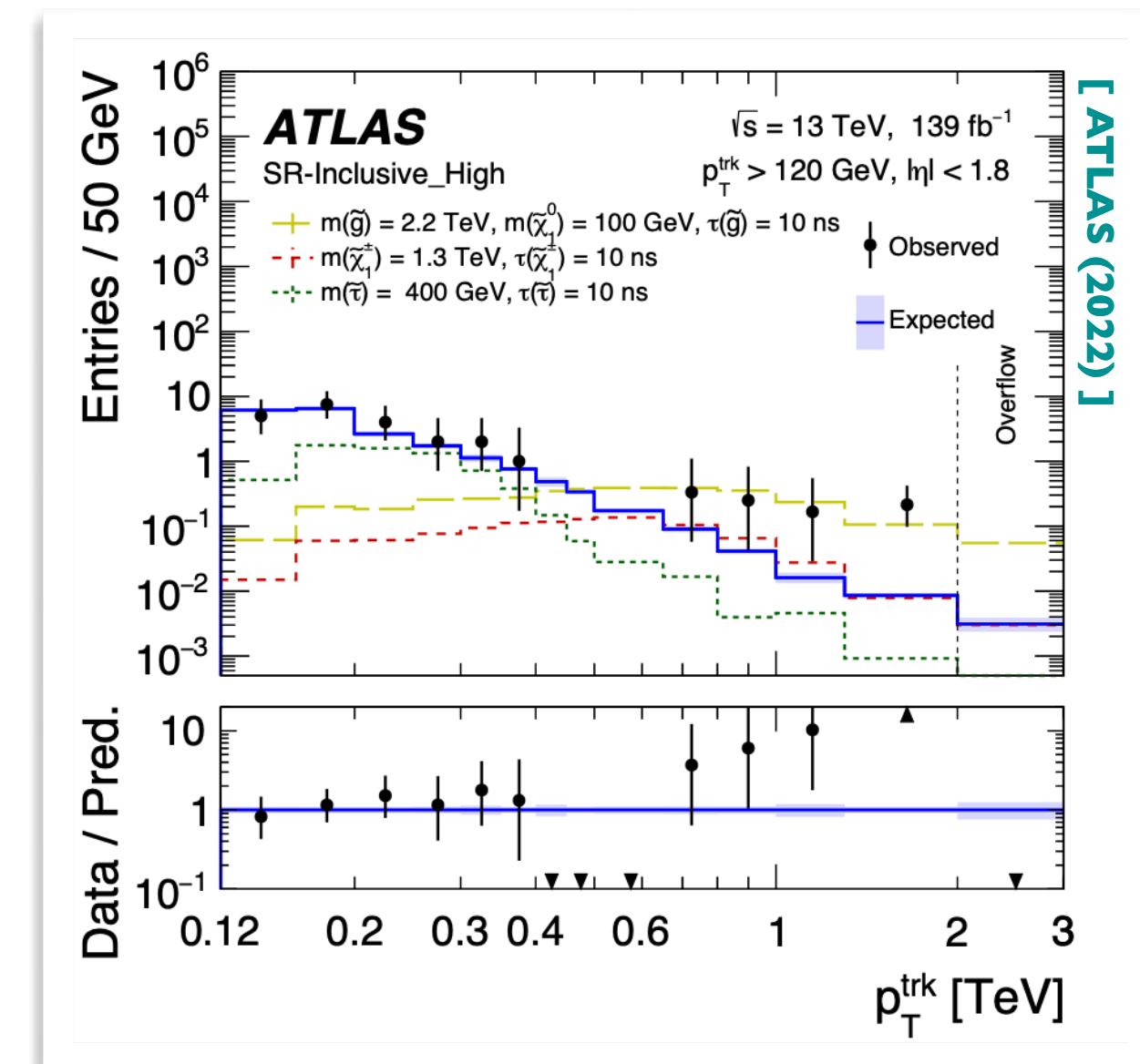
A 2020 TH-wishlist for high-quality recasts

- **Background estimates**: usually provided (not systematic)
- **Efficiencies**
 - Should be provided as tables / functional forms
 - Should be broken down in sub-efficiencies (trigger, etc.)
- **Efficiency maps**: necessary for SMS-based recasting
- **Monte Carlo**: **still very minimal**
 - SLHA files, MG5_aMC cards, PYTHIA cards, etc.
 - Crucial for the validation (*cf.* MC bias)
- **Cut-flows** for given benchmarks
 - **not systematic** (sequence, details, all SRs)

[The Reinterpretation Forum (SciPost`20)]

	ATLAS			MadAnalysis 5-SFS				
	Events	ϵ [%]	ϵ_{cut} [%]	Events	ϵ [%]	δ [%]	ϵ_{cut} [%]	R_{gap} [%]
Initial (truth $E_T^{miss} > 150$ GeV)	39598	-	100	89529	-	0.17	100	-
Lepton veto	37547	94.82	94.82	85417	95.41	0.17	95.41	0.62
$N_{jets} \leq 4$	35412	89.43	94.31	76195	85.11	0.18	89.20	4.38
$\min[\Delta\phi(jets, E_T^{miss})]$ cut	33319	84.14	94.10	69253	77.35	0.18	91.00	8.07
Leading jet > 150 GeV and $ \eta < 2.4$	23134	58.42	69.43	47157	52.67	0.20	68.10	9.84
$E_T^{miss} > 200$ GeV	18801	47.48	81.30	39183	43.77	0.20	83.10	7.81
EM0	4488	11.34	-	8509	9.50	0.22	-	16.23
EM1	3789	9.57	-	7946	8.88	-	-	7.21
EM2	2857	7.21	-	6226	6.95	-	-	3.61
EM3	2111	5.33	-	4621	5.16	-	-	3.19

[Agin with MADANALYSIS 5]



Strength in numbers: combination of searches

“Best signal region”

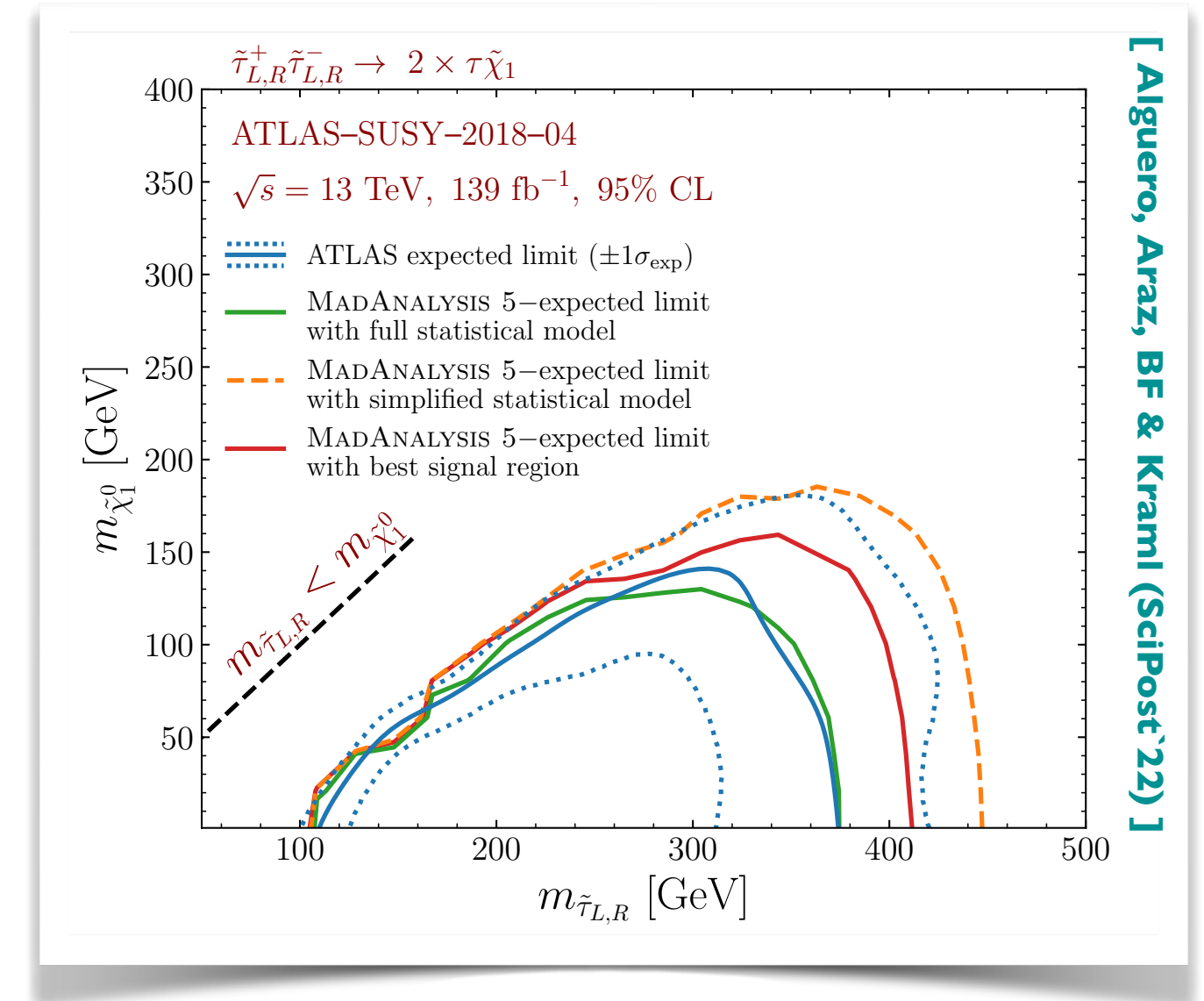
- Recast exclusions from the **best region** of an analysis
- Often off relative to CMS/ATLAS → correlations rarely negligible

Public likelihoods

- Statistical model of an analysis ≡ complete description of the analysis
 - Improving over the ‘best signal region’ approach
 - **More realistic reinterpretations**
- Simplified likelihoods by CMS / full likelihoods by ATLAS (PYHF)

$$\mathcal{L}_{\text{SR}} = \prod_i e^{-(S_i+B_i+\theta_i)} \frac{(S_i+B_i+\theta_i)^{n_i}}{n_i!} e^{-\frac{1}{2}\theta^t V^{-1}\theta} \quad \text{Non-Gaussian tails ignored}$$

- CMS simplified likelihoods in SMOBELS, MADANALYSIS 5 & COLLIDERBIT
- ATLAS full likelihoods in SMOBELS & MADANALYSIS 5



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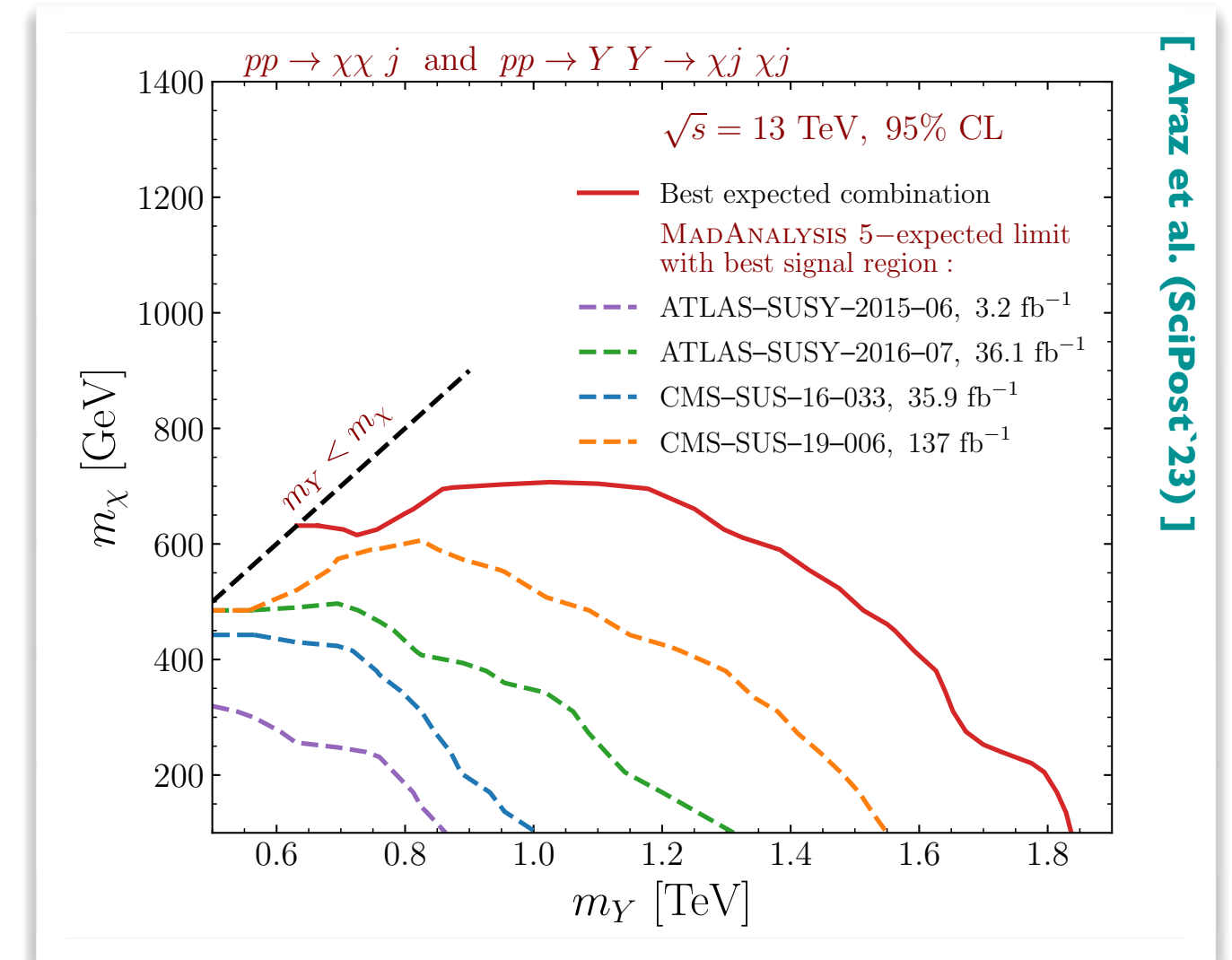
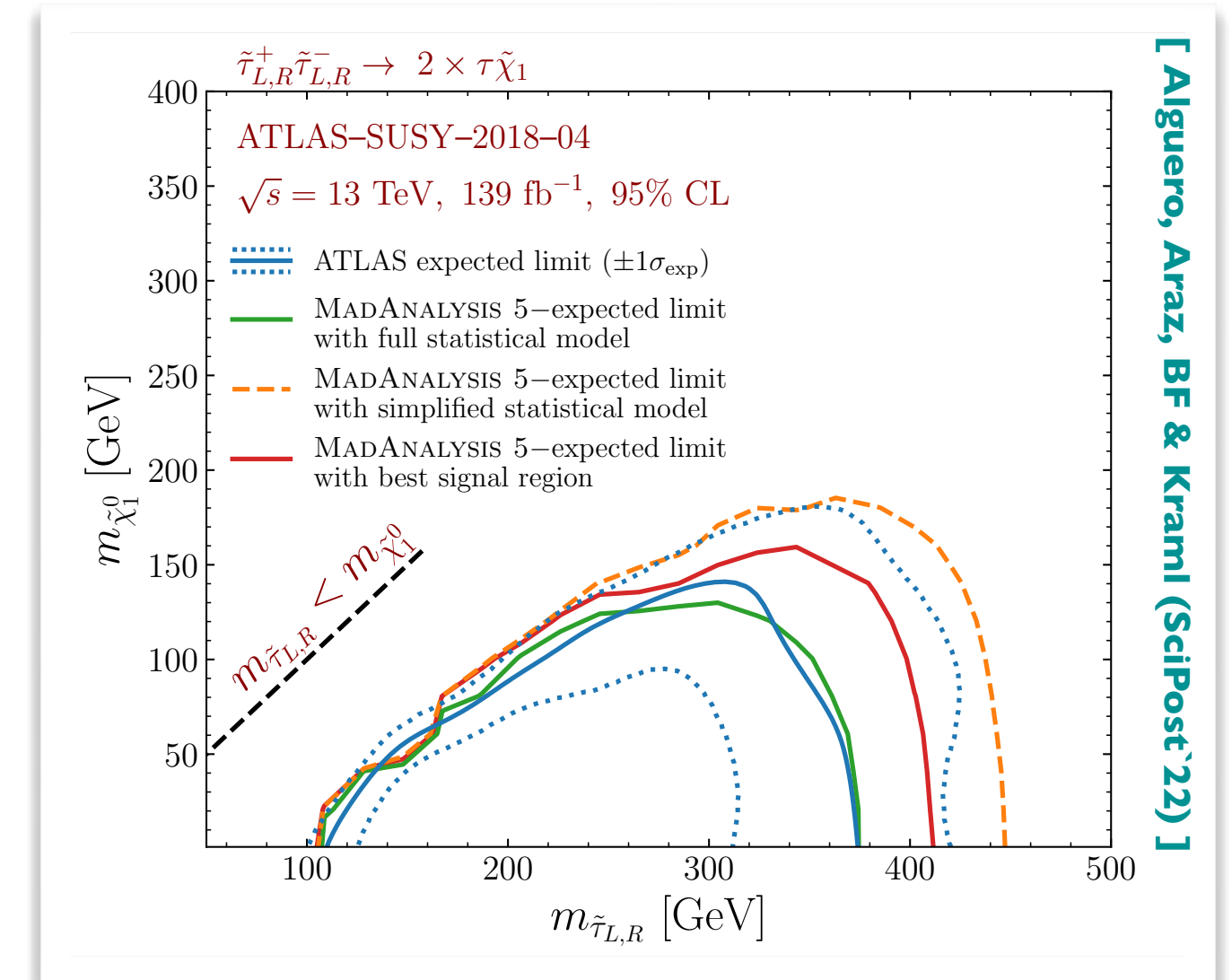
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Development of the TACO methods to combine uncorrelated analyses

- Identification of uncorrelated SRs in different analyses
 - Derivation of an approximate correlation matrix
- Optimal combinations among them (tests over 100s of regions)
 - Better reinterpretation power



Outline

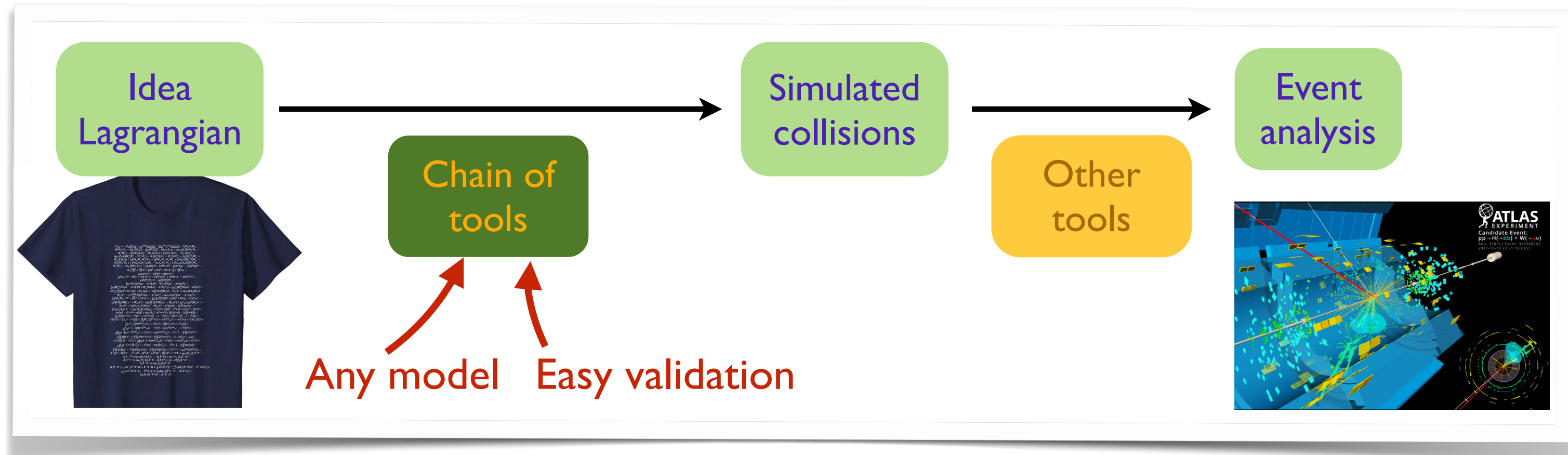
1. A comprehensive approach for Monte Carlo simulations
2. Implementing models into Monte Carlo event generators
3. From events to Lagrangian: reinterpretation of the results of the LHC
4. **Summary**

Summary

The quest for new physics is on-going

- MC tools for background/signal modelling
- Automated methods for model implementation
→ Facilitates new physics simulations at (N)LO

Tutorial: Give FEYNRULES a try!

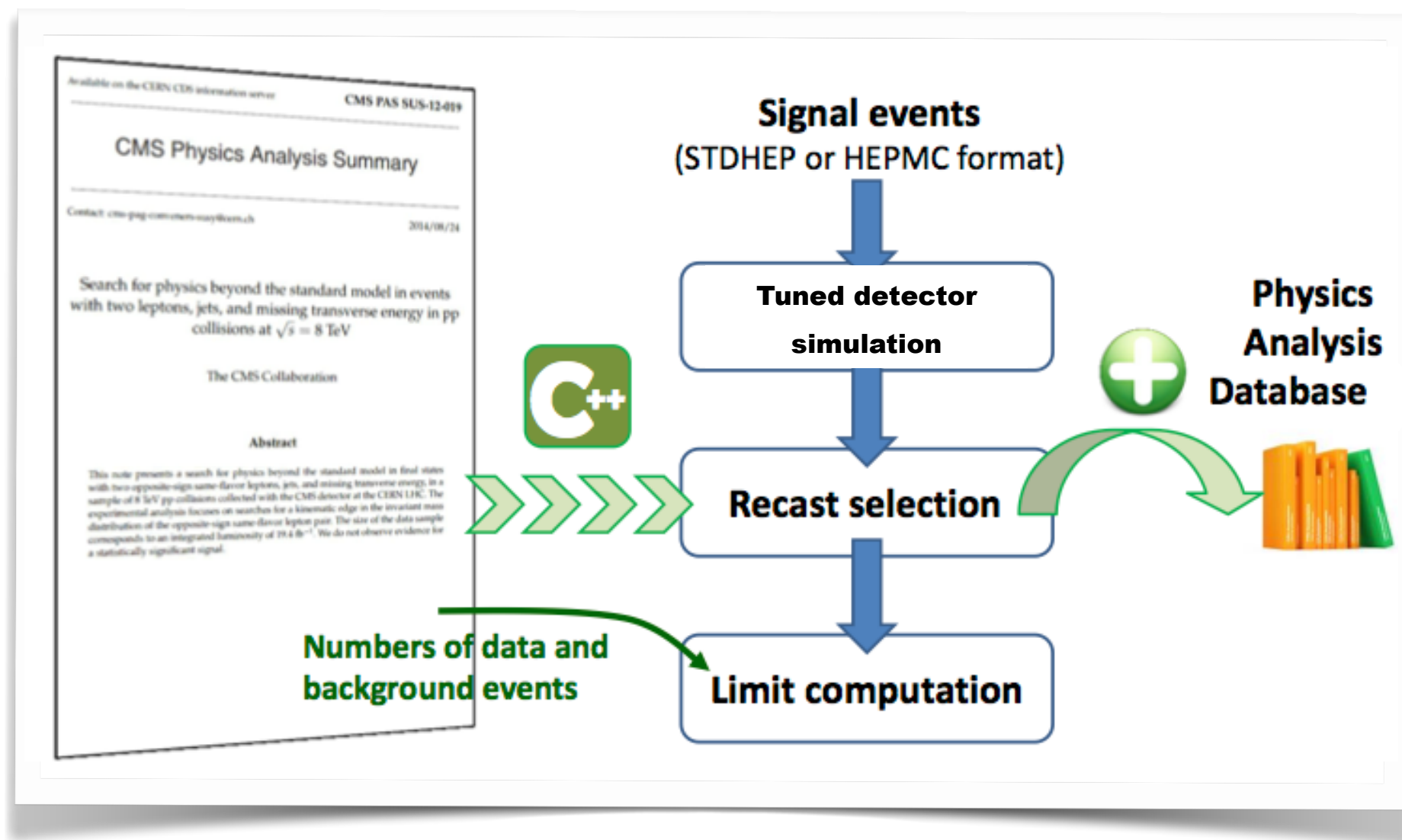
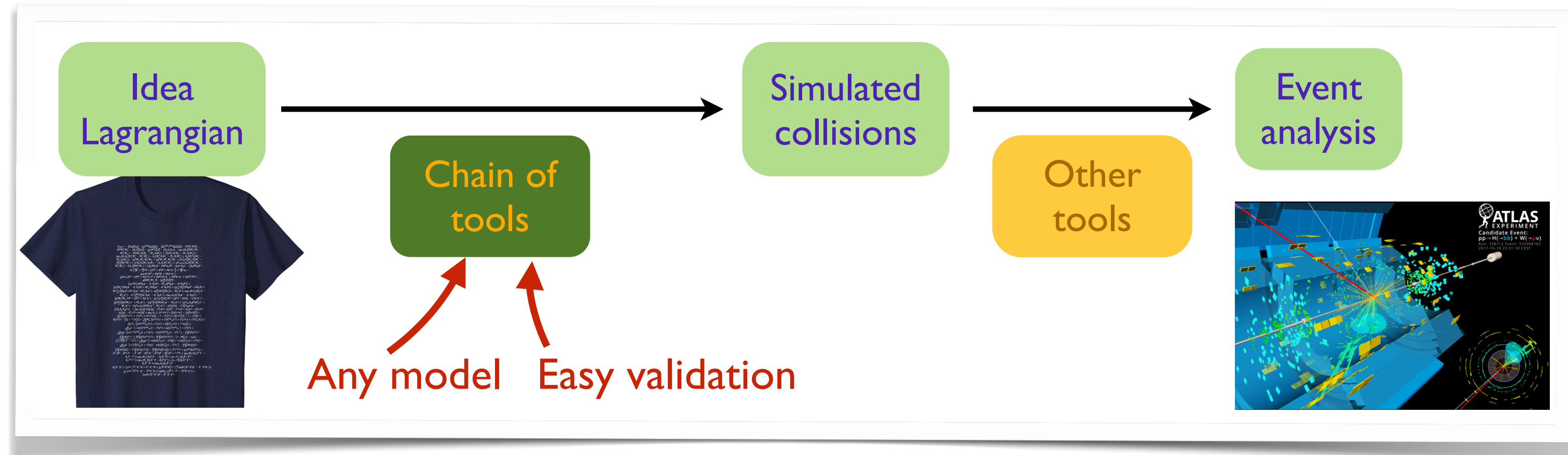


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The LHC legacy

- Reinterpretation of the LHC results in any theoretical context crucial
→ Two complementary approaches: simplified models and detector simulation
- Exciting on-going developments: combining & correlating

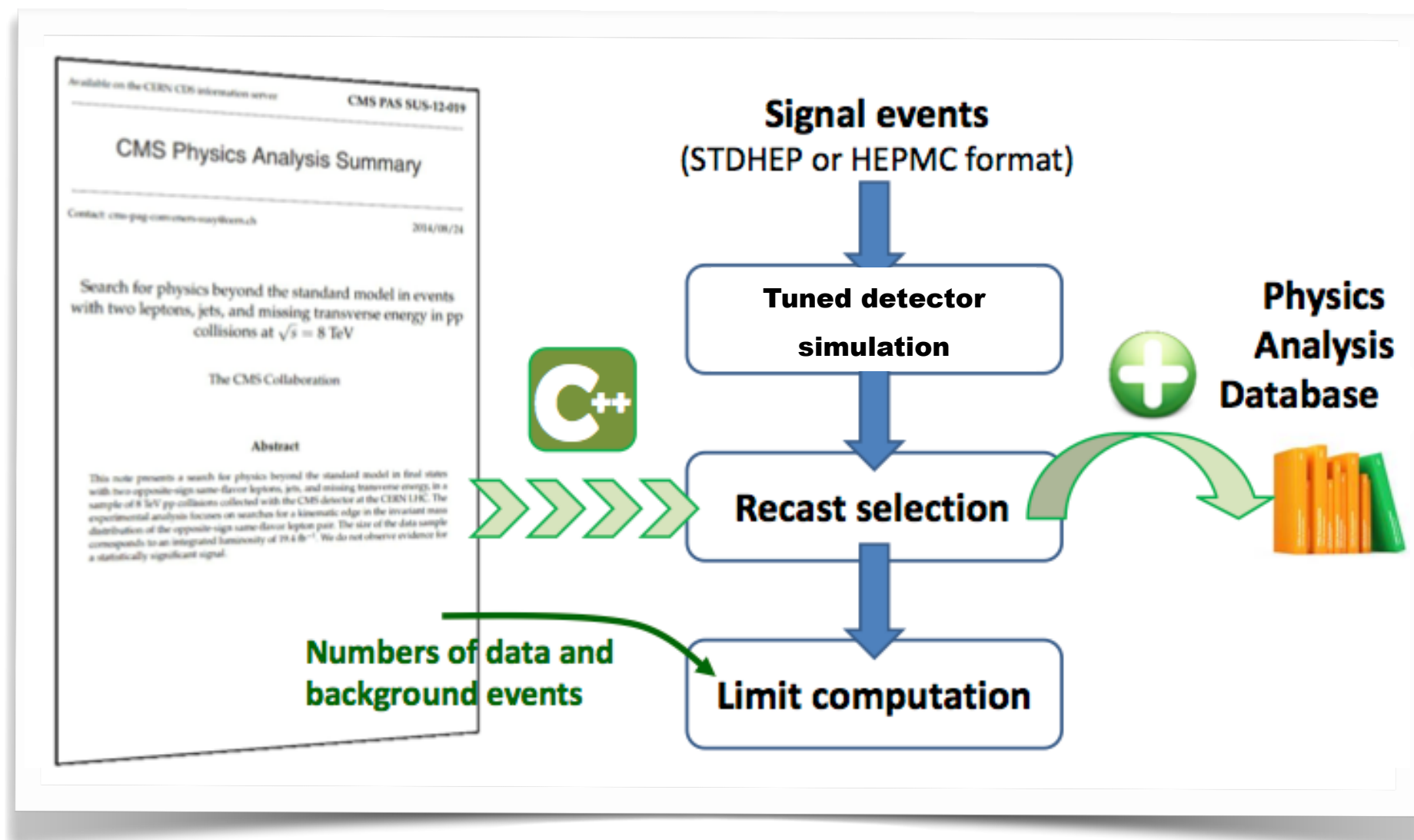
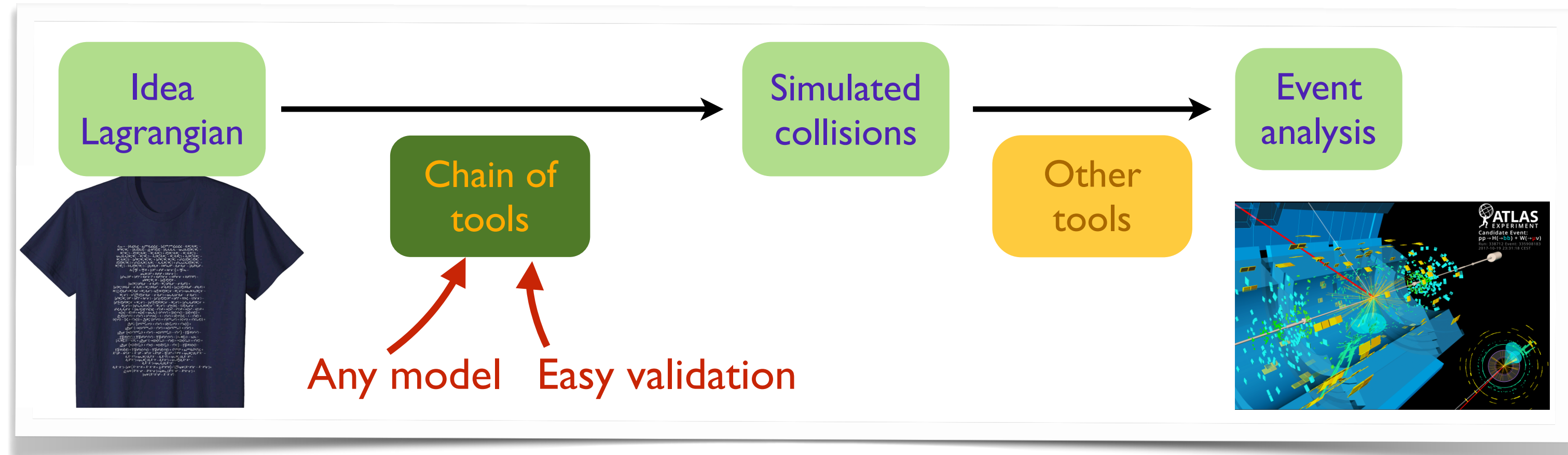
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Final last words

- **Reproducibility** ≡ ability of an entire experiment to be reproduced (possibly by an independent theoretical study)
- Need for both the TH and EXP communities to move together!